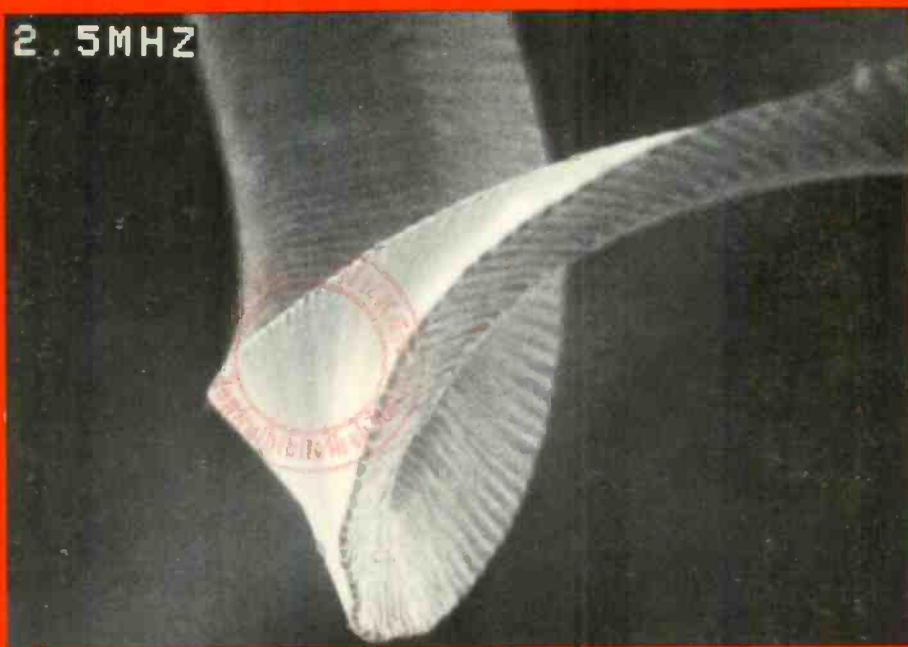


# RCA

## Review

**Cutting the VideoDisc Master**

2.5MHZ



**March 1982 Volume 43 No. 1**

RCARCI 43(1) 1-274 (1982)

#### **Cover**

Fourteen kilometers of metal "chip",  $1/200$  the thickness of a human hair, are cut from a VideoDisc master in recording an hour-long program. Pictured on the cover, at 5000 times magnification, is a 50-micrometer-long section of such a chip showing the minute signal undulations, whose counterpart on the master will ultimately be pressed into a disc to provide a color video program. This figure is taken from the paper on Micromachining VideoDisc Grooves and Signals by J. Guarracini, J.H. Reisner, J.L. Valentine, and C.A. Whybark in this issue.

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# **RCA** **Review**

**RCA Review** (ISSN 0033-6831) is a technical journal published quarterly by RCA Research and Engineering in cooperation with the subsidiaries and divisions of RCA.

## **VideoDisc**

- **Mastering**
- **Stylus and Pickup Circuit**
- **Record**
- **Developmental Testing**

# RCA Review

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## VideoDisc Special Issue

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# VideoDisc Mastering—An Overview

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**Abstract**—This paper gives a brief overview of the design of cutterheads and the mastering process used for making CED VideoDiscs. In the RCA VideoDisc system, signals are recorded in a copper substrate using a piezoelectrically driven cutterhead. A small diamond tool cuts the FM signals at one-half real-time rate with a bandwidth of about 5 MHz. The recorded spiral groove, which has a pitch of about 2.6  $\mu\text{m}$  and is 13 miles long, contains signal elements of submicron dimensions. Nickel replicas made from this substrate serve as stampers to press the vinyl CED VideoDiscs.

The 5 MHz bandwidth requires that the cutterhead components be made as small as possible. Even though the diamond tools weigh only a few micrograms, the 875  $\text{\AA}$  peak-to-peak video signal, corresponding to an acceleration of several million  $g$ 's, produces inertial forces on the diamond that exceed the copper machining forces and that stress some cutterhead interfaces to several thousand psi. The piezoelectric material is chosen to produce maximum sensitivity ( $\text{\AA}/\text{volt}$ ) with minimum power dissipation. The electrical and mechanical power dissipations are both important design considerations, particularly since they increase superlinearly above the main resonance of the cutterhead. Accordingly the cutterhead dimensions are chosen to place this resonance at or above the highest video frequencies. Special attention must also be paid to the heat dissipation from the cutterhead; the primary source of heat loss is via the diamond to the copper substrate.

Several of the subsequent papers in this special issue of RCA Review devoted to the VideoDisc system discuss aspects of cutterhead design and mastering in greater detail.

## Introduction

That standard audio-disc pressing techniques could replicate features of a few hundred angstrom dimensions into vinyl discs was known more than three decades ago. It followed therefore that a single disc could, in principle, store the vast amount of information necessary for video playback purposes if the technologies for recording the information and retrieving it from the disc surface could be developed. The introduction of the CED (Capacitance Electronic Disc) VideoDisc system in March of 1981 was the culmination of a fifteen year effort at RCA to develop these two crucial technologies.

The information capacity demanded for a VideoDisc follows directly from the bandwidth requirements, the signal-to-noise performance, and the somewhat arbitrary choice of playing time. A typical audio disc provides a bandwidth of about 30 kHz, a 65 dB *S/N*, and a playing time of 25 minutes per side. By comparison the CED system, requiring effectively 3 MHz response, a 46 dB *S/N*, and one hour per side playing time, represents about a 175-fold increase in information content (Fig. 1). Thus the CED discs contain some  $1.7 \times 10^{11}$  bits of information per side in a three-inch-wide band on a twelve-inch diameter disc; this corresponds to a bit size of about  $0.3 \mu\text{m}^2$  covering an area of about  $550 \text{ cm}^2$  of the disc where information is recorded. A requirement of the

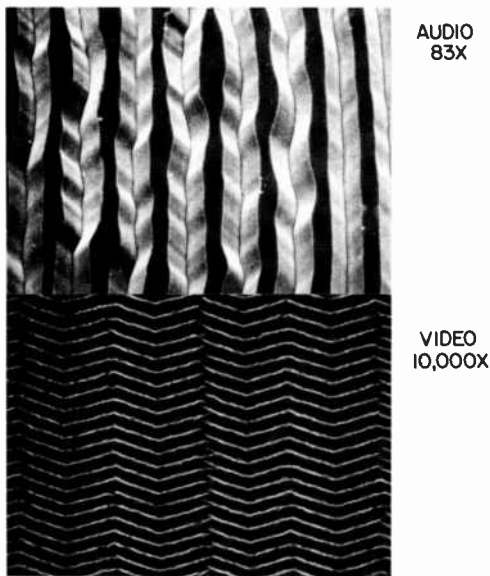


Fig. 1—Comparison of audio record and VideoDisc grooves. Top: audio groove at 83 × magnification; bottom: VideoDisc groove at 10,000 × magnification.



mastering process is to record this information in a copper substrate with a high degree of precision, control, and uniformity, so that a large number of high quality discs can then be pressed from replicated nickel stampers.

## Recording Techniques

The invention of a capacitive stylus playback system<sup>1</sup> in the early 1960's promised a technique for retrieving serial information from a grooved disc using a simple, metallized stylus; the thickness of the metal (of the order of  $0.25 \mu\text{m}$ ) determined the shortest wavelength that could be read out which, incidentally, was well suited for a video playback system. A major problem remained, namely the recording of the submicron information into a suitable substrate.

Audio masters are commonly recorded electromechanically using a diamond stylus to cut the signal in a smooth lacquer master. By making the cutting stylus sufficiently small and having the required tip geometry, the same technology could be used to record a video signal provided its bandwidth was suitably reduced, i.e., provided the recording was slowed down from "real time". Indeed the early experiments used modified audio recording apparatus, slowed down by a factor of 200:1, to demonstrate the overall VideoDisc concept.

It soon became clear that the recording time could not remain so much larger than the playback time in high volume production. It seemed more practical to achieve the small-signal dimensions using a modified scanning electron microscope to record the signals in an electron-beam-sensitive resist covering a previously-grooved substrate. Thus the preferred recording system used by RCA in the early 1970's was an EBDR<sup>2</sup> (Electron Beam Disc Recorder). Initially, signals were still slowed down by 200:1, but through steady improvements in electron-beam resist formulations, electron guns, and electron optics designs in the EBDR, real-time recording was eventually demonstrated.<sup>3</sup>

During the same years that this electron-beam recording technology was being developed, efforts were also underway to use optical recording techniques in photoresist and to further improve the electromechanical (EM) recording technology.<sup>2</sup> By the late 1970's, RCA had developed all three technologies to the point where high-quality recordings had been made. The discs produced by each type of recording were, however, different in fine details, such as groove shape, predominant distortions, and types of defects. When the decision was made to market the CED VideoDisc system, these subtle differences meant that a specific recording technology had to be chosen. Largely because of the perfection of the recording and the lower defect levels as well as its relative simplicity, the absence of vacuum processing, and the lack

of "wet" resist processing (with its inevitable problems of cleanliness and reproducibility), electromechanical recording was chosen as the preferred system. Since then thousands of EM recordings have been made confirming the wisdom of this choice.

### Design of EM Cutterhead

Audio recordings are normally made by electromechanically cutting signals into lacquer substrates; the cutterhead is driven magnetically in order to achieve the required linearity and signal amplitudes. VideoDisc signals are much shallower but also much shorter in wavelength. Consequently, achieving the forces required to accelerate the cutting stylus is a more difficult problem in VideoDisc mastering. As will be discussed in more detail later, even with the half-time recording process used presently, the standard 875 Å peak-to-peak signal amplitude requires accelerations of several million g's ( $g$  = acceleration of earth gravity) to carve the signals out of the substrates. The inertial forces on the cutting stylus, in fact, greatly exceed the forces required to machine the copper substrates presently used.<sup>4</sup>

It was primarily the hope of bringing the advantages of electromechanical recording to VideoDisc Mastering that led J. B. Halter to develop a family of piezoelectric cutterheads in the early 1970's, steadily increasing the frequency limitations from 200:1 below real time to real time in a few years.<sup>5</sup> A great deal of additional effort has been expanded since then to develop a reliable cutterhead fabrication technology suitable for making production masters.

The requirements for an electromechanical cutterhead follow largely from the specification of the CED encoding system (Fig. 2). The 3-

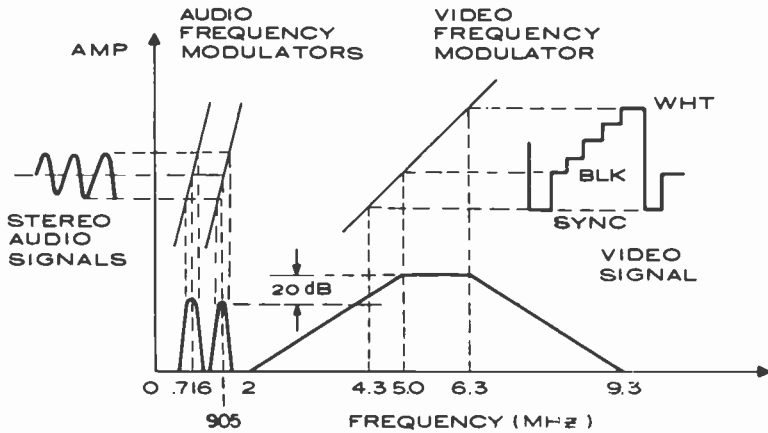


Fig. 2—Spectrum of CED system.

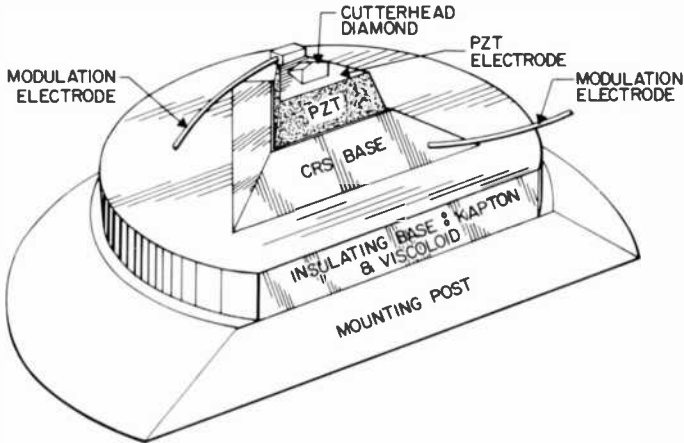


Fig. 3—Cutterhead construction used in CED mastering.

MHz luminance information plus buried chroma subcarrier at 1.53 MHz are used to FM modulate a carrier such that peak white corresponds to 6.3 MHz and sync tips are at 4.3 MHz. The first-order sidebands of the FM signal extend from 2 to 9.3 MHz; FM audio carriers are added at 716 kHz and 905 kHz for stereo. Thus the cutterhead must have a response spanning more than a decade of frequencies. In addition, the amplitude and phase response of the cutterhead must be carefully controlled in order to minimize distortions.

A number of practical considerations guided the cutterhead development. The need to have a smooth, predictable response essentially requires the absence of multiple or strong resonances on the various elements. This led Halter to explore small elements of irregular shapes. The cutterhead and PZT piezoelectric element were designed with a triangular shape with sloping walls (as if sliced from a pyramid) to avoid strong resonances (Fig. 3). The dimensions were reduced steadily to achieve the half-time mastering technology.

It is not feasible to reduce the PZT dimensions indefinitely in order to push the resonant frequency even higher, since the lateral dimensions must be large enough to handle during assembly and to accommodate both the cutting stylus and electrodes. The minimum practical PZT thickness is also bounded by the ratio of required signal depth to PZT thickness; for a 7.5 mil piezoelectric element, the 875 Å peak-to-peak signal amplitude represents a strain of about  $2.3 \times 10^{-4}$ . This value exceeds the limits of ferroelectric single-crystal materials and is within a factor of about two to four of the practical limit for the polycrystalline material chosen.

Piezoelectric materials having high dielectric constants also present

an appreciable stray capacitance to the drive amplifier, thus requiring significant amounts of reactive power. This consideration further limits the minimum thickness and maximum lateral dimensions of the PZT element. In a typical design, the stray capacitance is of the order of 7.3 pF, corresponding to an impedance of about 4.35 k $\Omega$  at 5 MHz.

The sensitivity of piezoelectric elements depends on the material chosen. Even with a high sensitivity material (1.5–3.0 Å/volt), high voltages and large electric fields (14–20 kV/cm) are still required. At these field strengths, it is important to control the material, in particular its density, uniformity, and the condition of its surfaces and electrodes. The PZT material is first densified at high pressure and high temperature to reduce the number and size of voids in the material. Following this, a slicing and polishing operation is used to produce PZT wafers of controlled thickness and surface properties. These wafers are electroded, poled, and diced into precisely dimensioned cutterhead elements. Various electromechanical properties of the PZT are checked to ascertain that resonant frequency, electrical properties, and mechanical losses are within specs.

At this point the PZT elements are bonded to a slightly larger, similarly shaped triangular base. This base is sufficiently massive to provide an inertial platform for the cutterhead at video frequencies. Its effect on the resonant properties of the PZT are slight.

The PZT-base sandwich is then attached to the post that eventually supports and aligns the cutterhead in the recording lathe. Since it is desirable to electrically ground the copper substrate being mastered, the closest surface of the PZT is also electrically grounded to avoid accidental shorting by the copper chip being cut; this makes the other surface and the steel base electrically "hot". For this reason an electrically insulating wafer is inserted between the base and mounting post. The properties and dimensions of this insulating layer are optimized further to minimize low-frequency coupling between the turntable and the cutterhead assembly, thereby providing electrical as well as mechanical isolation.

To smooth out the response of the cutterhead, a layer of viscoloid or other acoustically absorbing material is applied to the cutterhead assembly. The response of this assembly can be measured by a variety of techniques, for instance, a capacitive proximity sensor, a bridge circuit which relates mechanical movement to current,<sup>6</sup> or a specially designed interferometer described in more detail later.<sup>7</sup>

The final assembly steps consist of bonding the diamond cutting stylus to the outer surface of the PZT transducer and adding some more acoustic-damping material. This mounting operation is crucial and delicate, since the diamond is exceedingly small and its alignment and orientation must be controlled very carefully in order to cut a

symmetric V-shaped groove in the substrate and to obtain the desired rake angle for the recording process. The typical response of such a completed cutterhead, as shown in Fig. 4, has a major resonance near 4.2 MHz (8.4 MHz real time) which is later equalized electronically.

It is fairly obvious that the diamond must be as small as possible. If one could tolerate a diamond as large as 10–20 mils in height its acoustic properties would become important, that is, the diamond would introduce its own resonances and modify the cutterhead response as a function of frequency. However, much smaller diamonds (only a few mils on the side) are necessary to minimize the forces acting on the PZT to drive the mass of the stylus. To cut an 875 Å peak-to-peak signal at 7-MHz real time, the diamond would have to experience a maximum acceleration of

$$\begin{aligned}
 a &= A_0\omega^2 = \frac{875 \times 10^{-10} \text{ m} \times (7)^2 \times 10^{12} \times (2\pi)^2}{2 \times 9.81 \text{ m/sec}^2} \\
 &= 8.6 \times 10^6 \text{ g's}
 \end{aligned}$$

where  $A_0$  is the signal amplitude and  $\omega$  is the frequency of recording.

Even for half-time recording, the cutting stylus experiences a maximum acceleration of about  $2 \times 10^6$  g's.

The cutting diamond must be tall enough to allow the copper chip cut from the substrate to curl away from its cutting face without

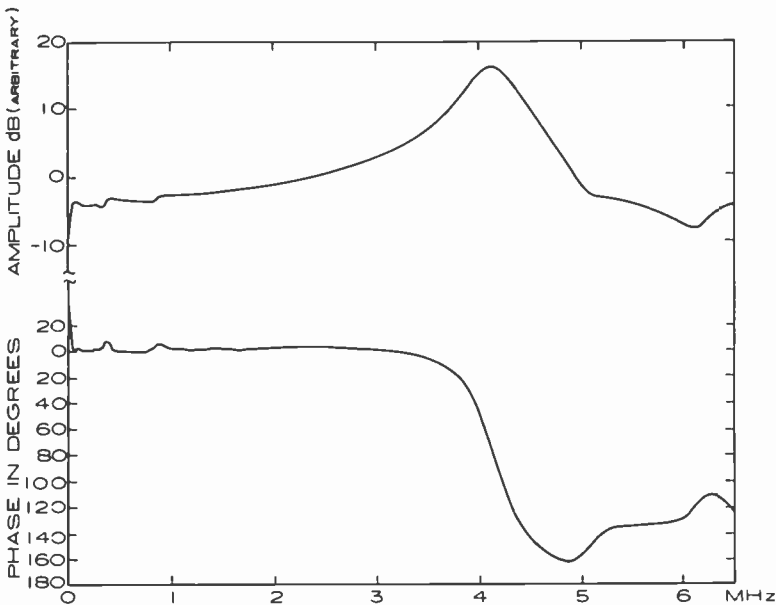


Fig. 4—Typical cutterhead response measured with interferometer.

contacting the PZT element; this sets a minimum size limit for the diamond of about 4 mils. The mass of such a diamond stylus is about 3.5 micrograms. For a base area of about  $2.3 \times 10^{-4} \text{ cm}^2 = 36 \text{ mil}^2$ , the highest forces and pressure at the diamond-PZT interface are

$$F_{max} = ma \approx 7.4 \times 10^3 \text{ dynes (7.4 grams force)}$$

$$P_{max} = \frac{F_{max}}{\text{Area}} = 3.2 \times 10^7 \text{ dynes/cm}^2 \approx 460 \text{ psi}$$

These forces are quite large, and in fact not much below the tensile strength limit typically quoted for the piezoelectric material (3000-12000 psi). At real time the tensile strain would quadruple. Additionally the PZT electrode and the diamond bond to the PZT element must withstand these forces. Although real-time recordings at reduced signal amplitudes had been made, these considerations led to the conclusion that half-time recordings would be more reliable and consistent in production.

### Thermal Considerations

The power dissipated in the cutterhead is of great importance for several reasons. Large temperature variations in the cutterhead can weaken it structurally and cause one of the bonds to fail. Moreover even a moderate temperature rise of 20°C or more is of concern, since it produces changes in the cutterhead properties, in particular the dielectric constants of the PZT driver. These changes produce errors in the amplitude and phase response of the recorder, since the equalizer is no longer precisely adjusted. Also the loss tangent tends to increase with temperature, i.e., the power dissipation increases and under certain conditions (e.g. when high-frequency, high-amplitude signals are applied to the cutterhead) a thermal runaway condition can actually occur.

Given the requirement for 875 Å peak-to-peak signal amplitude in a half-time recorder, the piezoelectric driver material should be chosen for minimum power dissipation. The sensitivity (Å/volt) is not a first-order function of the thickness of the PZT element, since the same voltage produces a higher field strength but essentially equal elongation in a thinner wafer. The capacitance, resonant frequency, mechanical dissipation, and reactive power, however, all increase as the wafer thickness decreases. Thus the most desirable characteristics in a piezoelectric material are high sensitivity, low mechanical dissipation, and low loss tangent.

During the recording process there are two major sources of heat: (1) the electric and mechanical power dissipation in the PZT element and (2) the mechanical work expended by the diamond in cutting the

copper substrate. As shown in related papers,<sup>8,9</sup> the heating caused by the diamond cutting the copper substrate is negligible compared to the PZT power dissipation. In fact, the intimate contact between the diamond and the copper substrate represents the principal heat loss, or cooling, of the cutterhead. It is therefore possible to apply high-frequency, high-amplitude signals to a cutterhead recording in copper that would cause thermal failure in air.

A more detailed analysis of heat conduction in cutterheads<sup>9</sup> shows that cooling through the diamond and copper substrate is mainly limited by the poor thermal conductivity of the PZT itself, diamond being among the best heat conductors. Heat losses to the mounting post through the steel base are significantly smaller due to the higher thermal impedance of the insulating, low-frequency absorbing layer. Were it not for the other requirements of this layer discussed earlier, appreciably more heat could be removed from the cutterhead through the base.

In addition to the choices of design and materials, the resonant frequency of the cutterhead has a first-order influence on the power dissipated. The power dissipated by a constant amplitude sine-wave of frequency  $\omega$  varies as a super-linear function of  $\omega$  since both the mechanical and electrical dissipations increase faster than  $\omega$ . Near the cutterhead resonance, however, the voltage required to produce a full amplitude signal is reduced by the  $Q$  of the resonance; consequently the reactive power and electrical power dissipation are quite small near the resonance, but the mechanical dissipation continues to increase with frequency. The net effect is that the heat generated in the cutterhead is reasonably small up to the resonance frequency but increases almost exponentially above the resonance where both types of dissipation contribute significantly. It is therefore beneficial to choose the dimensions of the cutterhead elements to cause the resonance to fall fairly close to the upper frequency of the video band. From this point of view, the 7.5 mil cutterheads represent a near-optimum choice.<sup>10</sup>

## Equalization

The purpose of equalization is to record the encoded FM signal with constant amplitude and linear phase. Fig. 5 is a block diagram of the arrangement used to equalize the cutterhead response as well as the cutterhead equivalent circuit. The equalizing circuit itself has a frequency response that is the inverse of the cutterhead response so as to produce a flat overall response for the system.

The cutterhead consists of a stray capacitance  $C_s$  in parallel with a series  $RLC$  circuit representing the electromechanical conversion in

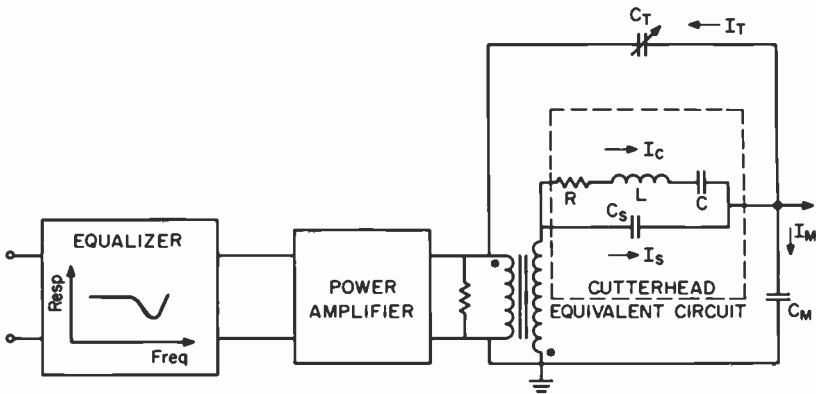


Fig. 5—Arrangement used for cutterhead equalization.

the PZT. The current  $I_C$  is proportional to the cutter velocity; its integral, that is charge, is therefore proportional to the cutter displacement, the quantity we wish to equalize over the range of video frequencies. This signal is monitored across capacitor  $C_M$ . The undesirable shunt current ( $I_S$ ) is cancelled by the out-of-phase current ( $I_T$ ) injected by proper adjustment of  $C_T$ .

A number of techniques are used to obtain the desired smooth response, each differing slightly in the final adjustment. For instance, the cutterhead current can be monitored across the capacitor  $C_M$  to indicate stylus motion.<sup>11</sup> Thus the response can be equalized by sweeping the band of frequencies of interest and by monitoring the bridge current. This technique has the advantage that it can be made initially on the bench, often at low amplitude ( $-6$  dB), and can subsequently be checked and finally adjusted while cutting copper at full amplitude. Its disadvantage is that the current-induced motions of the PZT surface are not generally the simple one-dimensional vibrations in which one is interested: several more complex vibrational or shear modes can exist that impart to the diamond other than pure  $z$ -motion (direction normal to the copper substrate surface).

A very sophisticated technique has been developed<sup>7</sup> using a sensitive interferometer to measure the motion of the diamond surfaces at very low amplitudes. By measuring the three major surfaces of the cutting stylus, its motion in three dimensions can be measured (Fig. 6). It is then possible to adjust the equalizing circuitry specifically to smooth out the  $z$ -response of the cutterhead. The  $x$ - and  $y$ -motions ( $x$  = in the direction of the groove,  $y$  = in the radial direction) are significantly smaller, though more irregular as well. The  $y$ -motion of the stylus is not considered bothersome; the  $x$ -motion, if appreciable, can lead to



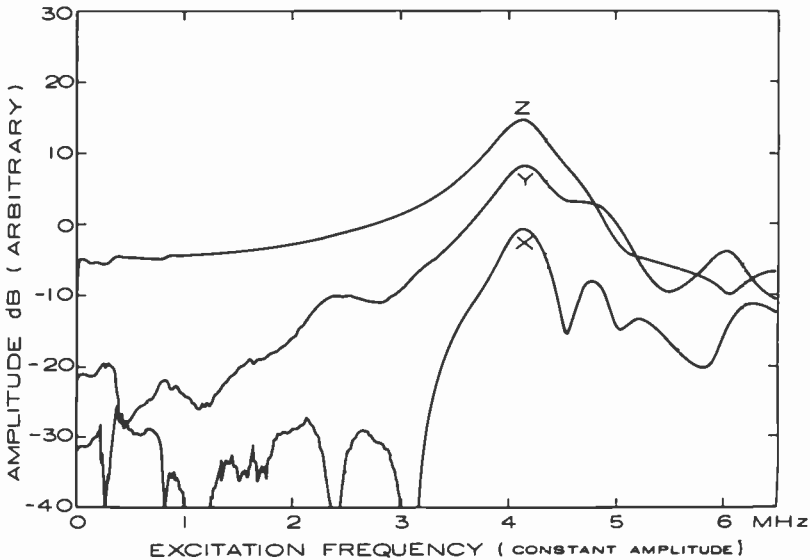


Fig. 6—X, Y, and Z response of cutterhead diamond; measured with interferometer.

phase or harmonic distortions in the recorded signal. Ideally the  $x$  and  $y$  responses of the cutterhead are at least 20 dB below the  $z$ -response.

The advantage of interferometric characterization of the cutterhead response is that it permits the equalization of the  $z$ -amplitude specifically to obtain constant signal depth. The measurements are made at low amplitude, however, since the interferometer response itself is highly nonlinear at large amplitudes (equal to a significant fraction of a quarter wavelength of light). The interferometric characterization of a cutterhead therefore neglects the nonlinearities of the stylus motion at high amplitudes (875 Å) as well as any loading of the cutterhead while cutting copper.

The most practical way of equalizing the cutterhead response after initial adjustments is to make a test recording in a copper substrate at full amplitude. The test signal is then monitored for amplitude, differential phase, and gain using a laser reader developed for such purposes some time ago.<sup>12</sup> The response of the laser reader itself is also frequency dependent. Its response is shaped like a haystack; low frequencies are rolled off due to differentiation in the detector while high frequencies roll off very sharply when the signal elements are equal to, or shorter than, the diffraction-limited laser spot size. It is possible, however, to measure and equalize the laser reader response using an "aperture disc", i.e., a substrate having a signal recorded in it of known, constant

amplitude. This aperture disc is cut with a single cutterhead operating at constant frequency and voltage while the recording turntable varies its rotational speed to change the recorded wavelength gradually. The assumption that this aperture disc has constant amplitude seems justified since the cutting forces acting on the cutterhead are not, to first order, velocity dependent. This technique using a calibrated laser reader is routinely used for equalizing cutterheads prior to mastering.

### Cutting Process

In the early days of the VideoDisc project, signals were recorded in lacquer masters, as was customary for audio recordings, using a heated stylus to produce smooth, noise-free signals. Around the middle 1970's, however, it was found that equally smooth or better signals could be cut in electroplated copper substrates. This approach also removed the need for a heated stylus, thereby allowing smaller, lighter-weight

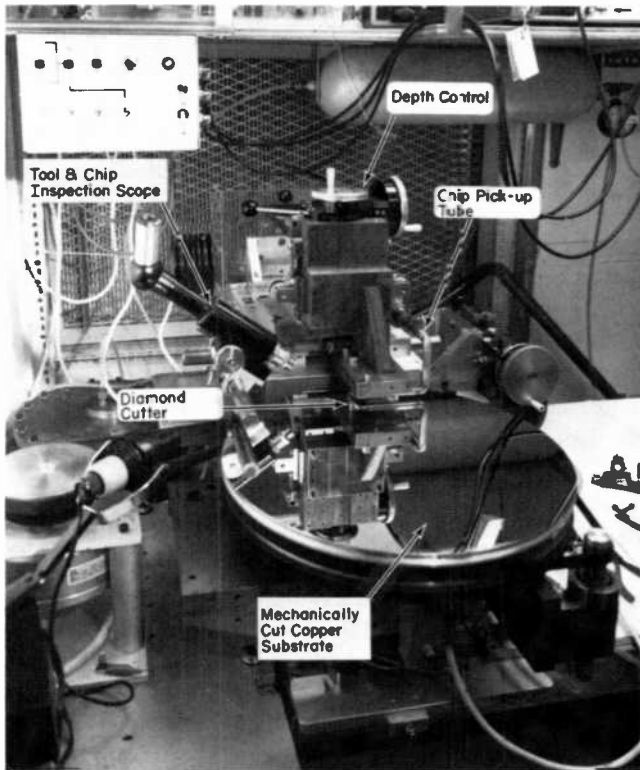


Fig. 7—Jig bore used to mechanically surface copper substrate to micron tolerances.

cutterhead designs that could be operated at higher frequencies. Since then CED mastering has used copper substrates exclusively.

It should not be surprising that the copper substrate used in CED mastering has to meet stringent specifications of purity, uniformity of properties, and extremely low levels of defects; after all a 13-mile-long spiral track with sub-micron signal elements must be mechanically cut in this surface.

The substrate consists of an aluminum blank, about 14 inches in diameter and about  $\frac{1}{2}$  inches thick, that is mechanically faced off to a high degree of flatness and parallelism. Onto one side of this aluminum blank, a layer of fine-grained or amorphous copper is plated with precise control of its metallurgical properties. Then this substrate is again faced off mechanically to re-establish smooth, parallel surfaces. Finally the copper surface is turned down on a highly precise jig-bore lathe (Fig. 7) which produces a mirror like surface whose contour is controlled to about one micrometer precision. This surface is then critically inspected for defects and monitored for hardness before it is used in mastering.

The mastering lathe (Fig. 8) uses a carefully balanced precision turntable to spin the substrate at half-speed; a massive air suspension table provides the required isolation from building vibrations. The cutterhead is mounted in an assembly that uses an air-puck to float at

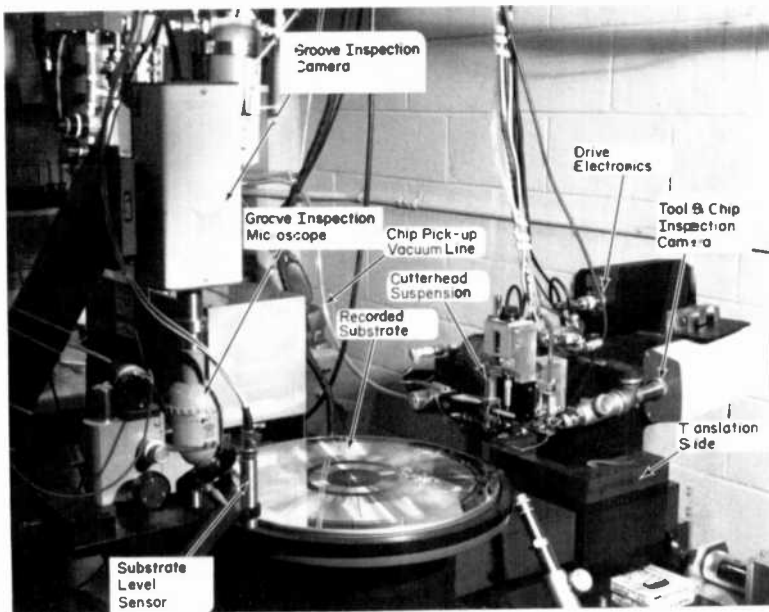


Fig. 8—Recording lathe used for CED mastering.

a fixed distance over the substrate surface. The cutterhead and diamond stylus can then be lowered relative to the air-puck in order to precisely maintain the cutting depth at about 2 micrometers.

During the recording operation, the V-shaped cutting stylus is buried two micrometers under the surface of the substrate (Fig. 9). Since the pitch of the recorded spiral is accurately controlled, the recorded grooves are extremely uniform in width, depth, and symmetry, despite possible substrate flatness variations of the order of one micrometer. The residual cutting depth variations are unimportant since the forces on the cutting stylus do not vary appreciably with depth and, in any case, tend to be small compared to the inertial forces required to accelerate the diamond.

During the mastering operation, a thin sliver, or "chip", of copper is continuously cut. Since this chip could damage the recorded grooves if it came in contact with the substrate surface, it is important to remove the chip from the cutterhead area; this is done by means of a small vacuum suction device. As the chip is cut it curls up along the front face of the diamond into the suction tube. As mentioned previously, the clearance required to pull the chip out of the way of the PZT element sets one of the practical lower limits on the height of the cutting diamond.

During mastering this chip cut from the substrate is virtually con-

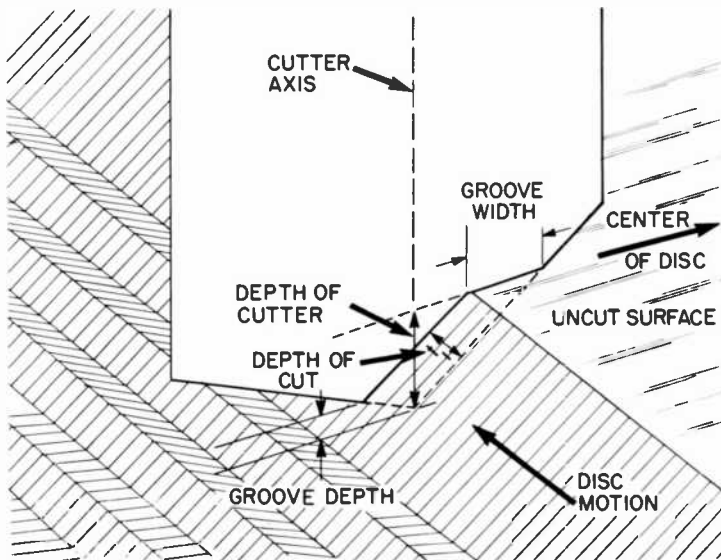


Fig. 9—Diagram showing cutterhead stylus while recording signals in copper substrate.



Fig. 10—Scanning electron micrograph of copper chip produced during mastering of 5 MHz signal (calibration mark shows 10  $\mu$ m).

tinuous for the full length of the spiral. It also contains signals from the current and preceding grooves as shown in an SEM photograph of a sampled chip (Fig. 10); the texture and dimensions of the signal elements on the chip provide important information about the metallurgical properties of the substrate and the quality of the recording.<sup>4</sup>

When the full-length recording has been made, a number of test signals are recorded at the outside diameter of the substrate; these are used to verify that the cutterhead characteristics and sensitivity are unchanged. The complete program is also monitored on a laser reader<sup>10</sup> to monitor the quality of the recording. The substrate is then ready for fan-out; that is, a family of nickel replicas is made to produce a large number of nickel stampers that are then used in disc production.

### Acknowledgements

In writing this overview of VideoDisc mastering, I have had the privilege of summarizing the work of the many key contributors who created the knowledge and developed the technologies discussed here. In addition to the pioneering work by J. Halter, I would like to acknowledge many years of technical direction by E. O. Keizer; contributions by members of the mastering team at our product division in Indianapolis, notably G. John, J. Seward, and H. Wharton; and

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# Principles for the Design of Cutters for VideoDisc Recording

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**Abstract**—The VideoDisc cutterhead is the device that machines the grooves and signals into the initial metal substrate from which stem all subsequent metal parts used in matrixing and pressing. This apparently simple device, having but five major components, turns out to be a very sophisticated system. No dimension or material may be altered without reactions occurring throughout the system that alter its characteristic. The basic goal of design is to provide a characteristic such that the depth of cut is linear with an applied signal in a play-back frequency band from approximately 0.5 to 10 MHz. The design problems are to achieve this in the presence of natural resonances that occur in the band, with mechanical accelerations of  $1.5 \times 10^7$  g, and internal dissipations that cause large temperature rises. The approach to cutterhead design is largely empirical. Theoretical models have been limited to regular solids and, while they are illuminating, they do not yet deal with two-component systems such as a bonded driver and base assembly.

## Introduction

The cutterhead is an electromechanical transducer. It is characterized by how its mechanical displacements, which cause the signal undulations in the grooves, correspond to electrical signals applied to activate it. Ideally its motion should be limited to a single direction perpendicular to the recording substrate surface, and its motion should be exactly proportional to the applied signal voltage. Unfortunately no cutter assembly of practical size meets these requirements. Instead the

assembly has a spectrum of resonances that cause spurious mechanical responses to the electrical driving signals applied to the transducer. The sensitivity of the cutter in the direction of motion for cutting signals frequency varies 20 dB between 1 MHz and the major longitudinal resonance of the cutter. The frequency response of a typical cutterhead is shown by curve Z, Fig. 2. Above the major resonance (the highest peak), the response is irregular and largely unpredictable because of the large number of parameters affecting the vibrational spectrum.

Unfortunately, the resonances of the assembly involve more than a simple longitudinal motion in one dimension. There are shear and flexural modes as well as longitudinal modes and combinations of modes and harmonics that depend upon the geometry and materials of the parts and of the assembly. The presence of these several modes causes the tip of the cutting blade to move in three dimensional space. Fig. 1 shows the convention used to designate cutter motions. In addition to the up and down  $Z$  motion, which cuts the signals in the grooves, the  $X$  motions are chosen to be tangent to the record grooves and  $Y$  motions are radial. Thus the apex of the cutter is the origin of this rectangular coordinate system.  $X$  motions have the effect of changing the phase of the signals being cut in the  $Z$  direction.  $Y$  motions, being perpendicular to the  $Z$  and  $X$  directions, do not appreciably affect the contour of the signal being recorded, although they may influence the relative depth of the signals recorded on the two walls of the  $V$  groove, the net affect does not influence playback.

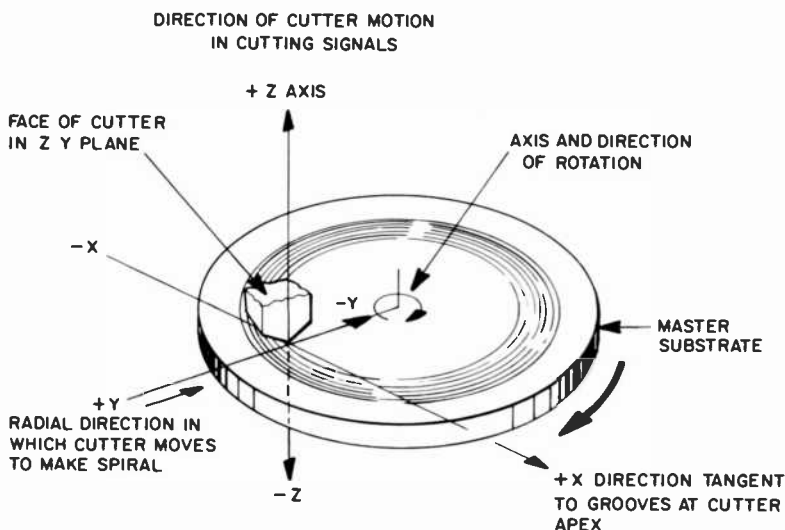


Fig. 1—Coordinates and conventions relating cutter and turntable dimensions and motions.



It is possible to measure the  $X$ ,  $Y$ , and  $Z$  motions separately with a special interferometer, to be described later.<sup>1</sup> Fig. 2, made with the interferometer, shows the amplitude response of motions in three coordinate directions as a function of the frequency of a steady-state signal of fixed amplitude applied to the electrodes of the PZT driving element. Because there is mechanical coupling among the several directions of motion, a strong resonance in one direction will cause a larger response in another. For example, the strong  $Z$  response at 4.1 MHz causes the high responses at the same frequency measured in the  $X$  and  $Y$  directions, while the  $X$  response at 4.8 MHz causes inflated amplitudes in the  $Z$  and  $Y$  responses at that frequency. The modes of frequencies higher than the longitudinal resonance are all but impossible to predict theoretically, and one of the tasks of cutterhead design is to find empirically what geometric expedients influence and control unwanted resonances.

As mentioned above, a flat cutterhead response is necessary for recording a signal with fidelity. Since no flat response over the frequency band required can be realized for devices of practical size, it is necessary to use an equalizing filter in the drive circuits of the cutterhead to compensate for the variations in sensitivity of the cutter with frequency. It is advantageous, and necessary from a practical standpoint, to achieve a response for the cutterhead that is as simple as possible in order to keep the equalizer simple also.

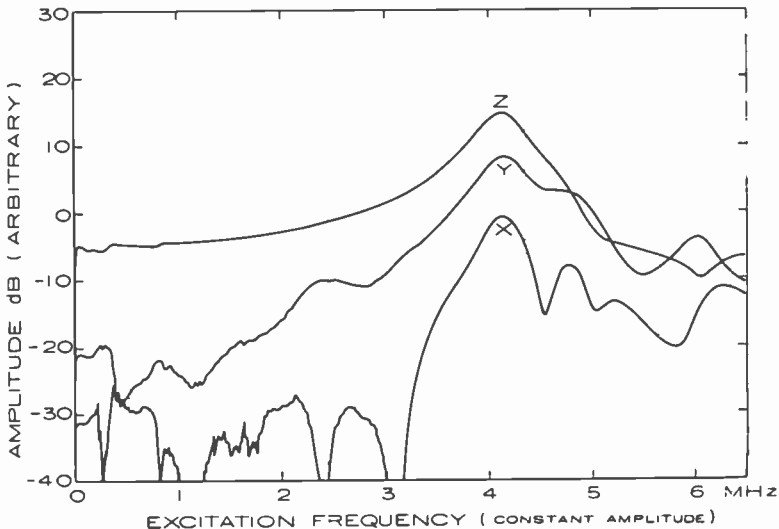


Fig. 2—Amplitudes of motion of the diamond on a typical cutterhead in the  $X$ ,  $Y$ , and  $Z$  directions as a function of the frequency of a constant amplitude drive signal.

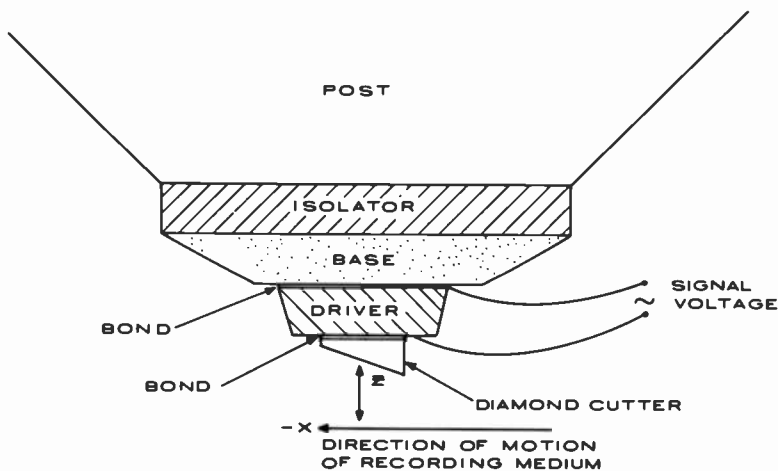


Fig. 3—A schematic drawing of the cross-section of a cutterhead.

### The Cutterhead—Two Vibrating Systems

In considering the mechanical resonance spectrum of a cutterhead it is important to recognize that there are actually two relatively unrelated spectra. Fig. 3 shows a schematic of a cutterhead. The post is a rod that mounts in the recording lathe and supports and aligns the cutterhead mounted on its lower end. The cutter is energized by applying a voltage to the piezoelectric driver. The voltage, depending on its polarity, develops forces in the driver that cause it to contract or dilate in the  $Z$  direction. Since the post is firmly fixed in space and the assembly isolator and base are somewhat rigid, the extension and contraction of the driver causes the diamond cutter to move in the  $Z$  direction. In this manner the video signals are reproduced by causing the diamond cutter to change the depth at which it is cutting, thus modulating the groove surface. While the drive is energized electrically only in the  $Z$  direction, the mechanical displacements are coupled in all directions so that energy exists, if the frequency is right, to excite any natural resonances in the driver, or base, or in the assembly of the two. Given a set of materials suitable for a cutter, the frequency of an assembly of a given shape scales inversely with the dimensions of the driver-base assembly. The task of the designer now becomes the reduction of size until the resonance spectrum increases in frequency so that its overlap with the frequency band to be cut is simple enough to equalize.

In addition to simplifying the spectrum by moving most or all of its resonances out of the band, the two major elements of the active

assembly, driver and base, must be tuned to one another to prevent such phenomena as doubling of resonances or distortion of the shape of the resonance curves. Establishing a suitable cutterhead response is largely an empirical procedure, reminiscent of edge grinding a quartz crystal to bring it on frequency.

Thus there is a spectrum associated with the base/driver assembly that is related to the main or longitudinal (thickness) frequency  $f_0$ , and can be usefully controlled from about  $0.2 f_0$  to  $1.3 f_0$ . The cutting diamond is a component of the base/driver/diamond assembly, but is very small and exercises a negligible influence upon the vibration spectrum of the assembly other than to drop the frequency of the longitudinal resonance slightly.

The second resonance spectrum of the cutterhead involves the base/driver/diamond assembly acting essentially as a lumped mass, with the isolator acting as a "spring", connecting the assembly to the fixed post. In useful cutterhead units the resonances involve almost exclusively longitudinal "Z" motions. Shear modes exist but are about 20 to 30 dB lower in amplitude. The frequency range of these assembly-to-post resonances is generally below 1 MHz, and their amplitudes rarely exceed one tenth of that expected from the higher frequency resonance of the base/driver assembly.

The isolator fulfills the function of preventing acoustical energy from the base/driver assembly from reaching the post, where it could excite a wide spectrum of resonances in the post. Since the point where the post is clamped to the lathe is fixed, all motions from that point to the tip of the cutter—in the post, in the isolator, and in the base/driver assembly—affect additively the position of the diamond cutting edge with respect to the disc being cut on the recording lathe.

The isolator first demonstrated by Halter<sup>2</sup> utilizes two thin layers of plastic to provide damping and to insulate the base electrically from the post. The insulation is necessary because the metallic base is solder bonded to one electrode of the piezoelectric driver. Thus the base is electrically "hot", because the other PZT electrode is held at or near ground potential so that it can be shorted to the metal master by the chip without doing damage. The thin insulating layers of plastic are bonded to one another, to the post, and to the base, with a very acoustically lossy material. As a result of this construction of the isolator, a negligibly small amount of the acoustical energy reaches the post and its resonances are not excited.

Just as the driver/base-assembly-related resonances are dealt with by moving the frequencies of that spectrum out of the frequency band to be recorded, so also are the frequencies of the isolator system moved out of the band. However, for the isolator system this is done by

lowering the frequency spectrum below the end of the recording band where the audio carriers are located. The reduction of frequency is achieved by changing the thickness and mass of the isolator by appropriate use of damping materials. The isolator must never be made so flexible as to permit appreciable deflection of the cutter under the drag of cutting. Such a deflection can cause chatter, which may in turn lead to overstressing the bond causing the loss of the diamond.

An essential factor to be considered in the design of cutterheads is the realization of as much as possible of the motion that is generated by the driver at the diamond cutter edge. Out-of-phase motions excited in the base or isolator can oppose the motion of the driver and reduce the net motion applied to the cutter diamond. The ideal situation is where the interface between the base and the piezoelectric driver does not move with respect to the post so that all the motion of the driver is applied to the diamond. The base is the key to achieving this.<sup>3</sup> It should be made of a material of high acoustical impedance to minimize excitation of displacements in its thickness and of sufficient mass to put the center of gravity of the base/driver assembly near the interface of the two elements or into the base. At the same time, the lossy low-impedance isolator minimizes reflection of acoustical energy back into the base at the other base interface, while little amplitude is developed in the isolator. Thus, it can be seen, the design of the base involves very sophisticated resonance, impedance, bulk, damping, and bonding problems. The bonds that hold the diamond and the base to the driver must be thin and of low loss and, in the case of the base bond, electrically conductive.

### **Driver Design Criteria**

Designing the piezoelectric driver is also a system-oriented problem. The material must have the highest sensitivity and low dissipation such as exhibited by PZT. The shape of the driver determines the nature of the spectrum of resonances. The scale of the dimensions of a given shape determine the relative magnitude of the frequencies of that spectrum. That is to say, for drivers of a specific shape, the ratio of frequencies of a given mode will be inversely proportional to the ratio of any corresponding dimensions of the drivers. This scaling rule of frequency and dimensions applies to cutter assemblies also, but with the reservation that the bonds and isolators do not scale and thereby cause a small deviation from the rule.

The primary dimension of interest in the driver is the *Z* dimension, the distance between the two electroded surfaces of the piezoelectric material. This is the direction of the applied electric field, and the

direction of longitudinal motion. The  $Z$  motion of the driver is at least five times greater than concurrent motions in other directions and usually more than ten. The magnitude of the  $Z$  motion is ultimately limited by the thickness of the  $Z$  dimension. Conversely the required amplitude of 900 Å for the signal to be cut sets a minimum thickness at which the driver can be used. Using an intermittent video type signal, chroma sweep,<sup>4</sup> a 30% duty cycle, and a gating rate of 100 Hz to avoid overheating the driver, it was possible to operate the piezoelectric material at a longitudinal elongation of  $\pm 0.045\%$  from the quiescent point (0 voltage) without damage or change in operating characteristics. The measurements were arbitrarily terminated after 30 hours. Theoretically, driver thickness as small as 0.01 cm could be used to produce a signal of 900 Å amplitude without exceeding elastic limits. Under these circumstances the field would be around 20,000 volts per centimeter, which compares to the field of 21,000 volts per centimeter which was used for the endurance measurements cited above. These high voltage gradients across the lateral surfaces of the PZT drivers did not cause breakdown. The mechanical strength of the PZT material does not represent any practical limit to design for cutters limited to  $\frac{1}{2}$  real time operation. At real time, accelerations are four times higher, e.g., about  $1.5 \times 10^7$  g, in which case the loading of the diamond cutter produces tensile stresses around  $2 \times 10^6$  kg/meter<sup>2</sup> (3000 psi) which is in the lower region of tensile strength of the PZT-8 type materials. Another fundamental problem encountered in the use of thin drivers to achieve high frequencies at useful amplitudes is the evolution and dissipation of heat.

The significance of driver shape for design stems from the fact that the lowest-frequency natural resonance is generally related to the largest dimension of the driver. If the other dimensions of the driver are more than two times larger than the thickness dimension, low-frequency modes will begin to seriously complicate the spectrum of the cutter in its working frequency band. Thus one is forced to use a bulky rather than an extended shape for the driver, and for such shapes all the dimensions affect the frequency of the longitudinal resonance in a major way. A theoretical treatment of the resonances of regularly shaped solid bodies that is useful in understanding the resonance of the driver is included in this issue of the RCA Review.<sup>5</sup> The theory has not been extended to the triangular shape designed by Halter<sup>2</sup> but the principles, if not the numbers, still pertain to that shape.

Once a shape has been chosen that provides a satisfactory resonance spectrum, dimensions are scaled to provide the proper frequency for the longitudinal resonance. Dimensions can be scaled down only as

long as adequate mounting area is provided for the diamond cutter and electrical connection.

## Thermodynamic Design Considerations

A major deleterious influence on the life of a cutter assembly is the temperature rise it experiences while a signal is applied to it. In normal recording of program material where an overcut is used, the energy released in cutting is far less, e.g.,  $10^{-2}$  watts, than the energy dissipated in the body of the cutter energized by a typical video signal, e.g.,  $1.5 \times 10^{-1}$  watts. This release of energy can raise a cutterhead temperature at the base of the diamond enough to weaken its bond and to modify the damping properties of the cutterhead assembly enough to negate some of the equalization achieved at lower signal amplitudes. Shahbender shows that this signal energy is removed both by conduction through the isolator and by conduction through the diamond into the metal substrate being cut.<sup>6</sup>

Infrared microscopes are used to measure the thermal properties of cutterheads. They provide good resolution, 25 to 35  $\mu\text{m}$ , without any thermal or physical loading, and accurate and reproducible measurements of small and large temperature rises above ambient. The measurements described herein were made with a Barnes RM2A infrared microscope with a  $15 \times$  objective and a 2.5 cm working distance. It can make spot measurements of temperature for areas 35  $\mu\text{m}$  in diameter to an accuracy of  $0.5^\circ\text{C}$ . Scanning measurements to give a two dimensional display of temperature distribution were made on a Barnes RM50 Infrared Microscanner with a  $40 \times$  objective that can scan a 1  $\text{mm}^2$  area with a 25  $\mu\text{m}$  spot and a temperature resolution of  $0.1^\circ\text{C}$ . Routine temperature-rise measurements are made with the RM2A, while studies of temperature profiles are made on the RM50 Scanner and are used to locate hot spots or temperature anomalies indicating constructional problems, such as poor contact of an electrical lead with the PZT electrode. Fig. 4 shows a temperature scan. The approximate position of the PZT and base are indicated. The slight dome at the center of the display shows slight heating,  $5^\circ\text{C}$ , in the electrical lead construction. The disadvantage of using the microscope is that it does not very closely represent the operating condition of a cutter in the recording process where heat loss is achieved through the diamond and the substrate, as well as through the base and post. Thus infrared microscope results are done in air and give higher than actual operating temperatures by a factor of very approximately two.

For a given amplitude of motion of the cutter, the temperature rise increases with frequency of applied signal. The rise is not smooth,

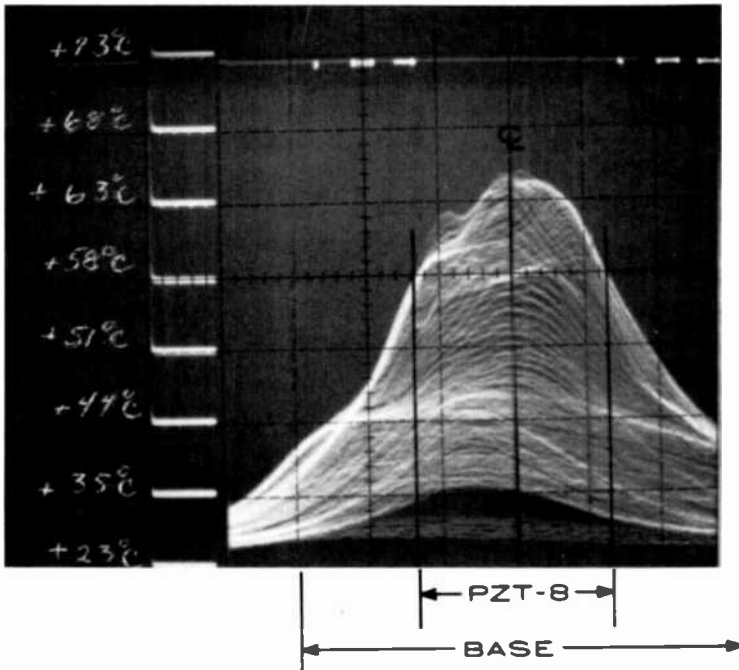


Fig. 4—The super position of kinescope traces of the temperature profiles resulting from an X, Y scan of a fully energized triangular cutterhead. The horizontal axis of the display is in the Y direction and the positions of the base, PZT-8 driver, and center line are indicated.

reflecting the presence of resonances, the equalization of the drive voltage, and the run-away that occurs above resonance. Fig. 5 shows a typical family of temperature-frequency curves. Fig. 6 displays the same functional relationship but for two cutters with different resonant frequency driven by the same voltages. The temperature/frequency responses of Fig. 5 and 6 reflect the effect of equalizing the cutterhead by reducing the drive voltage in an inverse manner with cutter sensitivity. Fig. 7 shows qualitatively with the solid line the generic form of the temperature rise for a single equalized resonance. The somewhat exponential dashed line postulates what would happen if the cutter had no resonance and constant sensitivity with frequency. While an equalized resonance produces a decrease in temperature, due to reduced dielectric losses, an unequalized resonance causes an increase over an ideal response, due to increased acoustical losses. At times, temperature/frequency curves such as those shown in Fig. 6 have been used to identify resonances that were missed in direct amplitude measurements.

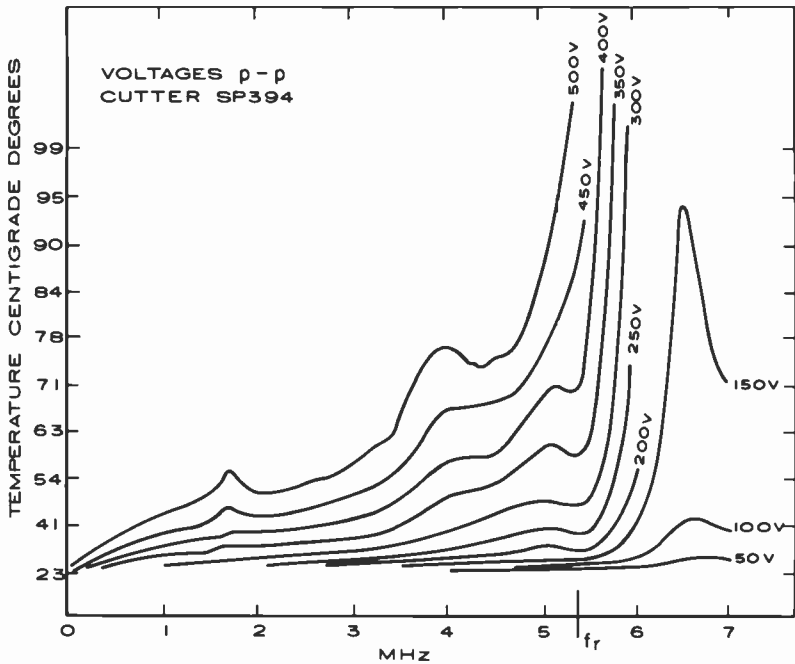


Fig. 5—Temperature rise in a typical equalized cutterhead as a function of the frequency of a sine wave at various peak-to-peak drive voltages.

These temperature/frequency displays are not directly useful as performance criteria, since the cutter is not used as a single frequency device. To approximate the distribution of frequencies actually encountered by a cutter, an easily duplicatable signal, a chroma sweep test signal described by R. Truesdell,<sup>4</sup> is used. It has the added versatility that the cutter frequency can be scaled from a half-real-time value of 2.65 MHz, to 3.34 MHz, 4.21 MHz and 5.3 MHz (real time). Cutters energized in air at cutting voltages with these test signals display a temperature rise related to that achieved in mastering video signals. If cutter temperature is plotted against driving voltage, one gets curves such as shown in Fig. 8. Between 200 and 500 volts p-p, the slope of the curves is about 2.5. At higher drive voltages, dielectric losses and external damping losses which increase with temperature cause the slope of the experimental curves to increase until a thermal runaway occurs.

In general, the temperature-rise curves such as Fig. 6 are characterized by a relatively flat and low area in the frequencies below the cutter resonance and a very large and fast temperature rise for frequencies above resonance. Therefore to minimize temperature rise in cutting a video-like frequency distribution, the resonant frequency of



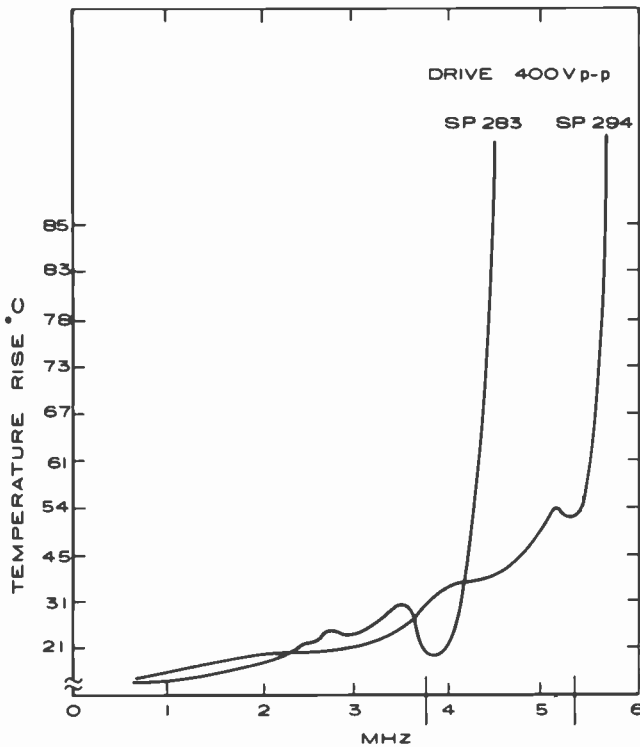


Fig. 6—Temperature rise as a function of frequency for two equalized cutterheads with differing major resonance frequencies. Both are driven at 400 V p-p.

the cutter should be made to occur at well above the frequency of the maximum point of the energy distribution curve, so that the video frequencies are in a range of relatively lower temperature rise for the cutter. Referring again to Fig. 6, the temperature curve of SP283 runs away within the range of frequencies cut (shown by the arrow below the abscissa). With the SP294, all frequencies cut are below the runaway zone. The temperature rise in cutting "video-like" signals was  $40^\circ$  for the low-frequency cutter and  $24^\circ$  for the high-frequency cutter.

For the distribution of frequencies typical of a video recording at  $\frac{1}{2}$  real time, the cutter resonance should be about 4.3 MHz for minimum temperature rise. Three groups of cutters of identical shape were scaled in size to give resonant frequencies of 3.65, 4.3, and 5.4 MHz. These were all driven with a 400 V p-p chroma sweep signal. The average temperature rises under various combinations of characteristics are given in Table 1.

There is an optimum cutterhead resonance frequency at each given

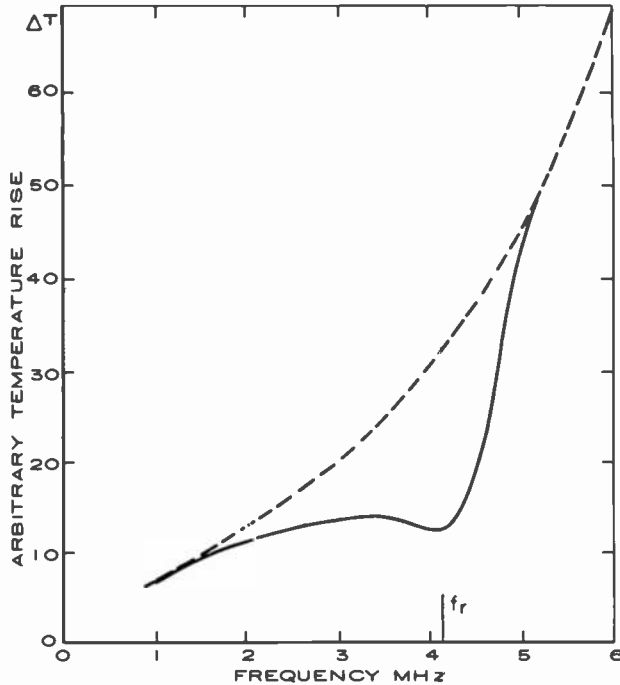


Fig. 7—Temperature rise as a function of frequency for a hypothetical cutter without resonances, dashed curve, and for the same cutter with a longitudinal resonance at  $f_r$ .

center frequency of the video signals. If the cutter frequency is below the optimum, the high frequencies recorded will raise the temperature more than at optimum, and if the cutter frequency is too high the heating will be more than optimum at the lower frequencies recorded.

As the distribution of signal frequencies scales up in frequency, the temperature rise becomes larger even for the optimum cutter frequency. From Table 1, 4.3 MHz is nearly optimum for the distribution centering at 2.5 MHz while the 5.4 MHz unit is nearly optimum for a center frequency of 3.2 MHz. Between these two points, the tempera-

Table 1—Average Temperature Rise of Cutterheads at Two Video Center Frequencies ( $f_c$ )

Resonant Frequency of Cutterhead	Temperature Rise Above Ambient (°C)	
	$f_c = 2.5$ MHz	$f_c = 3.2$ MHz
3.65	45°	80°
4.3	21°	50°
5.4	23°	44°

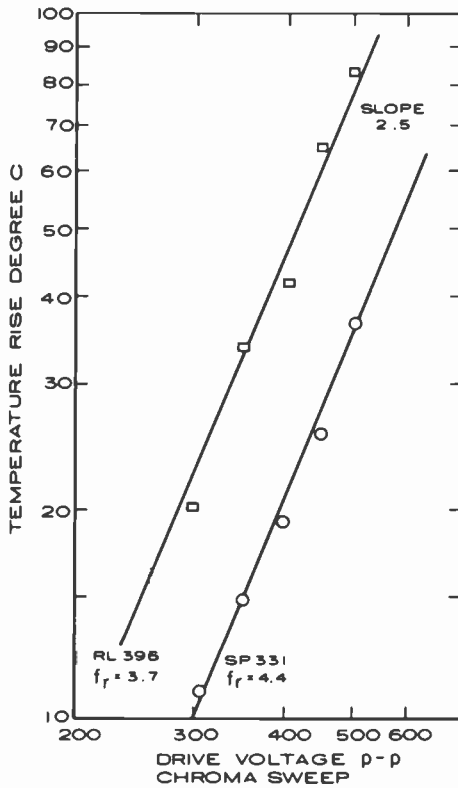


Fig. 8—Temperature rise as a function of p-p drive voltage for a chroma sweep signal for cutterheads with different longitudinal resonance frequencies.

ture rise doubles from 21°C to 44°C. As frequencies move up, the importance of cutter frequency optimization increases.

It is important in design to observe precautions that minimize temperature rise. The most obvious expedient is to increase heat conductivity through the isolator through judicious use of materials. Unfortunately good damping materials for the isolator are not good heat conductors. However, in the materials that have worked well, the heat conductivities have varied by a factor of fifteen and the better conductors can provide a significant heat removal path as compared to the conduction through the diamond.

Obviously heat conductivity through the isolator will be improved by decreasing its thickness and increasing the area of the base. Unfortunately one has only limited choice for these thermally significant parameters, since they also exercise a major influence over the frequency response of the cutterhead.

## Conclusions

The apparently simple device, a VideoDisc cutterhead shown in Fig. 3, having but five major components, turns out to be a very sophisticated system. No dimension or material may be altered without reactions occurring throughout the system that affect its ability to give a flat response over a decade of frequencies from 0.7 to 10 MHz. Dimensions are so small that exciting electric fields and resultant mechanical strains border on the limits of breakdown and failure.

The approach to cutterhead design is largely empirical. Theoretical models have been limited to regular solids and, while they are illuminating, they do not yet deal with two component systems such as a bonded base and driver assembly. Essential to this empirical approach have been the detailed insights that have been gained from the use of the microbeam interferometer, the scanning electron microscope, and the infrared microscope, as well as a variety of micromachining and assembly tools and jigs required to handle the microscopic components of the cutterhead.

In spite of the good success that has been achieved in designing practical and reliable cutterheads for the VideoDisc, those who are designing and using the minute devices are aware that only a small portion of the possible art and technology of cutterheads has as yet been explored and exploited.

## Acknowledgement

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# Power Dissipation in Piezoelectric Cutterheads

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**Abstract**—The high signal levels used in VideoDisc cutterheads during recording may cause substantial power dissipation and enough internal temperature rise to damage the cutterheads if no adequate heat sink is used. There are two mechanisms responsible for power dissipation—dielectric loss in the piezoelectric and acoustic absorption in it and in the surrounding damping and bonding materials. A typical one-half real time cutterhead dissipates about 100 milliwatts under normal operating condition, a power density of over 2.5 kilowatts per cubic centimeter.

## Introduction

The high signal levels used in VideoDisc cutterheads during recording may cause substantial power dissipation and enough internal temperature rise to damage the cutterheads if no adequate heat sink is used. Power dissipation is due to two causes: dielectric loss in the piezoelectric and acoustic absorption due to the loss factors in it, in the bonds, and in the other absorbing materials used in the construction of the device. Cutterhead damage due to those mechanisms include loss of sensitivity (depolarization) and burning. This paper evaluates the contribution from those mechanisms. It shows that a typical one-half real time cutterhead dissipates about 100 milliwatts under normal operating conditions, a power density of over 2.5 kilowatts per cubic centimeter.

## Dielectric Loss

The dielectric loss in a material is represented by its so-called loss tangent,  $\tan \delta$ . In PZT ceramics,  $\tan \delta$  is a function of voltage, stress and temperature. As can be seen in Fig. 1, it is about 6 times larger at 8 kV/cm than at 1 kV/cm at room temperature (25°C).<sup>1</sup> At 100°C it is twice as large as at 25°C. At full voltage level (500 p-p) the electric field in  $\frac{1}{2}$  RT ( $\frac{1}{2}$  Real Time) cutterhead is about 10 kV/cm, high enough to cause significant power dissipation.

In the cutterhead equivalent circuit<sup>2</sup> of Fig. 2, the parameter responsible for the dielectric loss is the shunt conductance  $G_o = \omega C_o \tan \delta$  across the clamped capacitance  $C_o$ . In addition to  $G_o$  and  $C_o$  the equivalent circuit includes the motional impedance  $Z_m = R_L + j(\omega L - 1/\omega C)$ , in which  $L$  corresponds to the PZT's mass,  $C$  corresponds to its stiffness,  $\omega$  is the angular frequency, and  $R_L$  represents all the factors in and around the ceramic responsible for acoustic absorption.  $R_L$  may not be the same for all devices having the same nominal dimensions.

If the rms terminal voltage across the cutterhead is  $V_T$ , the dielectric power loss is  $P_d = V_T^2 G_o$ . The following normalized form will be found useful later:

$$P_d = P_o r / Q', \quad [1]$$

where  $P_o = V_T^2 / R_L$ ,  $r = \omega / \omega_s$ ,  $\omega_s = (LC)^{-1/2}$ ,  $Q' = (\omega_s C_o R_L \tan \delta)^{-1}$ .

From Fig. 1, a reasonable assumption for  $\tan \delta$  for the  $\frac{1}{2}$  RT cutterheads is 0.04 to 0.06. Typically,  $C_o = 6$  pF,  $\omega_s / 2\pi = 3.75$  MHz,  $R_L \cong 3k\Omega$ ,  $L \cong 1$  mH,  $C \cong 1.8$  pF. This gives  $Q' \cong 50$  and  $P_o \cong 10$  watts for a typical cutterhead voltage of 500 volts peak to peak ( $V_T = 177$  volts).

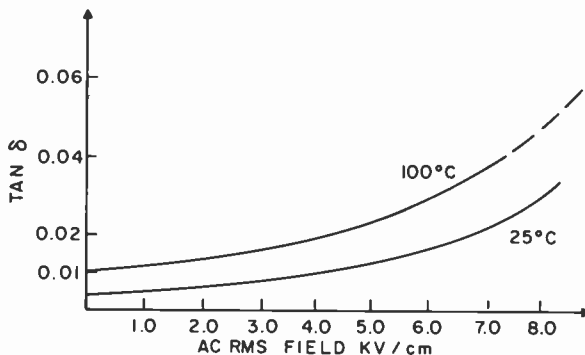


Fig. 1—Dielectric loss factor in PZT-8 as a function of ac electric field and temperature.

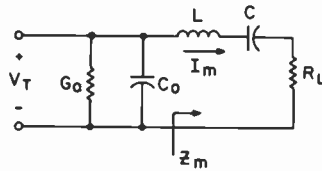


Fig. 2—Simplified equivalent circuit of cutterheads.

At resonance ( $r = 1$ ), this power loss for an unequalized cutterhead is about 200 milliwatts.

### Acoustic Loss

The acoustic power is obtained from the “motional impedance”  $Z_m$  and the rms values  $V_T$  and  $I_m$  of the terminal voltage and “motional current”. Denoting by  $|Z_m|$  and  $\theta_m$  the magnitude and phase of  $Z_m$ , the acoustic power is written as

$$P_a = V_T I_m \cos \theta_m = (V_T^2 / |Z_m|) \cos \theta_m.$$

In the normalized form,  $Z_m = R_L F(r)$ , where  $F(r) = 1 + jQ(r - 1/r)$  and  $Q = \omega L / R_L$ . Then

$$|Z_m| = R_L |F(r)|, \quad \cos \theta_m = |F(r)|^{-1},$$

$$|F(r)| = [1 + Q^2(r - 1/r)^2]^{1/2}$$

and

$$P_a = P_o |F(r)|^{-2}. \quad [2]$$

$|F(r)|$  is the generalized resonance function; its value is unity at resonance and increases more or less sharply away from resonance, depending upon the value of  $Q$ . Hence  $P_a$  is large and equal to  $P_o$  at resonance and falls off rapidly on either side of that point.

Plots of  $P_d$  and  $P_a$  for constant cutterhead voltage of 500 volts peak to peak (i.e., without equalization) for various values of  $Q$  are shown in Fig. 3. The total power  $P_T$  is  $P_d + P_a$ , or

$$P_T = P_o [(r/Q') + |F(r)|^{-2}] \quad [3]$$

and is plotted in Fig. 4. The dielectric power increases monotonically with frequency and its value is about 200 milliwatts at resonance. The acoustic power is relatively small below  $r = 0.6$ , but becomes dominant as  $r$  increases. It reaches its peak at  $r = 1$ , which is about 10 watts (power density 250 kW/cm<sup>3</sup>) for a  $Q$  of 8.

It is clear that operation of the cutterhead without equalization would destroy the device, even at moderate voltages.

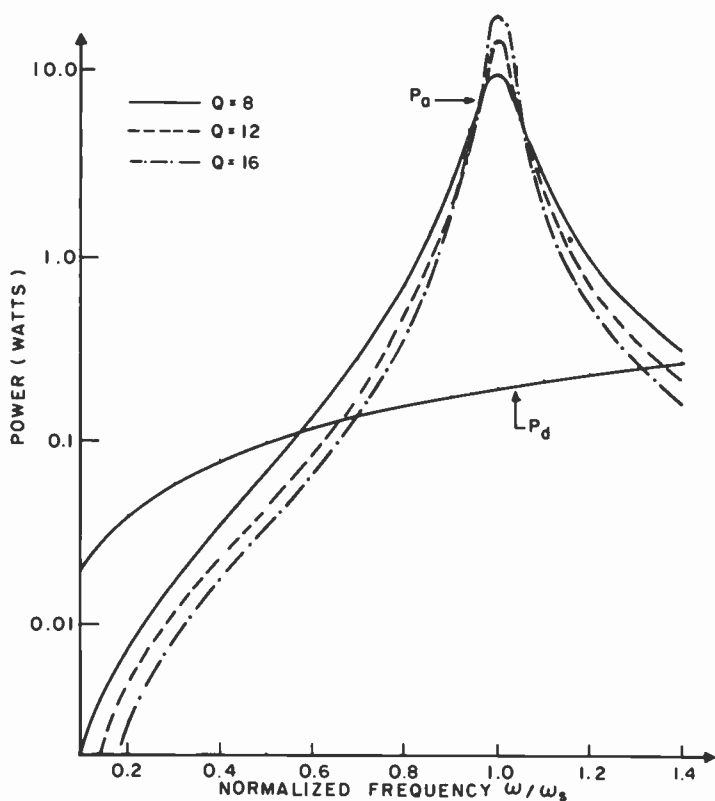


Fig. 3.—Dielectric and acoustic power loss for half-real-time cutterheads at 500 volts  $p - p$  for several values of  $Q$ .

### Effect of Equalization

The displacement response of cutterheads at constant voltage is flat or constant at low frequencies ( $r \ll 1$ ) and increases with frequency until  $r = 1$  (resonance) where it reaches  $Q$  times its low frequency value; then it rolls off. For recording of a broad spectrum signal, a constant response is required. To achieve this goal, an equalizer with the inverse response of the cutterhead is placed in the signal path. It can be shown that for a constant input voltage  $V_i$  to the equalizer the actual cutterhead voltage is\*

$$V_T = V_i r |F(r)| / Q. \quad [4]$$

Since the power goes as  $V_T^2$ , then the power  $P_E$  in the equalized cutterhead is

$$P_E = (r |F(r)| / Q)^2 P_T, \quad [5]$$

\* It is easy to verify that for  $r \ll 1$ ,  $|F(r)| \approx Q/r$  and  $V_T \approx V_i$ , as expected.



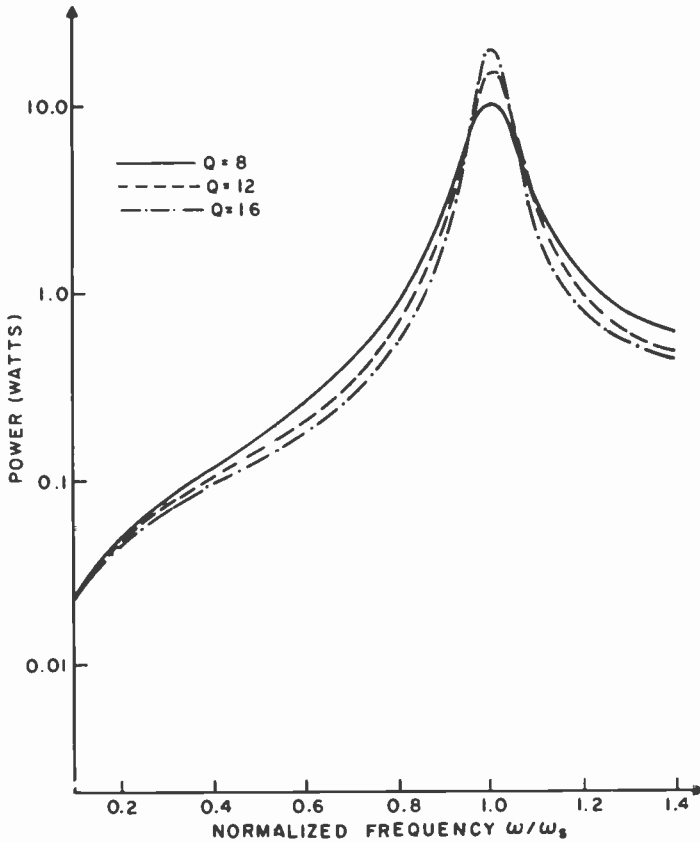


Fig. 4.—Total power in unequalized cutterhead at 500 volts  $p - p$  for several values of  $Q$ .

where  $P_T$  is the power without equalization, given by Eq. [3]. The plot for several values of  $Q$  are shown in Fig. 5. The power is essentially constant in mid-range, with a value of 60 to 120 milliwatts for  $Q$  between 20 and 8. It rolls off at low frequencies, but increased sharply above resonance roughly as the 5th power of frequency.

The power dissipation characteristics has been verified experimentally by means of an infrared microscope. The sample is coated with black paint and the  $rf$  is applied to its terminals. An infrared sensor detects the black body radiation which can then be plotted. In Fig. 6, the infrared data for an equalized cutterhead, shown as circles, is plotted against the theoretical curve. The agreement is in general good, but the infrared data showed more dissipation above resonance than the theory. The discrepancy is due to the oversimplifying assumption in the analysis that the loss tangent was a constant. As can

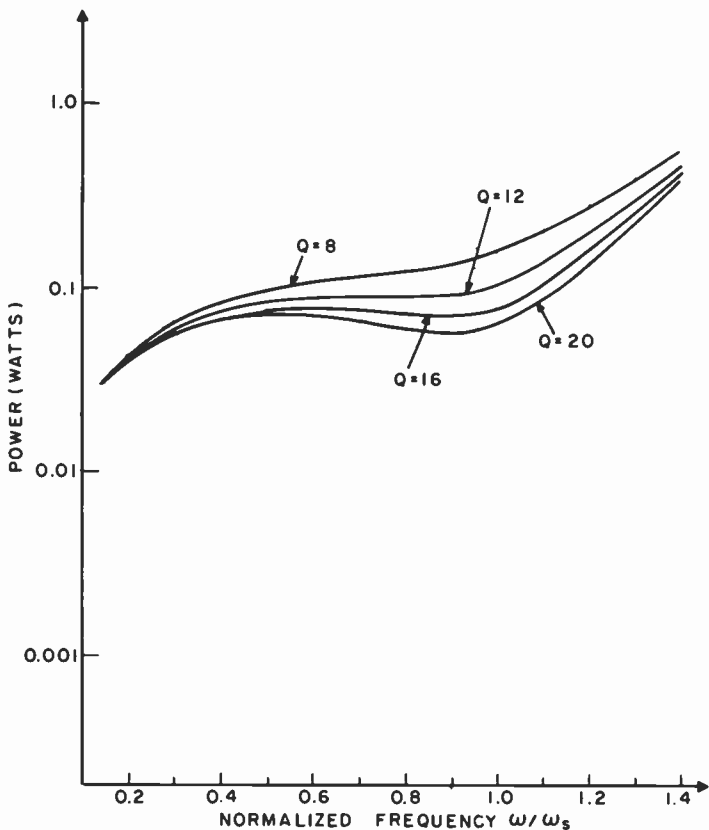


Fig. 5—Total power in equalized cutterhead at 500 volts  $p - p$  for several values of  $Q$ .

be seen in Fig. 1,  $\tan \delta$  is a function of both the electric field and the temperature. The voltage changes by a factor equal to the  $Q$  of the device over the frequency range, and  $\tan \delta$  should vary with it as in Fig. 1. In addition, the power generation increases the cutterhead temperature, which in turn increases the loss tangent. The effect of the voltage variations is shown as the solid curve in Fig. 7, and the additional effect of temperature is approximately represented by the dashed curve. These modifications account well for the observed thermal behavior. This self-enhanced feature is regenerative and may be the cause of earlier observed thermal runaway.

## Conclusion

Power dissipation in cutterheads is due to dielectric and acoustic losses. For unequalized cutterheads, the dielectric loss increases mon-

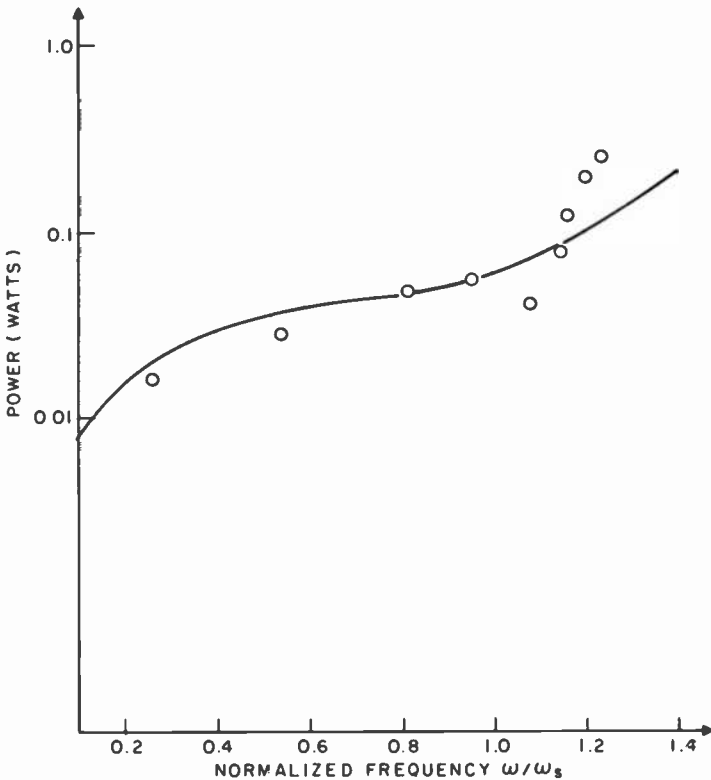


Fig. 6—Temperature profile for equalized cutterhead having  $Q = 8.6$  at 300 volts  $p - p$  compared to theoretical profile under similar conditions. The temperature data has been scaled to match the theory near resonance ( $r = 1$ ).

otonically with frequency and has a value of about 200 milliwatts at resonance for a one-half-real-time cutterhead driven at 500 volts peak-to-peak. The acoustic loss goes as the square of the resonance curve and can be extremely large at resonance, of the order of 10 watts for a cutter having a  $Q$  of 8. The quality factor  $Q$  is influenced by the acoustic absorption in the bonds and the damping materials around the device, the slight acoustic absorption in the PZT, and the loading of the diamond cutter. Its value for a "good" cutterhead is roughly between 7 and 15. With equalization, the total power is essentially constant at mid-band but increases rapidly with frequency above resonance. This increase is self-enhanced because the dielectric dissipation factor increases with temperature and voltage.

High level test with or without equalization, but at frequencies above the cutterhead resonance, and tests without adequate heat

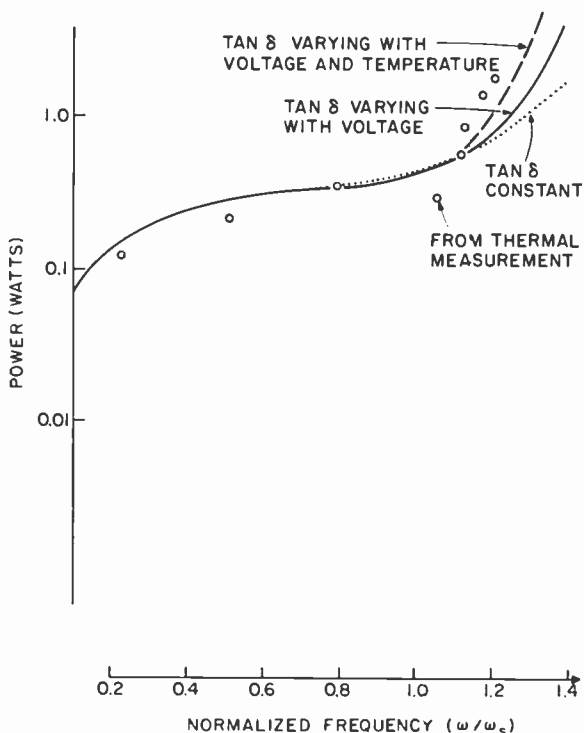


Fig. 7—Power dissipation and temperature profile taking voltage and temperature variations of loss tangent into account.

sinking are likely to cause cumulative excessive internal heating. Possible results of this heating include the loss of sensitivity (depolarization), and thermal runaway. Evidence of thermal runaway includes the burning of electrical contacts and of damping material or the weakening of the bond between the PZT and the base or the diamond. In view of the rise of power with frequency and the high frequency roll-off of the video signals, the average power dissipated by a cutterhead during actual recordings is essentially constant over the whole recording frequency spectrum. This power is about 100 milliwatts and corresponds to a density of about 2.5 kilowatts per cubic centimeter in a standard one-half-real-time cutter.

### Acknowledgement

The author is grateful to John H. Reisner for stimulating this study and for numerous technical discussions. Appreciation is also extended to Ray Truesdell for some data and John Valachovic for the use of his infrared data. John Valachovic, together with his co-workers, Robert

E. Simms and Florence C. Sultanowski, is also responsible for the construction of the cutterheads.

**References:**

<sup>1</sup> D. A. Berlincourt and H. H. A. Krueger, "Behavior of Piezoelectric Ceramics Under Various Environmental and Operation Conditions of Radiating Sonar Transducers," Clevite Corp., Piezoelectric Division, Technical Report TP-228, Engineering Memorandum 64-27.

<sup>2</sup> D. A. Berlincourt, D. R. Curran, and H. Jaffe, "Piezoelectric and Piezomagnetic Materials and Their Functions in Transducers", in *Physical Acoustics*, Warren P. Mason, ed., Ch. 3, (Academic Press, New York, 1964).

# Thermal Analysis of VideoDisc Cutter

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**Abstract**—In a VideoDisc electro-mechanical cutter, machining of a substrate dissipates power and heats the cutting tool. Electrical signal applied to the PZT transducer in the cutter generates heat. By considering the above two thermal sources and by computing the thermal resistance of components of a cutter, an equivalent thermal circuit diagram is developed. This allows estimating the temperature rise of cutter components as a function of operating conditions.

## 1. Introduction

An electro-mechanical cutter<sup>1</sup> for mastering VideoDiscs (see Fig. 5) consists of a PZT-8 ceramic piezoelectric transducer with a diamond tool epoxy bonded to one of the major faces. The other major face is soldered to a steel base. The base-transducer combination is bonded to a relatively large steel post by a combination of films of Kapton and layers of Viscoloid.

A VideoDisc master is recorded by applying an electrical drive signal to the PZT transducer. The cutterhead is positioned over a rotating copper disc substrate with the diamond tool protruding into the substrate so as to machine a groove several micrometers deep. The PZT transducer, in response to a drive signal, modulates the depth of groove machined by the diamond. The depth of modulation is on the order of 0.1 micrometer.

Both machining of the substrate by a diamond and excitation of the PZT transducer generate considerable heat. It is of importance to estimate temperature rise of a cutterhead under operating conditions.

For PZT-8, Curie temperature is  $300^{\circ}\text{C}$  and maximum recommended operating temperature is  $175^{\circ}\text{C}$ . Considerable depolarization occurs for operation at temperatures in excess of  $175^{\circ}\text{C}$ . Additionally, the epoxy bond between diamond tool and PZT transducer is subject to failure at high temperatures.

## 2. Substrate Heating Due to Diamond Machining

The groove formed by a diamond tool in a copper substrate is on the order of several micrometers deep and slightly larger across. For our purpose the copper substrate is sufficiently thick that it may be considered infinitely thick.

Heat generated by a tool flows into a substrate raising its temperature. Since the copper substrate is in motion, temperature at a given point in the substrate is a function of time and of the coordinates of the point. Some of the heat generated by a tool flows from the tip of the diamond to the steel post via the PZT transducer, the steel base, and the Kapton-Viscoloid layers. The thermal resistance of this path is quite high leading to negligible heat flow compared to heat flow into the substrate.

To calculate temperature rise in a substrate, we will follow Pittaway's<sup>3</sup> analysis for determining temperature distribution in a semi-infinite target machined with an electron beam. Pittaway assumed that the energy of a scanning electron beam with a Gaussian spatial distribution is absorbed at the surface of a target. He solved the heat-flow problem and obtained temperature distribution in the target. Similarly we assume that heat generated by a tool in machining a substrate is absorbed at the surface of a substrate. The tool is considered a heat source with a spatial Gaussian distribution. Under these assumption Pittaway's results may be used to calculate temperature rise.

Referring to Fig. 1, the temperature rise at point "0" is due to a heat

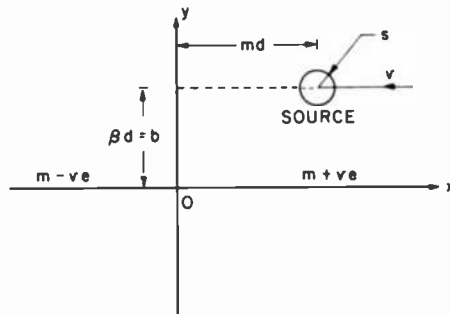


Fig. 1—Geometry of heat flow from a source into a substrate.

source at an infinite distance from 0, which moves toward 0 along a straight line with constant velocity  $v$ , passes by or through 0, and then moves away. The temperature rise is given by<sup>3</sup>

$$\frac{TKd}{E_0} = \frac{1}{\pi^{3/2}} \int_0^{\pi/2} \exp \left[ \left\{ \left( m - \frac{1}{\alpha} \right)^2 + \beta^2 \right\} \sin^2 \mu - \frac{\tan^2 \mu}{\alpha^2} - (m^2 + \beta^2) \right] d\mu \quad [1]$$

where

$E_0$  = Total power incident on substrate (watts)

$K$  = thermal conductivity of copper =  $3.85 \times 10^2$  W/m-°C  
= 92 Cal/sec-m-°C

$\alpha = 4k/vd$

$k$  = thermal diffusivity of copper =  $1.11 \times 10^{-4}$  m<sup>2</sup>/sec

$v$  = source velocity

$\mu^2 = (1/d^2) + (1/4kt)$

$t$  = time parameter measured from an arbitrary reference point

$\beta d = b$  = distance of closest approach of beam center to point 0 (see Fig. 1)

$md = x_0 - vt$ ,  $-\infty \leq m \leq \infty$  = distance parameter along trajectory of energy source measured from reference related to the reference for  $t$  (see Fig. 1)

The heat source is assumed to be a beam with a spatial distribution that is gaussian. This distribution is given by

$$E = \frac{E_0}{\pi d^2} \exp - \frac{S^2}{d^2}, \quad 0 \leq S < \infty \quad [2]$$

where  $E$  is the power density in W/m<sup>2</sup>,  $d$  is the standard deviation of gaussian distribution (meter), and  $S$  is the radial distance from beam center in the plane of the substrate (see Fig. 1). Power density at the center of the beam is

$$E_{\text{center}} = \frac{E_0}{\pi d^2} \quad \text{W/m}^2 \quad [3]$$

Temperature rise experienced by point "0" in a substrate directly in the path of an energy source when the center of the source coincides with point "0" is given by Eq. [1] with

$$b = \beta d = 0$$

$$md = 0.$$



Substituting leads to

$$\frac{TKd}{E_0} = \frac{1}{\pi^{3/2}} \int_0^{\pi/2} \exp - \left( \frac{1}{\alpha} \sin \mu \tan \mu \right)^2 d\mu = \frac{I}{\pi^{3/2}} \quad [4]$$

Integral  $I$ , defined by the above equation, may be evaluated numerically and leads to the results given in Table 1. A value of the parameter  $\alpha$  is assumed and the corresponding value of  $d$  is calculated from

$$\alpha d = \frac{4k}{v},$$

with  $v = 3.8$  m/sec.

Table 1—Temperature Rise in Degree Centigrade per Incident Watt

$\alpha$	$d(\text{meter})$	$I$	$T/E_0$ °C/W
1	$1.17 \times 10^{-4}$	0.819	3.26
10	$1.17 \times 10^{-5}$	1.414	56.3
20	$5.85 \times 10^{-6}$	1.488	118.5
50	$2.34 \times 10^{-6}$	1.537	306.0
200	$5.85 \times 10^{-7}$	1.561	1244

Calculation of temperature rise is based on a Gaussian beam with a radius extending to infinity. VideoDisc mastering uses a diamond tool of finite dimensions. If we assume that the power  $P_0$  of a Gaussian beam within a radius  $S_0$  is a large fraction  $R$  of the total power  $E_0$  of the beam; and if we assume that the power released by a diamond of effective radius  $S_0$  (effective radius is derived later) is the same as  $P_0$ , then temperature rise due to diamond machining will be given by the data of Table 1.

Power  $P_0$  within a radius  $S_0$  is

$$\begin{aligned} P_0 &= \int_0^{S_0} \frac{E_0}{\pi d^2} \exp - \frac{S^2}{d^2} \times 2\pi S dS \\ &= E_0 \left[ 1 - \exp - \left( \frac{S_0^2}{d^2} \right) \right]. \end{aligned} \quad [5]$$

Let

$$R = \frac{P_0}{E_0} = \frac{\text{Power within radius } S_0}{\text{Total Power within gaussian beam}}$$

Substituting

$$\frac{S_0^2}{d^2} = -\ln(1 - R),$$

**Table 2—Characteristics of Gaussian Beam**

$R$	0.5	0.6	0.7	0.8	0.9	0.95	0.99
$S_0/d$	0.83	0.96	1.1	1.3	1.5	1.7	2.1

we obtain values of  $S_0/d$  corresponding to assumed values of  $R$  (see Table 2).

### 3. Effective Radius of Diamond Tool

An estimate of  $S_0$ , the effective radius of a diamond tool, may be made by determining the value of  $A_c$ , the contact area between a diamond and a substrate as a function of type and depth of cut, and by equating  $A_c$  to the area of a circle with radius  $S_0$ .

Fig. 2 is a perspective view of the tip of a diamond tool. The diamond is shown inverted in the figure. For machining, point  $T$  is imbedded in a copper substrate, and substrate rotation is such that point  $T$  leads and point  $e$  lags. Plane  $ace$  is horizontal and coincides with the free surface of a substrate.

For a fast spiral groove in which a diamond is cutting an essentially isolated, symmetric groove, the contact area  $A_{cF}$  is

$$A_{cF} = 2[\text{Area of triangle } Tab + \text{Area of triangle } Tce] = 8.7D^2,$$

and the effective size of a tool is

$$S_0 = \left[ \frac{8.7D^2}{\pi} \right]^{1/2} = 1.7D.$$

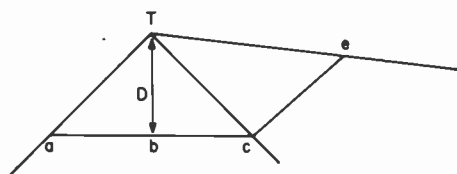
Here  $D$  is the depth of penetration of the tool into the substrate, and representative dimensions of a tool have been used to calculate  $A_{cF}$ .

For normal recording in which a tool is overcutting, the geometry of machining is asymmetrical as illustrated in Fig. 3. The contact area  $A_{cN}$  for a representative tool is

$$A_{cN} = [2.98D^2 + 2.64D] \mu\text{m}^2 \quad \text{for } D \text{ in } \mu\text{m}.$$

The effective size of a tool is

$$S_0 = [0.95D^2 + 0.84D]^{1/2}.$$



**Fig. 2—Geometry of tool tip during machining.**

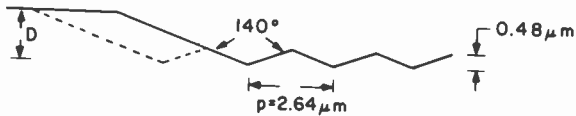


Fig. 3—Geometry of groove during program recording.

#### 4. Substrate Temperature

J. Guarracini<sup>4</sup> measured the cutting force  $F$  experienced by a diamond tool in producing isolated grooves in a copper disc. His data show that  $F$  is independent of surface speed, and quadratically dependent on groove depth. Analysis of the experimental data leads to the values of  $F$  given in Table 3 for assumed values of groove depth. The power generated by grooving is

$$E_0 = F \times v \times 9.807 \times 10^{-3} \text{ W},$$

where  $F$  is the cutting force in gm and  $v$  is the surface speed (3.8 m/sec).

Table 3 gives values of calculated temperature rise of a substrate as a function of groove depth for a fast spiral cut and for normal recording. Temperature is calculated for two assumed values of  $R$ , viz  $R = 0.9$  and 0.95. As can be seen, difference in calculated values of  $T$  for the two assumed values of  $R$  are relatively minor.

To arrive at a value of  $T$ , data of Table 1 were plotted on log-log scales and the plot used to interpolate the value of  $T/E_0$  for computed values of  $d$ .

Referring to Table 3, we note that for fast spirals,  $T$  increases dramatically as groove depth increases; for normal recording, on the other hand, temperature rise plateaus at about 18°C above ambient.

#### 5. Thermal Resistance of Cutterhead Components

To complete thermal analysis of a cutterhead it is necessary to estimate thermal resistance of its component parts.

##### 5.1 Diamond Tool

Heat can flow from a copper substrate to a PZT transducer or vice versa through the diamond tool. Because of the complex shape of a tool we will approximate it by half of a right circular cone, i.e., a cone sectioned by a plane perpendicular to the base and passing through

Table 3—Substrate temperature rise—fast spiral groove

Groove Depth $D, \mu\text{m}$	Cutting Force $F, \text{gm}$	Power $E_0, \text{Watt}$	Tool Size $S_0, \mu\text{m}$	$R = 0.9, \frac{S_0}{d} = 1.5$		$R = 0.95, \frac{S_0}{d} = 1.7$	
				Std. Deviation $d, \mu\text{m}$	Temp. Rise $T, ^\circ\text{C}$	Std. Deviation $d, \mu\text{m}$	Temp Rise $T, ^\circ\text{C}$
<i>Fast Spiral Groove</i>							
2	2	$7.4 \times 10^{-2}$	3.4	2.3	24	2	27
3	4.5	$1.7 \times 10^{-1}$	5.1	3.4	35	3	41
5	12.5	$4.7 \times 10^{-1}$	8.5	5.7	55	5	63
7	23.5	$8.8 \times 10^{-1}$	11.9	7.9	70.4	7	81
10	49	1.8	17	11.3	97.2	10	108
<i>Normal Recording</i>							
1	0.35	$1.3 \times 10^{-2}$	1.3	0.89	12	0.79	14
2	0.84	$3.1 \times 10^{-2}$	2.3	1.56	15	1.38	17
3	1.35	$5 \times 10^{-2}$	3.3	2.22	16	1.96	19
4	1.8	$6.7 \times 10^{-2}$	4.3	2.87	17	2.53	19
5	2.25	$8.4 \times 10^{-2}$	5.3	3.52	17	3.11	19
7	3.2	$1.2 \times 10^{-1}$	7.2	4.8	17	4.3	19

the apex (see Fig. 4). Typical values for the base area and height of the half cone are:

Area of base of half cone =  $\pi r_B^2/2 = 2.14 \times 10^4 \mu\text{m}^2$ , where  $r_B$  is the radius of base of cone = 116.7  $\mu\text{m}$ ;

Height of cone  $h = 100 \mu\text{m}$ ;

Half angle of cone =  $\text{arc tan } r_B/h = 49.4^\circ$ .

At a distance  $D_c$  from the apex of the half cone, the cross-sectional area (see Fig. 4) is

$$A_c = \frac{\pi(D_c \tan 49.4) ^2}{2} = 2.14D_c^2.$$

We will set area  $A_c$  equal to the contact area between a diamond and a copper substrate. Thus we have

$$D_c = 1.5D \quad \text{for fast spiral cutting}$$

$$D_c = [1.4D^2 + 1.2D]^{1/2} \quad \text{for normal recording}$$

Thermal resistance of a half cone may be approximated by

$$R_c = \int_{D_c}^h \frac{dZ}{K_D \frac{\pi}{2} r^2(Z)} = \frac{2}{\pi K_D \tan 49.4} \ln \frac{h}{D_c}, \quad [6]$$

where  $K_D$  = thermal conductivity of diamond<sup>5</sup>

=  $9 \times 10^2 \text{ W/m}^\circ\text{C}$  for Type I diamond

=  $26 \times 10^2 \text{ W/m}^\circ\text{C}$  for Type II diamond

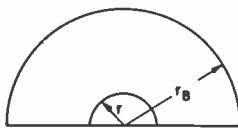
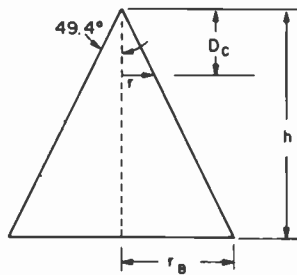


Fig. 4—Geometry of half cone.

For a fast spiral groove, thermal resistance of a diamond is

$$R_{cF} = \frac{0.5}{K_D} (4.2 - \ln D), \quad \text{where } D \text{ is in } \mu\text{m};$$

and for normal recording, thermal resistance of a diamond is

$$R_{cN} = \frac{0.25}{K_D} \{9.2 - \ln(1.4D^2 + 1.2D)\} \quad [7]$$

where  $D$  is in  $\mu\text{m}$ .

Table 4 gives computed values of thermal resistance of a diamond tool as a function of groove depth for both the fast spiral groove and for normal recording.

## 5.2 Thermal Resistance of PZT-8 Transducer

Fig. 5 is a sketch of a transducer-base configuration used in constructing a cutterhead. Thermal resistance of a transducer may be calculated from its known dimensions. However, since a transducer is also a heat source, estimating its temperature rise would require consideration of a distributed system rather than a lumped system. For our purposes, we will divide a transducer into two elements of equal thickness, calculate thermal resistance of each element, and assume the heat source to be connected between the two elements.

Let  $A(Z)$  be the area of a transducer cross-section in a plane perpendicular to thickness direction. Thermal resistance of the top half of a transducer (the one in contact with a diamond) is approximately

$$R_T = \int_0^{t/2} \frac{dZ}{K_T A(Z)} = \frac{0.3}{K_T} \left[ \frac{1}{\sqrt{A(0)}} - \frac{1}{\sqrt{A(t/2)}} \right] \quad [8]$$

where  $K_T$  is the thermal conductivity of PZT-8<sup>1</sup> = 1.8 W/m<sup>2</sup>°C.

**Table 4—Thermal Resistance of Diamond Tool**

Groove Depth $D \mu\text{m}$	Thermal Resistance	
	Type I	Type II
<i>Fast Spiral Groove</i>		
2	$1.9 \times 10^{-3}$	$6.7 \times 10^{-4}$
3	$1.7 \times 10^{-3}$	$6 \times 10^{-4}$
5	$1.4 \times 10^{-3}$	$5 \times 10^{-4}$
7	$1.3 \times 10^{-3}$	$4.3 \times 10^{-4}$
10	$1.1 \times 10^{-3}$	$3.6 \times 10^{-4}$
<i>Normal Recording</i>		
1	$2.3 \times 10^{-3}$	$7.9 \times 10^{-4}$
2	$2 \times 10^{-3}$	$6.8 \times 10^{-4}$
3	$1.8 \times 10^{-3}$	$6.2 \times 10^{-4}$
4	$1.6 \times 10^{-3}$	$5.6 \times 10^{-4}$
5	$1.5 \times 10^{-3}$	$5.3 \times 10^{-4}$
7	$1.3 \times 10^{-3}$	$4.7 \times 10^{-4}$

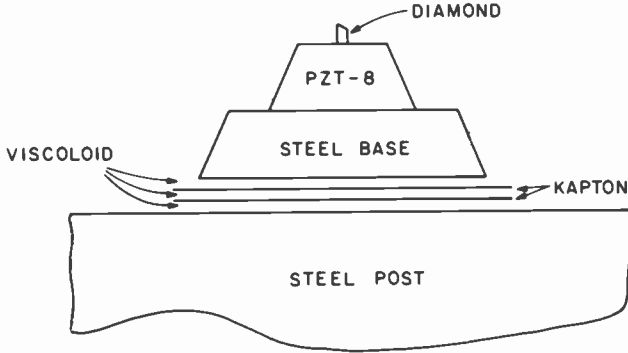


Fig. 5—Cutterhead structure.

Similarly, thermal resistance of the bottom half of a transducer is

$$R_B = \frac{0.3}{K_T} \left[ \frac{1}{\sqrt{A(t/2)}} - \frac{1}{\sqrt{A(t)}} \right]. \quad [9]$$

Substituting values of  $A(Z)$  and  $K_T$  leads to

$$R_T = 227$$

$$R_B = 78.4$$

The top and bottom faces of the PZT are metallized to provide electrodes. This metallization will tend to form a plane of uniform temperature thus allowing computation of  $R_T$  and  $R_B$  as given above.

### 5.3 Thermal Resistance of Steel Base

Thermal resistance of a steel base may be calculated using the formula given above for a PZT-transducer,

$$R_{St} = \int_0^t \frac{dZ}{K_{St}A(Z)} = 9.72, \quad [10]$$

where  $K_{St}$  is the thermal conductivity of steel = 46 W/m-°C.

### 5.4 Thermal Resistance of Kapton-Viscoloid Layers

To calculate thermal resistance of Kapton-Viscoloid layers we will assume that each layer has an area  $A_K$  equal to that of the bottom surface of a steel base. Further we will assume that thermal conductivity of viscoloid is the same as that of Kapton,  $K_K$ , which is the same as that of Mylar. Thermal resistance  $R_K$  of Kapton-Viscoloid combi-

nation is

$$R_K = \frac{Z_K}{K_K A_K}, \quad [11]$$

where  $Z_K$  is the total thickness of all layers and  $K_K = 0.15 \text{ W/m}\cdot^\circ\text{C}$ . Substituting leads to  $R_K = 1.21 \times 10^3$ .

## 6. Cutterhead Equivalent Thermal Circuit

The equivalent circuit for determining temperature of a cutterhead, shown in Fig. 6, may be constructed by assuming that:

- The steel post is an ideal thermal sink whose temperature is constant at ambient.
- The copper disk is an ideal thermal source whose temperature is constant at ambient plus an increment  $T$  specified in Table 3.
- The power dissipation in a transducer is equivalent to a heat source located at the center of a transducer. Typically, transducer dissipation over the operating frequency band ranges from a low of 0.1 watt to a high of 1 watt.

Referring to Fig. 6, we have

$R_K$  = resistance of Kapton-Viscoloid =  $1.21 \times 10^3$

$R_{ST}$  = resistance of steel base = 9.72

$R_B$  = resistance of bottom half of PZT = 78.4

$R_T$  = resistance of top half of PZT = 227

$R_D$  = resistance of Diamond tool ranging from a low of  $4.7 \times 10^{-4}$  to a high of  $2.3 \times 10^{-3}$

Let  $T_T$  be the temperature rise above ambient of the diamond interface,  $T_B$  be the temperature rise above ambient of the steel base interface, and  $T_{TR}$  be the temperature rise above ambient at the center of the transducer. We will estimate the values of these temperatures under varying conditions.

From the equivalent circuit, we have

$$P_T = \frac{T_{TR}}{R_K + R_{ST} + R_B} + \frac{T_{TR} - T_{sub}}{R_T + R_D}. \quad [12]$$

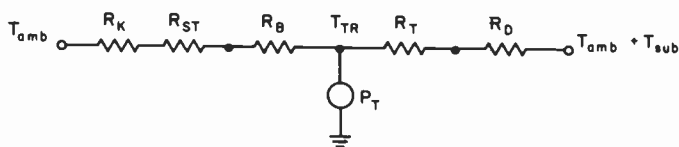


Fig. 6—Equivalent thermal resistance circuit.



Solving this expression leads to

$$T_{TR} = \frac{P_T(R_K + R_{ST} + R_B)(R_T + R_D) + T_{sub}(R_K + R_{ST} + R_B)}{(R_K + R_{ST} + R_B + R_T + R_D)} \quad [13]$$

$$= 1.9 \times 10^2 P_T + 0.85 T_{sub},$$

where we have used the highest value of  $R_D$ .

### 6.1 Normal Recording

For normal recording the maximum substrate temperature rise  $T_{sub}$  is 19°C (Table 3). Thus the value of  $T_{TR}$  is strongly dependent on the value of  $P_T$ . For a 1-watt transducer dissipation,  $T_{TR}$  ranges from a low of 190°C for a shallow groove to a high of 206°C for a deep groove. For a 0.1-watt dissipation, the corresponding values of  $T_{TR}$  are 19°C and 35°C, respectively.

If the depth of cut increases during normal recording, the effect on  $T_{TR}$  is negligible, as can be seen from data of Table 3. This assumes that  $P_T$  remains constant.

### 6.2 Fast Spiral Cutting

If a fast spiral is cut with a transducer de-energized, then the temperature rise of the transducer for a groove depth of 10  $\mu\text{m}$  is  $T_{TR} = 87^\circ\text{C}$ .

If a transducer is energized during fast spiral cutting, then excessively high temperatures can result. For example, if  $P_T$  is 0.65 W and  $D = 10 \mu\text{m}$ ,

$$T_{sub} = 103^\circ\text{C}$$

and

$$T_{TR} = 211^\circ\text{C}$$

### 6.3 Cutter Raised Off Substrate

If a diamond is not in contact with a substrate, and the transducer is energized, we have

$$T_{TR} = (R_K + R_{ST} + R_B)P_T \quad [14]$$

$$= 1.3 \times 10^3 P_T;$$

for  $P_T = 0.1$  watt we obtain  $T_{TR} = 130^\circ\text{C}$ .

This shows the importance of heat sinking the transducer through the diamond to the copper substrate.

## 7. Conclusions

The analysis presented above allows computation of temperature rise above ambient of components of a cutterhead under various operating conditions. Further, since the analysis is explicitly in terms of geometric dimensions and material properties of the various components, the effect of changes in these parameters can be readily estimated.

The division of thermal resistance of a transducer into a top and bottom half is somewhat arbitrary. The value of resistance of the top half  $R_T$  is somewhat critical in determining the heat sinking effect of a substrate. Computation of  $R_T$ , as presented above, is probably reasonably accurate if a transducer electrode is sufficiently thick and is of a material with high heat conductivity. Under such a condition the top surface of a transducer is at a uniform temperature. Further, maintaining intimate thermal contact between a diamond and an electrode is of obvious importance.

The two operating conditions that should be avoided to eliminate excessive high temperatures are: (1) deep fast spiral grooves with the transducer energized and (2) energizing the transducer when a diamond is not in contact with a copper substrate.

## Acknowledgments

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# Approximate Resonance Spectrum of a VideoDisc Cutter

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**Abstract**—Numerical solutions of the frequency equation for coupled modes in piezoelectric ceramics are presented. Computed frequencies are in reasonably good agreement with primary resonance observed in typical VideoDisc cutterheads. Subsidiary resonances seen in typical cutterheads correspond to shear modes related to the primary resonance and to flexure modes.

## 1. Introduction

Empirical design of a cutter assembly attempts to place spurious resonances of an assembly outside the signal bandwidth. This approach has led to cutters that display a major resonance and other undesirable low-level resonances within the signal bandwidth. The multi-element multi-material structure of a cutter<sup>1</sup>—diamond tool, PZT driver, steel base, and isolator—necessarily implies a complex spectrum of resonance frequencies that probably defy rigorous analysis. However, the coupling theory developed by Onoe and Tiersten<sup>2</sup> for piezoelectric ceramic vibrators may be used to determine resonance frequencies of the dominant element, the PZT driver, as an aid to empirical design of a cutter. The two types of piezoelectric ceramic vibrators considered by Onoe and Tiersten, a parallelepiped and a cylindrical structure, are analyzed.

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## 2. Resonant Frequencies of a Piezoelectric Parallelepiped

For the parallelepiped shown in Fig. 1 (top) poled along the  $Z$ -axis and driven along  $Z$  from a voltage source, i.e., short-circuit conditions, the bicubic frequency equation given by Onoe and Tiersten<sup>2</sup> is

$$\begin{vmatrix} (f_a^2 - f^2) & \alpha f_a f_b & \gamma f_a f_y \\ \alpha f_a f_b & (f_b^2 - f^2) & \alpha f_b f_y \\ \gamma f_a f_y & \alpha f_b f_y & (f_y^2 - f^2) \end{vmatrix} = 0$$

where  $f_a$ ,  $f_y$ , and  $f_b$  are the lowest-order resonant frequencies of uncoupled vibrations in the  $X$ ,  $Y$ , and  $Z$  directions, and  $\alpha$  and  $\gamma$  are the constants coupling these vibrations. The values of resonance frequencies and coupling constants are:

$$\begin{aligned} f_a &= \frac{1}{2L} \left[ \frac{C_{11}}{\rho} \right]^{1/2} \\ f_b &= \frac{1}{2H} \left[ \frac{C_{33}^D}{\rho} \right]^{1/2} \frac{2}{\pi} X_t \\ f_y &= \frac{1}{2W} \left[ \frac{C_{11}}{\rho} \right]^{1/2} \\ \alpha &= C_{13} / [C_{11} C_{33}]^{1/2} \\ \gamma &= C_{12} / C_{11} \end{aligned}$$

and  $X_t$  is the first positive nonzero root of

$$\tan X_t = X_t / k_t^2.$$

In the above expressions, the  $C$  coefficients are superscript  $E$ ,  $\rho$  is the density, and  $L \times W \times H$  are the dimensions of the parallelepiped.

For computational purposes, we define the configuration ratios  $G_L = L/H$  and  $G_W = W/H$  and the normalized frequencies

$$\begin{aligned} Z &= fH \times 10^{-3} \text{ (kHz} \cdot \text{mm)} \\ Z_a^2 &= (f_a H \times 10^{-3})^2 = \frac{1}{G_L^2} \frac{C_{11}}{4\rho} \times 10^{-6} \\ Z_b^2 &= (f_b H \times 10^{-3})^2 = \frac{C_{33}^D X_t^2}{\pi^2} \times 10^{-6} \\ Z_y^2 &= (f_y H \times 10^{-3})^2 = \frac{1}{G_W^2} \frac{C_{11}}{4\rho} \times 10^{-6} \end{aligned}$$

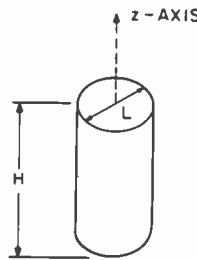
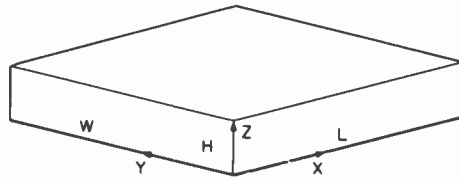


Fig. 1—(Top) Piezoelectric parallelepiped and (bottom) piezoelectric cylinder.

The normalized bicubic frequency equation is given by

$$Z^6 - Z^4(Z_a^2 + Z_b^2 + Z_y^2) + Z^2[(1 - \alpha^2)(Z_a^2 Z_b^2 + Z_b^2 Z_y^2) + (1 - \gamma^2)Z_a^2 Z_y^2] - (1 - 2\alpha^2 + 2\alpha^2 \gamma - \gamma^2)Z_a^2 Z_b^2 Z_y^2 = 0$$

For assumed values of  $G_W$  and  $G_L$  we solve the frequency equation for its three real roots  $Z_1$ ,  $Z_2$ , and  $Z_3$ . These correspond to three coupled mode resonance frequencies.

Table 1 lists values of the pertinent coefficients for PZT-8 as given in the literature.<sup>3</sup> Substituting in the expression for  $X_t$  we obtain

$$X_t = 1.4082$$

Figs. 2, 3, and 4 show plots of  $Z_1$ ,  $Z_2$ , and  $Z_3$  as functions of  $G_L$  for assumed values of  $G_W = 0.5$ ,  $G_W = 1$ , and  $G_W = 2.7$ , respectively.

Table 1—PZT-8 Constants<sup>3</sup>

$C_{11}^E = 13.7 \times 10^{10} \text{ N/m}^2$	$C_{33}^D = 16.1$
$C_{12}^E = 6.97$	$k_t = 0.481$
$C_{13}^E = 7.16$	$\rho = 7.6 \times 10^3 \text{ Kg/m}^3$
$C_{33}^E = 12.4$	$X_t = 1.408$
$C_{41}^E = 3.14$	$\xi = 2.171$
$C_{66} = 3.37$	$\xi^p = 2.045$

} computed<sup>(2)</sup>

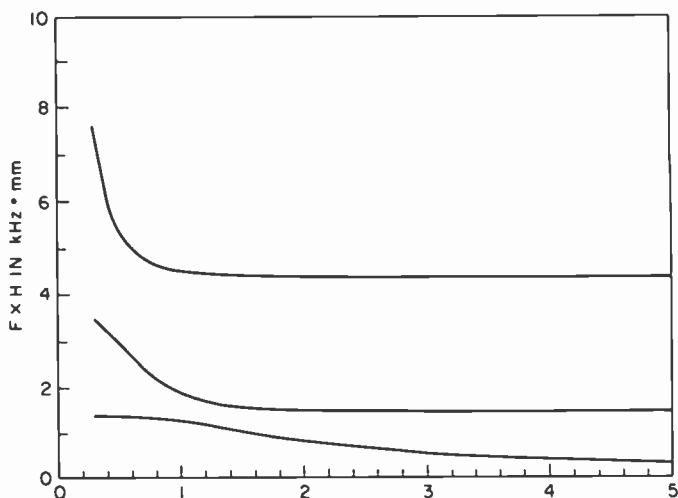


Fig. 2 Pzt-Parallelepiped  $G_L=L/H$  ( $G_W=0.5$ )

Fig. 2—Real roots  $Z_1$ ,  $Z_2$ , and  $Z_3$  as functions of  $G_L(L/H$  of PZT-8 parallelepiped) for  $G_W = 0.5$ .

Experimental data obtained by J. Reisner<sup>6</sup> shows that a 9 mil cube of PZT-8 ( $G_L = G_W = 1$ ) has a dominant resonance frequency of 6.6 MHz in close agreement with the value of  $Z_2$  in Fig. 3.

### 3. Resonant Frequencies of a Piezoelectric Solid Cylinder

For a solid cylinder of diameter  $L$  and height  $H$ , poled along the cylinder axis ( $Z$ -axis) and driven from a voltage source, a biquadratic equation determines the coupled mode resonance frequencies. The equation as given by Onoe and Tiersten<sup>2</sup> is

$$\begin{vmatrix} (f_a^2 - f^2) & \delta f_a f \\ \delta f_a f_b & (f_b^2 - f^2) \end{vmatrix} = 0$$

where  $f_a$  and  $f_b$  are the first-order uncoupled resonant frequencies corresponding to a radial mode of a long cylinder and a thickness-dilatation mode of a large area disc, respectively; and  $\delta$  is a coupling coefficient. The uncoupled frequencies and coupling coefficient are

$$f_a = \frac{\zeta}{\pi L} \sqrt{\frac{C_{11}^E}{\rho}}$$

$$f_b = \frac{1}{2H} \sqrt{\frac{C_{33}^D}{\rho}} \frac{2}{\pi} X_t$$

$$\delta = \left[ |1 - \alpha^2| \left( \frac{\zeta'}{\zeta} \right)^2 - 1 \right]^{1/2}$$

The quantities  $\alpha$  and  $X_i$  have their previously defined values;  $\zeta$  and  $\zeta'$  are solutions of transcendental equations defined by Onoe and Tiersten<sup>2</sup> and have numerical values for PZT-8 of 2.171 and 2.045, respectively.

In terms of an aspect ratio  $G$  and a normalized frequency  $Z$ , defined by

$$G = \frac{L}{H} = \frac{\text{Diameter}}{\text{Height}}$$

$$Z = fH \times 10^{-3} \text{ KHz} \cdot \text{mm},$$

the uncoupled frequencies are

$$Z_a^2 = [f_a H \times 10^{-3}]^2 = \frac{1 \zeta^2}{G^2 \pi^2} \frac{C_{11}^E}{\rho} \times 10^{-6}$$

$$Z_b^2 = [f_b H \times 10^{-3}]^2 = \frac{C_{33}^D}{\rho} \frac{X_i^2}{\pi^2} \times 10^{-6}$$

and the biquadratic equation is

$$Z^4 - Z^2[Z_a^2 + Z_b^2] + (1 - \delta^2)Z_a^2 Z_b^2 = 0.$$

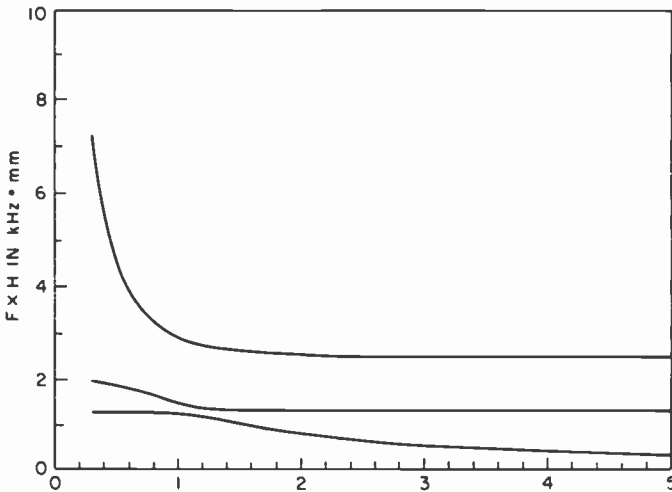


Fig. 3—Real roots  $Z_1$ ,  $Z_2$ , and  $Z_3$  as functions of  $G_L(L/H)$  of PZT-8 parallelepiped) for  $G_w = 1$ .

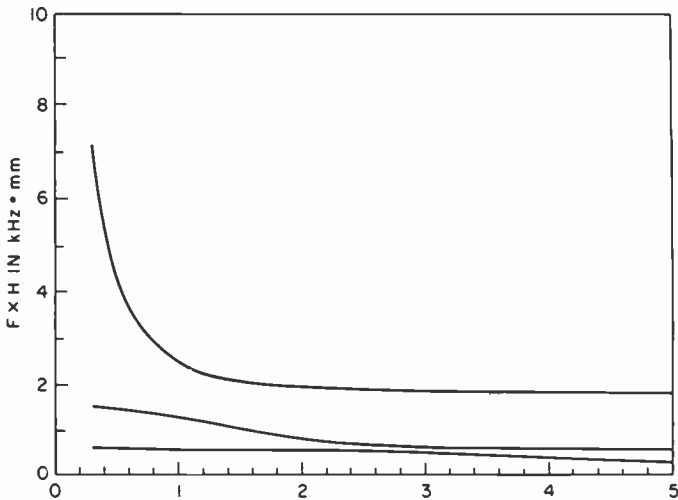


Fig. 4—Real roots  $Z_1$ ,  $Z_2$ , and  $Z_3$  as functions of  $G_L(L/H$  of PZT-8 parallelepiped) for  $G_w = 2.7$ .

Fig. 5 is a plot of the two roots  $Z_1$  and  $Z_2$  of the above biquadratic as a function of the aspect ratio  $G$ . For a thin disc, corresponding to a large value of  $G$ , the roots  $Z_1$  and  $Z_2$  tend, respectively, to the resonant frequencies corresponding to a pure thickness-dilatational mode of a disc, i.e.,  $f_b$ , and a pure radial mode of a disc. Similarly for a tall disc, corresponding to a small value of  $G$ , the roots  $Z_1$  and  $Z_2$  tend to the frequencies corresponding to a pure radial mode of a disc, i.e.,  $f_a$ , and a pure thickness-dilatational mode of a disc.

#### 4. Subsidiary Resonances of a Piezoelectric Parallelepiped

##### 4.1 Shear Modes

For the parallelepiped of Fig. 1 additional resonances will occur if the polarization has a net component in the  $X - Y$  plane. A drive field in the  $Z$ -direction will produce shear coupling due to the in-plane polarization. To a first order, the frequencies of the shear modes are related to the frequency of the main resonance ( $f_2$  corresponding to root  $Z_2$  in the Onoe-Tiersten model) by the ratio of the velocity of a shear to that of a bulk wave.<sup>4</sup> Thus two subsidiary shear resonances will occur



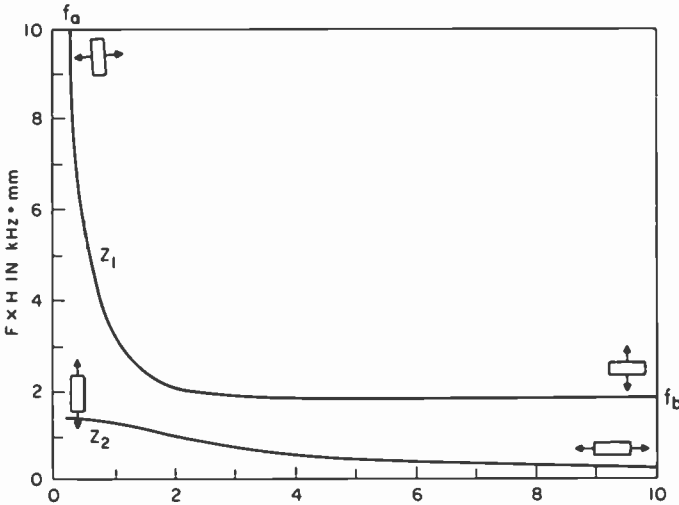


Fig. 5—Real roots  $Z_1$  and  $Z_2$  as a function of the aspect ratio  $G$ .

at frequencies of  $f_{s1}$  and  $f_{s2}$  given by

$$f_{s1} = f_2 \sqrt{\frac{C_{44}^E}{C_{33}^E}}$$

$$f_{s2} = f_2 \sqrt{\frac{C_{66}^E}{C_{33}^E}}$$

For PZT-8 we find that

$$f_{s1} = 0.503f_2$$

$$f_{s2} = 0.521f_2$$

#### 4.2 Flexure Modes

The velocity of propagation  $C_f$  of flexure waves in a rectangular plate is<sup>5</sup>

$$C_f = \left[ \frac{Y_0 a^2}{12\rho(1 - \sigma^2)} \right]^{1/4} \omega^{1/2},$$

- where
- $Y_0$  = Young's Modulus
  - $a$  = Plate thickness (assumed smaller than the lateral dimensions of plate)
  - $\rho$  = density
  - $\sigma$  = Poisson's ratio
  - $\omega$  = angular frequency

A plate of length  $L$  will exhibit a flexure resonance at a frequency  $f_f$  in Hz of

$$f_f = \frac{2\pi}{(2L)^2} \left[ \frac{Y_0 a^2}{12\rho(1 - \sigma^2)} \right]^{1/2}$$

To a first order we expect a typical cutter to display resonances corresponding to flexure waves in the steel base as well as in the PZT-8 element. For a steel plate with the parameter values:

$$Y_0 = 2.07 \times 10^{11} \text{ N/m}^2$$

$$\rho = 7.86 \times 10^3 \text{ Kg/m}^3$$

$$\sigma = 0.3$$

and assumed dimensions of

$$a = 9 \text{ mil} = 2.3 \times 10^{-4} \text{ m}$$

$$L = 40 \text{ mil} = 1.016 \times 10^{-3} \text{ m},$$

we obtain  $f_f = 0.54 \text{ MHz}$ .

For a PZT-8 plate with the parameter values

$$\rho = 7.6 \times 10^3 \text{ Kg/m}^3$$

$$\sigma = -S_{12}^E/S_{11}^E = 0.294$$

and assumed dimensions of

$$a = 9 \text{ mil} = 2.3 \times 10^{-4} \text{ m}$$

$$L = 6.5 \times 10^{-4} \text{ m},$$

two flexure resonances are expected corresponding to

$$Y_0 = C_{11}^E = 13.7 \times 10^{10} \text{ N/m}^2, \quad f_{f1} = 1.096 \text{ MHz}$$

$$Y_0 = C_{33}^E = 12.4 \times 10^{10} \text{ N/m}^2, \quad f_{f2} = 1.043 \text{ MHz}.$$

## 5. Conclusions

The measured frequency response of a typical cutterhead shows a primary resonance with subsidiary resonances within the signal bandwidth. To a first order the primary resonance is in agreement with the values computed from the Onoe-Tiersten models, even though the shape of a typical PZT element differs from that of the models. Secondary resonances close to, but lower in frequency than, the primary resonance correspond to shear mode resonances  $f_{s1}$  and  $f_{s2}$ . Multiple resonances below 1 MHz may correspond to flexure modes in

the individual elements—steel base and PZT-8—or in the cutter structure as a unit.

### Acknowledgments

The authors wish to thank J. Reisner, K. F. Etzold, and J. van Raalte for many fruitful discussions.

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# Micromachining VideoDisc Grooves and Signals

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**Abstract**—The very small scale of the grooves and signals cut for the VideoDisc places the initial mastering in the category of micromachining. Grooves are only  $0.5\ \mu\text{m}$  deep, and  $2.64\ \mu\text{m}$  wide, while signals are  $0.09\ \mu\text{m}$  in amplitude. Metal cutting on so small a scale requires considerable refinement of established macroscopic cutting techniques, as well as some new techniques, tools, and materials. Measurements have been made of cutter friction, work hardness, cutting forces, and shearing angles over a wide range of cutting conditions such as speed, rake angle, and depth of cut. The primary purpose was to determine the optimum conditions for cutting VideoDisc master substrates. Secondarily, the empirical data is necessary to establish a theoretical model of the cutting process. There are also specialized problems involved in cutting for the VideoDisc, such as reliable chip pick-up and accurate following of irregular surfaces to maintain constant cutter depth, for which specialized mechanical solutions have been required.

## Introduction

The term micromachining seems appropriate to describe the cutting of grooves and signals for VideoDisc recordings when one remarks that the grooves are  $2.64\ \mu\text{m}$  wide,  $0.5\ \mu\text{m}$  deep and the signals are only  $0.09\ \mu\text{m}$  in amplitude. It is not surprising that the techniques used and the principles understood for cutting materials at a scale larger by 10 to 100 times or more do not apply directly to such micromachining.

Historically, the cutting of master discs in the audio record field has involved the use of a heated stylus cutting in a resinous material. Early attempts at transferring this technology to cut video discs was less than successful. In 1976 G. B. Halter<sup>1</sup> conceived and demonstrated the scheme for cutting electroplated copper with a PZT-driver diamond cutter at megahertz rates. Halter's success quickly prompted major efforts in the development of cutters of improved performance and durability and in the study of means and materials to improve cutting technology and tools. This paper deals with the latter study in areas related particularly to what has been designated as micromachining.

### The Cutting Process

Although the cutting of soft metals with diamond tools has been known for many years, the widespread usage of this technique did not commence in earnest until the early 1960's with the need for smooth aluminum substrates for memory discs. Subsequently a great impetus was also given to this technique by the need for faster methods of making mirrors.<sup>2</sup> The cutting of copper is particularly attractive in that the coefficient of friction of diamond on copper is relatively low, and the tendency to cause tool cratering and built-up edges is almost

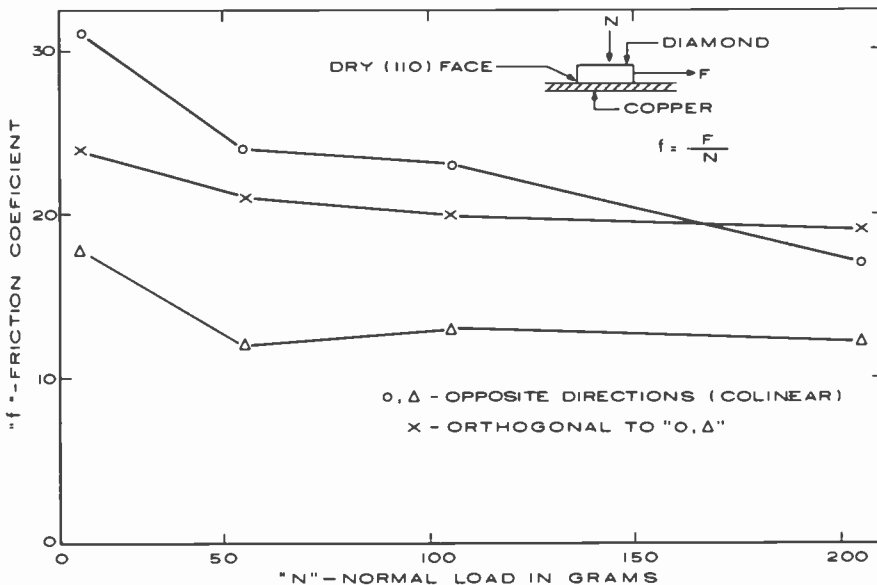


Fig. 1—Static coefficient of friction of the (110) face of diamond on electroplated copper.

nonexistent. The coefficient of friction of the material being cut on the tool is an important factor in how materials and tools behave. Published information is fragmentary and not directly applicable to substrate materials being used, so that some survey studies were made of friction of copper on diamond. Fig. 1 is a series of curves showing the variations in the static coefficient of friction as a function of a force perpendicular to the sliding face. It is clearly evident that for a diamond with this particular (110) crystallographic orientation, the frictional properties against electroformed copper are not constant with either a normal force or direction of sliding. Fig. 2 is another static friction test with three diamonds (111 crystallographic plane) as the sliding face arranged in a triangular pattern and bonded to a glass plate. This procedure was necessary because a single diamond was too small to sustain stably a physically large weight on its face. The three diamonds were randomly oriented about an axis perpendicular to their sliding faces. Despite this, a difference appears to exist between the coefficients for the oppositely directed motions, with the orthogonal result somewhere between (similar to the curves in Fig. 1). For a more detailed discussion of frictional anisotropy in diamond sliding refer to, e.g., J. E. Field's book *The Properties of Diamond* (Academic Press 1979). The next step is to determine the dynamic frictional properties under actual cutting conditions.

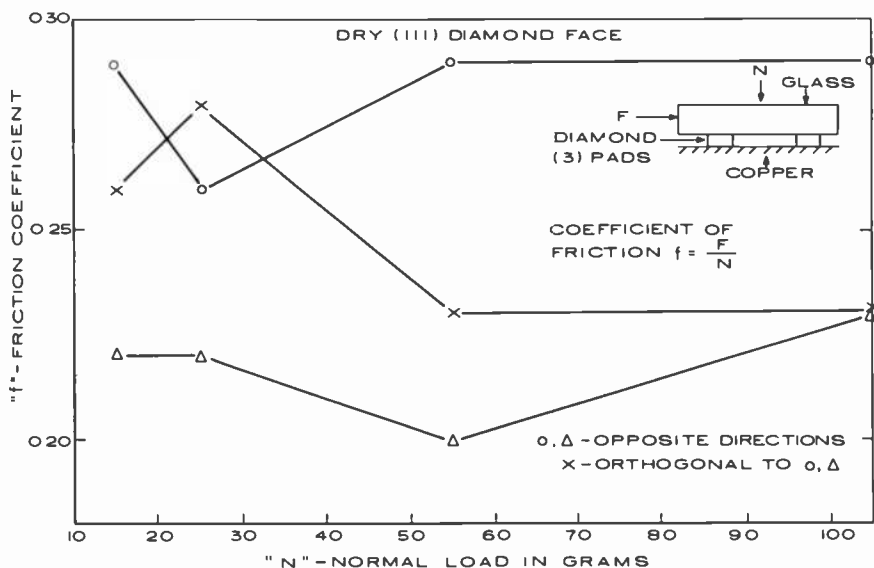


Fig. 2—Static coefficient of friction of the (111) face of diamond on electrolytic copper.

Another factor affecting cutting properties is the hardness of the material being cut. Electroplated copper is particularly good in that grain size is in the sub-micrometer region and the surface hardness, about 180 to 230 on the Knoop scale, appears to be most satisfactory for cutting. The ultimate test of the quality of the cut is done by measuring the signal-to-noise ratio of a signal with a laser reader. The laser reader permits one to avoid touching the freshly cut surface before replication begins.

To enhance understanding of the cutting process, a number of tests were performed and measurements made of tangential cutting forces on a true scale. Knowledge of the level of forces involved was necessary to develop bonds adequate to prevent diamond loss during cutting. Fig. 3 shows some of the force measurements that were made. It is immediately apparent from the curves shown that the back rake angle is a significant parameter in determining the cutting force. It is further evident that this tangential cutting force is nonlinear with cutting depth when cutting V-grooves. It should be mentioned here that there is little side rake to the tool, hence the cutting process resembles the classical orthogonal cutting procedure. Fig. 4 shows the small variation in tangential cutting force with cutting speed. At the present time the

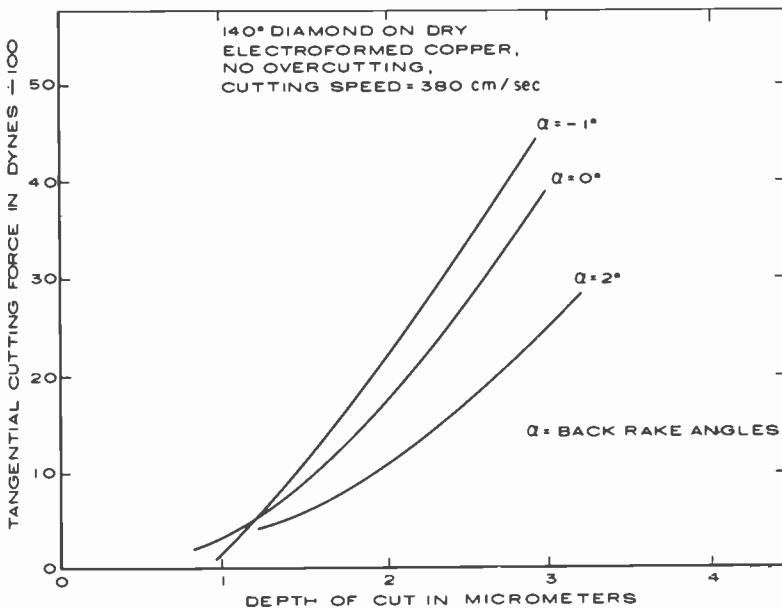


Fig. 3—Cutting forces of a 140° V shaped diamond tool in dry electroformed copper with a cutting speed of 380 cm/sec.

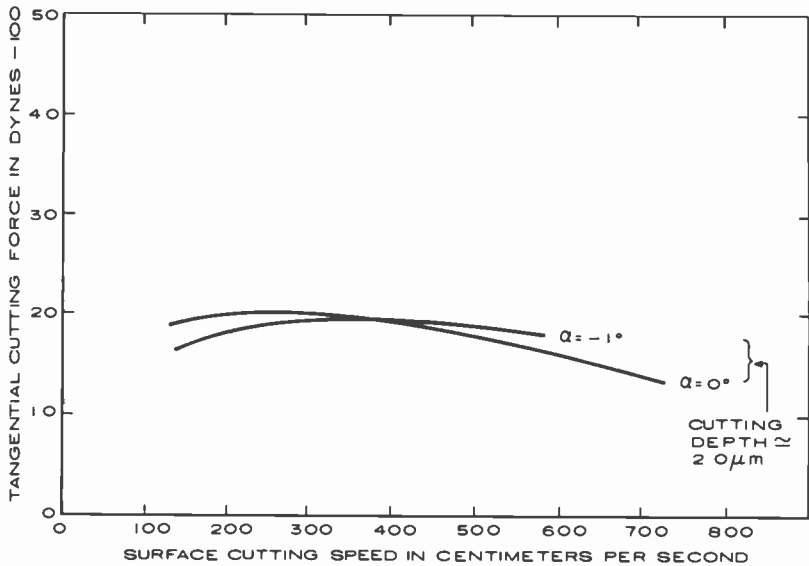


Fig. 4—Cutting forces as a function of cutting speed for a  $140^\circ$  V shaped diamond tool in dry electroformed copper.

maximum surface cutting speed is 350 cm/sec and therefore it can be seen that cutting at real-time speed (700 cm/sec.) should offer little difficulty as far as maintaining the integrity of the diamond on the PZT-driver. H. Ernst<sup>3</sup> has attributed this reduction of cutting force with increasing cutting speed to the decrease in the frictional coefficient. At high cutting speeds the temperature in a thin layer of chip adjacent to the tool face is high enough to cause a reduction in shear strength and hence to lower the friction force.

A series of tests was executed using cutting oils. It was soon evident that the viscosity of the oil had a significant and uncontrollable effect on the force measurements. Work with cutting fluids is no longer being pursued, not only for the reason given above, but also because the cutting lathe uses an air-bearing, servo-controlled tool slide and getting oil into this slide would definitely be deleterious to its performance. Information to this effect was also reported by D. A. Van Cleeve.<sup>4</sup>

### Mechanism of Chip Formation

In the effort to understand the machining process, the chip produced has always been the object of considerable study. A long uniform chip usually indicates that the cut that produced it is also uniform and smooth of surface. A chip that breaks frequently and is not uniform



indicates a cut with surface flaws and irregularities. Even mild flaws and irregularities are undesirable in VideoDisc recording, as the signal detail in the grooves has an amplitude of about  $900 \text{ \AA}$ . The differences in shape and dimensions of the cross-section of the chip from those of the cut itself provide information on the mechanical properties of the metal being cut and the effect of cutting parameters such as speed, depth, and tool geometry.

A section of chip is very small; it is about  $7 \mu\text{m}$  wide and  $1.5 \mu\text{m}$  thick, and a continuous chip from the cutting of an hour-long record would be over 12 miles long. The cross section bears little superficial resemblance to the "V" groove (which is about  $0.5 \mu\text{m}$  deep and  $2.6 \mu\text{m}$  wide) that is left in the record. The tool used for VideoDisc cutting is V shaped with a  $140^\circ$  angle to the V. The cut is generally made so that the apex of the tool is approximately  $2 \mu\text{m}$  below the surface of the metal disc that it is cutting. Under such circumstances the chip has a "V" shaped cross section and is  $11 \mu\text{m}$  wide if the pitch of the spiral is such as to keep the successive turns from overlapping (Fig. 5A). This kind of cut is produced in what is termed the "fast spiral".

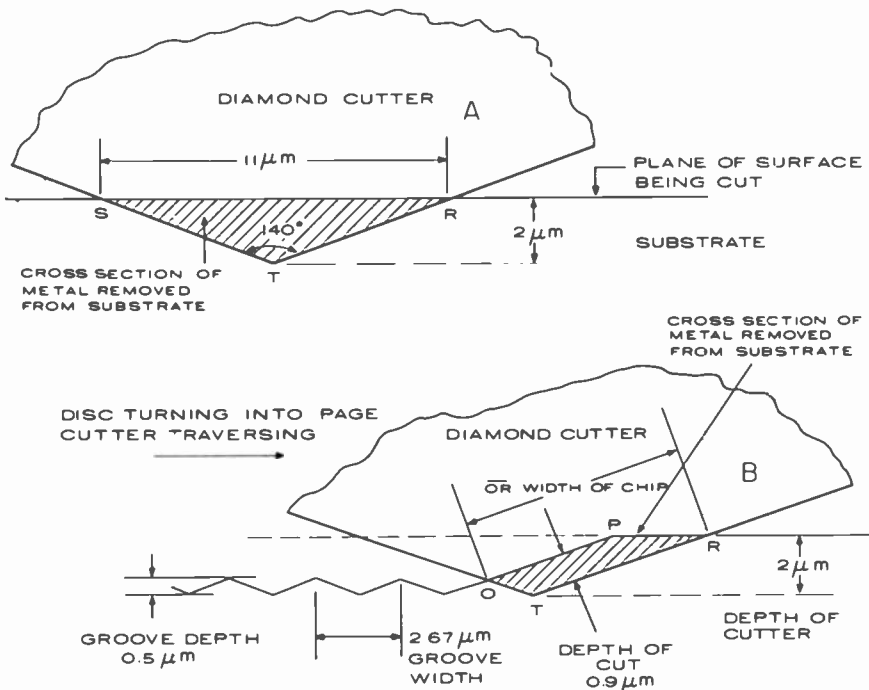


Fig. 5—Cross section of the diamond cutter in the substrate it is cutting for; (5A) a V-cut (fast spiral), and (5B) an overcut (program recording).

It is cut between the end of the program material on a record and the final inside turns cut on the disc. The situation is very different when recording program material. Then the pitch or tightness of the groove spiral is such that the cutter advances only  $2.64 \mu\text{m}$  per turn so that a new cut overlaps the preceding cut. In this way the record grooves are actually cut in a plane  $2 \mu\text{m}$  below the original surface of the metal disc. Fig. 5B shows a section through the face of the cutter in the program recording mode, while Fig. 6 shows the same situation (with more perspective).

The cutting of the metal master for recording is on the order of 100 times smaller than considered in previous studies of the cutting process of diamond tools on common metals.<sup>5</sup> While cutting dimensions can be scaled down by a known amount, the change in scale of microcrystalline structure of the metal used in mastering has not as yet been accurately established. Since micromachining obviously represents a major change from conventional machining practice, a number of studies have been conducted to establish the cutting conditions to be used.

The cutting process involves shearing the metal from the edge of the cutting blade to the surface of the metal ahead of the edge as postulated in Merchant's thin zone theory.<sup>5</sup> This is shown diagrammatically in Fig. 7 along with the shear angle and the rake and clearance angles. The shear angle is primarily determined by the mechanical properties of the metal being cut. Fig. 8 shows how the VideoDisc chip takes form in program recording (see also Fig. 6). Fig. 9 is a scanning electron microscope view of a loop in such a chip

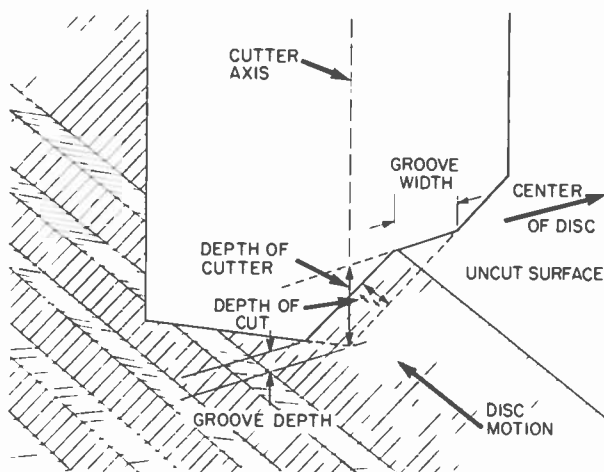


Fig. 6—Perspective of the cutter rake in a substrate while cutting program.

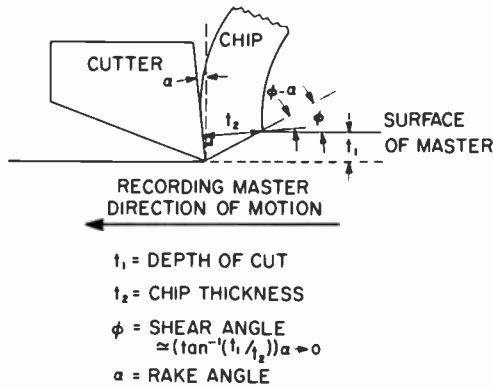


Fig. 7—Cross section along a groove showing the chip being removed.

showing both sides. The smooth side was pressed flat against the diamond by pressures of the order of  $10^5$  psi. The side with the signals is more complex in origin. There are two sequences of signals as seen in the lower micrograph of Fig. 10. The well defined signals along the upper half of the chip were cut in the substrate on the previous turn and are on the side of the chip away from the center of rotation of the substrate. On the other side of the chip, toward the center of the recording (bottom of Fig. 10), a portion of the chip one groove wide shows an undulation that is the result of the shearing point occurring at different depths in the substrate as the cutter moves up and down with the applied electrical signal. This surface undulation actually occurs all across the chip. It is clearly visible in the portion of the chip from the previously uncut area, but in the area of the chip where the surface was cut with a signal on the previous turn the shear undulation interferes with the previously cut signal. When the interference of the cut signal and the sheared undulation are in phase they reinforce one another and give a deep well defined signal, as in Fig. 10. When they are out of phase, the signals oppose and the signals on the surface are more poorly defined. The chip shears in a direction perpendicular to the cutting edge. With a V cut, this sends the chip straight up the cutter. However, with the overcut the chip direction is tilted toward the outside of the record as shown in Fig. 8. The chip in taking a trajectory over the cut grooves must be prevented from contacting and possibly damaging the already cut grooves. Chips for study are usually cut with a 2.5 MHz signal.

### The Chip As a Measure of Cutting Performance

The chip bends quickly on the diamond cutter face, contacting it for about a micron and then curling back in the opposite direction. There

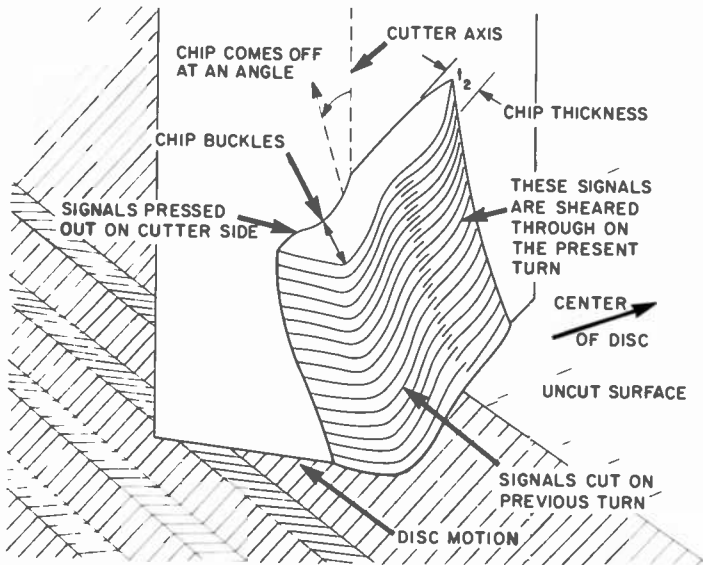


Fig. 8—A sketch of a chip moving up the face of a cutter. Compare to Fig. 6.

it is picked up in a flow of air from a jet to a vacuum orifice where it is removed from the recorder. An experienced operator can often tell from the stability of the chip motion, or lack of it, how well the cutting process is proceeding. The height of the trajectory is affected by the chip removal air flow and by the rake angle of the cutter. For sampling the chip, a small air lock in the chip-pick-up vacuum line permits insertion of a Q-tip which collects a small amount of chip in the form of a metal wool as seen in the upper micrograph of Fig. 10.

To measure the angle of shear in a normal turning operation, a section of chip is measured for thickness  $t_2$ , as is the depth of cut  $t_1$ . Then, according to Merchant,<sup>6</sup> the shear angle is given by the equation

$$\tan\phi = \frac{r \cos \alpha}{1 - r \sin \alpha},$$

where  $r$  is the ratio of  $t_1/t_2$ ,  $\phi$  is the angle of shear, and  $\alpha$  is the rake angle. Because  $t_2$  is difficult, if not impossible, to measure on the minute chips obtained from cutting a VideoDisc, another system was devised that works very well on micromachining and might be a very useful technique for macroscopic measurements as well. It is based on two assumptions; (1) that mass (and density) are conserved and (2) that the width of the chip does not change in cutting. This later assumption has been verified for  $7 \mu\text{m}$  chips and is a major reason to

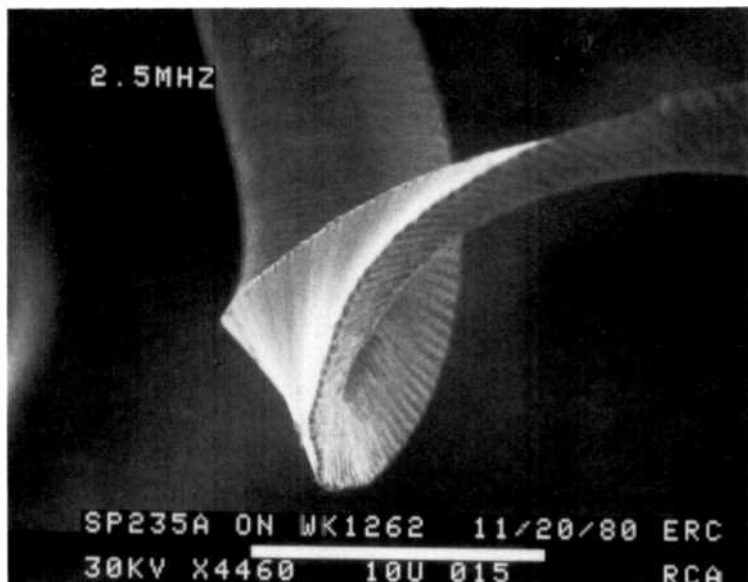


Fig. 9—A loop in a chip from a VideoDisc showing the smooth and signal sides.

assume the validity of Merchant's thin-zone theory.<sup>6</sup> This means that  $t_1 l_1 = t_2 l_2$  where  $t_1$  and  $t_2$  are as defined above and  $l_1$  and  $l_2$  are the movement of the disc and the movement of the chip in a given interval of time.

If the frequency of signals recorded and observed on the chip are fixed, e.g., 2.5 MHz, then the wavelength on the chip,  $\lambda_2$ , and the wavelength on the record,  $\lambda_1$ , give the relationship  $\lambda_1/\lambda_2 = t_2/t_1$  and  $r = \lambda_2/\lambda_1$ . In practice the wavelength on the record is calculated since the radius at which the cut produces the chip is always known.

The master surfaces (of fine grained copper) that are cut have a Knoop hardness in the range of 180 to 230. Such cutting media give shear angles of about  $35^\circ$  at a rake angle of  $0^\circ$ . Fig. 11 shows measurements of the shear angle as a function of the rake angle for a particular copper master. The hardness limits for good cutting are not well defined. Well outside these limits, on very soft materials, the signal on the chip become pressed together as in Fig. 12 where the shear angle was only  $24^\circ$ . Also the chip does not coil up smoothly as for normal material (Fig. 13) but buckles repeatedly. At the other extreme, well above the hardness range specified, the chip breaks frequently and a continuous chip is impossible. Apparently the rake angle is very uncritical to the smoothness of the grooves and signals cut in the substrate. In general a negative rake produces a very smooth surface

on the side of the chip sliding over the rake face of the diamond cutter. This is interpreted as indicating that higher pressures are exerted on the chip at negative rake angles and that the forces on the diamond are correspondingly larger. There is no good reason to cut with a

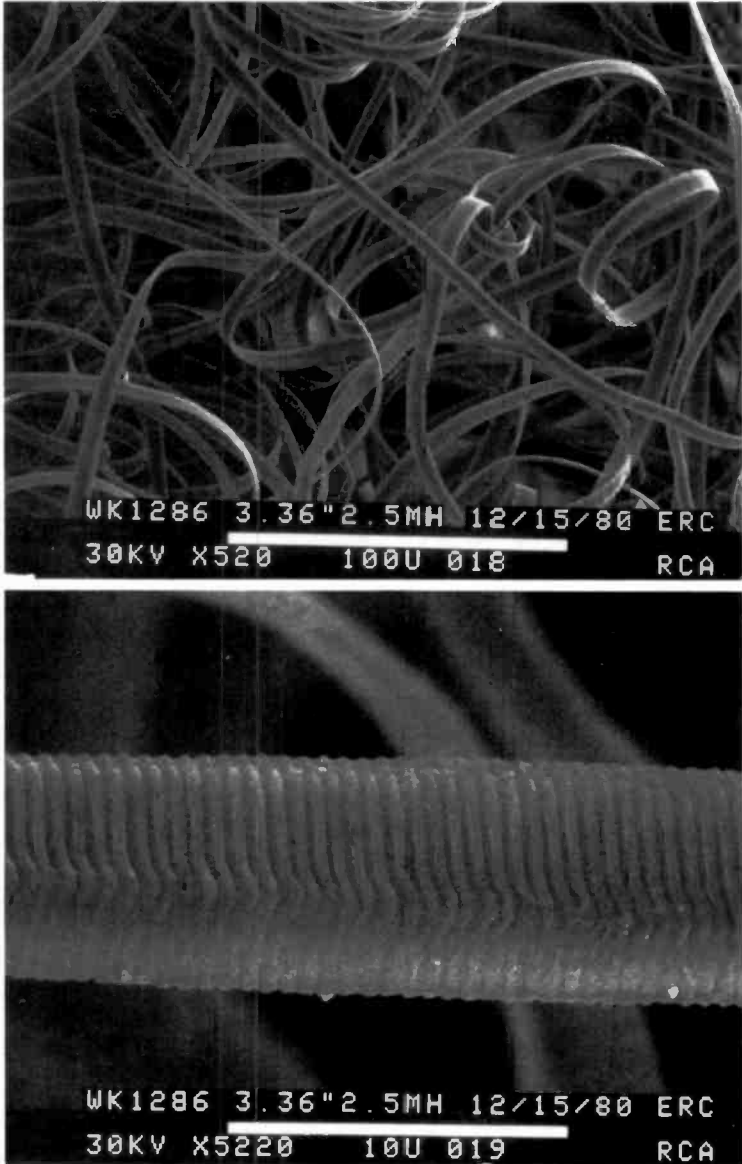


Fig. 10—Typical chip from a substrate of normal hardness. The low magnification SEM picture (top) shows a smooth coiling, and the high magnification (bottom) shows well defined signals.

negative rake, and in light of greater force on the diamond the negative rake has not been used.

A wide range of positive rake angles ( $0$  to  $+10^\circ$ ) was explored. No cutting problems were experienced. In all cases the grooves and signals appeared smooth to the limits of the SEM examination. However, an unnecessarily large rake angle has two adverse affects. It takes the signal out of the vertical  $ZY$  plane and spreads it out in the  $X$ -direction with respect to a playback stylus whose electrode is essentially in the  $ZY$  plane. The tolerance for the cutter face to be aligned with the  $Y$

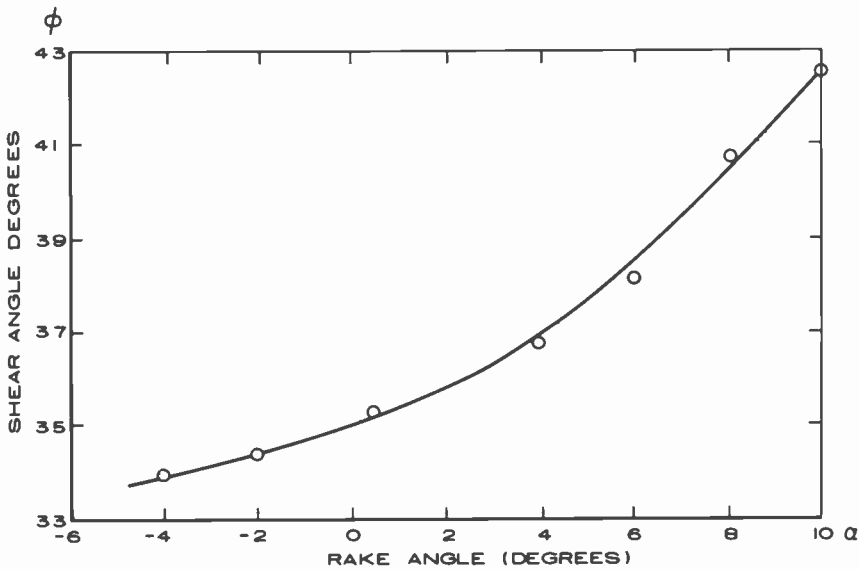


Fig. 11—The shear angle as a function of the rake angle of the cutter.

axis (radius) is  $1^\circ$  or less. A  $4^\circ$  rake angle causes a similar spread out of the signal in the  $X$ -direction. The second factor limiting the rake angle is that the rake angle must occur at the expense of either the dihedral angle that forms the diamond edge or of the clearance angle required for the cutter to clear the slope of the signal it has just cut.

Other cutting conditions in addition to rake angle have been tested, and they are all relatively uncritical over the range of parameters exercised. During these tests the rake angle was held at  $+0.3^\circ \pm 0.2^\circ$ . The chips showed no appreciable differences with cutting speeds ranging from a speed of 600 cm/sec down to 150 cm/sec. For conventional machine shop work 600 cm/sec is very fast. The quality of the

cuts in the substrate showed no appreciable differences with speed. Cuts were made with the apex of the cutter penetrating 1, 2, and 4  $\mu\text{m}$  into the substrate and a cutting speed required for half-real-time recording. Such a range represents a spread of values around the nominal depth of 2 to 3  $\mu\text{m}$ . Examination of the chips showed no differences in the quality of the signals. The shear angles were identical. Only the width of the chip and its shape were different.

A distinction is made between depth of cut and depth of cutter (Figs. 5 and 6). The depth of the cutter is described above as the

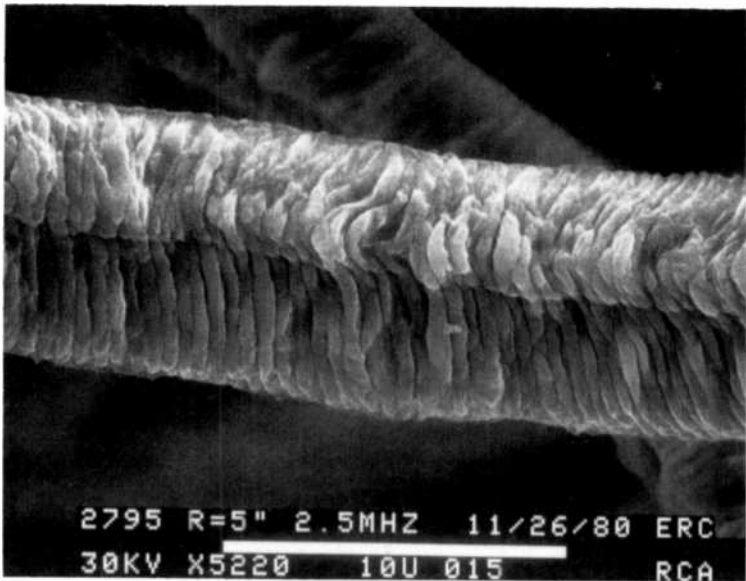


Fig. 12—Signal on chip cut on very soft material.

A distinction is made between depth to cut and depth of cutter (Figs. 5 and 6). The depth of the cutter is described above as the distance from its apex to the uncut plane of the master. The depth of cut is the perpendicular distance of the cutter edge to the surface cut on the previous turn. Since the cutter rake face always has an included angle of  $140^\circ$  and since the pitch of the normal cut always advances the cutter 2.64  $\mu\text{m}$  each turn, the depth of cut is always about 0.9  $\mu\text{m}$ . However, to determine whether this depth was a rapidly changing parameter, cuts were made at twice the regular pitch distance 5.3  $\mu\text{m}$ . The cutter depth was 2  $\mu\text{m}$  in both cases. The chip thickness was doubled. If cut well, although the chip was much stiffer, the shear



angles were identical with those of a standard pitch cut. Again no appreciable changes were observed.

It is interesting now to contemplate the *V* or fast spiral cut described earlier (Fig. 5). A chip from a *V* cut is shown in Fig. 14. Since the cutter is symmetrical and is cutting a new surface, the chip is symmetrical and does not curl in the usual spiral from the overcut grooves.

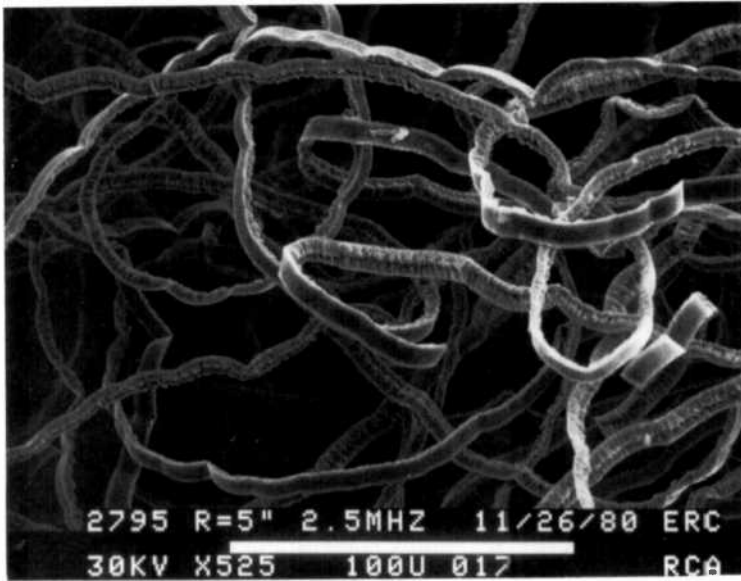


Fig. 13—Chips from abnormally soft substrate. Compare to Fig. 10 of a normal chip.

The signals seen on the chip represent the different thicknesses of the chip that result from the up and down motion of the cutter due to the applied signal. The chip is thicker when the cutter is down than when the cutter is up. This difference in thickness is flattened against the rake face of the cutter and shears through the chip to form the undulations on the outer face of the chip. All the signals thus formed on the *V* chip are similar to those formed in the previously uncut area of the overcut chip (Figs. 9, 10). Since the shearing changes due to cutter signals occur simultaneously at the surface of the master, they appear roughly perpendicular to the chip length. They are less well formed than the signals of an overcut chip which are actually cut into the master on the preceding cut. The rounding of the chip at what should be the apex of the *V*, which corresponds to a very sharp *V* in

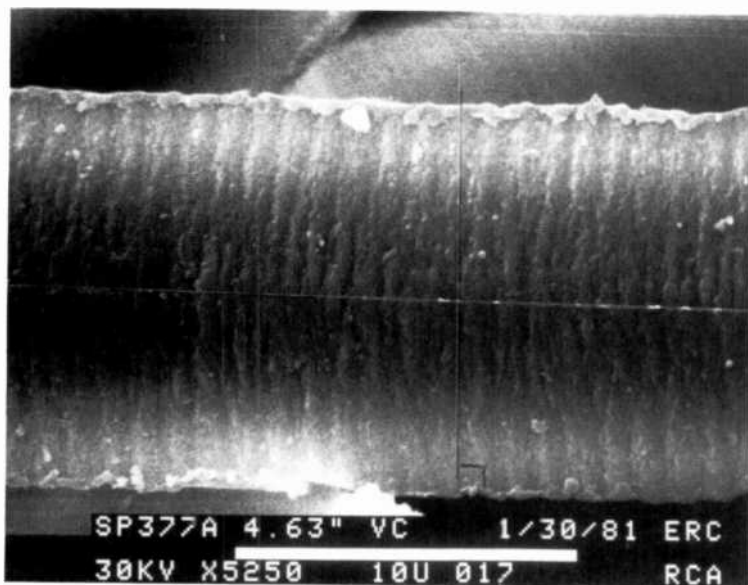


Fig. 14—The chip from a fast spiral V-cut showing the signals sheared into the surface. They are symmetrical but ill formed.

the groove, is probably due to the fact that the two sides of the chip try to move perpendicular to their cutting edges, which forces them to form a mound at the center of the chip.

The studies utilizing scanning electron microscopy of the chip have not caused many changes in the techniques of cutting masters that were originally developed by Halter et al. and are described in the patent literature cited elsewhere. They have, however, helped establish tolerances, and provide a clear understanding of the cutting phenomena. There are still appreciable variations among chips, granularity of surfaces, quality of signals, etc., which indicates that there is more to be learned by continued studies, such as the effect of diamond sharpness and the influence of the mechanical properties and homogeneity of the surface being cut.

### Tool Control

The cutting of master discs in the audio field requires the use of a mechanism that maintains a predetermined cutting depth while the recording is in progress.<sup>8</sup> This procedure is necessary because of the large vertical excursions of the lacquer discs. Despite the very great improvement in vertical warp of the metal substrates, this procedure

is still a necessary requirement because of the microscopic tolerances involved in mechanical cutting.

The "advance ball" is the mechanism referred to above, and, although it is adequate for its application on audio masters, it can not be used on the VideoDisc substrate surface for fear of marring the super finished surface into which the modulated grooves are cut. There originally appeared to be two choices for depth control of the cutting tool. The first involved the use of a contoured foil-like slider running close enough to the surface of the disc to develop an aerodynamic film capable of supporting the entire tool holder. Unfortunately, the mass of the tool structure and the relatively low speed made the design of this system impractical. The second choice provides tool depth control through a hydrostatic thrust bearing. These devices are often called "pucks". Such a control offers a number of advantages:

- (1) high load-carrying capacity at all speeds, including zero speed,
- (2) no starting friction and extremely low running friction,
- (3) no metal-to-metal contact at any operating speed or load, and
- (4) adjustable bearing performance with regard to load-displacement characteristics.

Two variations of a hydrostatic bearing (the "puck") have been constructed and are presently being used. The earlier design used was of the multiple orifice type which utilized a porous metal structure to achieve load/flow control. While simple in concept, the difficulty in finding uniformity of porous metal led to the use of the more predictable conventional pocket type. The porous puck is used in a standard parallelogram type of spring structure that permits of only one degree of freedom, i.e., vertically. The pocket type uses a spherical-ended air-feed that permits the puck additional angular degrees of freedom to improve its alignment with the surface of the substrate.

The pocket type of design was based in the work of H. C. Rippel<sup>9</sup>. His design involved the use of bearing pad coefficients that were obtained using linear pressure-drop approximations and was based on the electrical conducting sheet analogy.

An important parameter of this type of bearing is its load carrying capability. Fig. 15 shows experimental data obtained with both types of pucks. At a film thickness of 10 micrometers, film stiffness for the porous type is  $2.5 \times 10^7$  dynes/mm and for the pocket type is  $3.0 \times 10^7$  dynes/mm. These are maxima and are respective tangents to the steepest portion of the curves shown in Fig. 15.

In a further step toward achieving a high dynamic response, and to use the puck most effectively, the moving mass of the tool structure was designed to have a low value.

If one compares the equivalent spring rates of the air film and that of the suspension, i.e.,  $3.0 \times 10^7$  dynes/mm versus  $4.4 \times 10^5$  dynes/

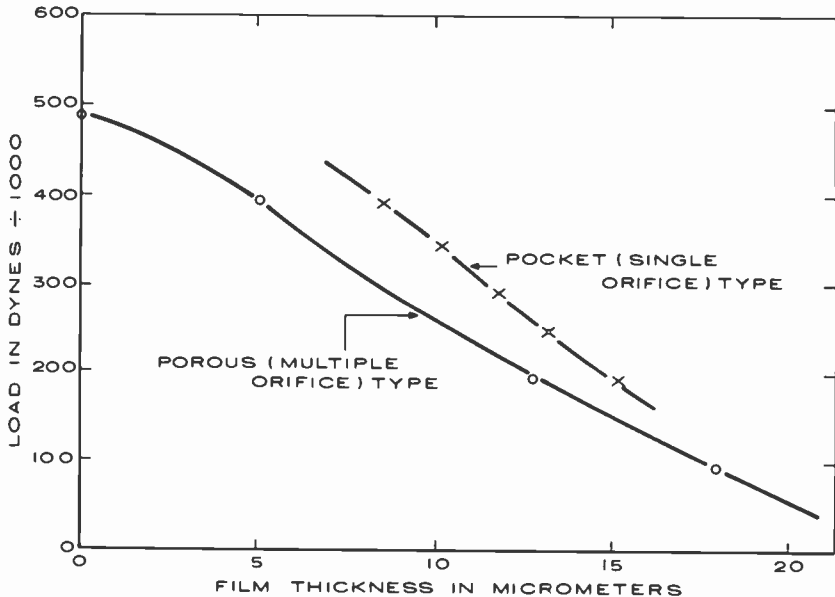


Fig. 15—Puck stiffness characteristics.

mm, one finds a difference of about 70. It would appear then that the stiffness of the air film beneath the puck is not being fully used. The limiting factors in the vertical response are to be found in both the spring suspension and the mechanical linkage between the puck and the cutting tool. There are a number of friction points in these links and possible sources of lost motion between the puck and the cutting tool.

One of the most important requirements in micromachining is precise tool control, with motions in very small increments. A typical full depth of cut is approximately 3 micrometers, and this depth is achieved by moving in increments of perhaps 0.5 micrometers at a time. A smooth nearly friction-free motion is obtained by varying the amount of air with a needle valve that is in series with both the puck and a flowmeter. It is a characteristic of a hydrostatic puck that the air film thickness is a nearly linear function of air flow through the puck. As the film thickness changes, the resulting vertical position changes of the puck are communicated via mechanical linkage to the cutting tool. Fig. 16 shows a graph of air flow versus film thickness for both the single orifice and the porous puck types. A graph such as this serves as a calibration chart in that a mere glance at the flowmeter tells one at what height the puck is "flying". A touch-down of the puck on the substrate will damage the surface and result in a rejected disc.

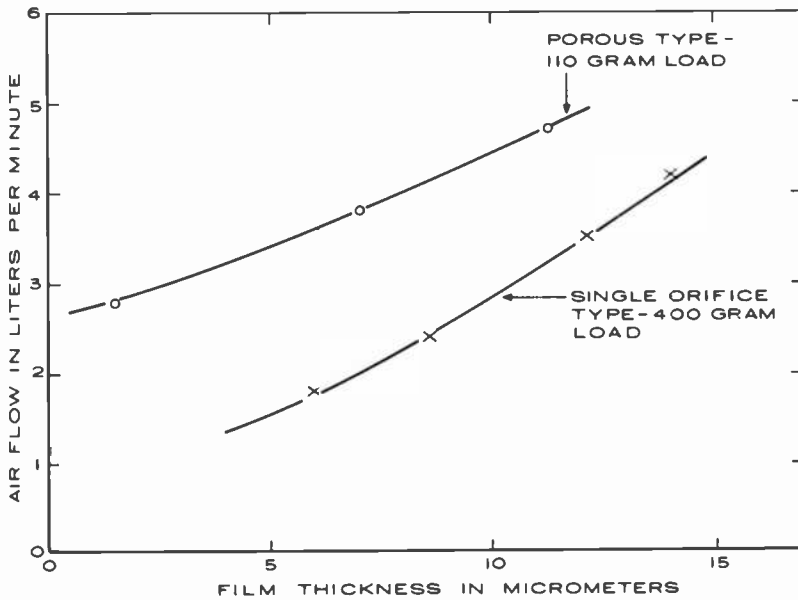


Fig. 16—Puck air flow as a function of film thickness.

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# A Method for the Characterization of Piezoelectric VideoDisc Recording Heads Using a Bridge Circuit

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**Abstract**—There is a need to measure or monitor the displacement response of VideoDisc recording heads during construction, testing, equalization, and actual recording. Also the equivalent circuit is needed for the design of a suitable equalizer. The displacement is typically less than 1000 Å, and direct measurement requires the use of cumbersome interferometric equipment. From known electromechanical correspondence in piezoelectric devices, measurements in only one domain (either electrical or mechanical) are sufficient to obtain all the device parameters using suitable conversion factors. This paper describes an electrical method using a bridge circuit to monitor the response as well as to obtain the equivalent circuit. It has been used successfully to characterize hundreds of recording heads, and it compares well with optical interferometric methods.

## 1. Introduction

In VideoDisc recording, the recording head or cutter head is used to encode the video electrical signal as depth variations in a groove of a rotating substrate. In its simplest form a typical cutterhead is shown in Fig. 1. It consists of a piezoelectric element mounted on a metal base on one side, and attached to a diamond cutting tool on the other side. The parallel surfaces are metallized and connected to a signal source. The application of a voltage  $V_T$  to the electrodes results in a

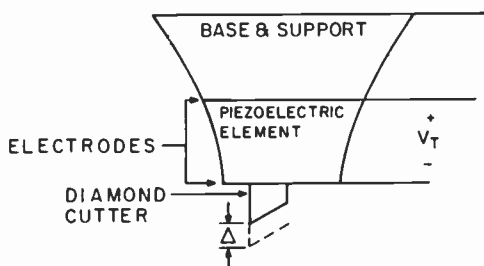


Fig. 1—Simplified electromechanical cutterhead.

mechanical displacement  $\Delta$  (or  $\delta$ ) that cuts a signal to a depth of approximately  $875 \text{ \AA}$  in a groove of a rotating copper-plated substrate. The shape and dimensions of the piezoelectric element and of its base are so chosen as to yield one strong major response and negligible spurious modes. The dimensions are of the order of half wavelength of sound in the device at the highest signal frequencies. More details on a possible design for the device in Fig. 1 are available elsewhere.<sup>1</sup>

The cutterhead is thus an electromechanical device that gives an output displacement as a result of an applied input voltage. Hence its transfer function is the ratio of its output displacement to its input voltage as a function of frequency. To avoid any distortion, the transfer characteristics should be that of an ideal low-pass filter, i.e., constant amplitude and linear phase response. The actual response, however, is as shown in Fig. 7, similar to that of the charge in a series *RLC* circuit, and therefore it must be equalized. Nonempirical equalization requires not only the knowledge of the transfer function but also of the device's equivalent circuit.

The cutterhead characteristics and parameters do not lend themselves to easy calculations or measurements. Calculations on piezoelectric devices are straightforward when their boundaries coincide with planes of rectilinear coordinate systems as in the case of parallelepipeds, cylinders, etc. The device in Fig. 1 has a triangular trapezoidal geometry and its analysis requires the use of lengthy computer programs. Direct measurements of the diamond tip displacement  $\Delta$  is difficult, even by the optical interferometric technique (described elsewhere in this issue). At any rate the optical method does not lend itself to the real-time measurements needed during device fabrication, or monitoring during equalization and recording.

The technique described in this paper provides for the complete characterization of the cutterheads from a few simple electrical measurements. It is based upon the correspondence between electrical and mechanical parameters in a coupled electromechanical system. It is sufficient to measure parameters in only one of the two domains, either

electrical or mechanical, and then use a suitable conversion factor to obtain the actual counterpart in the other domain. In particular, the mechanical displacement is the counterpart of a component of electrical charge, and this paper identifies and measures the charge component in the equivalent circuit of the cutterhead that corresponds to the displacement. It then describes a bridge to measure the charge and describes methods to calibrate the bridge, convert charge to displacement, obtain the equivalent circuit parameters, and completely characterize the cutterheads.

## 2. Cutterhead Equivalent Circuit

The correspondence between electrical and mechanical systems is shown in Table 1. Voltage, current, and charge correspond to force, velocity, and displacement, respectively. Inductance, capacitance, and resistance correspond to mass, compliance, and damping, respectively. Energy relations and equations of motion are the same in both systems.

In a cutterhead, the driving voltage causes a displacement of the diamond tip. This must cause an extra charge, called "motional charge," to flow into the device from the signal source, in addition to the capacitance charge due to the dielectric. To identify the motional charge and determine the means of measuring it, the cutterhead's equivalent circuit is needed.

The choice of the equivalent circuit and the values of the components depend upon the configuration of the device. Although the major response is determined by all the dimensions of the device, the design is optimized by choice of geometry and acoustic loading, or damping, so that the displacement is mainly along the thickness, i.e., in the direction normal to the electrode surfaces. Experimentally it is found by optical probing<sup>2</sup> that the thickness displacement spectrum has one broad major resonance that is quite smooth and extends from dc to slightly beyond that major resonance. Hence the equivalent circuit is that of a mechanically-loaded thickness-vibration transducer<sup>3</sup> having only one main mechanical resonance.

Such an equivalent circuit is shown in Fig. 2 and is considered to be valid from dc to approximately  $1.2 f_s$ , where  $f_s$  is the resonant frequency. It consists of a electrical port and a mechanical port connected by means of a transformer. The electrical side contains the transducer's "clamped" capacitance  $C_c$ , a shunt conductance  $G_o$  responsible for some dielectric loss, and the negative capacitance  $-C_o$  in series with the transformer's primary. The mechanical side is represented simply by a series resonance consisting of a mass  $M$  proportional to that of the transducer, a stiffness parameter  $K$  related to the piezoelectric



Table 1—Analogy Between Electrical and Mechanical Systems.

Electrical	Mechanical
Voltage $v(t)$ or $V(\omega)^*$ (Volts)	Force $f(t)$ or $F(\omega)$ (Newtons)
Current $i(t)$ or $I(\omega)$ (Amp.)	Velocity $u(t)$ or $U(\omega)$ (meters/sec)
Charge $q_M$ or $q_M(\omega)$ (Coul.)	Displacement $\delta(t)$ or $\Delta(\omega)$ (meters)
Inductance $L$ (Henry)	Mass $M$ (kg)
Capacitance $C$ (Farad)	Compliance $(1/K)$ (meter/Newton)
Resistance $R$ (Ohms)	Damping $R_a$ (kg/sec)
Laws:	
Inductance $v = \frac{d}{dt}(Li)$	Newton's Law $f = \frac{d}{dt}(Mu)$
Capacitance $v = \frac{1}{C}q$	Hook's Law $f = K\delta$
Resistance $v = Ri$	Damping $f = R_a u$
Impedance $Z = V/I$	Impedance $Z_a = FU$
Power $P = V \cdot I$ (watts)	Power $P = FU$ (watts)

\* Lower case letters are used for time functions, capital letters are their frequency representations.

stiffness constant  $C_{33}^D$  (Young's modulus for thickness vibration) and to the geometry, and an acoustic load resistance  $R_a$  in which all the factors responsible for acoustic energy dissipation have been lumped (damping material, loading due to cutting into the substrate, etc.).

There is a distinction between the clamped capacitance and the "free" capacitance which shall be designated as  $C'$ . This free capacitance is the value that would be ordinarily measured by any standard technique. The clamped capacitance is smaller than the free capacitance; it is the value that would be measured if the thickness were not allowed to change, a condition that is difficult to obtain in practice. It is the extra charge in  $C'$  called "motional charge" that gives rise to the piezoelectric displacement.

With  $V_T$  at the electrical port, motional voltage  $V_T$ , current  $I_M$ , and charge  $q_M$  exist at the transformer's electrical side. They are converted at the mechanical side into their counterparts, i.e., the force  $F$ , the particle velocity  $U$ , and the displacement  $\Delta$ , by the transformer whose transformation ratio is  $\alpha$  Newtons per volt or Coulombs per meter (in MKS). The relations

$$F = \alpha V_T', \quad U = I_M/\alpha, \quad \Delta = q_M/\alpha \quad [1]$$

are used to obtain mechanical quantities from their electrical counterparts, and vice versa, if  $\alpha$  is known.

An all-electrical equivalent circuit, shown in Fig. 3, can be obtained by using Eq. [1] and eliminating the transformer. If  $G_o$  is negligible, the network consists simply of  $C_o$  in parallel with an equivalent series  $RLC$  labeled  $Z_M$ . The charge  $q_o$  flows through  $C_o$ , while charge  $q_M$  and current  $I_M$  flow through  $Z_M$ . The following sections of this paper deal

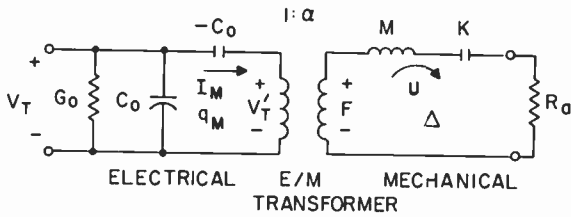


Fig. 2—Cutterhead equivalent circuit with electrical and mechanical ports.

with methods for measuring  $q_M$  and  $\alpha$ , from which  $\Delta$ , as well as the parameters of the equivalent circuit of Fig. 3, can be obtained.

### 3. Principle of the Bridge Measurements

The total charge  $q_T$  in the equivalent circuit of Fig. 3 is the sum of  $q_o$  and  $q_M$ . To measure  $q_M$ , a test set-up is needed that can measure  $q_T - q_o$ . Such a set-up is the bridge circuit shown in Fig. 4. One arm of the bridge consists of the cutterhead in series with a fairly large capacitor  $C_M$ . The other arm consists of an adjustable reference capacitor  $C_r$  in series with another capacitor of value equal to  $C_M$ . The voltages  $V_1$  and  $V_2$  are connected to a high input impedance differential amplifier of gain  $G$ . The total cutterhead charge flows through  $C_M$  at  $V_1$  so that  $V_1 \cong (q_M + q_o)/C_M$ . If  $C_r = C_o$  and if  $C_M \gg C_o$ , then essentially  $q_o$  flows through  $C_r$ , and  $V_2 \cong q_o/C_M$ . The output voltage of the amplifier is then  $V_o = G(V_1 - V_2) \cong Gq_M/C_M$ , giving

$$q_M = \frac{C_M V_o}{G} \quad \text{or} \quad \Delta = \frac{C_M V_o}{\alpha G} \quad [2]$$

A useful variation of this bridge system, shown in Fig. 5, has been proposed by R. Truesdell et al.<sup>4</sup> It takes advantage of the fact that a transformer is normally used to step up the voltage to drive the cutterhead. Due to the polarity reversal in the transformer configuration, the charge tapped by  $C_r$  is  $-q_o$  if  $C_r = nC_o$ , where  $n$  is the transformer's turns ratio. Thus only  $q_M$  flows through  $C_M$  and the amplifier output and the displacement are again given by Eq. [2]. This circuit configuration will be used for the rest of this paper.

It was mentioned earlier that  $C_o$  is difficult to measure. How then can  $C_r$  be adjusted to correctly give  $q_M$ ? The adjustment is made from considerations of the known frequency response of series  $RLC$  circuits represented by  $Z_M$ , which can be shown to be, for  $Z_M$  in Fig. 3,

$$|q_M(\omega)| = \frac{QC|V_T|}{\left[ Q^2 \left( 1 - \frac{\omega^2}{\omega_s^2} \right) + \frac{\omega^2}{\omega_s^2} \right]}, \quad [3]$$

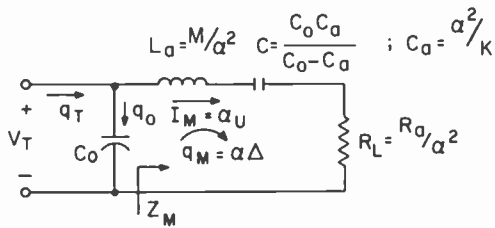


Fig. 3—All electrical equivalent circuit.

where  $\omega = 2\pi f$ ,  $\omega_s = 2\pi f_s$ , where  $f$  is the frequency,  $f_s$  the resonant frequency, and where  $Q$  is the quality factor given by  $f_s/\Delta f$ , where  $\Delta f$  is the 3-dB bandwidth of  $Z_m$ . From Eq. [3] it can be seen that the ratio of  $|q_M|$  at dc to its value at resonance is just  $1/Q$  or  $\Delta f/f_s$ , giving

$$q_M(\text{DC}) = \frac{\Delta f}{f_s} q_M(\omega_s). \quad [4]$$

Eq. [4] is used to obtain the correct setting for  $C_r$ . Using the circuit of Fig. 5, a swept signal is applied to the primary of the transformer and the resonant frequency  $f_s$  and the 3-dB bandwidth are recorded. Adjustment of  $C_r$  causes the whole response curve to tilt with respect to the peak at  $f_s$  which remains fixed. The correct value of  $C_r$  and the proper frequency response are obtained by varying  $C_r$  until the magnitude of the portion of the curve near dc is less than the peak by the ratio shown in Eq. [4]. It should be noted that this adjustment also gives the value of  $C_o$ , since  $C_r$ , which can be directly measured, is  $nC_o$ .

#### 4. Determination of $\alpha$ and of the Other Parameters

To convert  $q_M$  into actual displacement, the value of the electromechanical transformation factor  $\alpha$  must be obtained. For devices having simple geometry that factor can be easily calculated. Thus for a thin thickness vibration piezoelectric plate<sup>3</sup> having cross-section areas  $S$  much larger than the thickness  $d$ ,

$$\alpha = \frac{S}{d} k_t \sqrt{C_{33}^D / \epsilon_{33}^S}, \quad [5]$$

where  $k_t = \sqrt{1 - \epsilon_{33}^S / \epsilon_{33}^T}$  is the electromechanical coupling factor,  $\epsilon_o$  the permittivity of free space,  $\epsilon_{33}^S$  is the clamped dielectric constant for that mode of vibration, and  $\epsilon_{33}^T$  the free dielectric constant. Eq. [5] cannot be used in this work because the geometrical factor  $S/d$  is not well defined for the cutterhead. This factor can be eliminated by using  $C' = \epsilon_o \epsilon_{33}^T S/d$  for the free capacitance,  $C_o = \epsilon_o \epsilon_{33}^S S/d$  for the clamped

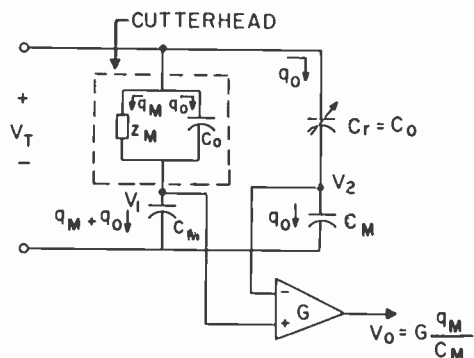


Fig. 4—Bridge circuit for measuring motional charge (displacement).

capacitance, giving

$$k_t = \sqrt{1 - C_n/C'}. \quad [6]$$

Thus

$$\alpha = AC'k_t\sqrt{1 - k_t^2}, \quad [7]$$

where  $A = \sqrt{C_{33}^D/\epsilon_r\epsilon_{33}^T}$ .

Hence it is sufficient to measure  $C_n$  and  $C'$  and use Eqs. [6] and [7] to obtain  $\alpha$ . The value of  $C'$  is obtained by simply measuring the capacitance between the cutterhead terminals on a capacitance bridge. Typical values for standard  $\frac{1}{2}$  real time cutterheads is 7.2 pf. As mentioned earlier,  $C_n$  is obtained by measuring  $C_r$ . Although  $C_r$  can be measured by removing it from the circuit, the method of substitution was experimentally found more accurate. After adjusting  $C_r$ , the cutterhead is removed from the test set-up and replaced by a dummy variable capacitor. With the sweep signal applied, the dummy is adjusted until a null output is obtained at  $V_n$  of Fig. 5 at all frequencies, at which time its value is equal to  $C_n$ . It can then be removed and measured without disturbing the test set-up.

The remaining components of the equivalent circuit are obtained in a straightforward manner. Their knowledge is useful for the design of the equalizer. From the observed output voltage  $V_o(\omega_s)$  of the test set-up at resonance and from the known applied voltage  $V_T$  at the transformer's secondary (Fig. 5), Eqs. [2] and [3] give

$$C = \frac{V_o(\omega_s)}{QGV_T} C_M. \quad [8]$$

Then

$$L_u = \frac{1}{\omega_s^2 C} \quad [9]$$

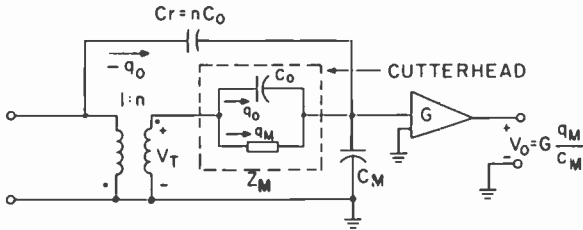


Fig. 5—Truesdell's version of the bridge.

$$R_L = \frac{\omega_s L_a}{Q}. \quad [10]$$

If the dielectric loss is desired, the conductance  $G_u$ , given by

$$G_u = \omega C_o \tan \delta, \quad [11]$$

must be used as in Fig. 2, where  $\tan \delta$  is the loss tangent of the dielectric. This conductance does not appreciably affect the displacement at moderate voltages, but is a major source of heat under normal operating conditions.<sup>5</sup>

## 5. Experimental Set-up, Procedure and Results

In general both the magnitude and the phase responses are needed. If a network analyzer is not available, a set-up using a gain-phase meter such as the HP3575A can be used. It takes two input signals  $A$  and  $B$  and can be configured to give two outputs, the magnitude of  $A$  and the phase difference between  $A$  and  $B$ . A complete test set-up using this instrument is shown in Fig. 6. The sweeper signal is split between a "signal channel" and a "reference channel," and the channel outputs are fed to the  $A$  and  $B$  inputs of the gain-phase meter. The signal channel contains the cutterhead, its driver, and the equalizer; the reference channel has a dummy capacitor of value approximately equal to  $C_o$  in place of the cutterhead and a suitable delay line to match the electrical path length of the signal channel. At low frequencies both channels act as capacitive voltage dividers with approximately equal outputs, and the reference channel is adjusted for zero phase. As the frequency varies, the gain-phase meter outputs give the correct magnitude and phase, which can be plotted and displayed on a scope. When device characterization is desired, the switches are set in position 1, bypassing the equalizer, the amplifier, and the delay. For equalization and monitoring, switch positions 2 are used.

This test set-up has been used to characterize several hundred samples with reproducible results. Fig. 7 shows the amplitude and

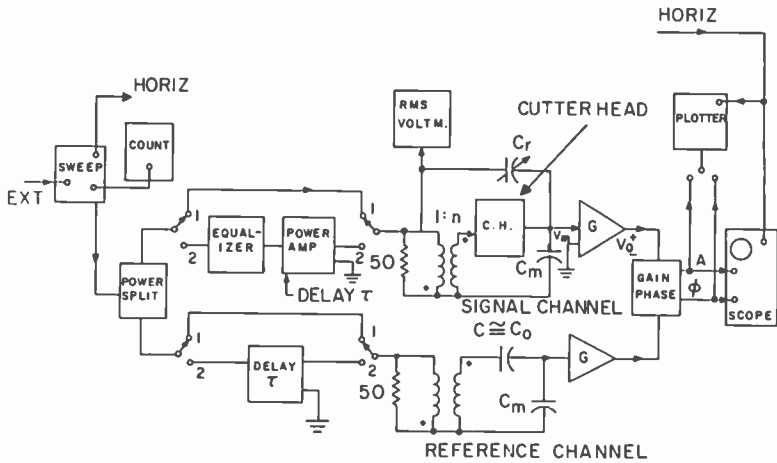


Fig. 6 —A complete test set-up for cutterhead characterization.

phase response of a typical half-real-time cutterhead. The circled dots represent points computed from Eq. [3] using the experimentally obtained components of the equivalent circuit. Fig. 8 shows the “equalized” response of the same sample.

The test set-up can also be used to measure the motional impedance  $Z_M$  and the total transducer impedance. The motional impedance is

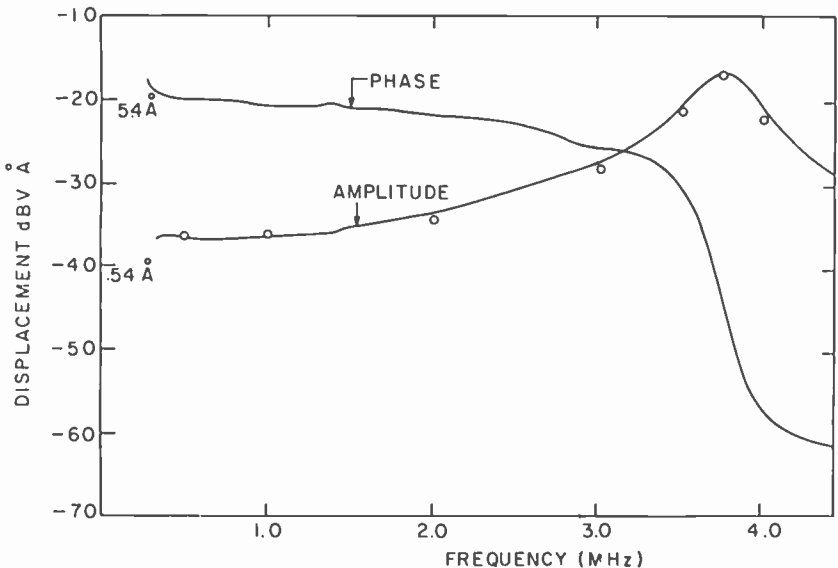


Fig. 7 —Frequency response of typical half real time cutterhead.

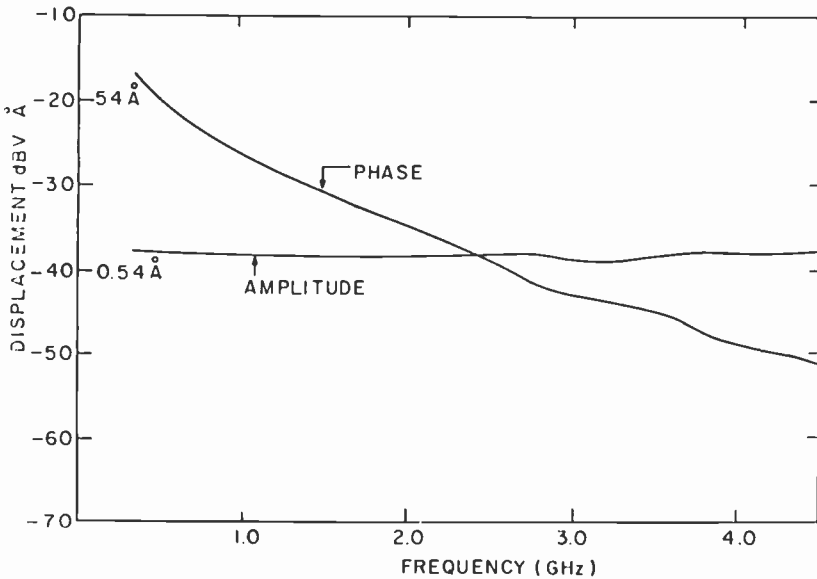


Fig. 8 —Equalized response of a half real time cutterhead.

simply measured by replacing  $C_m$  in the signal channel by a resistance whose value is much less than the reactance of  $C_v$  (say 50 to 200  $\Omega$ ). The signal channel now gives the motional current  $I_M$ . Switching the gain-phase function to  $B/A$  (refer to HP3575A manual) gives the ratio of  $V_T/I_M$ , which is equal to  $Z_M$ . The total impedance is measured in the same manner, but after disconnecting  $C_r$ .

## 6. Conclusion

This paper describes a method of measuring characteristics of piezoelectric videodisc cutterheads. It is based on a few simple measurements of capacitances,  $Q$ , resonant frequency, and on the measurement of the motional charge in the device. The motional charge is measured by means of a bridge or balance circuit designed to give an output that is the difference between the total charge through the device and the charge flowing through its clamped capacitance. Simple formulas are given that relate those measurements to yield values for the displacement, the piezoelectric coupling factor, and the elements of the device's equivalent circuit. The test set-up can also be used to measure impedance or to monitor displacement during equalization or during recording. The method applies to any piezoelectric device in which geometrical factors make analysis or conventional measurements difficult.

## Acknowledgement

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# A Quadrature Michelson Interferometer System for Probing Surface Vibrations—Application to VideoDisc Cutters

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**Abstract**—An optical test system for evaluation of VideoDisc cutterheads or other ultrasonic transducers is described. The system measures phase, group delay and absolutely calibrated amplitude in a frequency range from 100 kHz to 13 MHz. Amplitudes greater than about  $10^{-3}$  Å can be measured but a calibration correction factor is necessary at amplitudes greater than about 100 Å. The surfaces to be measured need not be specular and good response data is obtained from granular materials such as typical PZT surfaces.

## 1. Introduction

The VideoDisc cutter head is fundamentally an ultrasonic transducer. However, unlike most such transducers which are designed to radiate their ultrasonic power into liquid or solid media, the task of this device is to produce a machined surface whose contour represents the FM-encoded television signal. Optical techniques have traditionally played an important role in investigating and measuring acoustic fields. In a typical application, an optical probe detects the ultrasonic motion of a suitable surface or, more rarely, an acousto-optic interaction is used in a transparent liquid or solid.<sup>1</sup> Systems whose electrical signal is proportional to the acoustic amplitude and that have good spatial resolution are clearly the most desirable. Interference<sup>2</sup> as well as diffraction<sup>3</sup> have been used extensively to detect, visualize, and measure acoustic wave fronts.

In most imaging and measuring applications, it is not necessary to

transducer base motion can be measured and, in fact, such motion has been observed. R. Shahbender<sup>5</sup> has hypothesized that a radiation pressure force is generated at the steel-damping-material interface, tending to move the entire steel-PZT assembly away from the mounting post. Other possible mechanisms are heating accompanied by expansion and nonlinear behavior of the viscolloid damping material. The observed time constant of this effect of about 1 sec favors a thermal explanation, while one would expect essentially instantaneous response from mechanical rectification or from a radiation pressure force. The principal difficulty in postulating heating as a mechanism is that the calculated magnitude of such an effect is too small.

### 3. Example of a Typical Cutterhead Test

The interferometer is routinely used to characterize VideoDisc cutterheads for research on new structures and for production control. Despite the fact that the surface displacements that are being measured are only of the order of a few angstroms, the instrument is easy to use and has good stability. The sample is mounted on a prealigned block that directs the probing light beam within a few tens of microns of the desired location. The optical alignment is completed in a few minutes and the system is ready for the calibration cycle. The amplitude, phase, and group delay sweeps are then taken over a frequency range from 0 to 6.5 MHz for a half real-time cutter. The entire procedure takes about 15 minutes for a subassembly and somewhat longer for complete cutterhead. The response is measured at the center of gravity of the triangle on a subassembly. The diamond is then mounted and the response is remeasured as near to the cutting tip as possible. Normally Face 1, Face 2, as well as the X-face are probed (Figs. 1 and 3). The drive to the transducer in a typical qualification run is 2-3 V with a source impedance of 50 ohms. The amplitude to be measured is about  $2 \text{ V} \times 1.2 \text{ \AA/V} = 2.4 \text{ \AA} = 0.24 \text{ nm}$ , where  $1.2 \text{ \AA/V}$  is the approximate sensitivity of a typical transducer. The computer is used to find the frequency of the main resonance by searching for a maximum in the response. The  $Q$  is determined by finding the 3 dB points on both sides of the resonance. The computer generates a calculated response and plots the results for comparison to the actual response. The peak of the model resonance curve is matched to the peak of the measured curve. The difference between the two is also taken and it allows a ready inspection of the response for secondary resonances.

In actual use, the cutterhead response is approximated by considering only the single main resonance that is to be equalized. The

A QUADRATURE MICHELSON INTERFEROMETER SYSTEM

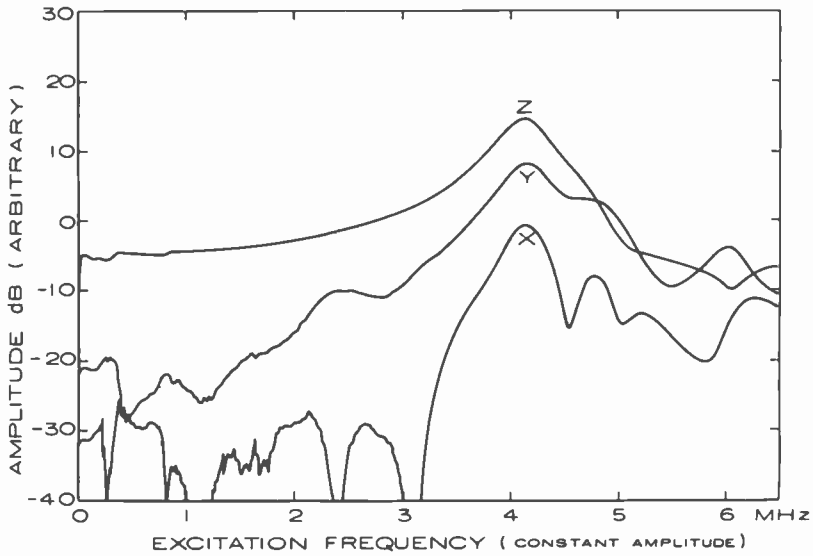
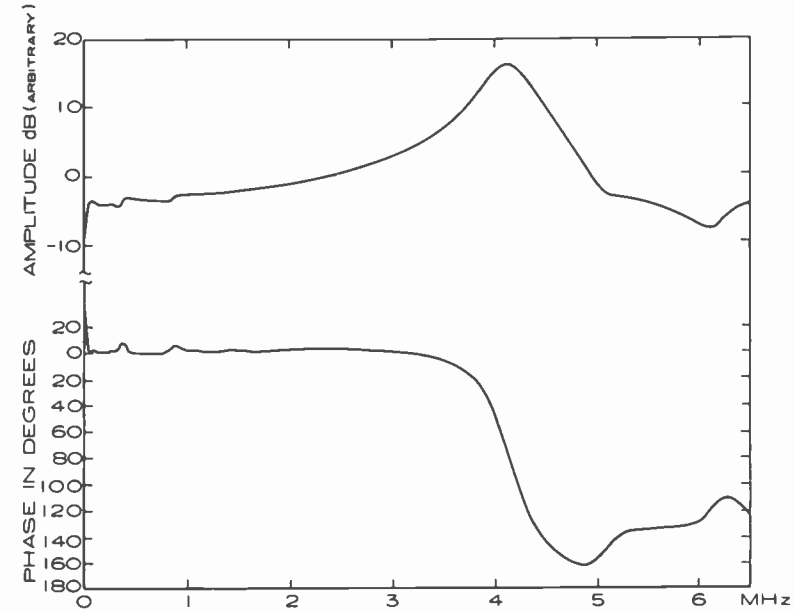


Fig. 3—(a) Typical response of a cutterhead showing measured amplitude and phase (Face 1); (b) response from X and Y faces compared to Face 1.

residue must meet certain specifications to qualify the cutter for mastering, but no attempt is made to equalize any other resonances. Ideally the cutterhead resonates at the lowest normal mode and all other resonances are well separated and at higher frequencies. In fact, many other resonances are present that cause aberrations in the recorded response. The goal of our research effort has been to find structures that have the largest size for a given frequency, thereby reducing the strain in the material and making for ease of manufacture. The interferometer system has been used extensively to investigate many experimental structures manufactured to achieve the above goal. Unfortunately only very few simple geometries are amenable to limited theoretical analysis,<sup>5,7,8</sup> and the interferometer has been used to verify the calculated vibrational structure of such devices.

#### **4. Correlation to Other Test Methods and Relation to System Performance**

The principal objective of the interferometric measurements is to obtain detailed understanding of cutterhead performance as it relates to overall VideoDisc system performance. As a check on the meaning of interferometer results, it is important (1) to compare the interferometer data to impedance, capacitive probe, or cutterhead current measurements and (2) to compare the results on cutterheads obtained with the interferometer to playback data obtained from the substrate with the laser reader<sup>9</sup> and from discs with a capacitive stylus. All techniques except interferometry average the cutterhead response and thus one would expect only limited correspondence with interferometer data. Indeed, neither the bridge nor the impedance measurements detect the low-frequency resonances, and the high-frequency response above resonance is significantly different.

Reasonably good correspondence of capacitive probe data with interferometer measurements is obtained in the mid-frequency range up to the resonance. However, because of the difficulty of measuring the equilibrium capacity of the measuring capacitor gap, the sensitivity of the transducer cannot be determined. The capacitive probe does measure surface displacement just as the interferometer, however, motion is averaged over the probe tip area, which is roughly equal to the top surface of the entire transducer, and complicated averaging takes place in the fringe area of the probe. Because the surface to be measured has to be conductive, the use of this technique is limited, and completed transducers with the diamond in place cannot be measured at all with this technique.

Averaging also takes place in the cutterhead current measurement. The motional components of the cutterhead current are measured by

cancelling the current through the static or clamped capacity. Here, what is really measured is the piezoelectric conversion efficiency of the entire transducer block regardless of the direction of motion.

Consider an extreme example of potential errors that can occur as a result of such averaged measurements. For a resonance mode that is symmetric about the center of the triangle, there can be a node at the center of gravity. Current measurements would show a strong response at resonance, but in fact the displacement would tend toward zero in the vicinity of the point where the diamond is mounted. Measurements on the *X* and *Y*-faces illustrate well that many vibrational modes are not detected by current measurements because of averaging. The complicated structure of the low-frequency modes (see Fig. 3a) that is observed is weak or totally absent when a current or capacitive probe response is taken.

Specific experiments were performed to directly compare the cutterhead current with interferometric measurements in the *Z*-direction. As expected, the high-*Q* structure around 1 MHz disappeared. Approximate correspondence was obtained in the frequency range from 1 MHz up to resonance. Above resonance there was no correspondence at all, primarily, it is suspected, because of mode symmetry considerations.

The most difficult problem, however, is that no technique has produced complete correspondence to the final result, the picture playback from a pressed disc with a capacitive pickup player. Some of the unresolved issues revolve around the question of whether a flat amplitude response is sufficient to characterize the transducer or whether the phase or group-delay should be equalized. Aberrations can be introduced directly into the phase response by motion in the *X* (forward or tangential) direction and by second-order effects due to motion in the *Y* (radial) direction. Unsuccessful attempts have been made to correlate the separation and structure of the *X*-response to picture quality. Nevertheless, it is believed that the forward motion is undesirable because it can be shown that it introduces undesired phase distortion into the recorded signal. This can be seen intuitively by observing that the zero crossings of the signals are displaced from their normal position by motion in the *X*-direction. The major unresolved question is what nonlinearities contribute to the generation of base-band signals and the various beats that can be observed. While there is no doubt that nonlinearities are present, it has not been possible so far to attribute any beats to a specific property of the cutter or any other specific part of the VideoDisc system. An example is the attempts to correlate measurements of differential gain and differential phase or color bar performance to parameters determined by the interfer-

ometer. No correlation could be established, implying the existence of hidden, untested parameters.

## 5. System Description

### 5.1 Theory of Optical Detection System

A modified Michelson Interferometer is used to detect the motion, and suitable electronics process the signals corresponding to the displacement. Secondary stabilization and normalization signals are also generated. A block diagram of the system electronics is shown in Fig. 4. The system consists of a stable air-supported optical table that holds the interferometer and the photodetector preamplifiers (Fig. 5). A separate rack holds the video-signal generation and the detection equipment, monitoring scopes, and the stabilization and normalization electronics (Fig. 6).

The optical front end contains the Michelson quadrature interferometer (Fig. 7) described in detail in Sec. 5.3. It is the fundamental motion-to-signal transducer. For small amplitudes, the output from the optical front end is proportional to the displacement and to the amount of light reflected by the device under test, assuming that the

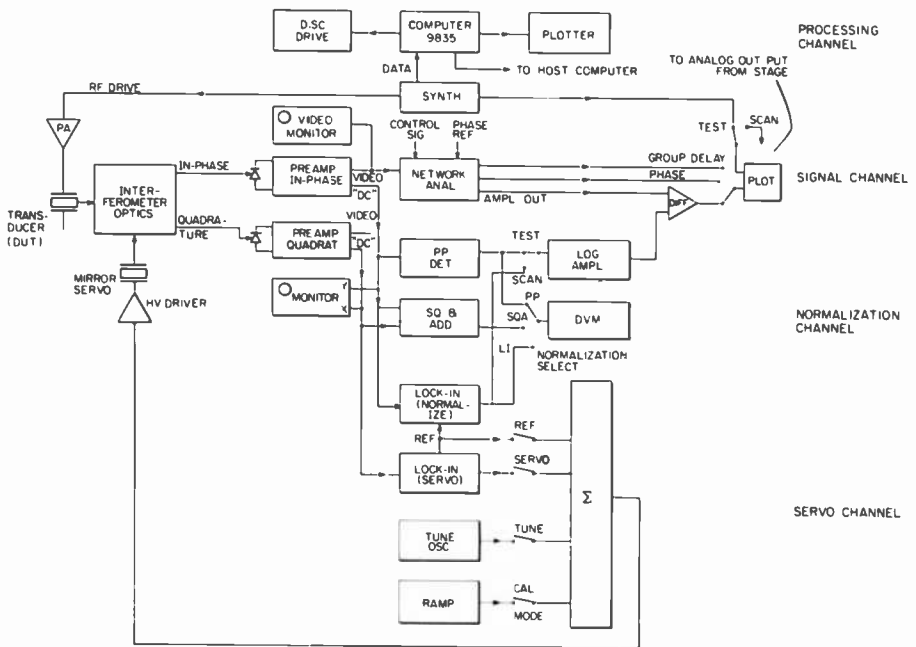


Fig. 4—Block diagram of the interferometer system.

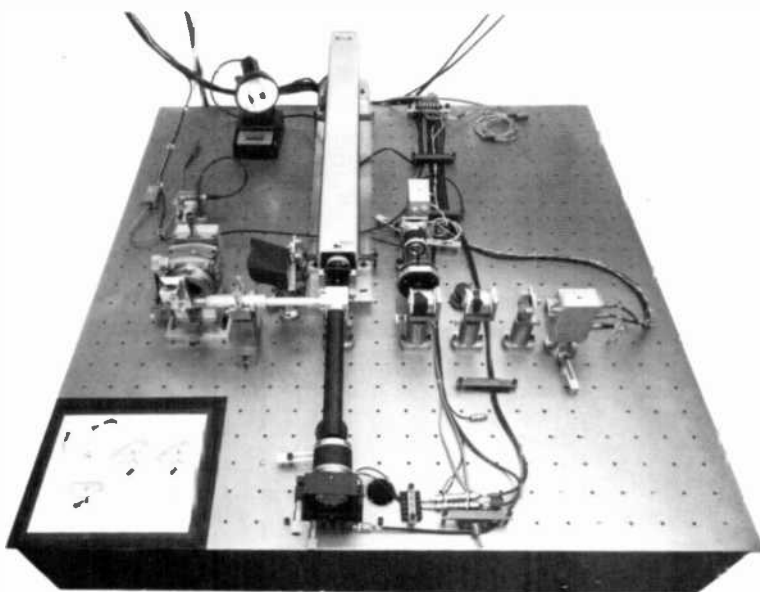


Fig. 5—View of the optical front end.



Fig. 6—Electronic systems (computer not shown).

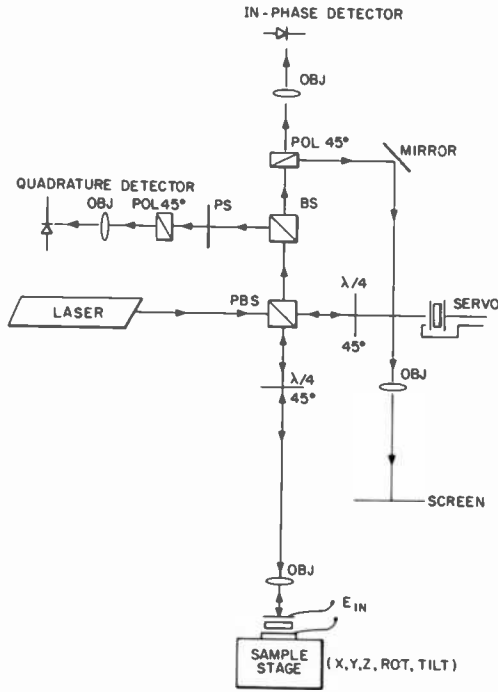


Fig. 7—Quadrature interferometer.

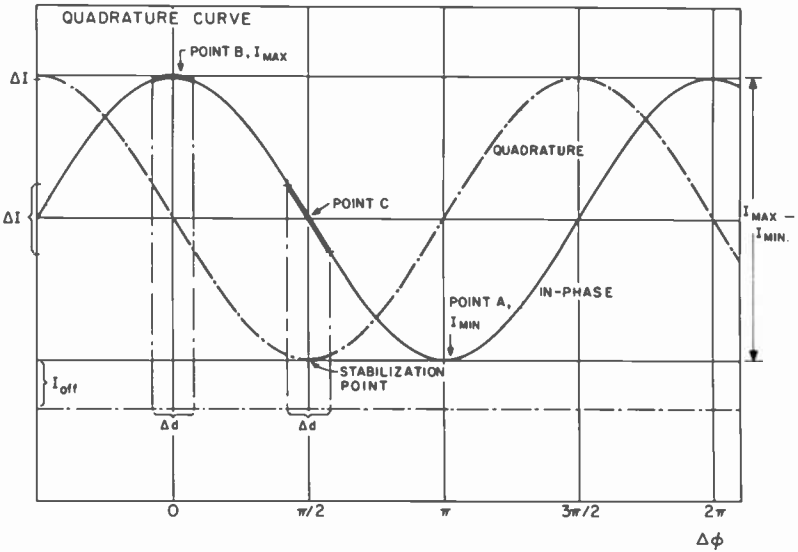


Fig. 8—Quadrature (visibility) curve.



interferometer is biased to the mid point of the transfer function (Fig. 8, Point C). Then after normalization

$$E_{OUT} = \eta \frac{I_{OUT}}{\sqrt{I_m I_r}} R_L = \eta R_L D \frac{8\pi}{\lambda} \quad [1]$$

where  $\eta$  is the quantum efficiency of the photodetector,  $R_L$  its load resistance,  $D$  is the displacement to be measured, and  $I_r$ ,  $I_m$  are the reflected intensities from the servomirror and the sample, respectively. Except for the coefficients, this expression is intuitively obvious—the signal is given by the product of the slope of the transfer function and the amplitude  $D$ .

To derive Eq. [1], consider the interferometer. The beam from the He-Ne laser light source is split into two equal parts by a beam-splitter. One of the beams is incident on the reference mirror. The other beam is incident on the sample to be tested. The reflected beams are recombined in the beam-splitter and both are incident on the square-law photodetector diode. The returning beams will interfere, and the amplitude of the light incident on the detector depends on the phase difference between the two beams. The incremental phase shift in the measuring arm is given by

$$\phi = 2 \frac{2\pi}{\lambda} d = 2kd, \quad [2]$$

where  $d$  is the incremental distance by which the measuring mirror was moved, and  $k$  is defined by the equation. A movement of the reflecting surface in the reference arm produces a similar phase shift. If both mirrors are moved the same incremental distance away from the beam-splitter, the absolute phase shift is the same in both beams and there is no net change in the output beam, i.e., the amplitude of the output beam depends on the phase difference in the two arms. The photodetector output will vary sinusoidally as a function of path difference in the two arms as will be shown below (Eqs. [3]–[5]).

Each of the two beams can be thought of as a traveling wave characterized by an amplitude and a phase; complex notation will be used to describe them. The total phase in each beam consists of an incremental part, corresponding to the dither excitation or to the ultrasonic motion to be measured, and of a part due to the equilibrium distance between the beam-splitter and the two reflecting surfaces. For convenience the propagating wave is expressed as the sum of the incremental distance  $d$  and the equilibrium phase  $\phi$  using consistent units. Therefore, the complex amplitudes  $\tilde{A}_r$  and  $\tilde{A}_m$  are

$$\begin{aligned} \tilde{A}_r &= A_r e^{i(2kd_r + \phi_r)} \\ \tilde{A}_m &= A_m e^{i(2kd_m + \phi_m)}. \end{aligned} \quad [3]$$

where the subscripts  $r$  and  $m$  refer to the reference and measuring arms, respectively.

The amplitude of the output beam is the sum of the reference and measuring beam amplitudes

$$\tilde{A} = \tilde{A}_r + \tilde{A}_m \quad [4]$$

where, for simplicity, we consider single-plane polarization. The square-law detector measures the intensity  $I = \tilde{A}\tilde{A}^*$ . Thus, the detected intensity is

$$I = A_r^2 + A_m^2 + 2A_r A_m \cos[2k(d_m - d_r) + \phi_m - \phi_r]. \quad [5]$$

The video-frequency surface motion is present only in the measuring arm, while the low-frequency pilot signal is impressed on the reference mirror. For purposes of understanding the detection process, it suffices to recognize that there is a small perturbation,  $\Delta d = d_m - d_r$ , present. The resulting signal varies as a function of the equilibrium phase difference  $\Delta\phi = \phi_m - \phi_r$ . The incremental intensity  $\Delta I$  corresponding to  $\Delta d$  is small at  $\Delta\phi = 0$  and  $\phi = 2\pi$  (Fig. 8, point A or B), approaching zero in the limit of  $\Delta d \rightarrow 0$ ; whereas at  $\Delta\phi = \pi/2$  it has a maximum (Fig. 8, point C). Indeed, for small signals  $\Delta I$  is linearly related to  $\Delta d$  by the slope of the curve. For large values of  $\Delta d$  (e.g., 850 Å p-p), the typical cutting amplitude, the excursion expressed as the fraction of a wave, is  $850/6328 = 0.13$ ; and the peak-to-peak interferometer signal excursion is about 26% of a full wave. At these amplitudes the transfer function is beginning to exhibit nonlinearities, i.e., the excursion is entering the curved portion of the sine function. This implies that harmonics are introduced into the detected signal. Narrow-band detection must be used or appropriate corrections have to be made if the large-amplitude sensitivity or harmonic distortion is to be measured. To see what the response of the system will be for small and large amplitudes, consider a sinusoidal motion of amplitude  $D$  and angular frequency  $\omega$ :

$$d_m = D \sin \omega t.$$

Assume for the moment that there is no drive-signal applied to the reference-beam reflector. Then, Eq. [5] becomes

$$I = A_r^2 + A_m^2 + 2A_r A_m \cos(2kD \sin \omega t + \phi_m - \phi_r). \quad [6]$$

If the amplitude  $D$  is small and if  $\phi_m - \phi_r = \pi/2$ , the cosine function can be expanded. Thus,

$$\cos(2kD \sin \omega t + \pi/2) = \sin(2kD \sin \omega t) \approx 2kD \sin \omega t, \quad [7]$$

where  $\sin x \approx x$  is used for small  $x$ . Therefore, the time dependent part

of the intensity is given by

$$I(t) = 4 \sqrt{I_r I_m} kD \sin \omega t, \quad [8]$$

since  $A_r^2$  and  $A_m^2$  are constant; also  $A_r = \sqrt{I_r}$ ; and  $A_m = \sqrt{I_m}$ . By measuring the intensity due to the reference arm ( $I_r$ ) and the measuring arm ( $I_m$ ), an absolute determination of the amplitude can be made. It is also seen that for large  $D$ , Eq. [7] is no longer valid and the cosine term in Eq. [6] has to be expanded by the Fourier-Bessel expansion,

$$\sin(2kD \sin \omega t) = 2 \sum_{2n+1} J_n(2kD) \sin(n\omega t). \quad [9]$$

This expression will be valid at the exact bias point where  $\phi = \pi/2$ , and gives rise to a system response with a fundamental as well as odd harmonics. At the maximum or minimum of the visibility curve, Eq. [5], the even expansion will be valid

$$\cos(2kD \sin \omega t) = 2 \sum_{2n} J_n(2kD) \cos(n\omega t) + J_0(2kD), \quad [10]$$

giving even-order harmonics. At intermediate points, both expressions will contribute to the response, and even and odd harmonics will be present.

Because of the presence of harmonics in the detected signal, the value of the amplitude will depend on the detection method. A narrow-band receiver such as the HP 3570A Network Analyzer detects only the fundamental, and the results will be equivalent to Eq. [8] for small amplitudes. For large amplitudes, the output at the fundamental is given by Eq. [9] with  $n = 1$ ,

$$I(t) = 4 \sqrt{I_r I_m} J_1(2kD) \sin \omega t. \quad [11]$$

Since

$$J_1(2kD) \approx kD \quad [12]$$

for small arguments of the Bessel function, it can be seen that Eq. [8] is equivalent to Eq. [11] in the limit of small amplitudes. At the maximum cutting amplitude, (850 Å p-p),  $kD = 0.42$  and  $J_1(2kD) = 0.386$ . Thus, the maximum error in the amplitude measurement would be 9% if Eq. [8] was used instead of Eq. [11]. To obtain the full accuracy, the Bessel function series must be inverted. A simple algorithm suffices since  $J_n(x)$  approaches zero very rapidly for  $x > n$ . In the present system no corrections for large amplitude are made, i.e., Eq. [8] is used to obtain the amplitude.

The presence of system-generated harmonics complicates not only the measurement of the sensitivity and frequency response of the cutterheads but also makes difficult the determination of nonlinearities

of the device under test. Typically at 850 Å p-p, the system generated 3rd harmonic is 30 dB down from the fundamental (Eq. [9]). Certainly if the cutterhead 3rd harmonic is comparable to this value, one cannot separate the two without taking additional measurements and invoking an appropriate algorithm to separate the contributions.

At the exact bias point for the interferometer, the system does not contribute any even harmonics. Thus, in principle, the important 2nd harmonic could be measured directly. In fact there are small intentional (dither) and unintentional (air currents, etc.) fluctuations around the bias-point, sufficient to introduce significant and sharply varying second harmonics. Typically at an amplitude of 850 Å p-p, the system second harmonic is 13 dB down from the fundamental when the interferometer is set  $\pm 90^\circ$  away from the correct bias point (Eq. [10]). Therefore, if the bias point error is  $10^\circ$ , the system second harmonic will be only 28.5 dB down from the carrier.

## 5.2 Normalization and Calibration

The magnitude of the detected signals not only depends on the surface amplitude  $D$  of the transducer under test but also on the amount of light in the reference and measurement arms. However, if one separately measures the quantity  $\sqrt{I_r I_m}$  and divides the detected signal by it, an absolute measurement of the surface amplitude  $S$  (in Å) of the transducer is obtained from Eq. [8],

$$S = D \sin \omega t = \frac{1}{4k} \frac{I(t)}{\sqrt{I_r I_m}}. \quad [13]$$

Because the wavelength of the light that is used is the metric for the sensitivity measurement, no other measurements are necessary to obtain an absolute determination of the surface amplitude. Thus, inaccuracies are related only to uncertainties in the signal measurement and errors in the determination of the amplitude of the visibility, or quadrature, curve, Fig. 8.

In the present system, three methods of determining  $\sqrt{I_r I_m}$  are used. They are: (a) peak-to-peak detection, (b), square-and-add detection, and (c) lock-in detection. Each method will be described below.

It should be recognized that in most interferometers the interference is not perfect. Thus, Eq. [5] has an additional offset term in it,

$$I = I_r + I_m + 2 \sqrt{I_r I_m} \cos[2k(d_m - d_r) + \phi_m - \phi_r] + I_{off} \quad [14]$$

where all quantities are now expressed in terms of intensities rather than amplitudes. Therefore the visibility curve (Fig. 8) has its origin

shifted as indicated by the dashed line. The quantity to be determined is the coefficient of the cosine term in Eq. [14], independent of the dc terms. The detection techniques were designed to achieve this end.

(a) *Peak-to-Peak Detection*

To obtain the peak-to-peak values the negative and the positive peaks are determined separately and subtracted from each other (Figs. 8 and 9). Because the light intensity is proportional to the photodetector output voltage, the maximum and minimum values can be expressed in terms of the intensities rather than the photodetector voltages. From Eq. [14],

$$I_{max} = I_r + I_m + 2\sqrt{I_r I_m} + I_{off}, \quad \text{using } \cos\theta = 1$$

$$I_{min} = I_r + I_m - 2\sqrt{I_r I_m} + I_{off}, \quad \text{using } \cos\theta = -1,$$

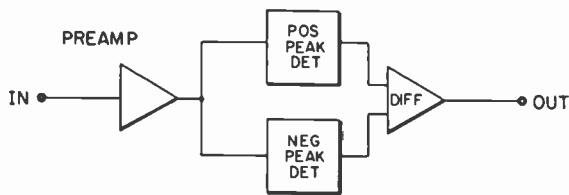
and therefore, as required,

$$I_{max} - I_{min} = 4\sqrt{I_r I_m}.$$

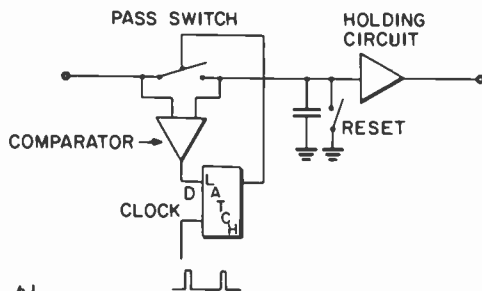
Consider a typical calibration cycle. Immediately after the start of the measurement both detectors acquire the present value of the intensity  $I_{st}$ . By driving the servo mirror with a slow ramp, the intensity will initially decrease and eventually reach  $I_{min}$ . The positive-peak detector (Fig. 9a) will, during this interval, retain  $I_{st}$  since the input voltage is decreasing. The negative peak detector, however, follows the present voltage until the minimum is reached. As the interferometer continues to be driven, the latter value will no longer change since the intensity is now increasing. The positive peak detector will start to follow the input when the intensity is greater than  $I_{st}$ , and it will do so until  $I_{max}$  is reached. Even if the interferometer continues to be driven, the peak values will then no longer change, and both values have been properly acquired. It was assumed for this example that the intensity will decrease. If the system was tuned initially such that the starting slope is positive (Fig. 8), then the intensity would have increased in response to the ramp signal and the sequence of operation of the peak detectors would have been reversed. The difference amplifier forms  $I_{max} - I_{min}$  and, therefore, the output is as desired.

A refinement was introduced to eliminate the traditional diode often used in peak detectors. Ideally the diode conducts perfectly when charging the holding capacitor and is turned off when the capacitor voltage is equal or greater than the input voltage to the peak detector. In fact, there is a variable voltage drop across the diode, depending on the forward current, and significant errors are introduced.

A new peak detector was devised to overcome this problem. Instead



a)



b)

Fig. 9—Principle of operation of peak-to-peak detector: (a) generation of the peak to peak signal and (b) principle of the diodeless peak detector (positive detector shown).

of a diode, a steered semiconductor switch is used. The positive peak detector functions as follows (see Fig. 9b). Assume that initially the input voltage is equal to the capacitor voltage; the comparator is turned off. Now, if the input voltage rises above the capacitor voltage the comparator changes state. The resulting logic "one" signal is clocked into the D flip-flop which therefore changes state and turns on the pass switch. When the input and capacitor voltages are equal, the comparator reverts to the original state and therefore the switch is turned off via the D flip-flop. The clock rate must be high enough to follow the fastest change of the input signal with an error smaller than the error voltage of the comparator (about 1-2 mV). This error voltage is also roughly equal to the error voltage of the peak detector which should be compared to a typical diode-voltage drop error of approximately 0.5 V.

#### (b) Square-and-Add Detection

There are actually two outputs from the interferometer that are in quadrature (Figs. 7 and 8). The second output is similar in form to Eq. [14] but with the cosine function replaced by the sine function,

$$I = I_r + I_m + 2\sqrt{I_r I_m} \sin[2k(d_m - d_r) + \phi_m - \phi_r] + I_{off}. \quad [15]$$

If suitable high pass filters remove the constant terms, and the identity

$$\sin^2 \theta + \cos^2 \theta = 1 \quad [16]$$

is used, the normalization factor can be determined:

$$2I^2 = 4I_r I_m. \quad [17]$$

In the present version of the system there is no square-rooter circuit, but when the computer is used it can be programmed accordingly.

### (c) *Lock-In Detection*

This technique uses the pilot signal for normalization. Just as the video drive to the transducer under test produces a signal, so will the pilot-drive to the servo mirror. The latter signal is detected with an Ithaco\* lock-in amplifier. The disadvantage of using this signal is that its magnitude depends on the sensitivity of the servo mirror which must therefore be calibrated. The lock-in method must be used when fluctuations of the signal occur during the measurement, such as scanning a transducer to determine the mode structure. Typically the reflectivity of the scanned sample varies over a wide range due to the granular structure of the PZT material or other surface structure and contamination. It should be recognized that methods (a) and (b) amount to establishing the metric for the measurement, but that the very operation of generating such a calibration signal prevents normal operation of the interferometer. The real-time lock-in method is inherently incapable of generating such an absolute calibration signal.

## 5.3 Implementation of the Quadrature Interferometer

To derive Eq. [5], it was assumed that the interferometer is tuned to the proper bias-point on the visibility curve,  $\Delta\phi = \pi/2$  (Fig. 8, point C). The purpose of the stabilization loop is to achieve this goal. Consider a pilot or dither signal ( $\approx 550$  Hz) which is generated by a small amplitude motion of the servo or reference mirror. The maximum dither signal will occur at the midpoint of the curve just as the maximum of the video signal will. In principle this signal could be used to stabilize the system, i.e., a feedback loop would act to maximize this signal, but a suitable phase reference would have to be derived from the signal.

Consider now the situation at a maximum or minimum of the visibility curve. Here the slope of the curve and, therefore, the phase

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\* Ithaco, Inc., 753 West Clinton St., Ithaca, NY 14850.

of the pilot signal changes as the extremum is passed, and furthermore, the signal will be zero at the exact maximum or minimum. Thus, this is the natural signal to stabilize the system. Of course, this stabilization point is unsuitable for video detection, since the desired signal there is zero as well. The answer to this dilemma lies in having a second channel in the system which is  $90^\circ$  out of phase with the signal channel (in quadrature). When the signal in this latter channel has an extremum, the in-phase channel will be biased at the correct point. Thus, the quadrature channel can be used to stabilize the system, while the in-phase channel is used for measurement.

The requirement for the quadrature channel makes it necessary to modify the optical arrangement. Quarterwave plates in each arm and a polarizing beam-splitter (PBS, Fig. 7) are used to obtain circularly polarized light that falls onto each of the reflecting surfaces. On return, the beams are still circularly polarized but they are converted back to linear polarization, perpendicular to the original direction, by the quarterwave plates. The effect of this is that the returning beams will emerge from the output side of the beam-splitter. The polarization of the beam from the measuring arm and the reference arm will be  $90^\circ$  apart. To obtain interference from these two beams,  $45^\circ$  components are taken with a polarizer (actually, a polarizing beam-splitter). The quadrature light is obtained by picking off a sample from both beams with an ordinary 50/50 beam-splitter (BS, Fig. 7) and phase-shifting the reference beam only by  $90^\circ$  (PS, Fig. 7). The phaseshifter consists of a piece of plexiglass to which an uniaxial strain may be applied. If the system is not in quadrature, the circle display will change into an ellipse, a condition readily corrected by adjusting the pressure screw that generates the strain. Interference is obtained in the same manner as in the measuring beam, with the polarizer set at  $45^\circ$ . The incidental beam from one of the output polarizer beam-splitters is projected onto a small screen and is used for alignment purposes.

## 5.4 System Electronics

A block diagram of the entire interferometer system is given in Fig. 4. The task of the system electronics is to generate a normalized, absolutely calibrated signal proportional to the displacement being measured.

### *(a) Signal Channel*

The stimulus to the transducer is generated by the synthesizer. The response, which is detected by the interferometer optics and photo-



preamp, is measured by the network analyser. One of the two channels is used to measure the preamplified signal from the photodetector. The other serves as a reference for phase and group delay measurements. The network analyzer has outputs for amplitude, phase, and group delay. After scaling, phase and group delay signals are routed directly to the X-Y recorder and the effects of linear phase are removed by a delay line in the reference channel. One of the three normalization signals generated as described in Sec. 5.2 is selected, routed to the log amplifier, and subtracted from the logarithmic-amplitude dc signal from the network analyser.

It has been found that peak-to-peak detection yields the best amplitude accuracy of about  $\pm 0.5$  dB. The source of the residual error is unknown at the present time.

#### (b) *The Servo Channel*

The servo-channel contains the electronics to lock the system to the correct bias point (Fig. 8, point C). It also contains the signal sources for set-up (tune-mode) and calibration. Electronic switches, selected by front panel push buttons and by appropriate logic circuitry route the signals to the servo mirror via a summing amplifier and a high voltage driver. A suitable dither or pilot signal is applied via the pilot switch to the servo mirror. The frequency (550 Hz) was chosen for good servo response and minimum interference with the video signal. The drive amplitude is about  $10^{-2}$  nm. This signal induces the phase-sensitive signal in the interferometer which is then amplified and detected in the servo lock-in amplifier. The resulting dc correction signal is applied to the mirror if the servo switch is closed. An increasing error away from the desired stabilization point causes a larger correction voltage due to the larger slope of the quadrature curve. The polarity is such as to drive the system back to the desired point. The accuracy with which the system can be maintained at this position depends on the loop gain of the correction circuit and on the speed with which the mirror can respond to an input signal. For diagnostic purposes the dither signal alone can be applied to the mirror.

The presence of a quadrature signal allows a convenient check on the alignment of the system.

In the tune mode,

$$I_r = \sqrt{I_r I_m} \sin[(2kD)\sin \Omega t]$$

$$I_q = \sqrt{I_r I_m} \cos[(2kD)\sin \Omega t]$$

where  $\Omega$  is the tune-signal angular frequency (40 Hz). If the amplitude  $D$  is large enough to drive the system through about  $1\frac{1}{2}$  fringes,  $I_i$  and  $I_q$  are the parametric equations for a complete circle. The in-phase and quadrature signals are connected to an  $X$ - $Y$  oscilloscope and a circle is displayed. The diameter is a measure of the strength of the signal, i.e., the quality of the tested surface. It is maximized by adjusting the focus and position of the probing beam on the sample under test. Fine positioning is necessary because of imperfections or dirt on the surface of the PZT or diamond. When the adjustment is satisfactory the tune signal is disconnected and the servo is enabled. The monitor will show that the system is locked up properly and the display spot will move to the in-phase position.

In the Cal mode the ramp signal is applied to the servo mirror when it is desired to generate the peak-to-peak normalization signal. The ramp signal is applied to generate a normalization signal that is captured by the peak-to-peak detectors. As the interferometer is made to slowly traverse the fringe pattern (10 sec for a  $1\frac{1}{2}$  fringe ramp) the peak detectors will capture the minimum and maximum values.

### *(c) The Processor*

The data generated by the system is routed via the IEEE 488 bus to the HP 9835A computer. The center frequency and  $Q$  of the dominant resonance are determined by the computer using the 3-dB points. A more sophisticated mode analysis program using about 600 data points has been implemented but the center frequency and  $Q$  fit were not significantly improved. The program is presently being expanded to characterize as many normal modes as possible. The ultimate goal is to identify all modes and to find the corresponding physical displacement pattern on the transducer. To do the more sophisticated mode analysis, a main frame computer is required. The transducer data will then be transferred via the appropriate interface.

## **6. Summary**

An optical test system based on a Michelson interferometer has been described. While the system was specifically designed and built for testing of VideoDisc mastering styli, it is suitable for measuring the amplitude of any vibrating surface provided the frequency is within the systems operating range and the surface is sufficiently reflective. Because of its inherent high sensitivity, freedom from frequency response aberrations, high spatial resolution, and absence of the need to

make physical contact to the surface under test, the system can be used to investigate a very wide class of ultrasonic devices.

The system could not have been built without the constant and enthusiastic support of J. Reisner, who grasped very early its potential value. I. Gorog helped in many discussions and provided the necessary encouragement and support to build the system. J. Valachovic supplied many experimental transducers and built single handedly a second production test system.

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# Testing Methods for the Characterization of Cutterhead Performance in Mastering VideoDiscs

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**Abstract**—An electro-mechanical cutter designed to record television video information at one half the real time rate is not an ideal device. It introduces undesirable amplitude, phase, and frequency distortions to the signal being recorded. This article describes testing methods used to evaluate the effect of these distortions on the quality of the television image ultimately produced.

## 1. Introduction

The signal recorded by the electro-mechanical cutter is a 2.5-MHz carrier frequency modulated by burried subcarrier television video information at one half the real-time rate. The minimum bandwidth required to resolve the first order sidebands of the highest video frequency (1.5 MHz at half real time) extends from about one to 4.5 MHz. These frequencies must be reproduced with high fidelity in the recording process.

In addition to the video spectrum, stereo sound carriers are recorded as amplitude modulation at about 358 kHz and 452 kHz (one-half real time). RF response at these frequencies relative to the video carrier must be well controlled in order to maintain proper audio-carrier-to-noise characteristics.

An overall basic recording bandwidth of 5 MHz is used in half real-time recording. The manner in which the cutter and its associated equalizer modifies the amplitude, phase, and distortion characteristics of the rf within this bandwidth will determine the degree of fidelity of

the cutter-equalizer pair. Cutter evaluation tests therefore are a measure of the cutter-equalizer pair as a unit.

The evaluation of cutter performance must be made in terms of its effect on the quality of the television image ultimately produced. The following parameters are measured in making this evaluation.

- (a) *Chroma Differential Gain*. This is a measure of color intensity change due to variations in luminance level. If differential gain is poor the brilliance of a color will appear to change as it moves in or out of differently lit scenes.
- (b) *Chroma Differential Phase*. This is a measure of color hue change due to variations in luminance level. If differential phase is poor, the color of an object will appear to change as it moves in or out of differently lit scenes.
- (c) *Luminance Response*. This is the amplitude response of the 3-MHz bandwidth luminance channel. Poor luminance response can effect picture fine detail resolution and transient response at the edge of objects.
- (d) *Chroma Beat*. This is an rf interference beat that occurs in the luminance channel as a result of baseband and harmonic distortion in the FM domain. Bad chroma beat would produce fine wavy lines in a picture and would be most noticeable in red or blue colors.
- (e) *Audio RF Response*. This is the rf amplitude response in the domain of the stereo audio carriers. This test is used primarily to verify that the rf response about the audio carriers is flat. Variations in level between the carriers could make carrier setup more difficult when cutting a substrate.

These parameters are also influenced by the characteristics of the playback device, which can be a capacitance pickup player for playback of a pressed disc or a laser reader for playback of a substrate. Because of this, many measurements are comparative in nature, the absolute value representing total system response.

## 2. Cutter Characteristics

The ideal electrical equivalent circuit for the mechanical cutting motion of a cutter is a series resonant circuit with a  $Q$  of about 8 to 10. The actual characteristics of a cutter, however, can deviate from the ideal in several ways. Fig. 1 (curve A) shows a comparison of an ideal response to that of a typical cutter. The most important of these deviations are:

- (1) Spurious peaks in the area of the stereo sound carriers.
- (2) Cutter shear mode resonance which distorts the cutter amplitude response below the cutter resonance.
- (3) Distortions that alter the response above cutter resonance.

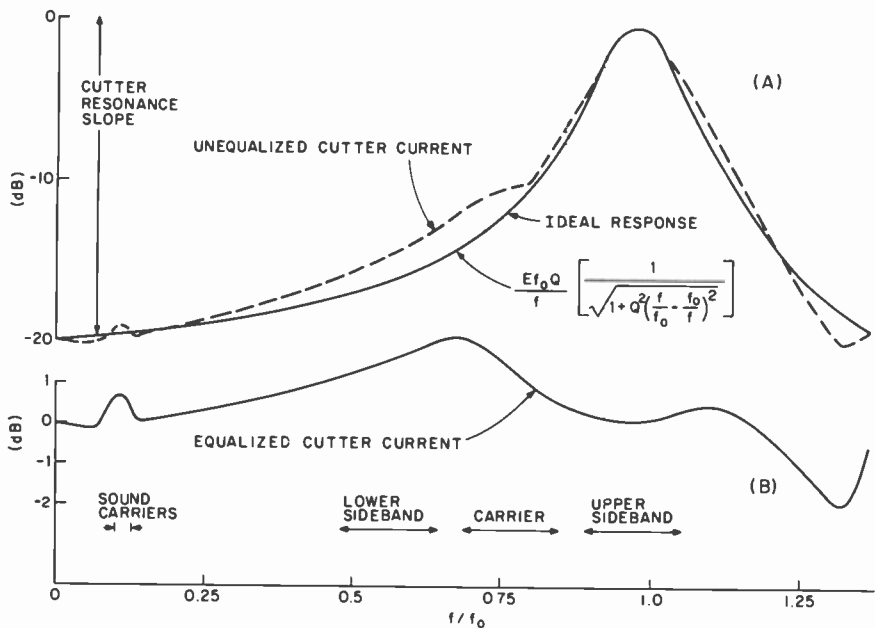


Fig. 1—Cutterhead rf sweep response as seen in bridge cutter current: (1A) unequalized response compared to ideal resonance response; (1B) difference between the ideal and actual response, which is the equalized response of the cutter. Chroma sweep and sound carrier locations are also indicated.

Another undesirable characteristic is temperature sensitivity which can cause the cutter characteristics to change with signal drive level as the operating temperature of the cutter changes.

### 3. Equalization

To obtain the same cutting depth for all frequencies, the resonant response of the cutter must be equalized to a flat response over the rf recording bandwidth of 5 MHz. This is the bandwidth required for one-half real-time recording and translates into 10 MHz on playback at real time.

If an ideal resonant circuit equalizer were used to subtract the basic cutter resonance from the true cutter response, the equalization curve of Fig. 1 (curve B) would result. This curve now represents deviations of cutter response from the ideal and is used in simulation tests to help evaluate the quality of a cutter and to determine what effect these distortions have on picture performance. Associated with these rf amplitude errors, of course, are nonlinearities in the phase response. Such phase errors not only create chroma differential phase problems

but also modify the relationships of distortion spectra which then makes their correction more difficult.

In actual substrate cutting for production, the equalizer used is more elaborate than a basic resonant circuit in order to also compensate for some of these distortions.

#### 4. Required Test Signals

The effect of cutter characteristics on television signal parameters, either during simulation tests or test recordings, are measured by use of the following test signals:

(a) *RF Sweep*—Measures 0.5–5 MHz system rf amplitude response. During simulation tests, group delay (phase linearity) can also be measured.

(b) *Chroma Sweep*—Measures chroma differential gain and chroma beat at the demodulator output. During simulation tests differential phase can also be measured.

This signal is generated by frequency modulating a 2.5 MHz carrier with the signal shown in Fig. 2A. The low-frequency sawtooth sweeps the carrier from 2.5 to 3 MHz which represents the black to white range of luminance. Simultaneously this carrier is frequency modulated with the chrominance carrier. This produces the rf carrier and sideband spectrum display of Fig. 2B. Since this test signal sweeps at a low frequency rate, it produces a clean rf spectrum in both the rf domain and the demodulated video domain. No sideband components of the sweep rate obscure the spectra being analyzed.

For chroma beat measurement, the chrominance carrier amplitude is set to about 200 IRE units to simulate maximum chrominance level. For differential phase and differential gain measurements the level is set at 120 IRE units to match the level used with the linearity ramp test.

(c) *Chroma Stepped*—Measures chroma beat. This signal is similar to the chroma sweep test signal except that the rf carrier is modulated in six discreet steps rather than being swept. The demodulated chroma beat is displayed on a spectrum analyzer as six discrete spectra spaced at 100 KHz intervals between 1 to 1.5 MHz (half real time). This helps distinguish the chroma beat spectra more easily from noise and other spurious beats when pressed discs are played back.

(d) *Video Sweep*—Measures luminance amplitude response in a 1.5 MHz bandwidth. This signal is generated by frequency modulating the 2.5 MHz carrier with a signal that is sweeping from 0 to 1.5 MHz (half real time).

(e) *NTSC Linearity Ramp*—Used to measure overall chroma differ-

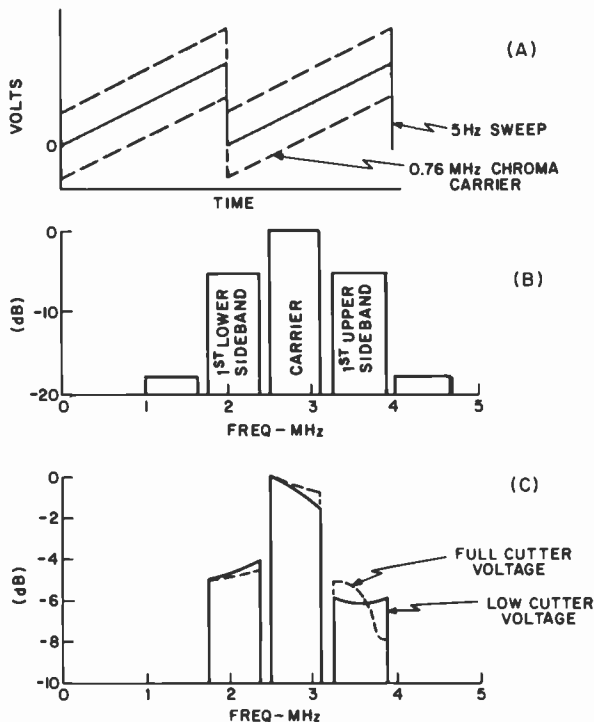


Fig. 2—Chroma sweep test signal: (2A) modulating signal to frequency modulator; (2B) rf spectrum of frequency modulated signal to cutter and equalizer (200 IRE units chroma); (2C) rf spectrum of cutter current showing effect of cutter heating at higher cutter voltage.

ential phase and differential gain by use of a vectorscope. This signal is similar to the chroma sweep test signal except that it incorporates television sync signals, the sweep rate is therefore at the television horizontal line rate.

- (f) *Checkerboard Test Pattern*—This test pattern produces a check-board TV display where the boxes vary in luminance from black to white. This pattern is used to observe chroma beat changes versus luminance level.
- (g) *Audio Sweep*—This is an rf sweep of the low-frequency end of the cutter response (0.25 to 0.5 MHz). It is used to determine that the response in the area of the two audio carriers are flat.

## 5. Cutter Evaluation

The actual evaluation of cutter characteristics is done in three ways; simulation tests, capacitive pick up playback, and laser reader play-



back. Simulation tests evaluate the basic cutter as ideally as possible by monitoring the characteristics of the cutter current. These measurements give a good indication of how well a cutter should perform under actual cutting conditions.

Capacitive pickup playback evaluates the pressed disc that eventually results from processing the copper substrate while laser reader playback evaluates the copper substrate as originally cut by the cutter.

### 5.1 Simulation Tests

To adjust the equalizers needed for each cutter and to help evaluate cutter designs without actually making a recording, a means of monitoring cutter current is necessary. Since the equivalent series resonant circuit of the cutter also has a shunt stray capacitance associated with it, that capacitance must be neutralized in order to monitor only the cutter current. This cutter current, when integrated, is then a measure of cutter movement.<sup>1</sup>

Fig. 3 shows the electrical equivalent circuit of a cutter being driven by a wide band 4:1 transformer. The signal to be monitored is measured across capacitance  $C_M$ . A capacitor is used instead of a resistor so as to integrate the cutter current, because a measure of cutter displacement is desired and it is the charge that is equivalent to this displacement.

The undesirable shunt current ( $I_S$ ) is cancelled by the out-of-phase current ( $I_T$ ) injected by proper adjustment of  $C_T$ . The current sensed by  $C_M$  is then a measure of cutter current ( $I_C$ ) only.

The value of  $C_T$  can be determined in two ways. First, the  $Q$  of the cutter resonance can be measured after  $C_T$  is set to its approximate value. The resonant circuit slope can then be calculated as  $20 \log Q$

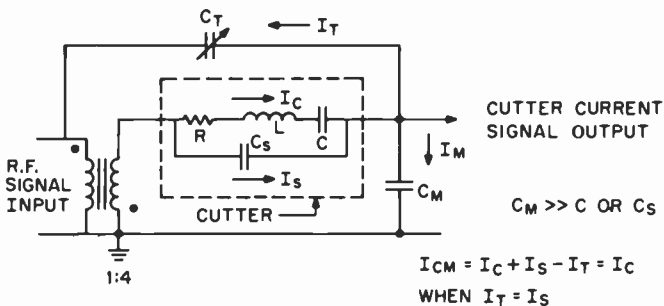


Fig. 3—Electrical equivalent circuit of a cutter shown in a circuit used to cancel the shunt capacitance  $C_S$  in order to measure the cutter current  $I_C$ .

(Fig. 1, curve A). Second, the slope can be directly measured from similar curves obtained by means of an interferometer which uses a laser to measure the actual cutter motion.<sup>2</sup> The value of  $C_T$  is then adjusted to obtain this same slope measurement while observing the unequalized rf response of the cutter in the cutter current.

Cutter current measurement is sufficiently accurate to perform all simulation test measurements, both at low and high cutter voltages. Some cutter nonlinearities due to the isolator, such as those below 1 MHz, are not resolvable by this technique but can be analyzed by means of the interferometer.

### *Tests Performed*

Only two test signals are necessary to adequately evaluate the performance of a cutter during simulation tests. Using cutter current as a measure, these tests are as follows:

RF Sweep Test: The unequalized rf response of the cutter is measured (Fig. 1, curve A) and the value of  $C_T$  is set as previously described. An equalizer designed to compensate for the basic cutter resonance is then inserted in the signal path and adjusted to obtain the flattest (equalized) rf response (Fig. 1, curve B) and most linear phase response (flattest group delay). The resulting equalized rf and group delay response is a measure of the cutter deviation from the ideal. An ideal response would be flat over the cutter's 5-MHz bandwidth.

Chroma Sweep Test: This is a very versatile test signal and is used to evaluate the effect of the equalized cutter on chroma differential gain, chroma differential phase, cutter temperature stability, and chroma beat.

### *Chroma Differential Gain and Phase*

The manner in which an equalized cutter effects the amplitude response of the carrier and its first upper and lower sidebands, and the phase relations between them, determines the chrominance differential phase and gain error. These measurements are made by demodulating the cutter current signal to obtain the chrominance signal and then measuring its change in phase and amplitude with a half-real-time phase comparator test unit.

Fig. 2, curve B shows the chroma sweep rf spectrum as it is generated for a 200 IRE unit level of chroma. This chroma sweep spectrum location is also shown below the cutter equalized response in curve B of Fig. 1. The variations in amplitude seen in the equalized response at

the chroma sweep locations will also occur to the amplitude of the chroma sweep spectrum. This amplitude variation is illustrated in Fig. 2C. The result of these amplitude variations is the production of chroma differential gain error in the demodulated chroma signal. Associated phase nonlinearity in this region similarly produces chroma differential phase error in the demodulated chroma signal. Any misadjustment of the equalizer or any change in equalization due to cutter heating therefore translates into differential phase and gain errors.

### *Temperature Stability*

Monitoring changes in cutter characteristics due to cutter heating by the applied signal<sup>3</sup> can be made by observing the chroma sweep rf response as the applied signal is increased with the cutter mounted in free air. Ideally, response should remain unchanged up to full cutter drive voltage. However, as the cutter temperature rises, rf response of the cutter-equalizer pair can change. This change can be seen primarily at cutter resonance but also occurs at the shear mode distortion (Fig. 2C).

The effect of this response change on chroma differential phase and gain can also be seen in Figs. 4A and 4B. The magnitude of this error would not be as severe as shown during actual recording, however, since some heat is carried away in the cutting process.

Problems can occur in the assembly of a cutter, however, which can make the cutter more sensitive to temperature. By simply applying the chroma sweep test signal at a relatively high level, its stability can be verified and possible problem cutters weeded out.

### *Chroma Beat*

Fig. 5A shows the chroma sweep rf spectrum of the cutter current with the principle distortion spectra shown as dashed lines. The baseband chroma fundamental is not a problem, since it demodulates to a 3.5 MHz component which is outside the system video bandwidth of 3 MHz. Baseband second harmonic, however, produces a component that falls inside this bandwidth. The second lower sideband of the rf carrier second harmonic, shown as  $2f_c - 2f_m$ , also demodulates into an identical in-band distortion component.

The frequency demodulated spectrum of this signal is shown in Fig. 5B. The desirable chroma signal is shown as a single spectra at about 0.76 MHz. The baseband second harmonic and  $(2f_c - 2f_m)$  components, acting as lower and upper FM sidebands about the carrier ( $f_c$ ), demodulate into the indicated chroma beat spectrum.

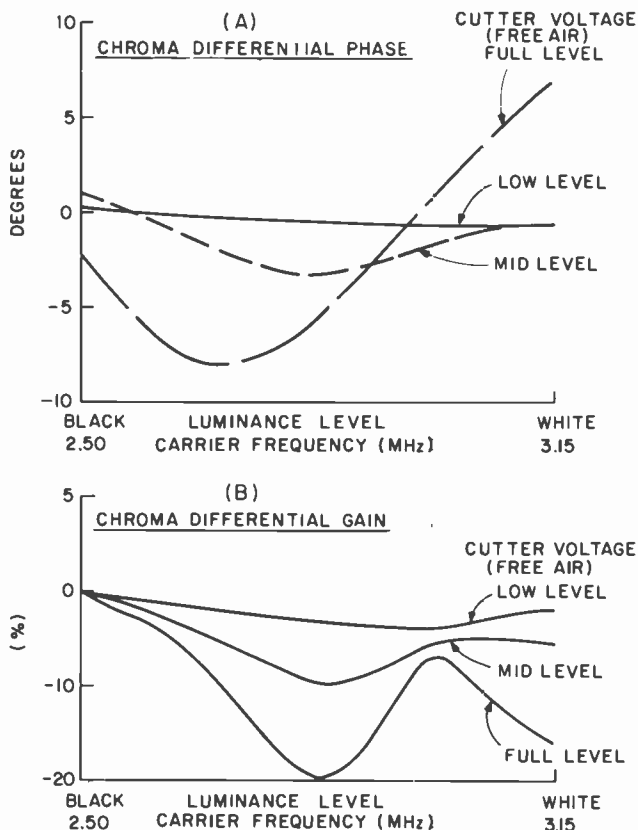


Fig. 4—(A) Chroma differential phase change due to increasing cutter temperature as the applied chroma sweep cutter voltage is increased and (B) chroma differential gain change for the same cutter voltage levels.

As shown in Fig. 5A, when the carrier is at 2.5 MHz (video black level), the upper and lower distortion sidebands are 1 MHz away from the carrier and therefore demodulate into an undesirable spectra at 1 MHz. When the carrier is at about 3.1 MHz (video white level) these sidebands are about 1.6 MHz away from the carrier which demodulates into 1.6 MHz. The magnitude of this beat is dependent on many factors, such as how well the equalizer is able to compensate the cutter characteristics, the playback device (capacitive stylus or laser), rf filtering preceding the demodulator limiter, and the symmetry of the limiter itself.

Testing therefore is necessary not only to optimize cutter design but to optimize overall system performance.

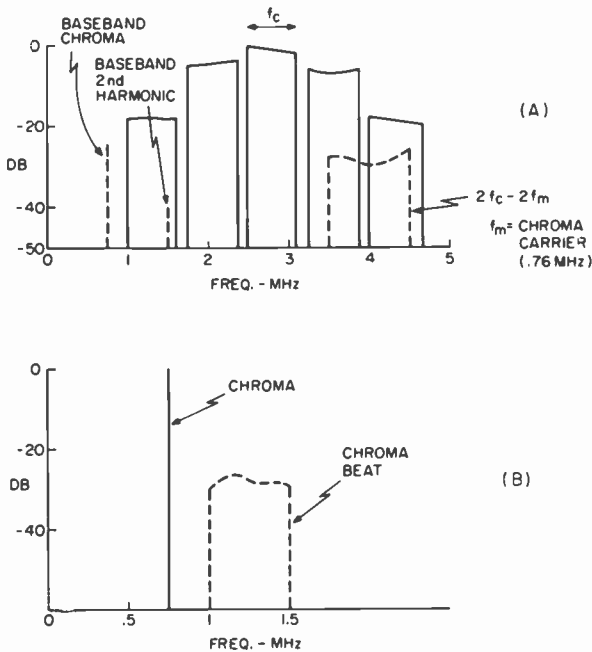


Fig. 5—(A) Chroma sweep cutter current rf spectrum showing principle distortion spectra and (B) Demodulated chroma sweep cutter current showing relationship of chroma beat spectrum to a 200 IRE unit level of chroma.

## 5.2 Capacitive Pickup Playback

The ideal playback device would be one without any distortion or rf response errors of its own. The ideal device, however, does not exist.

Capacitive pickup playback of a pressed disc<sup>4</sup> does introduce baseband and harmonic distortion components of its own. These can add or subtract from possible distortion created by the cutter, depending on the phase relationships of the distortion. Since these combined characteristics form the overall pressed disc playback characteristics, the manner in which the signal is processed in the player determines the optimum performance.

The signal and noise floor received from the capacitive pickup stylus has a linear roll off across its 10-MHz bandwidth. If this signal were applied uncorrected to a limiter, the higher frequencies could fall below the limiter threshold and cause black streaks or "clicks" on the edge transition of objects. To avoid this, the signal is linearly aperture corrected to boost the high-frequency response. The maximum correction is that which produces a flat noise floor.

This signal must also pass through a nonlinear aperture corrector (NLAC), which reduces audio beats in the picture, and through a bandpass filter to improve the demodulated signal-to-noise ratio. The signal is then symmetrically limited before being demodulated. These four signal-processing steps can improve or worsen chroma beat, differential phase, and differential gain since each step can alter the phase, amplitude, and signal symmetry seen by the limiter. Ideally the limiter wants to see a symmetrical signal. If the signal is not symmetrical, the second harmonic component increases at the limiter output which will increase chroma beat.

The phase characteristics of these processing circuits, when combined with those that exist in the recording, can also make distortion components appear more or less as AM or FM. The more AM in nature they can be made to be, the more the distortion will be reduced by the limiter.

It can be seen therefore, that given a specific cutter and capacitive pickup design, the proper adjustment of the cutter-equalizer and player-input characteristics will determine optimum system performance.

In making comparative cutter measurements, however, the limiter is first balanced, using an ideal chroma sweep test signal, so that the demodulated chroma beat is at a minimum. The signal from the capacitive pickup is then applied directly to the limiter without any filtering in order to avoid any further modification of the amplitude or phase of the FM spectrum by filter characteristics.

An overall system comparative performance evaluation of cutters can be made in this way and judgements made as to how different cutter designs effect system parameters.

### 5.3 Laser Playback

As with capacitive pickup playback, laser playback of the substrate also introduces its own distortion and rf response characteristics. The laser reader<sup>5</sup> reads the signal on a substrate (originally cut copper master) by sensing the reflection of a laser light beam from the signal modulation recorded in the grooves of the recording. The reader uses a split-detector system to detect this reflected light in order to extend the ability of the laser to resolve the shorter wavelengths recorded with the RCA VideoDisc format. However, the laser reader still has its problems when used as a measurement tool for cutter evaluation.

RF response of the laser rolls off 6 dB per octave below 3 MHz. This influences the magnitude of chroma baseband distortion and the output level of the recorded sound carriers. Also, since the laser reader

is a wavelength sensitive device, the high frequency response will suffer as the radius played decreases. This occurs because as the radius decreases the recorded wavelengths become shorter and the laser's ability to resolve the higher frequencies therefore decreases. The effect of this high-frequency roll off is minimized by limiting tests, meant for laser playback, to the outer radius of the recording.

Roll off in low-frequency response attenuates the baseband distortion, while roll off of high-frequency response attenuates second harmonic distortion.

Since chroma beat results from these distortions, such frequency response roll off will produce errors in chroma beat measurements. Also, any frequency roll off that influences the chroma first-order sidebands will produce errors in chroma differential phase and gain measurements. For these reasons, reliable absolute measurements are difficult to make. However, for the purpose of comparing the characteristics of various cutter designs laser playback data is usually adequate.

#### References:

<sup>1</sup> G. A. Alphonse, "A Method for the Characterization of Piezoelectric VideoDisc Recording Heads Using a Bridge Circuit," *RCA Review*, 43, p. 84, March 1982 (this issue).

<sup>2</sup> K. F. Etzold, "A Quadrature Michelson Interferometer System for Probing Surface Vibrations: Application to VideoDisc Cutters," *RCA Review*, 43, p. 95, March 1982 (this issue).

<sup>3</sup> G. A. Alphonse, "Power Dissipation in Piezoelectric Cutterheads," *RCA Review*, 43, p. 35, March 1982 (this issue).

<sup>4</sup> J. K. Clemens, "Capacitive Pickup and the Buried Subcarrier Encoding System for the RCA VideoDisc," *RCA Review*, 39, No. 1, p. 33, March, 1978.

<sup>5</sup> I. Gorog, "Optical Techniques Developed for the RCA VideoDisc," *RCA Review*, 39, No. 1, p. 162, March, 1978.

Obviously, the actual reader is much more complicated than this simple concept.

The laser reader described in this paper is a new version of a reader that has been in use for several years<sup>1,2</sup>. The new one was designed with two major goals: reproducibility and improved accuracy and stable focusing. Several systems will be needed as disc production expands, and RCA would like subsequent machines to be built by outside contractors. Therefore, more than the usual consideration was given to producing an integrated, complete system, fully documented and having as few custom designed components as possible.

Because the reader is primarily used as an inspection tool in production, simple operation and consistent results are important even though extraordinary tolerances are required. This is particularly true of the focus system, which automatically keeps the lens focused on the spinning substrate with an accuracy of about 20 nm (see Sec. 5).

One desired goal, which the system did not meet, was to improve reader linearity to provide better measurements of recorded beats and harmonics. A great deal of analysis and experimentation was carried out in that area. The origins of nonlinearity are now much better understood, but the conclusion is that, so far, the inherent optical nonlinearities cannot be eliminated in any practical system.

On the other hand, the understanding of system response gained from these studies led to the concept of optical low-pass filtering to improve reader audio performance.

## 2. Optical Detection of Phase-Only VideoDisc Signals

The principles of optical reading of CED signals, notably phase-only, relief patterns with dimensions of about a wavelength of light, sometimes less, have been described in the literature<sup>1-3</sup>. Here, we will extend those results to consider focus effects, nonlinearity, and effects of the V-shaped groove in the present CED format.

We begin with a simplified case. Assume that the signal on the CED VideoDisc is a depression whose depth is sinusoidal along the spiral groove, so that as the disc rotates, the height of the reflecting surface at the focus of the lens varies sinusoidally (Fig. 2). The groove is assumed to be very wide, reducing the problem to one dimension. At any instant, the disc surface can be considered as a grating causing the reflected cone of light to be diffracted into three cones, the +1, 0, and -1 orders. The diffraction and cone angles in Fig. 2 correspond to realistic dimensions. The entire reflected 0th-order passes back through the lens, but only portions of the first orders do. After reflection at the beam splitter, the beam fills a circle as shown at the right of the figure.



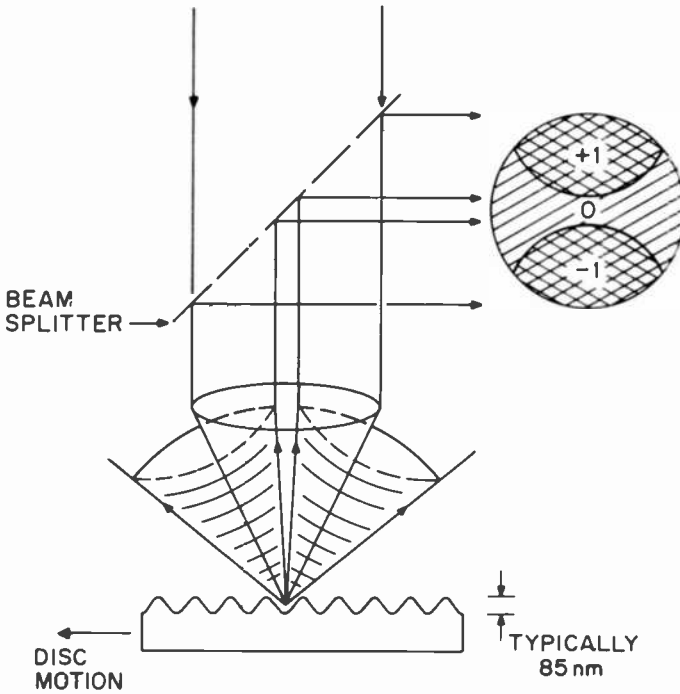


Fig. 2—Schematic representation of the diffraction pattern from sinusoidal grooves.

In the absence of any signal, i.e., no grating, there would be only the 0th-order beam forming a uniformly illuminated circle. The references cited show that as the disc turns, the desired signal information is contained in the interference between the 0th-order beam and either of the 1st-order beams, and further, that the two signals, 0 interfering with +1, and 0 interfering with -1, are 180° out of phase. The output of a photodetector placed in this beam, illuminated by either the upper or lower halves of the circle at the right of Fig. 2, will reproduce the signal. But the best arrangement is a split photodetector, with the two 180° signals subtracted (Fig. 3). This is the basic detector used in all the CED optical readers.

If this model is simplified even further, and a uniformly illuminated square lens aperture is assumed, the frequency response of the optical detector system can easily be predicted. Fig. 4 shows a square aperture with a square split detector. The location of the entire first-order beams is shown for clarity, although it is obvious that only the portions inside the square lens aperture ever reach the detector. Fig. 5 illustrates the illumination of the detector by the three orders. The 0-order always fills both halves of the detector.

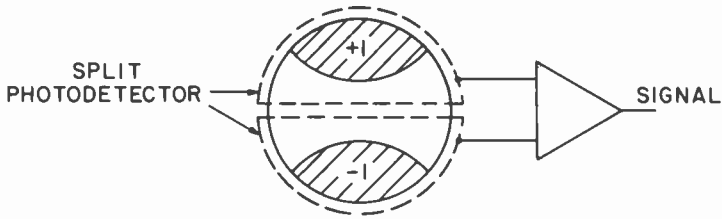


Fig. 3—Split detector arrangement.

Consider first a very high spatial frequency on the disc, which would produce a very high temporal frequency if played back. If the frequency is sufficiently high, as in Fig. 5a, the diffraction angle will be so great that neither 1st-order beams will reach the detector, and there will be no signal. For a slightly lower spatial frequency, the diffraction angle will be small enough that there will be some overlap of the 1st-orders with the 0-order, shown by the shaded rectangles in Fig. 5b. These shaded areas produce the desired playback signal as the disc spins.

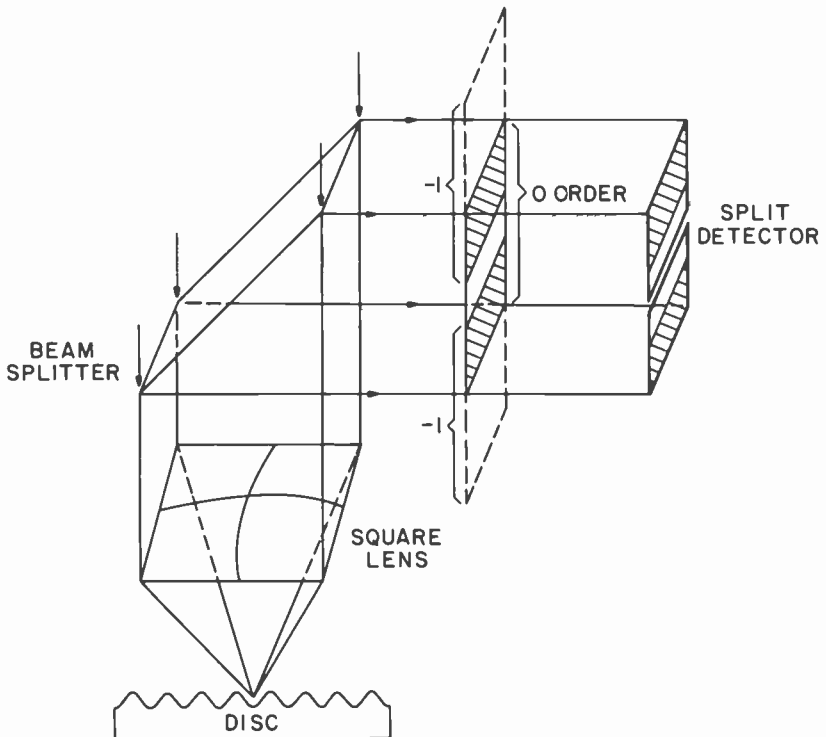


Fig. 4—Schematic representation of the diffraction pattern using an objective lens with a square aperture.

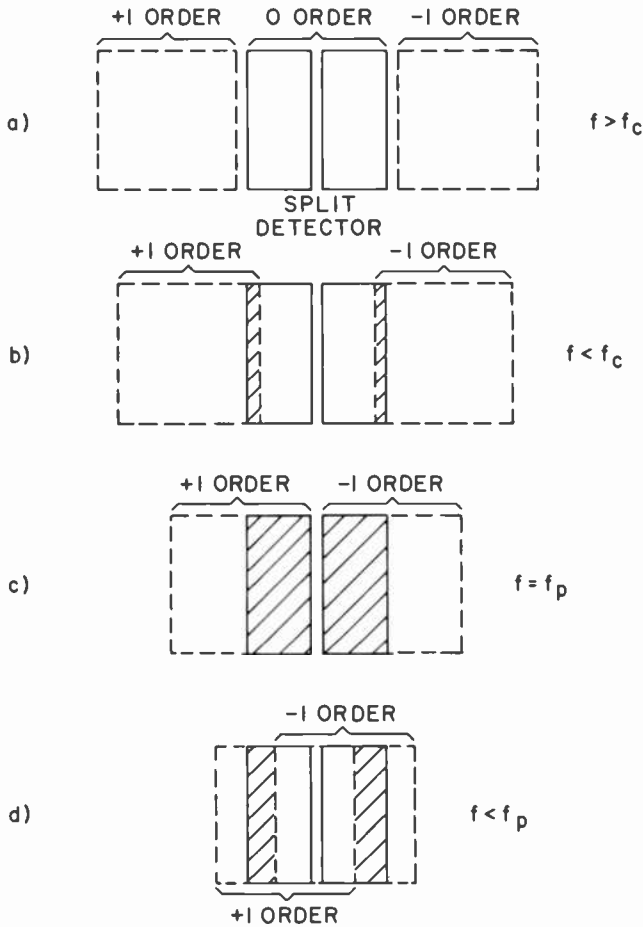


Fig. 5—Contributions to the photocurrent with a square aperture.

The spatial frequency at which the overlap just begins is the cutoff frequency of the reader,  $f_c$ . The amplitude of the signal is proportional to the illuminated shaded areas. For lenses that obey the sine condition, the separation between the orders decreases linearly with decreasing spatial frequency, so for the conditions of Fig. 5b, the shaded area, and therefore the response of the system, increases linearly as the frequency decreases from cutoff.

As the spatial frequency decreases further, it eventually reaches a value which causes the diffracted orders to just meet in the center of the detector, so that each half is completely illuminated by one 1st-order (Fig. 5c). This frequency is  $f_p$ ; it is the frequency that produces

the largest response. For lower frequencies, there are areas of the detector illuminated by both interference patterns, +1 and 0 as well as -1 and 0, which cancel because they have opposite phase, (Fig. 5d). Only the outer shaded rectangles contain the required combination of 0-order and just one of the 1st-orders. Thus the effective areas now decrease with decreasing spatial frequency. As the frequency approaches zero, the diffraction angles approach zero and the shaded areas in Fig. 5d disappear. Thus, optical readout of the CED disc has no response at zero frequency.

Since the areas of the rectangles are proportional to spatial frequency in this ideal example, it is easy to plot the response of the system (Fig. 6). It is a bandpass response, with the signal falling linearly from a central peak, located at half the cutoff frequency. The actual cutoff spatial frequency depends on the wavelength of the light and the numerical aperture of the focusing optics, as determined by the beam limiting aperture. The temporal frequencies then depend further on the speed of the disc beneath the light beam, that is, on the radius and rotation speed of the disc. Fig. 6 presents some typical values, to give more meaning to these parameters.

Although the model used here is a gross simplification, the response of the actual system is surprisingly similar. Fig. 7 shows a plot of the output of the spectrum analyzer on the player reading a disc with a sweep frequency recording (the measured system response) compared to the calculated curve of Fig. 6 replotted on the same coordinates and including the measured electrical response of the detectors. The agreement is very good given the extremely idealized model used for this calculation. In fact, the biggest difference, the dip in the measured

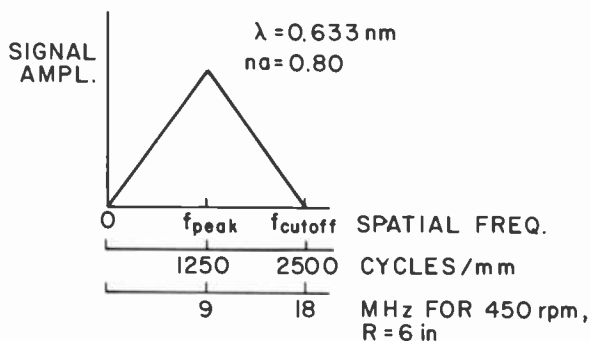


Fig. 6—Calculated frequency response of an optical CED VideoDisc reader with a square lens aperture.

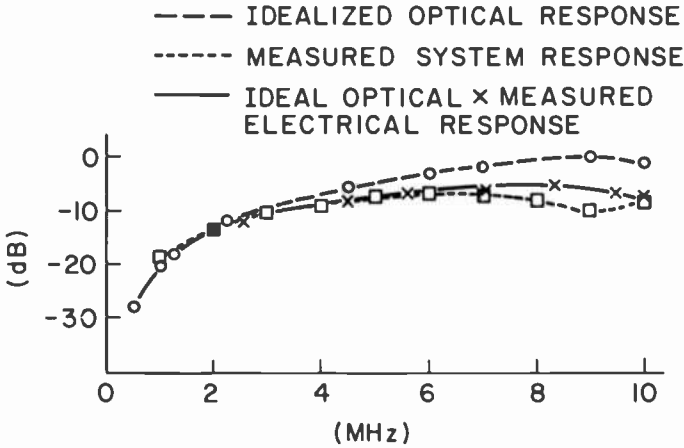


Fig. 7—LSR-1 frequency response at a radius of 6.0 inches.

response at 9 MHz, is attributed to the recording process, and therefore has nothing to do with the player.

### 3. Effect of Focus Error on Differential Optical Readout

General descriptions of differential optical detectors have been given<sup>2,3</sup> with far more rigor than the previous discussion in this paper. But the specific details of focus effects have not been described.

It is convenient to unfold the optical system and analyze it as if it were a transmission system (Fig. 8). Assume that the illuminating beam is an infinite, uniform intensity plane wave, incident from the left and propagating in the  $z$ -direction. The objective lens is represented by two identical, ideal diffraction-limited lenses,  $L_1$  and  $L_2$ . The incident beam is focused onto the disc surface by  $L_1$ , while  $L_2$  collects the light diffracted by the disc and projects it onto the detectors. The lenses have focal length  $f$ , and, in the absence of focusing error, they

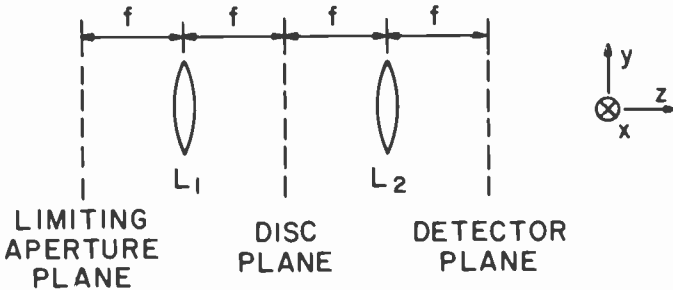


Fig. 8—Unfolded schematic of the readout optics.

are located at a distance  $f$  from the disc. The lenses are assumed to be well corrected, so they satisfy the Abbe sine condition. Any ray that leaves the disc surface at an angle  $\alpha$  with respect to the disc normal emerges from  $L_2$  at distance  $S$  from the axis, where  $S = f \sin \alpha$  (Fig. 9). The beam-limiting aperture is located in the front focal plane of  $L_1$ . The disc is rotating in the focal plane between  $L_1$  and  $L_2$ . The disc tangential direction coincides with the  $x$ -direction, i.e. the signal pattern is moving in the  $x$ -direction with a linear speed  $v$ . The signal is assumed to be a sinusoidal phase relief with peak-to-peak depth  $d$  and with recorded wavelength  $\Lambda$ . Furthermore, assume that the transverse dimension (in the disc radial direction) of the grating is much larger than the corresponding dimension of the light spot incident on it. Thus, the signal pattern is treated as a one-dimensional phase grating, as in the previous simple analysis.

The disc reflectivity is then described in the equivalent fold-out configuration by the transmission function

$$T = e^{i\xi \sin \left[ \frac{2\pi}{\Lambda}(x-vt) \right]} = \sum_m J_m(\xi) e^{im \frac{2\pi}{\Lambda}(x-vt)} \quad [1]$$

where  $\xi = 2\pi d/\lambda$ ,  $\lambda$  is the wavelength of the read-out light,  $t$  is the time variable, and  $J_m(\xi)$  are Bessel functions of the first kind. For simplicity of notation,  $J_m = J_m(\xi)$  is used. Utilizing the well known Fourier transforming properties of lenses<sup>4</sup>, the light amplitude distribution in the detector plane can be described as

$$V(x, y) = \sum_m J_m e^{im\omega t} A_m(x, y) \quad [2]$$

where  $\omega = 2\pi v/\Lambda$ , and  $A_m(x, y)$  is the image of the input beam limiting aperture projected by the  $m$ -th diffraction order through lens  $L_2$  onto the detector plane.  $A_0(x, y)$  is an exact inverted replica of the input aperture, i.e.,  $A_0(x, y) = 1$  inside the region where light would fall on the detector plane if there were no phase perturbations at the disc plane and  $A_0(x, y) = 0$  outside this region. In general,  $A_m(x, y)$  is

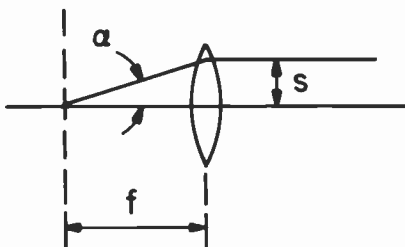


Fig. 9—Diffracted ray propagation.

identical to  $A_0(x, y)$  but shifted in position in the  $x$ -direction by an amount  $mf\lambda/\Lambda$ . It is also zero outside of the circle of radius  $R = f(NA)$ , where  $NA$  is the numerical aperture of lens  $L_2$ . Fig. 5b illustrates the aperture function, assuming a rectangular input beam limiting aperture. In Fig. 5b,  $A_1(x, y) = 1$  inside the left shaded region and is zero outside of it; likewise  $A_{-1}(x, y) = 1$  inside the right shaded region and is zero outside of it. The detector photocurrent is proportional to the light intensity incident on it and integrated over the detector area. In the case of a split detector, the regions  $x > 0$  and  $x < 0$  are covered by separate detectors. Let  $I_0^+$  and  $I_0^-$  describe the photocurrents produced from the  $x > 0$  and  $x < 0$  regions, respectively. Then,

$$I_0^{(\pm)} = \int_{\substack{x>0 \\ (x<0)}} dx dy V(x, y) V^*(x, y) \tag{3}$$

where the integration extends over the appropriate detector areas.

Eq. [2] can be simplified by noting that for the CED VideoDisc  $d \doteq 80$  nm, so for  $\lambda = 633$  nm,  $\xi = 0.8$ . Then  $J_0 = 0.85$ ,  $J_1 = 0.37$ ,  $J_2 = 0.07$ ,  $J_3 = 0.01$ , and higher order terms get progressively smaller. The amplitude distribution can be approximated over the detector plane by

$$V(x, y) = \sum_{m=-2}^2 J_m e^{im\omega t} A_m(x, y) \tag{4}$$

By substituting Eq. [4] into [3], the photocurrents can be directly calculated. Since  $J_m = (-1)^m J_{-m}$ , the fundamental and second harmonic current contributions are directly obtained as

$$I_0^+(\omega t) = 2J_0 J_1 (A_0^+ A_1^+ - A_0^+ A_{-1}^+) \cos \omega t \tag{5}$$

$$I_0^-(\omega t) = -I_0^+(\omega t) \tag{6}$$

$$I_0^+(2\omega t) = 2(J_0 J_2 A_0^+ A_2^+ - J_1^2 A_1^+ A_{-1}^+) \cos 2\omega t \tag{7}$$

$$I_0^-(2\omega t) = I_0^+(2\omega t) \tag{8}$$

$A_m^+ A_n^+$  denotes the mutual overlap area over the  $x > 0$  region of the aperture functions  $A_m(x, y)$  and  $A_n(x, y)$ . Eqs. [5] through [8] show that the difference signal of the split detector enhances the fundamental frequency term and cancels the second harmonic produced by diffraction from a phase grating. For any signal more complicated than a single sinusoid, these expressions become very involved. In general, the nonlinearities associated with the phase grating diffraction and square-law detection processes generate beat terms and harmonic distortions that are present in the split detector output.

In the foregoing, perfect focus was assumed. A focus error of distance

$D$  will correspond to an  $L_1$  to  $L_2$  distance in Fig. 8 of  $2(f + D)$ , and then the disc plane is located at a distance  $f + D$  from either lens. In the presence of a focus error the waves incident on the detector are no longer planar, but they are spherical. For small focusing errors the field amplitude at the detector plane can be written<sup>2</sup> as

$$V(x, y) = e^{i\kappa_0(x, y)} \sum_m J_m e^{im\omega t} A_m(x, y) e^{i\kappa_m(x, y)} \quad [9]$$

where

$$g_m(x, y) = 2\pi \frac{D}{\lambda} \sqrt{1 - [(x - mf\lambda/\Lambda)^2 - y^2]f^{-2}} \quad [10]$$

From Eqs. [9] and [3] the photocurrent can be written as

$$I^+ = \int_{x>0} dx dy \sum_m \sum_n J_m J_n^* e^{i(m-n)\omega t} A_m(x, y) A_n(x, y) e^{i[\kappa_m(x, y) - \kappa_n(x, y)]} \quad [11]$$

Thus in the presence of focusing errors every term in the photocurrent sum contains a quadrature component.

This analysis is concerned with the relative sign of these quadrature components in the two halves of the split detector. To simplify the analysis, the contributions made by two points located symmetrically about the  $y$  axis to the  $(m - n)\omega$  frequency component of the photocurrent are important. Eq. [11] shows that the term corresponding to  $J_m J_n^*$  in the  $x > 0$  region is  $J_{-m}^* J_{-n}$  in the  $x < 0$  region. Thus the corresponding current contributions from small regions around points  $x, y$  and  $-x, y$  are

$$\delta I^+ = J_m J_n e^{i(m-n)\omega t} e^{i[\kappa_m(x, y) - \kappa_n(x, y)]} \quad [12]$$

$$\delta I^- = J_{-m} J_{-n} e^{i(m-n)\omega t} e^{-i[\kappa_{-m}(x, y) - \kappa_{-n}(x, y)]} \quad [13]$$

Eq. [10] shows that  $g_{-m}(-x, y) = g_m(x, y)$  and thus Eq. [13] can be rewritten as

$$\delta I^+ = J_m J_n e^{i(m-n)\omega t} e^{iG_{m,n}(x, y)} \quad [14]$$

$$\delta I^- = J_{-m} J_{-n} e^{i(m-n)\omega t} e^{-iG_{m,n}(x, y)} \quad [15]$$

where

$$G_{m,n}(x, y) = g_m(x, y) - g_n(x, y). \quad [16]$$

If the focussing error is small,  $|G_{m,n}(x, y)| \ll \pi/2$ . Then the local photocurrents for the symmetric points in the two half planes can be



described by

$$\delta I^+ = \delta I_0 + i\delta I_0 G_{m,n}(x, y) \tag{17}$$

$$\delta I^- = (-1)^p [\delta I_0 - i\delta I_0 G_{m,n}(x, y)] \tag{18}$$

where  $\delta I_0$  is the local photocurrent at point  $x, y$  in the absence of focusing error due to the  $m, n$  interference term and  $p = |m| + |n|$ . The above indicates that the relative phase in the two half planes of the out of focus correction components is opposite to that of the in-focus components. Since Eqs. [17] and [18] hold for all pairs of symmetric points, the same phase relationship holds when the out of focus correction terms are integrated over the area of the detectors. If the integrated correction terms are called  $\Delta I$ , the out of focus photocurrents are

$$I^+(\omega t) = I_0^+(\omega t) + i\Delta I^+(\omega t) \tag{19}$$

$$I^-(\omega t) = -I_0^+(\omega t) + i\Delta I^+(\omega t) \tag{20}$$

$$I^+(2\omega t) = I_0^+(2\omega t) + i\Delta I^+(2\omega t) \tag{21}$$

$$I^-(2\omega t) = I_0^+(2\omega t) - i\Delta I^+(2\omega t) \tag{22}$$

Eqs. [19]–[22] are illustrated by phasor diagrams in Fig. 10. In the presence of focus errors, the optically generated second harmonic component cannot be cancelled by a differential readout system. The focus error causes a relative phase shift between the photocurrents detected by the two halves of the photodetector. Since the phase shifts depend on  $m, n$ , and  $\Lambda$ , the detector balance error is different for each frequency and harmonic term.

As a consequence of the symmetry properties of  $G_{m,n}(x, y)$ , the entire detector area does not necessarily contribute to the out of focus photocurrent correction terms. It can be shown that

$$G_{m,n}(x_{m,n} + b, y) = -G_{m,n}(x_{m,n} - b, y) \tag{23}$$

where  $x_{m,n} = (m + n)f\lambda/(2\Lambda)$  and  $b$  may have any value such that  $x_{m,n}$

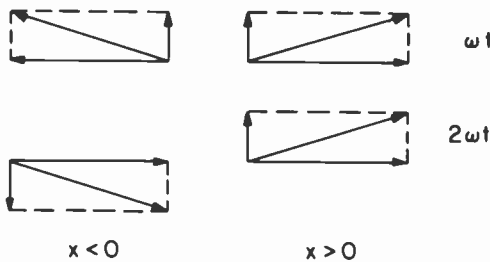


Fig. 10—Phasor diagram description of the out of focus photocurrents.

$+b$  is within the  $m, n$  overlap region. Thus for certain values of  $\Lambda$  the quadrature correction in Eq. [11] may integrate to zero for all interference terms contributing to the photocurrent output at  $\omega t$  and  $2\omega t$ . For such frequencies a slight defocusing causes no split detector balance error. A more general case is illustrated in Fig. 11 where the overlap region that generates the  $I^+(\omega t)$  photocurrent is sketched for the uniformly illuminated circular aperture case. Assuming that the entire  $x > 0$  portion of the zero order beam falls on the detector, the region surrounded by the heavy lines contributes to the  $I^+(\omega t)$  signal and the shaded regions contribute to the out of focus split detector balance error  $i\Delta I^+(\omega t)$ . When the system is in focus, the region where the  $+1 - st$  and  $-1 - st$  diffraction orders overlap does not contribute to the  $I_0^+(\omega t)$  photocurrent. However, in the out of focus case this very same region does contribute to the quadrature error term  $\Delta I^+(\omega t)$ . This is so because as a result of the curvature of the wavefronts—at a detector point  $x, y$  falling within the  $+1, -1$  overlap region—the interference terms  $+1, 0$ , and  $-1, 0$  no longer cancel each other.

Eqs. [14] and [15] show that, in general, at any detector point  $x, y$  the quadrature photocurrent for the  $m, n$  interference term is maximum when  $G_{m,n}(x, y) = \pm \pi/2$ . The maximum out of focus second harmonic quadrature error occurs at detector points  $c, 0$  and  $0, 0$  for recorded frequency  $\omega = \omega_c/4$ , where  $\omega_c = \pi vNA/\lambda$  is the cut-off

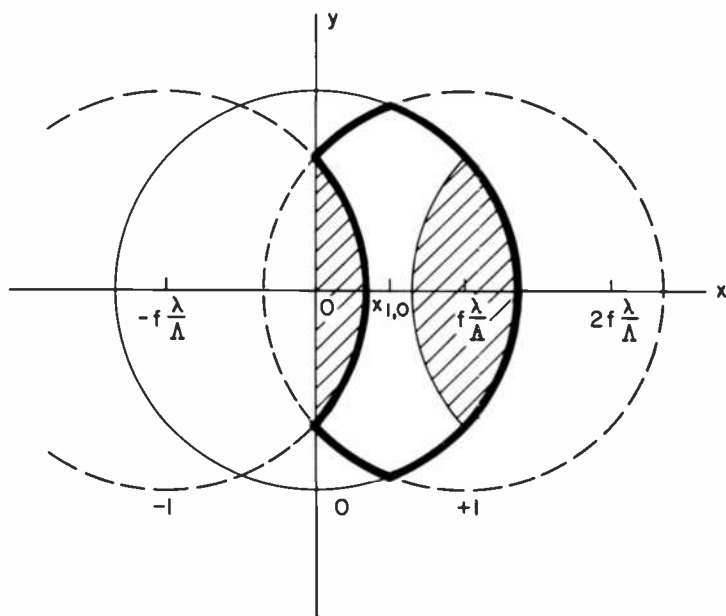


Fig. 11—Regions contributing to  $\Delta I^+(\omega t)$ , the signal error due to defocus.

frequency, i.e., the maximum quadrature error occurs when the second harmonic frequency coincides with the mid-frequency of the passband at the detector points located on the axis and at the edge of the aperture. At these points, the quadrature error is maximum when the focus error is

$$D_0 = \frac{\lambda}{4} \frac{1}{1 - \sqrt{1 - NA^2}} \quad [24]$$

For  $na = 1, 0.9, 0.8$ , the above expression gives  $D_0 = \lambda/4, 1.8(\lambda/4), 2.5(\lambda/4)$ , respectively. To keep the harmonic distortion low, it is important to maintain beam symmetry about the  $y$  axis. Eq. (23) shows that if the detectors cover their entire respective half planes, the quadrature error integrates to zero at frequency  $\omega_c/2$  for symmetric aperture illumination. When the system is in focus, beam asymmetries can be compensated for by detector gain and detector positioning adjustments. However, such adjustments are simple scaling operations; they do not reconstitute the beam symmetry required to keep the differential detector phase balance error at its theoretical minimum when the system is out of focus.

As discussed previously<sup>2</sup>, the interference of the wavefronts in the presence of focus errors results in fringes in the detector plane. As a consequence of the fringes, when a portion of a detector produces a positive contribution to the photocurrent, another portion of the same detector produces a negative contribution and thus the total photocurrent is reduced. As indicated by Eqs. [14] and [15], the magnitude of the locally generated photocurrent is independent of the focus condition, only the phase changes. Furthermore, as shown in Eqs. [15]–[22], in the presence of small focus errors the integrated photocurrent is approximately the same as that for the in-focus case, but a small quadrature component is present.

The existence of this quadrature photocurrent component at small focus errors can be of great practical importance. With state-of-the-art focus servo techniques, large focus errors can be eliminated, but small focus errors are likely to occur. Furthermore, spherical aberration makes it impossible to focus perfectly over the entire detector. As a consequence of focus errors, the differential photodetector output is likely to contain second harmonic distortion. A distortion of particular interest is difference frequency distortion that may interfere with proper recovery of the low frequency sound carrier signals from CED substrates.

If it is assumed that there are two recorded frequencies at  $\omega_1$  and  $\omega_2$ , the expression for the photocurrent analogous to Eq. [11] involves a 4-fold summation. If only terms up to second order in the transmis-

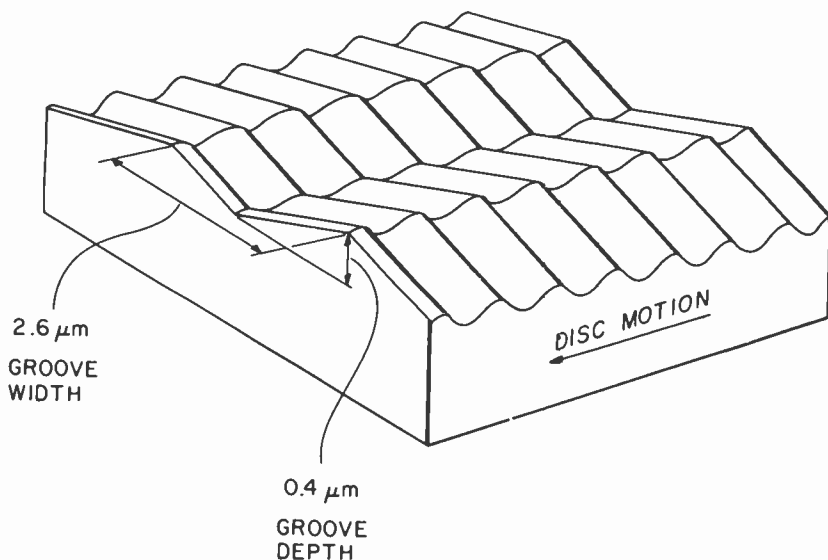


Fig. 12—VideoDisc signal and groove pattern.

sion expression (see Eq. [1]) are retained, then the photocurrent comprises 625 terms, each of the type

$$\delta I^* = J_m(1)J_k(2)J_n^*(1)J_l^*(2)e^{i[(m-n)\omega_1 t + (k-l)\omega_2 t]} \quad [25]$$

wherein the Bessel function arguments 1 and 2 denote, respectively, the phase depths of the two signals. Symmetrically located points on the two half-plane detectors, show that the differential output is zero for all terms for which  $|m| + |n| + |k| + |l|$  is an even integer. Likewise, when the sum of the absolute value of the indices is odd the split detector sum output is zero.

The terms that contribute to the signal at frequency  $\omega_1 - \omega_2$ , particularly when  $\omega_1$  and  $\omega_2$  are video frequencies whose difference falls in the audio carrier range,\* are of importance here. The index sum for such terms shows that the differential output is zero at the difference frequency for the infocus case. Thus, the behavior of the difference frequency signal is analogous to that of the second harmonic. In the presence of focus errors, there will be a differential signal generated by the quadrature terms. If it is assumed that the two

\* In the CED format, video is recorded as FM of a 5-MHz carrier, and audio as FM of a 0.716-MHz carrier. FM analysis shows that terms like  $\omega_1 - \omega_2$  produce "baseband" interference, i.e., a component in the FM signal whose frequency is that of the modulating signal. Here, the modulating signal is video, which includes the 0.7-MHz range, so its baseband can interfere with the audio FM.

signals are recorded at equal depths, then it can be shown that for signal depths in the range of interest for VideoDiscs, the leading term at frequency  $\omega_1 - \omega_2$  in the photocurrent amplitude in either half plane is  $J_0^2 J_1^2$ , where the arguments of the  $J$ 's are the signal phase depths. The nominal video signal depth of 87.5 nm corresponds to  $\xi = 0.9$  for  $\lambda = 633$  nm, and then the leading term in the photocurrent at the carrier frequency has an amplitude  $J_0 J_1 = 0.33$ .

If there are two video frequencies present, each recorded at half the nominal signal depth, then their difference frequency will appear at an amplitude  $J_0^2 J_1^2 = 0.05$ , a value that is 16 dB below the nominal carrier level. The sound is recorded at  $-20$  dB with respect to video and thus, any loss of balance of the differential photodetector is likely to result in objectionable baseband interference, whenever the signal spectrum contains the appropriate frequencies.

#### 4. Effects of the V-groove CED Format

The previous analysis assumes a wide groove with depth modulated in the longitudinal direction, forming a flat diffraction grating at the beam focus. However, the CED groove format is really V shaped, with a  $140^\circ$  angle (Fig. 12). Diffraction from sinusoidal signals recorded on a flat surface produce symmetric orders, displaced above and below

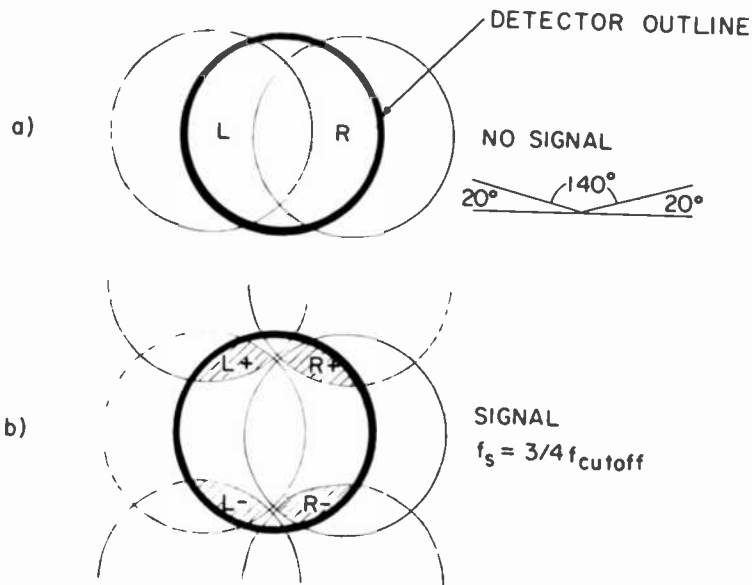


Fig. 13—Detector illumination with  $140^\circ$  V-grooves. The pattern corresponds to a recorded frequency of  $3/4$  cutoff.

the zero order (Fig. 2). The V groove complicates that because it separates the zero order into a left and a right beam by simple reflection from the two faces of the groove, even in the absence of a signal, as in Fig. 13a. In the presence of a signal, each of these 0 orders produces a pair of first orders, (Fig. 13b). The combined effect of the V groove and a fairly high frequency signal,  $\frac{3}{4} f_c$ , places all the signal-bearing light near the edges of the aperture, where lens performance is poorest. This is an unfortunate effect of the V groove from the standpoint of optical readout. The improved reader (LSR-1) minimizes the degradation this causes by insuring that the photodetectors cover the entire aperture, so that no signal is lost in the "corners." The signal is obtained by subtracting the beats between the zero and minus orders from the beats between the zero and plus orders, that is, by forming the photodetector signal  $[(L+) + (R+)] - [(L-) + (R-)]$ . A tracking error signal is easily obtained by comparing the amplitudes of the signals from the two sides of the groove, e.g.  $[(L+) + (L-)] - [(R+) + (R-)]$ . Signal and tracking information are obtained from a single quad detector (Fig. 14).

The degradation produced by the V groove does not seem to be significant until the reader characteristics are examined at low frequency, in the range of the CED audio subcarrier, 0.716 MHz. Fig. 13b is redrawn in Fig. 15 for a frequency of 1.0 MHz, playing radius of 6 inches, readout lens  $NA = 0.9$ ,  $\lambda = 633 \text{ nm}$ . Just those areas containing only the required zero order beam and one first order beam contribute to the signal. Fig. 15 shows that, for this low frequency, not only is there a small area contributing to the signal, already known from the

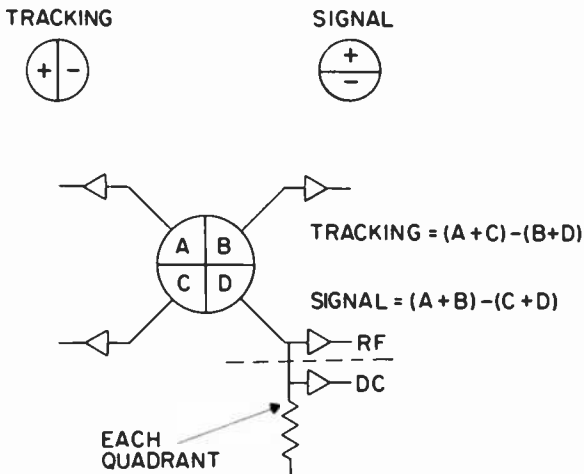


Fig. 14—LSR-1 light detector.

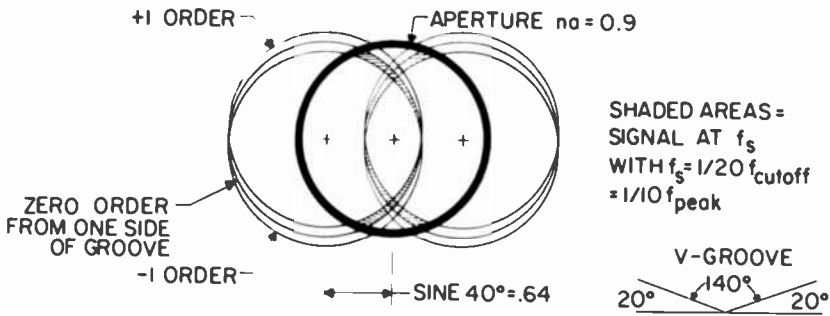


Fig. 15—Low frequency diffraction pattern on the detectors with 140° V-grooves and a fully illuminated lens aperture. This pattern corresponds to a recorded frequency of 1/20 cutoff.

bandpass optical response, but also there is a large illuminated area that provides no signal and can contribute noise, particularly surface noise from the substrate which affects all the returned light.

The audio performance of the optical substrate readers has always been poor. In fact, the CNR measured on the substrate at 0.716 MHz with the earlier optical readers has typically been poorer than the same measurement on a vinyl disc played with a stylus, while the equivalent measurement at video frequencies has been much better with the optical reader/substrate combination.

This problem has been improved by the addition of an optical low pass filter, simply a slit (Fig. 16). For clarity, only the zero order beam is shown. The slit obviously reduces the system numerical aperture in the signal direction, which compresses the entire bandpass response so that 0.716 MHz lies nearer to the response peak. However, the complete effect of the slit can be best seen in Fig. 17a, which shows the same conditions as in Fig. 15, except for the slit reducing the aperture to 1/10 its full size.

The signal-bearing light is now nearer to the center of the lens, and most of the light containing no signal has been eliminated, reducing noise. Inserting the slit increases the CNR at 0.716 MHz by 8 dB (see Section 7). Of course, with the slit, the video signals are beyond cutoff, so the improved audio cannot be obtained simultaneously with the video.

The expected response has the same shape as does the square aperture (Fig. 6), but the frequencies are reduced in proportion to the  $na$ , making  $f_c = 250c/\text{mm}$  or 1.8 MHz for the condition of that figure. In Section 7, it is shown that the measured response goes higher than expected, and has several secondary peaks well above  $f_c$ . A reasonable

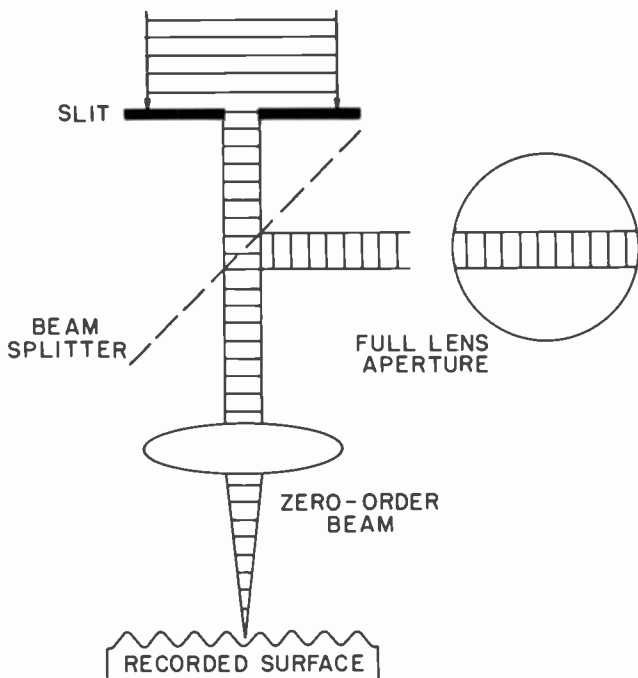


Fig. 16—Operation of the audio slit.

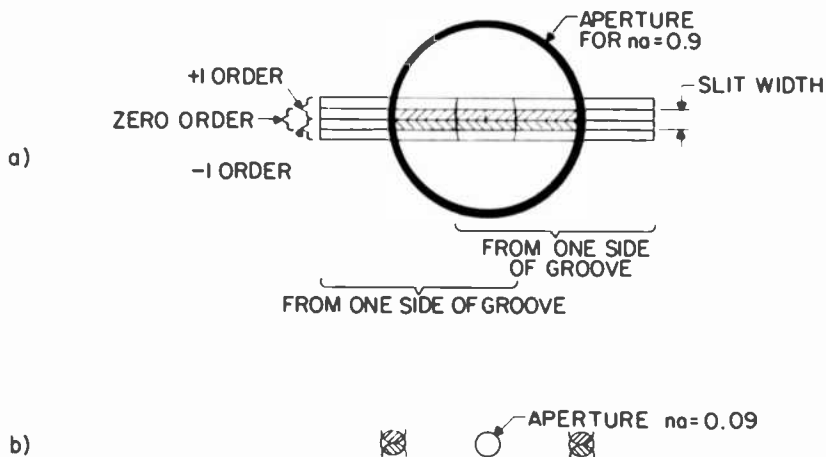


Fig. 17—Low frequency diffraction pattern on the detectors with  $140^\circ$  V-grooves. a) A large lens aperture is limited by the audio slit, b) A small lens aperture is used.



explanation of this effect is diffraction at the slit, which produces an illumination pattern at the lens aperture that is wider than the slit and contains secondary lobes.

The low frequency improvement obtained with the slit cannot be obtained by simply substituting a low numerical aperture optical system (Fig. 17B). The angles of the beams reflected from the sides of the V groove are large enough that high numerical aperture optics are required to capture that light, even in the absence of any signal. In principle, off-axis systems could be made with small apertures to capture one or both reflected beams, but that does not seem practical.

The present player contains an easily removable slit, with appropriate attenuators to keep the photodetector signals at suitable levels. The *in* and *out* positions of the slit provide two playback modes: normal audio/video, and enhanced audio without video.

## 5. Automatic Optical Focus System

Focus in earlier VideoDisc optical readers was maintained either by the use of an air bearing mounted on the final objective lens or by a capacitive-sensor-controlled electromagnetic transducer. Both of these approaches had thermal drifts as well as errors dependent on playing radius and on effective sensor aperture size. Accurate focus could be maintained only by manually trimming focus while playing the substrates, thus decreasing the accuracy of quantitative data for quality control. A second and more serious problem, particularly with the capacitive sensor, was crashing of the objective lens into the moving substrate. This always ruined a master and could damage the lens and associated components.

Early attempts to utilize standard optical focus sensing methods based on sensing the effects of changes in the disc to objective distance on the returning read-out beam were unsuccessful because in the CED V-groove format, tracking errors and small focus errors could not be clearly separated. The grooves are 450 nm deep and a slight change of readout beam position away from the groove center can cause apparent focus error of several hundred nanometers. This early work suggested that optical focus sensing of CED format discs can be accomplished provided a secondary sensing beam is used so that the focus sensing beam integrates over a number of grooves and is thus insensitive to tracking errors.

The new optical reader uses a secondary infrared laser beam for multigroove optical sensing of the record position, and incorporates an electromagnetic transducer for moving the objective, with mechanical stops to prevent crashing. The drive electronics prevent the objective

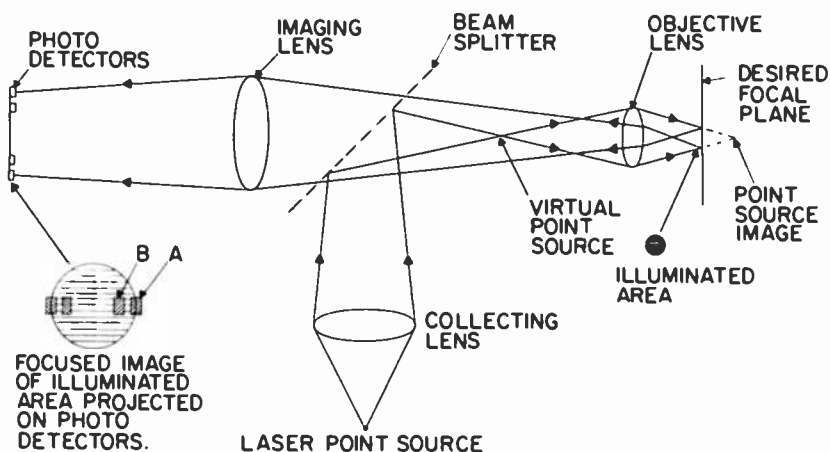


Fig. 20—Focus sensor ray diagram.

objective lens and a lens system, denoted as the “imaging lens” in Fig. 20, on a plane that contains two split photodetectors. The inner detector halves, B, are fully illuminated while the outer detector halves, A, are approximately half illuminated by the circular image. By nulling approximately half of the combined B detectors outputs against the combined A detectors, a very sensitive measurement of the image diameter can be made. The illuminated area on the desired focal plane is 0.004 inch in diameter, while the image diameter at the photodetectors is 0.4 inch. The 0.004-inch diameter is about one half of the useful field of view of the objective. This choice allows a reasonable amount of tracking by the galvanometer while averaging the focus over several VideoDisc grooves. This eliminates the interaction between tracking and focus found in systems in which the focus signal comes from a small spot less than a groove width in size.

Fig. 21 shows the long range focus sensor characteristic for a Leitz 100×/0.90 NA objective. Inside focus, with the lens low in the reader, the illuminated area is large and dim, and both A and B are totally illuminated. Since the A output is weighted over the B output, a low positive voltage that tends to lift the lens in the closed servo loop is generated. As proper focus is approached, the illuminated circle diameter becomes equal to the outside separation of the A detectors. At this point a maximum signal lifting the lens is produced. At proper focus the A detectors are roughly half covered and zero output occurs. With the lens moving further up, the image diameter decreases and the negative B output outweighs the weighted A output.

As the circle decreases further, approaching and going through focus of the point source image, the output is near zero. Well outside of focus

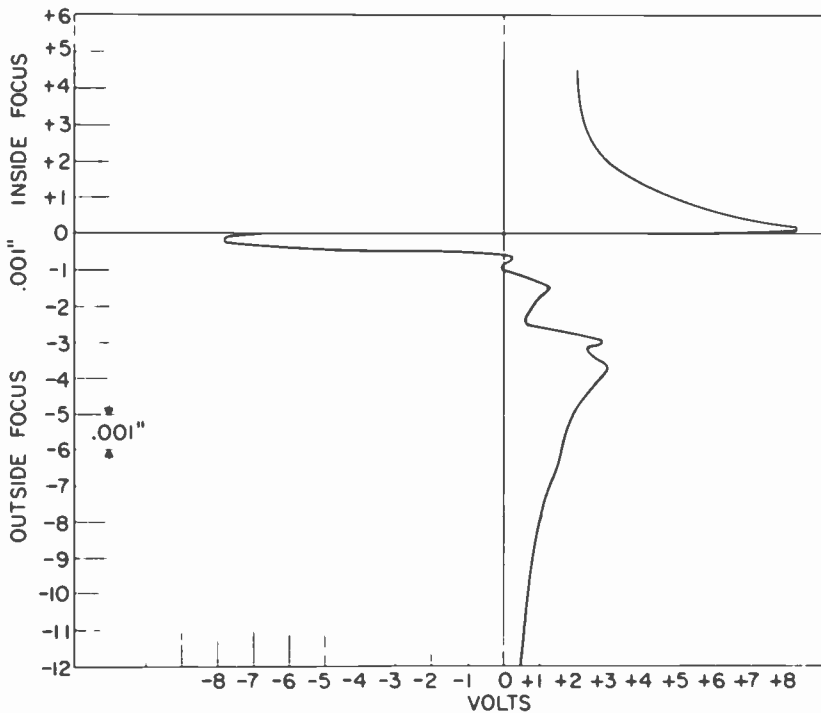


Fig. 21—Long range focus sensor characteristics.

the circle of confusion is once again large and a weak positive signal tends to raise the lens. Thus the range of the focus sensor to obtain proper focus is from approximately 0.0005-inch outside of focus all the way to lens contact inside of focus. The servo loop can be closed only when the objective is within this focus range.

Fig. 22 shows the short range focus sensor characteristic taken on a bench test of the system. In the actual machine, the noise increased from 4-nm peak to peak to about 18 nm, due to vibration and a somewhat wider bandwidth. Also, in the actual machine the sensitivity was reduced purposely from 125 nm/volt to approximately 400 nm/volt to increase the electrical fine focus range, ie., the amount of focus trimming available by offsetting the focus error signal. The electrical fine focus control is important to the operator, because it is a convenient means to assure that the system is always operating at optimum focus setting.

Fig. 23 is a block diagram of the servo system. The infrared light from the injection laser is chopped by the 40-kHz square wave electronic modulator. The chopped light is passed through the optical focus sensing system and is detected by the infrared sensitive photo-

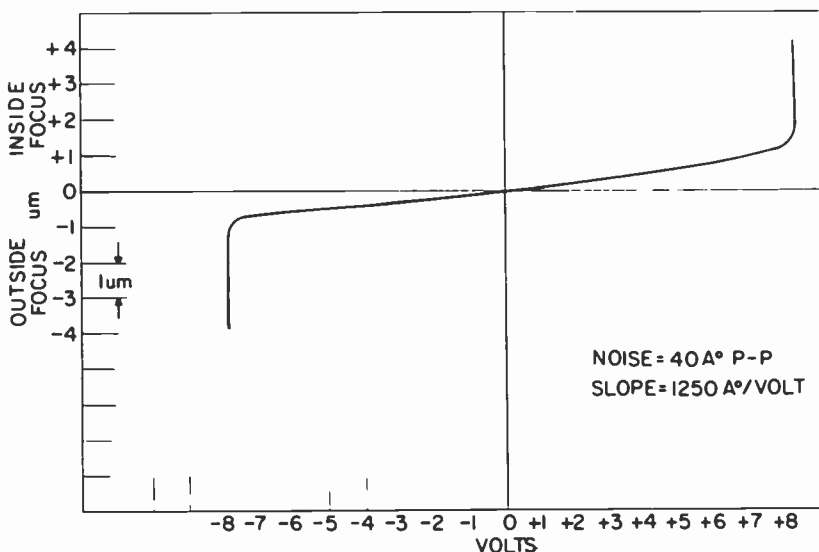


Fig. 22—Short range focus sensor characteristics.

diodes. A 40-KHz chopped electrical error signal is produced by taking the difference between the sum of the electrical outputs from the A photodiode detectors and subtracting 0.452 times the sum of the electrical outputs from the B photodiode detectors. This modulated, 40-kHz electrical error signal is amplified and then synchronously detected to produce the error signal in Fig. 21. This frequency was chosen to make the beat frequencies—with the recorded, radially aligned horizontal sync signal and its harmonics—fall outside of the passband of the servo loop.

The focus sensing system optics are adjusted so that when the substrate is in position to give proper focus for readout, the detected focus error signal is at the 0 voltage point on the sloping portion of the curve in Fig. 21. The focus error signal from the output of the synchronous detector is coupled to the automatic focus control logic, which has several functions. Manually pressing a focus button provides automatic acquisition of proper focus. This logic also turns the focus system off if pre-set operating limits for the lens position are exceeded. When a substrate is not being read, the lens is normally in a *Lens Up* position. A substrate to be tested is first loaded in a low position and it is then raised to a pre-determined operating height. Then the focus button is pressed, initiating the operation of the automatic focus control logic. The lens slowly moves down until it reaches the zero voltage point in the curve of Fig. 21. Then an electronic switch automatically couples the error signal to the servo amplifier. The

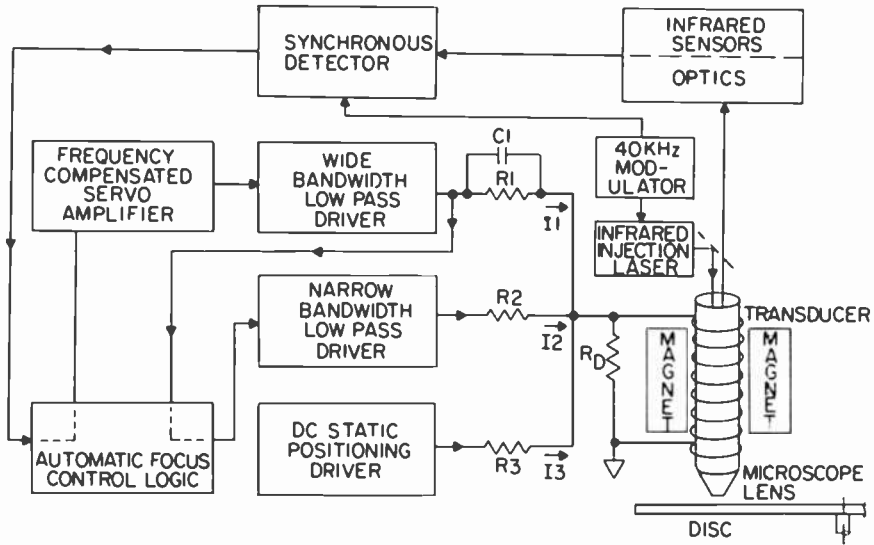


Fig. 23—Automatic focus servo block diagram.

output of the servo amplifier drives the transducer through the wide and narrow bandwidth drivers thereby completing the signal path for closed loop operation.

There are three current sources driving the transducer in parallel with its damping resistor,  $R_D$ . The value of  $R_D$  is set to critically or slightly overdamp the transducer. Only the first two current drive sources are part of the servo loop. The wide bandwidth low-pass driver is current limited by resistor  $R_1$  so that at dc the drive current can displace the lens by only twice the expected substrate vertical runout. The combination of  $R_1$ ,  $C_1$  provides a lead network to change the nominal 12-db per octave transducer roll-off to approximately 6-db per octave.

This circuit also produces a rising current drive characteristic with frequency, but the displacement at any frequency does not exceed the dc displacement. Since current limiting is controlled passively, short-circuit-type failures in the drive amplifiers cannot cause high currents in the transducer that would drive the lens against the mechanical limits. Under open loop conditions, the narrow bandwidth low-pass servo driver is current limited, permitting the lens to be moved to the upper and lower limits provided by the mechanical stops. Under closed loop conditions, the servo loop is automatically opened if the narrow bandwidth driver displaces the lens by about plus or minus 2 mils.

After the loop is opened, the lens is automatically lifted to a *Lens*

*Up* position, close to the upper mechanical stop. The narrow bandwidth driver essentially adjusts the closed loop dc-operating point of the wide bandwidth driver so that its output is averaged near zero, thus decreasing its dc-drive range requirements. Since the narrow bandwidth driver has a wide displacement range, its speed of response has purposely been made slow to prevent it from slamming the lens against the substrate or the mechanical stops. The narrow bandwidth servo driver allows the tolerances to be increased for the initial positioning of the substrate for nominal focus. Also, thermal drifts occurring during operation can be taken up by this servo. The narrow bandwidth servo driver also provides the function of supplying the current drive for lifting the lens to its rest or *Lens Up* position.

The nominal focus operating position of the lens is set by the dc-static positioning current driver which is not part of the servo loop. Without this static driver current, the weight of the lens assembly in its suspension would allow the lens to lie against the lower mechanical stop. Since the current required to lift the lens to its nominal focus position is relatively high, the narrow bandwidth driver is not used to do this. Therefore, the narrow bandwidth driver can have a reduced dynamic range, making the system more crash-proof.

If the static current driver loses power, the lens will drop only as far as the lower mechanical stop. If this static positioning current source should somehow short circuit to its single polarity power supply, its current is limited and the polarity of its power supply causes the lens to lift away from the disc. The upward motion of the lens is also limited by a mechanical stop about 10 mils above nominal focus.

The unrecorded portion of the copper plated substrate reflects more IR light than the recorded portion, so the output signals are higher when focusing there. The higher level of reflected light increases the level of the focus error voltage which represents an increase in the open loop servo gain. Because of this, the maximum gain for stable closed loop operation must be set while focusing on the unrecorded portion of the substrate. A 72-db stable, dc, closed loop servo gain has been measured while focusing on a typical substrate. The 72-db gain is determined by the dc gain through the narrow-bandwidth low-pass driver amplifier. The wide bandwidth low-pass amplifier has a compensated frequency response curve that is flat to the 7.5-Hz turntable once-around frequency. The dc gain of this driver is set at a level 26 db below the gain of the narrow bandwidth driver. This produces a 46-db closed loop gain at 7.5 Hz. The response rolls off at 6 db per octave from 7.5 Hz, resulting in unity gain at about 1.5 KHz. A residual closed loop focus error of 40-nm peak-to-peak has been measured when focusing on a typical substrate.

## 6. The LSR-1 Laser Reader

The new laser reader (LSR-1) has been built using the principles just discussed. The design was influenced heavily by the two major goals for the reader, reproducibility and accurate, stable focusing as well as by a desire to keep operation simple and safe.

Incorporating several commercial subsystems makes the system easier to reproduce, focus is accomplished by a single push button, and numerous sensors and controls prevent accidental injury to the operator, to the reader, and to the substrate being played.

Fig. 24 shows the complete system. The optics and mechanics are in the covered unit at the far left. The first two racks of electronic equipment contain power supplies, the control and servo systems, displays to monitor system status and performance, and logic to operate the various safety systems. The third rack provides program output through a video monitor and audio amplifier, and also contains the decoder electronics (often called the *player*). Loudspeakers are external. The fourth rack is for the test equipment, shown with vectorscope, wave-form monitor and spectrum analyzer. After the photograph was taken, suitable interfaces were added to put the spectrum analyzer on line to a calculator, largely automating the taking and processing of test data. In the third rack, a decoder for DAXI (Digital Auxiliary Information recorded on every VideoDisc) was added to indicate the exact TV field number being played.



Fig. 24—The substrate reader system LSR-1.

Fig. 25 shows the reader's mechanics and optics, the equipment under the cover in Fig. 24. Everything is mounted on a 4-inch thick, 2 × 4 foot steel honeycomb table supported on air cushions. A commercial positioning stage secured to the table moves the entire turntable beneath the radially fixed lens as the substrate is being played. The stage moves at the required average speed of 0.00075 inch/second while playing. The optical system generates a tracking error signal and adjusts that speed to keep the groove approximately centered on the optic axis. The radius being played is indicated by a display to an accuracy of 100  $\mu$ in. The stage can be sent to any radius with the same accuracy, a convenience when going back to play a particular test band. There are also two speeds of manual search in forward and reverse. A button sends the turntable all the way to the left (Fig. 25) for loading a new substrate. Above the positioning stage is a motor driven lift mechanism, which adjusts the height of the entire turntable. That compensates for thickness tolerance in the substrates, which can be over 0.050 inch, while setting the height of the playing surface within 100  $\mu$ in.

A capacitive height sensor automatically stops the lift motor at the correct position. Should that fail, a second, independent, inductive sensor shuts off power to the lift motor before the substrate is driven up into the reader lens. System logic requires that the turntable be at its lowest position before it can be moved in under the lens from the loading position, insuring that a substrate cannot start out so high that it damages something.

If the operator tries to load a substrate that is much thicker than

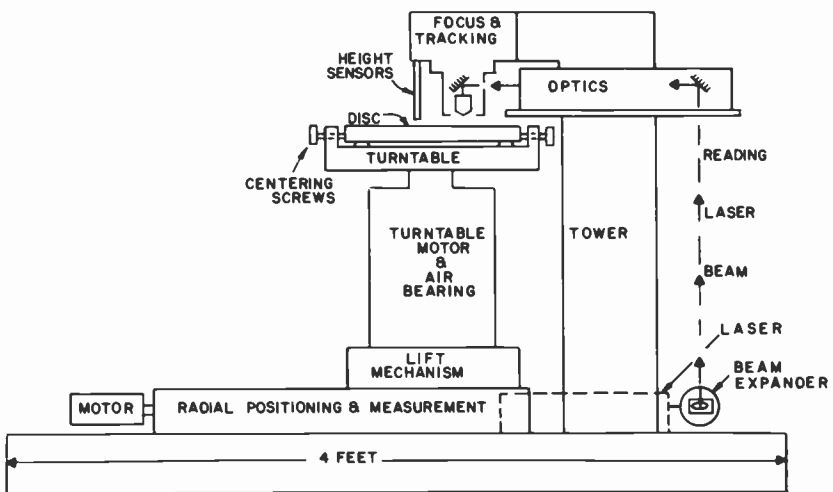


Fig. 25—LSR-1 mechanics.



the pre-set maximum, the inductive height sensor stops the positioning stage before any damage occurs. Above the lift mechanism is the turntable assembly, consisting of a brushless dc motor integral with an air bearing, and the turntable itself. The motor/bearing is a commercial unit, controlled by electronics designed and built by RCA. This motor is also interlocked to the rest of the system. Whenever the positioning stage is moved towards the load position, beyond the playing radius, the motor is stopped and cannot be started again until the radius is suitable for playing. This prevents the operator from loading or unloading a substrate with the turntable spinning.

Electro-magnetic braking on the motor applies full reverse power to stop the heavy substrate and turntable in about 7 seconds. Without the brake, the unit would coast on the air bearing for many minutes. The brake works together with an air tank mounted at the motor (but not shown) to prevent destruction of the bearing if the air supply fails. In that event, a pressure switch stops the motor, and a check valve prevents the tank from discharging back to the supply. The tank can run the bearing for more than the required 7 seconds. The turntable contains three support pads, accurately machined in place, that hold the substrate level (i.e., perpendicular to the rotation axis) and two centering screws, 90° apart, which work against a spring loaded plunger.

Behind the radial stage, on the table, is the laser (5 mW polarized HeNe). An 11X beam expander, also on the table, expands the beam to about 9 mm at the  $1/e^2$  diameter, to slightly overfill the 4.5-mm diameter aperture of the objective. Two mirrors direct the beam up to a subassembly containing most of the optics. A stiff aluminum tower supports the optics subassembly and the focus and tracking transducer as well as the height sensors. The optics subassembly contains all the remaining optics except the reading lens, tracking mirror, and signal detector.

The complete optical system is shown in Fig. 26. The HeNe laser is used for signal detection. The beam, after expansion, passes through half-wave plate P1 which rotates the polarization to any desired orientation. Next comes the audio slit, shown swung out of the beam in the normal audio/video mode. The slit is followed by the PBS (Polarizing Beam Splitter) which reflects any desired portion of the incoming beam according to the angle of polarization. Together, the PBS and P1 form a variable attenuator to adjust the amount of light falling on the substrate. The PBS is followed by the quarter-wave plate P3 in the usual manner, so that all the light coming back from the disc is transmitted by the PBS to the detector. The incoming beam, after passing through the PBS and P3, is reflected by dichroic

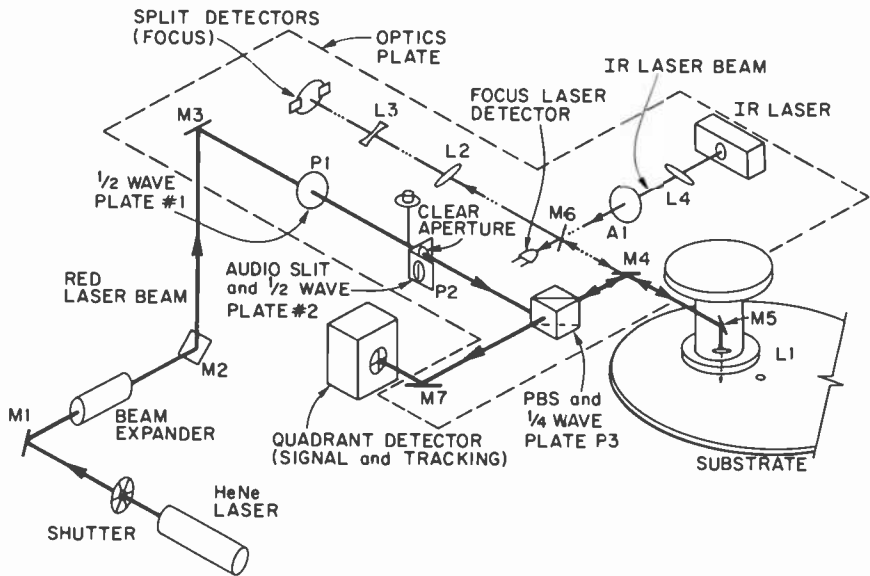


Fig. 26—LSR-1 optical system.

mirror M4 into the focus transducer. The galvanometer scanner (mounted in the transducer) controls M5 so that the beam can be reflected either straight down through the objective lens onto the substrate or to either side to follow off-center grooves. The galvanometer is servo controlled by the optical tracking error signal. After reflection from the substrate and again from M5, the returning beam follows precisely its incoming path regardless of the rotation of M5.

Now, after passing back through the quarter-wave plate, the beam is completely transmitted by the PBS, and is directed by M7 onto the signal detector. Adjustments on M7 center the beam horizontally, for signal balance on the split detector, and vertically, to achieve a balanced tracking signal when the readout spot is centered on a groove.

For the enhanced audio mode, the slit is swung into the beam. The slit holder carries another half-wave plate with it, which rotates the polarization again to select a different light level for this mode. The slit must be accurately centered on the optic axis. Otherwise, the centering of the beam on the detector will be altered, and M7 will have to be adjusted whenever the slit is inserted.

The optical focus sensor works as explained in the preceding section. The source is an IR injection laser operating at about 820 nm. The small size of the laser is convenient, it is easily modulated to permit the use of ac-coupled detectors for good stability, and the IR wavelength allows both combination and separation of the focus and signal

beams. The collecting lens L4 is followed by aperture A1 which reduces stray light. M6 is the beam splitter.

The wasted light transmitted by M6 is detected to provide an indication that the laser is working. A panel light indicates focus laser failure, because that would not be obvious for the IR laser. The beam reflected by M6 then passes through dichroic mirror M4, which transmits 820 nm but reflects 633 nm.

After that, operation follows the previous explanation, except that the imaging lens now has two elements, L2 and L3. It is an extremely simple example of a slightly telephoto zoom lens. The telephoto property shortens the overall length of the system for a given focal length, increasing the rigidity of the optics plate. The zoom property, only an approximation for this very simple configuration, allows adjusting the magnification between the substrate surface and the focus detector, without moving the detector.

Changing that magnification changes the diameter of the circle of light on the substrate corresponding to the fixed diameter that produces a null detector output. That, in turn, changes the position at which the focus servo holds the lens. Therefore, the variable focal length of the combination L2 and L3 can set the servo for correct focus. An electrical offset in the servo provides fine focus control without requiring mechanical adjustments.

Fig. 27 shows the mechanics and optics again, now with the signals and controls added. (This simplified schematic does not include most of the interlock system nor various protective shields.) The complete system complies with laser safety requirements for BRH Class IIIb.

One of the operator's more tedious tasks is centering the substrate on the turntable. The tracking servo can adequately follow off-center errors of about  $\pm 5$  grooves, or 0.0005 inch. Unfortunately, there is no mechanical reference, such as the center hole, with anything like that accuracy. To provide a way for indicating and adjusting the centering, a circular groove, as distinct from the spiral grooves, is cut in the substrate at a known radius. The reader uses that groove and a special mode of the tracking system to indicate the centering error.

In the centering mode, the tracking servo is turned off, and a ramp is fed to the tracking galvanometer causing it to scan the substrate over a range of about 0.004 inch. The same ramp drives the horizontal deflection of an oscilloscope, so the horizontal position of the display spot corresponds to the position being illuminated on the substrate, forming a type of scanning microscope. The tracking error signal is fed to the vertical input of the oscilloscope. As the light beam scans across the groove, the error signal indicates that the groove is first to one side, then centered, then to the other side. The horizontal position of

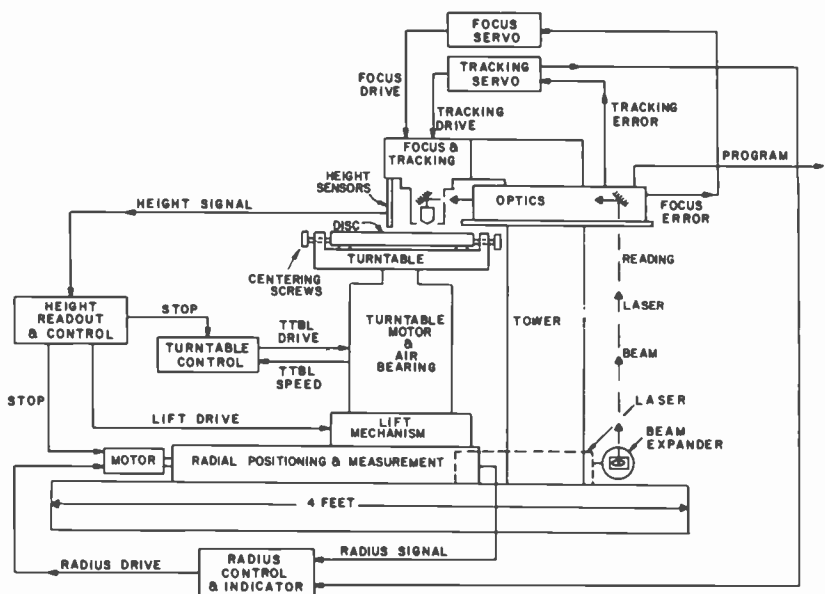


Fig. 27—LSR-1 mechanics, signals, and controls.

the pattern on the screen indicates the position of the groove beneath the lens (Fig. 28).

To center a substrate, the operator first sends it to the correct radius to play the circular groove, using the digitally controlled stage. Next the *raise* switch is turned on, raising the substrate to the correct height. Then the *Focus* button is pushed to lock on focus, and the centering mode is turned on. If the groove is cut at the correct radius and the substrate is centered, the blip appears at the center of the oscilloscope screen, and does not move as the substrate is slowly rotated by hand.

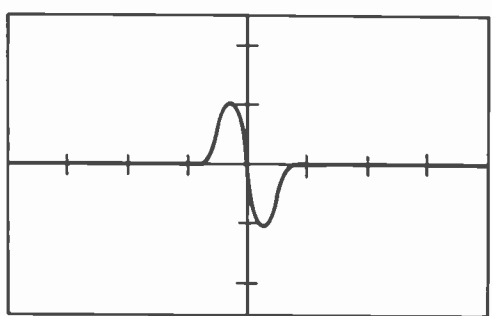


Fig. 28—Centering groove signal. The location of the pattern indicates the location of the circular groove on the substrate.

Most likely, the substrate is not centered, causing the groove to move back and forth beneath the lens and producing the corresponding movement of the observed blip. In this case, the operator uses the centering screws to center the blip on the screen at the two screw locations 90° apart, uniquely defining the position of the circular groove. Centering is then complete.

If the circular centering groove is cut at the wrong radius, then, obviously, setting the circle at the specified radius at two points leaves it off center. This is apparent because the blip still moves as the substrate is rotated. When that happens, the correct radius at which to set the groove using the two centering screws is just the midpoint of the extremes of travel of the blip. The required condition is always that the groove does not move more than  $\pm 0.0005$  inch as the substrate is rotated. The system has been designed to make that distance correspond to one major division on the oscilloscope.

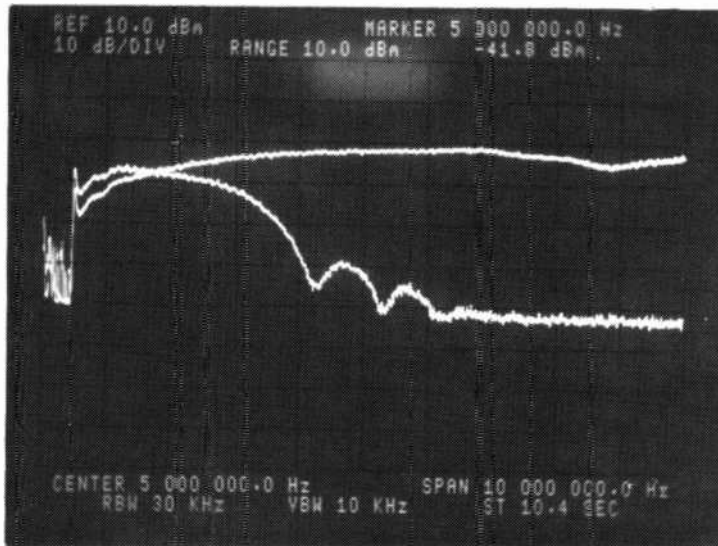
If the cut radius of the groove is wrong by more than 0.002 inch, it is out of the scanner's field of view, and it must be searched for, but that tolerance is well within the accuracy of the cutting process.

After centering is complete, the operator starts the turntable motor and is ready to play the substrate.

## 7. Reader Performance

The main application of the optical reader is in production quality control. It makes quantitative measurements on such items as recorded SNR, signal levels, and frequency response. Also, it is used to simply view the entire program in checking for subjective quality and recording errors. Although absolute calibration of the reader is very difficult, and the precise correlation of optical readout of the copper substrate with capacitive stylus readout of the vinyl replicas is uncertain, relative measurements of these parameters are important, so that recording parameters can be standardized. For that reason, stability and repeatability are also critical features. The same qualities naturally make the reader a useful research tool.

The reader's typical frequency response appears in Fig. 29. The flatter curve is the video mode response, using the total available bandwidth. The curve itself is the output of a spectrum analyzer sweeping from 0 to 10 MHz while the reader is playing a substrate containing a recorded frequency sweep signal. This curve is the product of two responses, the recording process and the reader. Neither response is known accurately. The curve's greatest value is as a standardization criterion; if the curve represents the output of a recording made with the best known technique producing flat response, then



**Fig. 29**—Typical LSR-1 response to a recorded sweep-frequency signal at a radius of 6.0 inches. The flatter curve shows the video-mode response, the other curve the audio-mode.

future recordings should produce the same result. Comparison of the Fig. 29 curve with the calculated response based on our very crude model, produces a rather good similarity. Fig. 7 shows the calculated response, and that response multiplied by the measured photodetector-amplifier response, plotted on the same coordinates as the spectrum analyzer data.

The second curve in Fig. 29 is the low-pass response produced by the slit in the audio mode. The slit improved audio CNR and reduced video information that interferes with the audio.

Figs. 30 and 31 are examples of measured CNR using the normal video mode (wideband) and the audio mode (low pass). This recorded signal is the sum of two carriers at approximately 0.7 MHz and 5 MHz, with measured depths of 8.7 nm and 90.0 nm, respectively. The sidebands around the upper carrier are produced by nonlinearity in both the recording and reading processes. In the video mode (Fig. 30), the noise floor is approximately flat over the bandwidth shown, suggesting that the disc noise is wideband and the reader response is about flat. The CNR for the 5-MHz carrier is 63 dB. However, the lower carrier is poorer, with a CNR of 32 dB. Switching the reader to the audio mode raises the 0.7-MHz carrier CNR to 40 dB (Fig 31). This result seems reasonable. If the system noise is assumed to be flat, and the recorded low frequency signal depth is 20 dB less than the

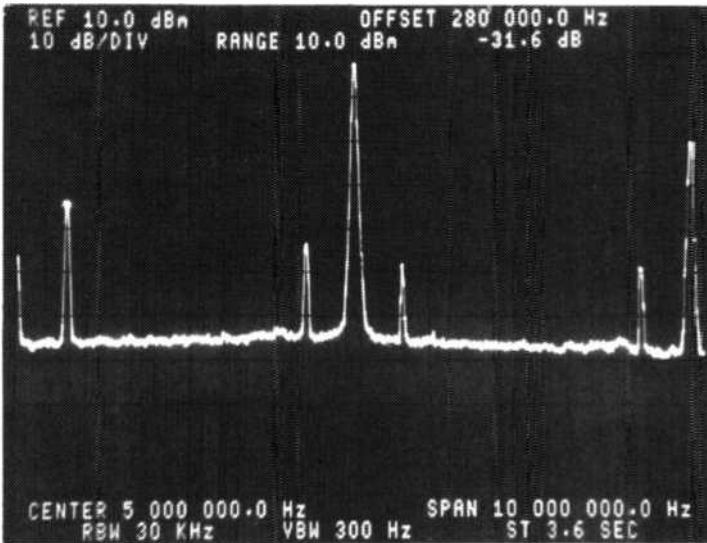


Fig. 30—Measured LSR-1 video-mode response to a two-carrier test signal. Radius is 6.0 inches.

high frequency signal depth, the CNR is expected to also be about 20 dB lower. Thus, the audio mode slit increases the low frequency CNR by 8 dB, in this example, to nearly the expected value. These values for CNR are typical of good recorded substrates. Occasionally, values of a few dB higher are seen.

Optimum focus is substantially different for the audio and video modes. It is believed—but not yet confirmed—that this is due to spherical aberration in the player objective lens. The results above were obtained by refocusing whenever the mode was changed. In this example, if the audio mode was used without refocusing, that is with focus still set for normal video mode, the CNR was 38 dB, a loss of 2 dB.

Focus and tracking stability are best illustrated by the uniform amplitude of the carrier. The upper trace in Fig. 32 shows the carrier envelope at the output of the differential detector amplifier, through a 17 dB attenuator. The time span of the trace is 133 ms, one disc revolution. The absence of amplitude modulation indicates that focus and tracking are maintained as the disc spins. The lower trace is the sum of the halves of the split detector, without the attenuator. For a simple sinusoidal recording, that signal should be zero. For even slightly more complex signals, calculating the detailed response becomes very tedious, but in all cases examined, the sum signal is much

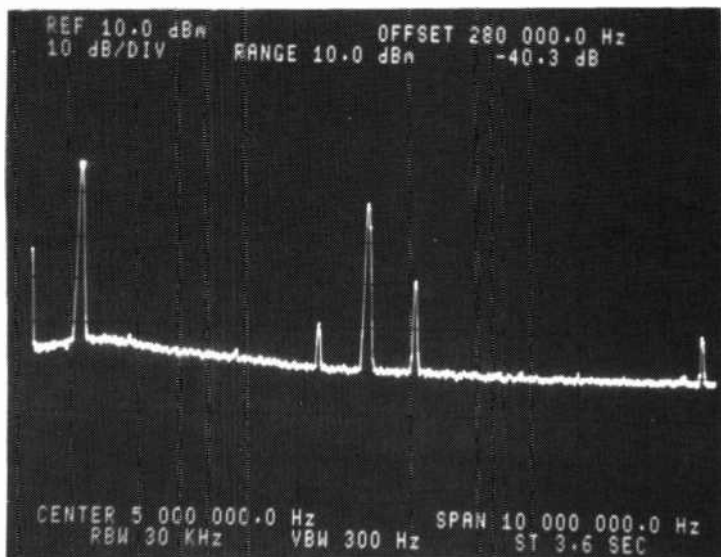


Fig. 31—Measured LSR-1 audio-mode response to a two-carrier test signal. Radius is 6.0 inches.

smaller than the differential signal, as expected from the simple model. In this example, it is 25 dB lower.

Improved performance would be particularly useful in two areas. The amplitude of second harmonics is larger than expected. The signal at 10 MHz in Fig. 30 is an example. The amplitude of the second harmonic output for the case when a signal was recorded with some second harmonic distortion (due to the cutting process nonlinearity) has been calculated. This calculation is rather lengthy and it mainly shows that the result depends critically on parameters of the system adjustment: focus, balance of the signal at the photodetectors, amplifier gain and phase balance, uniform beam radiance, etc. In this reader, special attention was paid to these items. Yet the 10-MHz signal in Fig. 30 is larger than that measured with earlier readers. The origin of harmonics, in fact the entire subject of nonlinearity in optical readout, is an important area of further study.

Audio quality is a second area needing improvement. The bandpass characteristic of optical readout of recorded substrates causes reduced response at the audio subcarrier frequency when video bandwidth is required. Audio quality with this type of reader has typically been poorer than a stylus on a plastic record. The slit low pass filter used in the player's special audio mode improves the sound substantially—a difference the listener can easily hear—but it would be useful to have



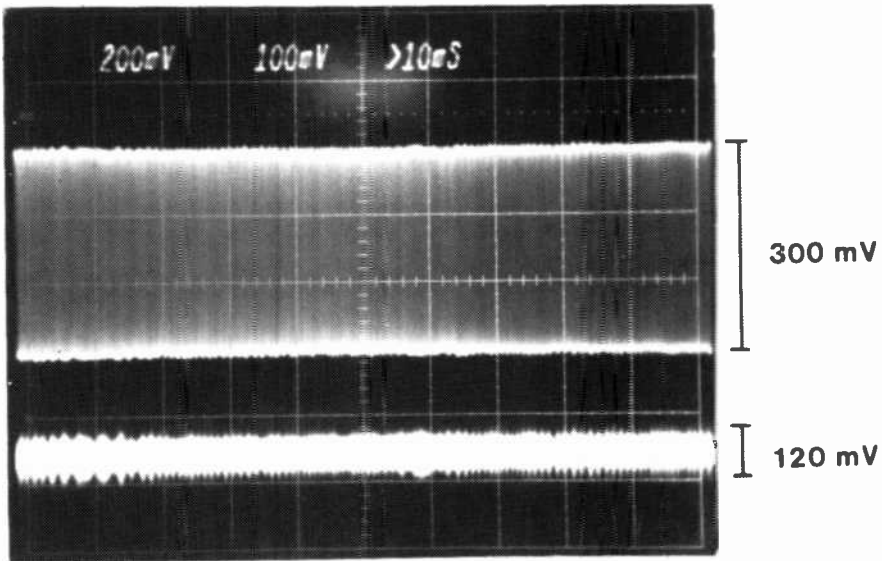


Fig. 32—Carrier envelope at the output of the detector.

the good sound simultaneous with video. Furthermore, recent more exacting demands on audio quality show interaction between video and audio in all the optical readers, even with the new reader in the audio mode. Here, too, further study is called for.

Although there are certain areas for further improvement and study, the new laser substrate reader is a useful tool for both quality control and research. It has shown good long and short term stability, safe automatic operation, low noise, and the expected theoretical bandwidth. The slit low pass filter for the audio subcarrier improves the audio CNR markedly. The system is now in use for production quality control and engineering.

### Acknowledgements

Several people contributed to this work. In particular, Al Withey provided both mechanical and electrical design. Al Mostrangeli and Dennis Truxal did the major share of the layout, documentation and construction of the reader. K. F. Etzold designed the detector electronics, built by Bill Haldane. Macy Heller, Jim Martin and Jim Palopoli all assisted, as well as many people in the model shop. Ron Roach came through with the BRH laser safety documents on a tight schedule.

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# The VideoDisc Stylus Electrode

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**Abstract**—The stylus electrode of the RCA VideoDisc system is a thin film of titanium deposited by rf sputtering on the diamond stylus. Extensive x-ray diffraction analysis has shown that the titanium film is highly oriented with respect to the diamond electrode face and is virtually single crystal. An intermediate, very thin layer of  $\text{TiO}_2$  was found at the electrode-diamond interface. The electrode is durable and has satisfactory playback performance.

## Introduction

The capacitive pick-up scheme was chosen for the RCA VideoDisc system to provide inexpensive, simple, and reliable signal retrieval offering good picture quality. The original stylus material was sapphire and an effective pick-up stylus was made by depositing a metal film electrode on the trailing edge side of a triangular wedge-shaped point. The capacity of recording one hour per side on a disc was achieved in late 1976.<sup>1</sup> The decrease in groove width from approximately 4.6 to 2.7  $\mu\text{m}$  of this improved format required a stylus with a finer tip. In view of the superior strength of diamond, its resistance to breakage, and better wear properties, diamond was chosen over sapphire. Diamond is considerably more difficult to shape than sapphire but techniques were successfully developed for faceting diamonds to sharp points and lapping a "keel" point that maintains a constant width as the tip is eroded. Fig. 1 depicts a perspective view of a keeled electroded stylus positioned in a disc groove as in playback.

One of the principle functions of the stylus in the RCA CED system

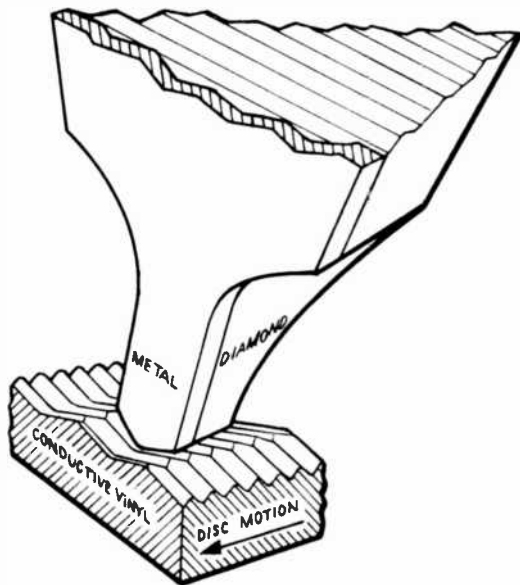


Fig. 1—Perspective drawing of a keeled electroded stylus and segment of a disc.

is to provide a support for the thin film electrode. Conversely, the electrode, in addition to its major role of signal recovery from the disc, must adhere and remain intact to the stylus tip through the diamond shaping processes and through many hours of play. These requirements of tenacity, durability and toughness govern the choice of possible electrode materials.

Diamond is a difficult substrate to metallize. It is chemically inert below  $1100^{\circ}\text{C}$  and diffusion rates in diamond are extremely low.<sup>2</sup> Mechanisms that promote film-to-substrate bonding and adhesion,<sup>3</sup> such as

- (1) intermediate layer formation due to chemical reaction at the interface, or
- (2) interdiffusion layer formation brought about by the solid-state diffusion or mutual solubility of the film and substrate,

are not readily attainable with diamond as a substrate. However, if one assumes that a compound interface is possible, those electropositive elements that form stable carbides are the most rational choices for the electrode application.<sup>4</sup> A partial listing of free energies of formation of carbides is shown in Table 1.

Of the commonly available metals the elements in group IVB of the periodic table, in particular, titanium, have the greatest tendency to form carbides. The suitability of titanium as the electrode is further

reinforced by the recent use of a titanium-based system for the coating of diamond heat sinks for high power microwave diodes.<sup>5</sup> The use of titanium alloys to bond diamonds in cutting tools and audio phonograph styli is well known.<sup>4</sup>

Titanium films formed by glow-discharge sputtering techniques are more adherent than those deposited by other methods. This is mainly due to the surface heating and resputtering effects of ions and secondary electrons bombarding the newly deposited film. The electrode of the RCA CED VideoDisc system is made by rf sputter-deposition, with highly satisfactory electrical performance and life being reported.

### Stylus Electrode Preparation

The stylus blanks are parallelepipeds of approximate size 0.025 × 0.025 × 0.20 cm of natural type 1A diamond. A pair of opposite larger faces are highly polished and have a {110} crystallographic orientation. Either of these two faces may be an electrode face. The blanks are batch cleaned to remove organic and metallic contaminants with a hot caustic bath, followed by a hot oxidizing acid bath and then rinsed repeatedly with high-purity deionized water. The blanks are air-dried in an oven, loaded on a deposition plate and inserted into the load-lock chamber of a sputtering system. All of the above operations are performed at the manufacturing facility in a class 100 laminar flow hood to minimize airborne contamination.

The loaded deposition plate is transferred to the main chamber of the vacuum system onto a preheated anode table. This serves to desorb water, carbon dioxide, oxygen, and other species from the diamond surfaces. Although diamond is chemically inert, the above gases are strongly bonded to the diamond surface.<sup>6</sup> Atomically clean surfaces of diamond are only attained by baking to 1300°C at a pressure of 5 × 10<sup>-10</sup> torr,<sup>7</sup> conditions which are not readily available

Table 1—Free Energy of Formation of Selected Metal Carbides (298K) (kcal mol<sup>-1</sup>)\*

IVB	VB	VIB	VIIIB	VIIIIB	IIIA	IVA
					B <sub>4</sub> C -13	
					Al <sub>4</sub> C <sub>3</sub> -38	SiC -12
TiC -43	VC -28	Cr <sub>3</sub> C <sub>2</sub> -21	Mn <sub>3</sub> C -4	Fe <sub>3</sub> C, Ni <sub>3</sub> C 5 9		
ZrC -43	NbC -38	Mo <sub>2</sub> C -2				
HfC -	TaC -38	WC -9				

\* F. S. Galasso, *Structure and Properties of Inorganic Solids*, Pergamon Press, Oxford (1970) p. 266.

in elastomer-sealed commercial sputtering systems. The titanium target is sputtered in ultra-pure argon at a power density of  $(4-8) \times 10^4$  W/m<sup>2</sup>.

## Electrode Characterization and Film Properties

Of utmost importance to the continuing manufacture of high performance electrodes are means of evaluating the product and maintaining a consistent level of quality. The ultimate test is stylus reliability under actual playback conditions in the field, which is obviously not a practical form of quality control. We have found that physical characterization of the film by standard metallurgical, thin-film, and analytical procedures provides a rapid way to monitor and control the deposition process.

The electrodes are subjected to a variety of tests. Because of the unique characteristics of the diamond-titanium interface, measurements are only made on coated diamond blanks or styli. Representative samples from each deposition run are selected. The thickness is determined by multiple-beam or Tolansky interferometry at a chemically etched step. Film resistivity is determined with a miniature four-point probe head, and corrections for the near-equivalence of sample dimensions and probe spacing are made in calculating the resistivity.<sup>8,9</sup> Values between  $(60-130) \times 10^{-6}$  ohm-cm are obtained, which compares well to values reported by others.<sup>10</sup> A gross test for film adhesion is made using a scratch test. Styli are assembled onto cartridges and thoroughly electrically tested. Playback testing is performed for several hundred hours to evaluate the quality of the electrode.

In-depth characterization is done with x-ray diffractometry. Film properties such as the average crystallite size, the maximum nonuniform local strain or the microstrain, the uniform elastic strain or the macrostrain, and the degree of preferred uniaxial crystallographic order or texture are measured. The extent of azimuthal order of the titanium with respect to the crystallographic orientation of the diamond is determined using Laue methods. Many of the structural properties are process dependent and the x-ray techniques are useful for quality control.

Titanium is dimorphic and the stable structure below 882°C is hexagonal close-packed. The interfacial free energy of a metal-substrate system is minimized when the densest packed planes of the metal are parallel to the plane of the substrate. The extent to which this occurs depends on the surface mobility of the arriving atoms during deposition. Titanium films exhibit a pronounced c-axis texture which starts from the initial stages of film formation, even on amor-

phous substrates. On a single-crystal substrate, in this case, diamond, the tendency for preferred orientation is markedly increased. This is seen in Fig. 2 which shows, by transmission electron microscopy, oriented hexagonal crystallites of titanium on a (110) diamond surface. It is the highly oriented nature of the electrode that allows full characterization by x-ray diffraction from a very small sample of the metal on a stylus, about  $10^{13}$  atoms of titanium.

The 002 and 004 reflections of the oriented titanium films are measured by conventional diffractometry. Using the method of integral breadths,<sup>11</sup> the contribution to the line broadening of the crystallite size along the c-axis (the thickness) and the microstrain are computed from a plot of  $(\Delta 2\theta/\tan \theta)^2$  versus  $(\Delta 2\theta/\sin \theta \tan \theta)$  where  $\Delta 2\theta$  is the deconvoluted integral breadth and  $\theta$  is the Bragg angle. The corrected integral breadths are obtained using computer deconvolution of the experimental profiles by the method of iterative folding<sup>11</sup> due to Ergun and computer application of the Rachinger correction<sup>11</sup> for  $\alpha_1 - \alpha_2$  separation.

The macrostrain of each film is arrived at by using the 220 reflection

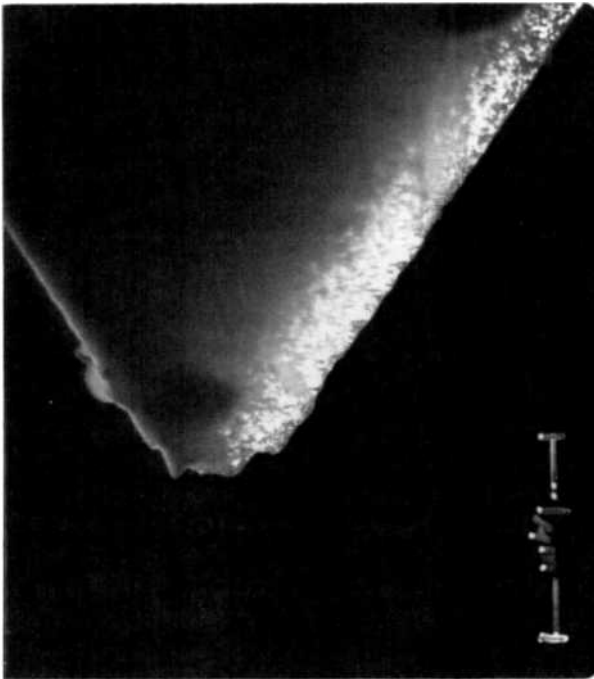


Fig. 2—Transmission electron microscope photograph of oriented titanium islands deposited at edge of diamond stylus.

of the diamond stylus substrate as an internal standard, making possible precise determination of the c-axis lattice spacing of titanium. For a strain-free powdered bulk sample of titanium, a diffractometric measurement of  $C_o$  was made that differed from the National Bureau of Standards value by only 2 parts in  $10^4$ . The macrostrain is calculated from the ratio  $(C_o - C)/C_o$ , where  $C$  is the film lattice constant computed from the adjusted 004 and 002 titanium reflections. For positive values of  $(C_o - C)/C_o$  the film is in compression normal to the substrate plane and can be considered to be in tension in the film plane. The opposite considerations apply when  $(C_o - C)/C_o$  is negative. The film macrostress  $S$ , is given by  $S = (E/2\nu)(C_o - C)/C_o$ .  $E$  is Young's Modulus and  $\nu$  is Poisson's ratio; for titanium the values are  $1.16 \times 10^{11}$  N/m<sup>2</sup> and 0.32 respectively.

The degree of crystallographic orientation and single crystallinity of the titanium films is determined by a combination of two techniques, the  $\omega$ -scan and the back-reflection Laue. As pointed out previously, the c-axes of each of the hexagonal single-crystalline titanium domains tend to align themselves normal to the {110} diamond electrode plane. The  $\omega$ -scan measures the extent of c-axis alignment. This is done by placing the x-ray counter tube at the 002 Bragg angle position and then rotating the sample through the angular ( $\omega$ ) range over which coherent diffraction due to the 002 reflection is detected. The half-width of the resultant  $\omega$ -scan diffraction profile is used as a relative measure of preferred orientation of the c-axis.

The  $\omega$ -scan measures the alignment of only one axis of the titanium crystallite array which constitutes the film. It is possible to have a small  $\omega$ -scan half-width and have complete random crystallographic order in an azimuthal sense about the aligned c-axes. This case occurs for titanium deposited on glass substrates. Information on the 3-dimensional order of the titanium crystallites is obtained from Laue back-reflection methods. In the Laue method a collimated x-ray beam is aligned along the c-axes of the titanium film, or normal to the diamond {110} plane in this case. Depending on the relative basal plane alignment of the titanium crystallites about their c-axes, the back diffracted radiation recorded on a photographic film will appear as concentric circles, segments of concentric circles, or spots. For completely random azimuthal order, concentric circles are seen. For partial azimuthal order, segments of these circles are observed, and for complete order (single crystallinity) an array of spots are recorded.

Fig. 3 shows a comparison of the azimuthal order of two films of titanium. The basic pattern in both is the 2 m Laue symmetry due to the {110} orientation of the diamond. In part 3a segmented rings are seen superimposed on the diamond pattern. These are due to diffrac-



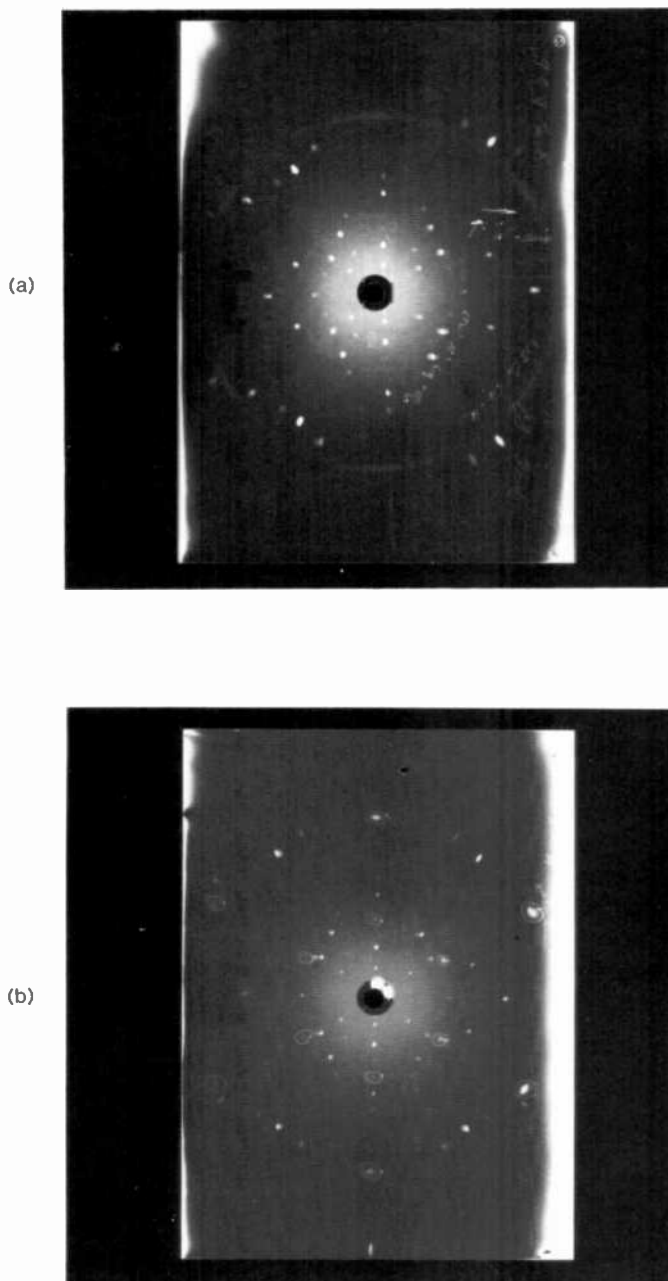


Fig. 3—Back-reflection Laue photograph of titanium films on diamond stylus: 3(a) *U* electrode showing partial basal plane alignment; 3(b) *H* electrode showing heteroepitaxial, single-crystal titanium.

tion from the titanium film and were identified as 103 and 105 reflexes of titanium due to the  $K\alpha$  radiation of chromium and nickel, respectively. (A chromium x-ray tube contaminated with nickel was used for the Laue back-reflection work.) The indexed ring segments observed are of the 6-fold (6 mm) Laue symmetry expected of the hexagonal titanium c-axis. Further, it is seen that the titanium a-axis tends to align itself with the (110) direction in the {110} electrode plane.

In the case of Fig. 3b the superimposed 6-fold diffraction contribution from the titanium film is indicated by the encircled 103 and 105 spot pattern. In both of these titanium films, the uniaxial c-axis alignment was high with  $\omega$ -scan half-widths less than  $1.5^\circ$ . However, the segmented ring pattern of Fig. 3a is indicative of a much lower degree of basal plane order compared with the spot pattern due to the single crystal or heteroepitaxial film of Fig. 3b.

The crystallite size in the basal plane is estimated from the half-width of the 103 reflection measured in Berg-Barret geometry. Unfortunately, it is not possible to get a second-order reflection of the 103, and a proper separation of the broadening due to microstrain and particle size cannot be made. However, if one assumes that the 103 broadening component due to microstrain is the same as that observed for the 004, then the crystallite size can be calculated.

The x-ray data for two types of titanium films is given in Table 2. The sample designated H was coated on the preheated anode table previously described. The sample labelled U, with unacceptable play-back characteristics, was heated only by the rf plasma during deposition. The actual temperature of the small diamond blanks while under vacuum and during processing is difficult to determine. The absorption of diamond in the infrared region of the spectrum is low, and the main thermal coupling between the blanks and the vacuum system fixturing is by radiation. Large differences in the properties of the two types of films are seen. The H electrode is in a state of tension in the plane of

Table 2—Results of X-Ray Diffractometry of Titanium Films on {110} Diamond

	Sample	
	Heated (H)	Unheated (U)
Microstrain	$6 \times 10^{-4}$	$18 \times 10^{-4}$
Macrostrain	$19 \times 10^{-4}$	$-17 \times 10^{-4}$
Macrostress ( $\text{Nm}^{-2}$ )	$3.4 \times 10^8$	$-3.1 \times 10^8$
Crystallite Size (Å), (103) Reflection	450	150
Orientation:		
$\omega$ -Scan	0.66	1.40
Laue (Fig. 3)	virtual single crystal, spots	moderate order, segmented rings

the film, while the U electrode is under compression. The H electrode is virtually single crystal. The deposit is heteroepitaxial (001) Ti// (110) diamond with the titanium  $a$ -axis  $[2\bar{1}0]//\langle 110 \rangle$  diamond in the electrode plane. The Laue pattern of Fig. 3b is of the H electrode while that of the U film is shown in Fig. 3a.

X-ray diffraction can detect subtle changes in film structure. This information, in turn, can be used to ascertain inadvertent changes in the deposition process and allow subsequent adjustment of the deposition process.

### The Titanium-Diamond Interface

The rationale for choosing titanium as the stylus electrode was presented in the Introduction. In view of the stated durability of the electrode and the apparent strong adhesion of the titanium electrode to the diamond stylus, one would expect that a compound interface, where a chemical reaction between the deposit and substrate has occurred, exists for titanium and diamond. The presence of titanium carbide, TiC, at the titanium-diamond interface was detected by Zudema and Caveney using transmission electron diffraction on thinned diamond substrates.<sup>12</sup> The films for that study were deposited from electrically heated titanium wires. They reported that epitaxy of the titanium with respect to the diamond and carbide formation occurred at 500°C. We have investigated the titanium-diamond interface that results from the deposition of titanium by rf planar diode sputtering. The interface in the VideoDisc stylus differs from that described by Zudema and Caveney.

Two approaches were used:

(a) *Electron microscopy and diffraction.* When the diamond blanks are ground to a point to form the stylus tip, the resultant edges are very sharp. The radius of curvature is several tens of angstroms. Diamond (atomic number 6) is quite transparent to the 100 keV beam of the electron microscope. It is possible to "see" in through the wedge shaped edge of the stylus for a distance of about 0.2  $\mu\text{m}$ . Thin metal films deposited on an electrode face of a pointed stylus can be examined by transmission electron microscopy and diffraction directly without further sample preparation. Fig. 2 is such a transmission electron microphotograph of a film nominally 15 nm thick. Electron diffraction of this discontinuous film confirms our x-ray results that the titanium is ordered on the surface of the diamond. The direction of the long sides of the small titanium islands in Fig. 2 is along the  $\langle 110 \rangle$  of the diamond. Most important for this discussion, electron diffraction shows

the presence of only two phases, hcp-titanium and tetragonal  $\text{TiO}_2$ . No evidence for cubic TiC was seen as reported by Zudema and Caveney.

(b) *Chemical Etching.* A solution of bromine in ethylacetate is selective etch between  $\text{TiO}_2$  and titanium metal (and other low-oxidation state compounds).<sup>13</sup> The two types of titanium coated styli were treated with the bromine etchant.

1. Unheated (U) styli. These titanium films dissolve and leave no titanium-containing surface residues. The etched diamond surfaces were examined by electron probe microanalysis and RHEED. The resultant electron diffraction pattern was that of (110) diamond only.

2. Heated (H) styli. These films also dissolve in the bromine etch. However, a grey to pale-brown, strongly adherent residue was left on the diamond electrode face. This residue is soluble in standard titanium etch solutions. Examination of the residue by electron probe microanalysis indicates a titanium phase of thickness 0.5 to 1 nm. The residue is electrically conducting with an approximate resistivity of  $10^{-2}$ - $10^{-1}$  ohm-cm. RHEED indicates that the residue is predominantly tetragonal  $\text{TiO}_2$  with a trace of another phase, possibly a suboxide of titanium.

Films of TiC were prepared on heated diamond blanks by reactive sputtering of titanium with acetylene or ethylene. RHEED indicated the presence of cubic TiC. The response of the TiC films to the bromine etch was similar to the metallic U-type titanium film.

Lurie and Wilson<sup>7</sup> investigated the initial reaction of aluminum deposited by vacuum evaporation on diamond. Aluminum is also a strong carbide-forming metal element with a room temperature free energy of formation of  $-38$  cal mole<sup>-1</sup> (Table 1). Atomically clean surfaces were obtained in their LEED apparatus. On the (100) face, used by Zudema and Caveney, the presence of  $\text{Al}_4\text{C}_3$ , aluminum carbide, was detected by Auger electron spectroscopy. However the carbide was formed only after raising the temperature of the diamond to 1300°C after a deposition at 600 to 800°C. Similar results were obtained for deposition on (110) surfaces. The temperatures for carbide formation in the Lurie and Wilson study are considerably above those mentioned by Zudema and Caveney and higher than are present during deposition in our sputtering system.

Our study indicates that the compound interface on the VideoDisc stylus consists of  $\text{Ti-TiO}_2\text{-C}_{(\text{diamond})}$  and does not involve TiC. The interface is formed by the reaction between the absorbed oxygen at the diamond surface<sup>6</sup> and the arriving titanium atoms. The strength of the titanium-diamond bond appears to be enhanced by the highly adherent  $\text{TiO}_2$  intermediate layer. For the case of styli coated at lower

substrate temperatures (U-type) with unacceptable playback lifetime, only lower oxides of titanium may be produced. These suboxides are chemically attacked by the bromine etchant, no oxide residue remains and no advanced film-diamond adhesion results.

### **Electrode Erosion and Wear**

Electrode erosion and wear are the subject of a continuing study. Satisfactory models for the erosion processes and correlation of erosion to playback performance are not yet at hand. Within several tens of hours of playback, in the great majority of cases, the electrode is worn up from or thinned at the stylus tip to a height of 0.03 to 0.05  $\mu\text{m}$ . There is an initial small decrease in signal output due to the electrode wear-up. Thereafter, a steady-state configuration of wear-up is reached that is governed by the extremely slow rate of wear of the diamond keel. The output is relatively constant with time in this steady-state regime. The wear-up of the electrode is due to the combined mechanical, chemical, and electrical erosional effects of the disc materials (carbon particles and PVC), disc lubricants and additives, and their degradation products. Picture quality, however, is satisfactory throughout. Separation of the electrode from the stylus is rare and it can be traced to improper diamond cleaning.

### **Conclusion**

The deposition of thin films of titanium on diamond styli by rf sputtering techniques has yielded a long-lived and effective electrode for signal retrieval in the capacitive pick-up mode. Properly prepared films are heteroepitaxial with respect to the single-crystal diamond substrate and the metal films are strongly adherent to the diamond.

### **Acknowledgment**

The development of a durable VideoDisc stylus electrode was a group effort drawing on the skills and commitments of many people, both at RCA Laboratories at Princeton and the VideoDisc facility at Indianapolis. All of them deserve to be commended. We especially acknowledge the contributions of S.-S. Chio, G. A. Kim, M. J. Mindel, and J. Schubert of Indianapolis. The support of our colleagues at the Laboratories, E. P. Bertin, E. R. Levin, J. T. McGinn, E. M. Botnick, G. O. Fowler, and J. H. Thomas III for help in characterization of the electrode is also acknowledged.

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# Basics of VideoDisc Stylus Dynamics and Interaction With Surface Imperfections

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**Abstract**—The RCA Selectavision VideoDisc system utilizes a stylus mechanically tracking a grooved disc. We present a simple model describing the stylus-disc interaction, and then utilize this model to analyze the consequences of gross disc movements such as horizontal runout, vertical warp, and vertical acceleration, and of collisions with abrupt imperfections such as bumps and dents. We describe examples of bumps and dents.

## 1. Introduction

The RCA VideoDisc system employs a stylus riding in a groove. The grooves are only a fraction of a micrometer deep, and the video signal elements are about a micrometer apart. The relative speed between stylus and disc, due to the 450 rpm rotation, is about 500 cm/sec; if the stylus loses contact with the disc for 63  $\mu$ sec (0.3 mm), an entire line of video information is lost. The grooves have a radial density of nearly 4,000/cm, which is some 40 times the density of an audio disc; if the stylus is kicked over by 2.6  $\mu$ m, it is in an adjacent groove and 133 msec of audio and video information are lost or repeated. In this article, we describe the system design and engineering tolerances that allow high performance in spite of the problems of scale.

The disc V-groove geometry is shown in Fig. 1. The included angle at groove top and bottom is 140°. The disc is made of a rigid, carbon-loaded polyvinylchloride material that has the uniaxial, compressive stress-strain curve shown in Fig. 2. We approximate the true stress-strain curve (dotted curve in Fig. 2) with an elastic-perfectly plastic

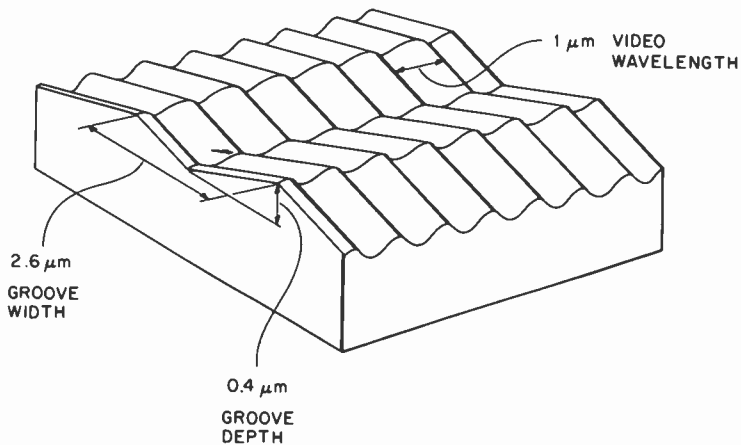


Fig. 1—VideoDisc groove geometry.

model (solid curve); as seen by the stylus, the modulus  $E \sim 5 \times 10^{10}$  dynes/cm<sup>2</sup>, and the yield stress  $\sigma_y \sim 2.1 \times 10^9$  dynes/cm<sup>2</sup>.

Stylus geometry is shown in Fig. 3. The shoe of the diamond stylus fits into the groove with the same 140° included angle. The disc moves in a direction such that it encounters the prow first and the electrode last. The front faces of the stylus meet at the prow line, which makes a 35° angle with the disc. The stylus arm, Fig. 4, is very light and rigid. The entire arm moves in a carriage that keeps the arm oriented along a tangent to the grooves at the point of stylus-disc contact.<sup>1</sup> To keep the analysis simple and retain physical insight, we use very simple models for the stylus and arm, as shown in Fig. 5, where we assume

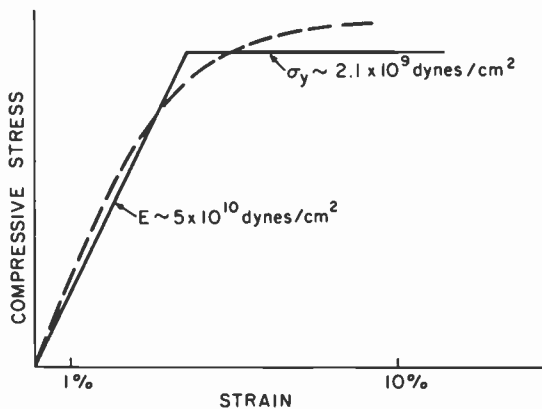


Fig. 2—Carbon-loaded polyvinylchloride disc material. Compressive stress-strain response as seen by the stylus. The dotted line is the true material response, while the solid lines are the elastic-perfectly plastic approximation.



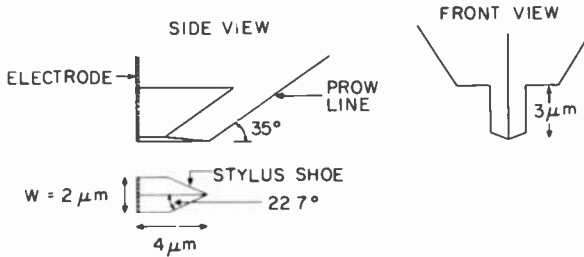


Fig. 3—Diamond stylus geometry.

the mass is concentrated, with external forces applied by the Be-Cu spring and the disc. For long-term interactions (milliseconds), which characteristically move the stylus by several tens of micrometers, we use a mass of 17 mg which reflects the entire mass of the diamond, plastic holder, and magnet, plus one-third of the masses of the Al tube and the Be-Cu spring. There is little compromise in modeling the system in this manner for long-term interactions. For short-term interactions (microseconds), the deflections of interest are typically a micron or less, and the stylus is properly modeled as a distributed mass system with compliant joints and members. Such models are complex, require computer solution, and sacrifice physical insight. In this paper, we simply use an effective mass term,  $m_{eff}$ , which is somewhere between 17 mg and the mass of the diamond alone (0.5 mg). The fundamental bending mode of the plastic holder is several kilohertz, and the magnitude of the bending movements it will undergo due to typical applied forces is several micrometers, so this component alone will partially decouple the more distant masses from the diamond. For interactions on the order of 100  $\mu$ sec, we will use  $m_{eff} = 2$  mg.

The vertical stiffness of the Be-Cu spring,  $k_y$ , is 200 dyne/cm, and the lateral stiffness,  $k_r$ , is 40 dyne/cm. In normal tracking, the stylus exerts a vertical force of  $(k_y y_0 + w) = 65$  dynes on the disc, with about 80% due to a preload in the Be-Cu spring. We will use 65 dynes as the

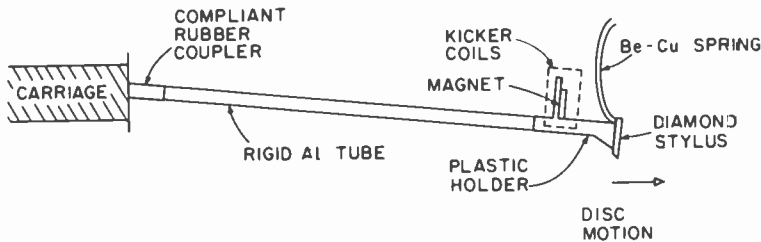


Fig. 4—Stylus arm.

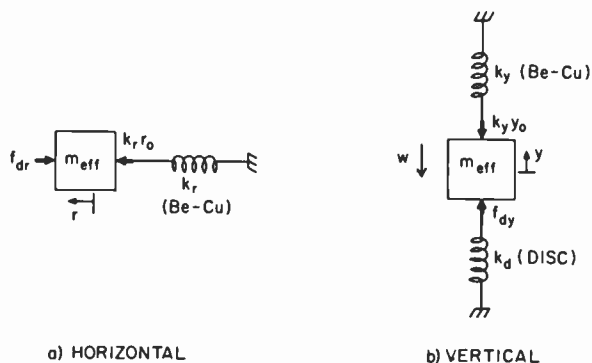


Fig. 5—Models for (a) horizontal and (b) vertical stylus movement.

approximate downward force even for those short-term interactions where  $w = m_{eff} g < 17$  dynes. Standard application of the theory of contact mechanics<sup>2</sup> relates disc deflection to applied load

$$y = 0.94 \frac{f_{dy}(1 - \nu^2)}{\sqrt{A} E}, \quad [1]$$

where  $y$  is the local vertical disc deflection,  $f_{dy}$  is the load applied to the disc,  $E$  is Young's modulus ( $5 \times 10^{10}$  dyne/cm<sup>2</sup>),  $\nu$  is Poisson's ratio (0.4), and  $A$  is the area of contact ( $5 \times 10^{-8}$  cm<sup>2</sup>). For normal tracking,  $y = 460 \text{ \AA}$ . The disc can be thought of as a spring pushing against the stylus,  $f_{dy} = k_d y$ , where the spring constant

$$k_d = \frac{\sqrt{A} E}{0.94(1 - \nu^2)}. \quad [2]$$

## 2. Tracking Basics

Under ideal circumstances, there is no radial force between stylus and disc. In reality, radial forces can be exerted by spring preload and by disc horizontal runout. Radial mistracking occurs (Fig. 6) when

$$f_{dr}(\max) > 65 \tan 20^\circ = 23.7 \text{ dynes}. \quad [3]$$

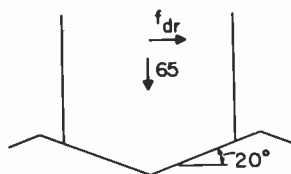


Fig. 6—Forces to consider for radial mistracking.

The largest probable spring preload comes about from a lateral stylus spring misalignment not exceeding 0.6 mm, which results in a preload of 2.4 dynes. Disc horizontal runout will not exceed  $\pm 0.1$  mm. This can result directly in a radial force of 0.4 dynes. The radial movement will be approximately sinusoidal,  $r_o \sin \omega t$ . The radial frequency  $\omega = 2\pi f_o n$ , where  $f_o$  is the fundamental frequency (7.5 Hz) and  $n$  is one for once-around, two for twice-around, etc. The force generated from such movement is thus

$$f_{dr} = m \ddot{r} = -m_{eff} r_o \omega^2 \sin \omega t \tag{4}$$

$$f_{dr}(\max) = m_{eff} r_o (2\pi f_o n)^2.$$

For  $r_o = 0.1$  mm,  $n = 1$ , and  $m_{eff} = 17$  mg,  $f_{dr}(\max)$  is 0.4 dynes. Higher modes have an  $n^2$  effect, but  $r_o$  also diminishes quickly for higher modes. Radial forces due to spring preload and horizontal runout are therefore well within the tracking limits of the system.

Vertical warp and acceleration of the disc surface will cause deviations from the normal 65 dyne tracking force. Warp normally does not exceed 0.25 mm; at the vertical spring rate of 200 dynes/cm, a maximum variation of 5 dynes can thus be generated. Surface acceleration will not exceed about 600 cm/sec<sup>2</sup>, so the maximum tracking force variation due to acceleration is

$$\Delta f_y(\max) = m_{eff} \ddot{y}_{\max} = 10.3 \text{ dynes.} \tag{5}$$

Therefore neither warp nor acceleration can cause the stylus to lose contact with the groove.

Finally, we consider the worst-case combination of horizontal runout, warp, and vertical acceleration. The worst-case for mistracking occurs when the tracking force is at a minimum, while the side force is at a maximum. Minimum tracking force occurs when disc height is 0.25 mm low due to warp at the same time acceleration is at its negative maximum of 600 cm/sec<sup>2</sup>. (Note that a negative maximum acceleration implies downward motion, so the minimum height cannot really occur at the same point; we assume the acceleration is due to a relatively sudden undulation in the disc that has essentially no effect on the height.) We also assume the nominal tracking force was set 10% too low. Then, at this moment, the tracking force is

$$f_{dy}(\min) = 65 - 5 - 10.3 - 6.5 = 43.2 \text{ dynes.} \tag{6}$$

The side force for mistracking is then

$$f_{dy}(\min) \tan 20^\circ = 15.7 \text{ dynes.} \tag{7}$$

The maximum applied side force might include a worst-case once-around horizontal runout of 0.1 mm, plus a worst-case combination of

spring preset in the radial direction by 0.6 mm, and radial tracking position set incorrectly in the same direction by 0.25 mm. Then the maximum side force would be

$$f_{dr}(\text{max}) = 0.4 + 40 (0.01) + 40 (0.06) + 40 (0.025) = 4.2 \text{ dynes.} \quad [8]$$

Comparison of Eqs. [7] and [8] indicates that we are very safely away from mistracking radially, and Eq. [6] shows that we maintain a substantial vertical load as well. The combination of lightweight, rigid, arm design, coupled with tight system tolerances, therefore is perfectly adequate for handling normal tracking situations. We next consider what happens when the stylus collides with sudden imperfections on the disc.

### 3. Dropouts

#### 3.1 Stylus Interactions; Bumps and Dents

When the stylus is separated from the disc surface by more than about 2000 Å, the electrode is unable to sense the signal elements passing beneath. The signal loss that results is termed a dropout. Dropouts are caused by surface imperfections that are abrupt compared to those described in Sec. 2. These imperfections may be sharp protrusions, called bumps, or sudden depressions, called dents.

An idealized bump, of height  $h = 2 \mu\text{m}$ , length  $L = 50 \mu\text{m}$ , and made of disc material, is shown in Fig. 7. Before impact, the stylus is riding on the disc with its normal, moving elastic indentation of 460 Å. Upon impact, the contact area between stylus and disc grows to include engagement between the diamond front faces and disc material. The disc is forced downward and forward, and the stylus upward and backward. We are interested only in the vertical component (Fig. 5b) now. The disc reaches its yield stress and begins to flow approximately when the mean local pressure reaches<sup>3</sup>

$$\bar{p} = 1.4 \sigma_Y = 3 \times 10^9 \text{ dynes/cm}^2. \quad [9]$$

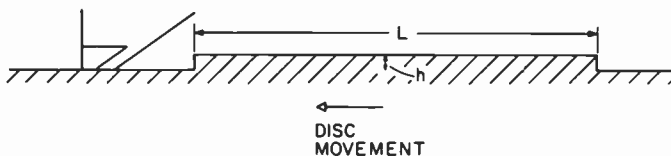


Fig. 7—An idealized bump, made of disc material, and having rectangular cross-section of length 50  $\mu\text{m}$ , height 2  $\mu\text{m}$ .

The diamond is extremely stiff and hard, so all of the elastic and plastic work is in the polymer. The stylus (even the diamond alone) is massive enough that it cannot move vertically by a significant amount compared to the height of the defect, so the stylus simply cleaves through the defect. The total projected area of vertical support (Fig. 3) is

$$A_y = A_{shoe} + \frac{wh}{\tan 35^\circ} = 10.7 (\mu\text{m})^2 \tag{10}$$

so that the impulsive force during impact

$$F_i = (f_{dy})_{\text{impact}} \sim \bar{p} A_y = 320 \text{ dynes.} \tag{11}$$

The elastic deflection of the disc (Eq. [1]) during impact is 1550 Å, using Eqs. [10] and [11]; we neglect this movement as small relative to the height of the defect. We also neglect the normal tracking force in Fig. 5b,  $(k_y y_o + w) = 65$  dynes, relative to the impulsive force, so we are left with a very simple equation of motion

$$F_i = m_{\text{eff}} \frac{d^2 y}{dt^2}, \tag{12}$$

with  $F_i$  considered constant. Integrating this expression once, we get the stylus velocity at the end of impact

$$\left( \frac{dy}{dt} \right)_{t=\tau_i} = \frac{F_i \tau_i}{m_{\text{eff}}}, \tag{13}$$

where  $\tau_i$  is the impact duration, 10 μsec. The vertical displacement at the end of impact is

$$(y)_{t=\tau_i} = \frac{F_i \tau_i^2}{2m_{\text{eff}}}. \tag{14}$$

After impact, the stylus is in free flight, with motion governed by the model shown in Fig. 5b again, this time with  $f_{dy} = 0$ . Once again we have a very simple equation to integrate,

$$m_{\text{eff}} \frac{d^2 y}{dt^2} = -(k_y y_o + w) = -65 \text{ dynes,} \tag{15}$$

from which the time-of-flight,  $t_{\rho}$ , is found to be

$$t_{\rho} = \frac{F_i \tau_i}{(k_y y_o + w)} \left[ 1 + \sqrt{1 + \frac{(k_y y_o + w)}{F_i}} \right] \tag{16}$$

$$\simeq \frac{2F_i \tau_i}{(k_y y_o + w)} = 100 \mu\text{sec}$$

and the maximum height of projectile-like motion is

$$y_1(\text{max}) = \frac{F_i \tau_i t_{\rho}}{m_{\text{eff}} 4}. \quad [17]$$

Note that the time-of-flight is mass independent, while the maximum height is not. For  $m_{\text{eff}} = 2 \text{ mg}$ , the maximum height is  $4000 \text{ \AA}$ . The signal is lost for about  $80 \mu\text{sec}$  ( $y > 2000 \text{ \AA}$ ).

At the end of flight, the stylus impacts the disc with velocity given by Eq. [13]. We again ignore all but the most important force term in Fig. 5b, leaving another simple equation of motion

$$m_{\text{eff}} \frac{d^2 y}{dt^2} = f_{dy} = -k_d y, \quad [18]$$

which has the solution

$$f_{dy} = \left( \frac{k_d}{m_{\text{eff}}} \right)^{1/2} F_i \tau_i \sin \left[ \left( \frac{k_d}{m_{\text{eff}}} \right)^{1/2} t \right]. \quad [19]$$

The impact has a duration  $\tau_{i1}$ , given by  $(k_d/m_{\text{eff}})^{1/2} \tau_{i1} = \pi$ . Assuming the contact area is the diamond shoe area only, and using  $m_{\text{eff}} = 2 \text{ mg}$ , then  $\tau_{i1} = 37 \mu\text{sec}$  and  $f_{dy}(\text{max}) = 270 \text{ dynes}$ . Plastic flow of the disc occurs when  $f_{dy}$  exceeds  $\bar{p}A_{\text{shoe}} = 150 \text{ dynes}$ . During the time when plastic flow is occurring, the area of contact will increase somewhat, increasing  $\bar{p}A$ . Eq. [19] will not apply during this time. More detailed analysis shows that plastic flow occurs for about  $20 \mu\text{sec}$ , which is  $0.1 \text{ mm}$  along the groove. All of the energy that goes into plastic flow is lost as heat. In addition, the disc has significant hysteresis losses of perhaps 20% in the "elastic" regime. Therefore, the next bounce will be considerably less forceful than the first. The stylus velocity on each exit from disc contact will be less than on entry. If  $(dy/dt)_n$  is the launch velocity at the start of the  $n$ th bounce, the time-of-flight for that bounce is

$$t_m = \frac{2m_{\text{eff}}}{(k_y y_o + w)} \left( \frac{dy}{dt} \right)_n, \quad [20]$$

while the force on the next impact is

$$(f_{dy})_{n+1} = \left( \frac{dy}{dt} \right)_n (m_{\text{eff}} k_d)^{1/2} \sin \left[ \left( \frac{k_d}{m_{\text{eff}}} \right)^{1/2} t \right]. \quad [21]$$

The net stylus-disc bump interaction thus consists of an initial cut straight through the defect, followed by a series of bounces of diminishing intensity. The first few bounces may produce some disc damage, but later ones will not.

Interaction with a dent is similar in most regards to a bump. If the dent is sharply defined, the stylus will begin with a free flight (Eq. [15]). The analysis follows that for a bump, except that the boundary conditions ( $y_0, dy_0/dt$ ) must be carefully accounted for, since they depend on the vertical location at each landing and launching site.

### 3.2 Examples of Dropouts

Real examples of surface imperfections large enough to launch the stylus off the VideoDisc surface can be found. To locate these imperfections, a VideoDisc player was modified by the addition of a signal loss detection circuit which was connected to a printer. The printer recorded the radius and angle of all signal losses. Using a microscope with an  $r-\theta$  table, the location of the signal losses were examined. Bumps and dents on the VideoDisc surface were found to be responsible for the signal losses.

The bumps found on the surface are localized bulges of the disc material. They typically had heights of 0.5 to 4  $\mu\text{m}$  and widths of 10 to 100  $\mu\text{m}$ . Fig. 8a shows an example of a relatively large bump, with a maximum height of 3  $\mu\text{m}$  and a width of 50  $\mu\text{m}$ . A special illumination

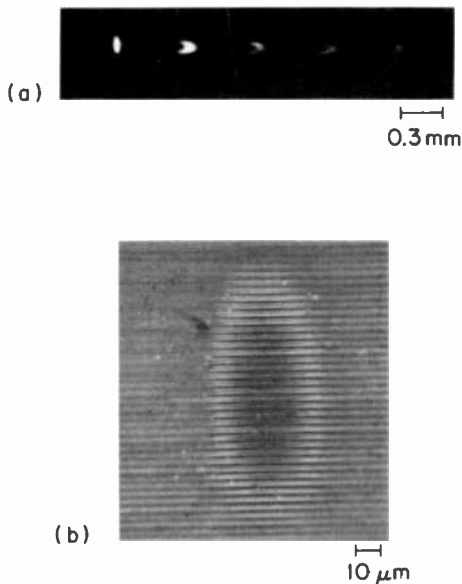


Fig. 8—Photomicrograph (a) shows an actual bump defect found on a once-played disc. The stylus marks made by initial impact (far left) and the first three bounces are evident. Photomicrograph (b) shows how the stylus cut through the bump.

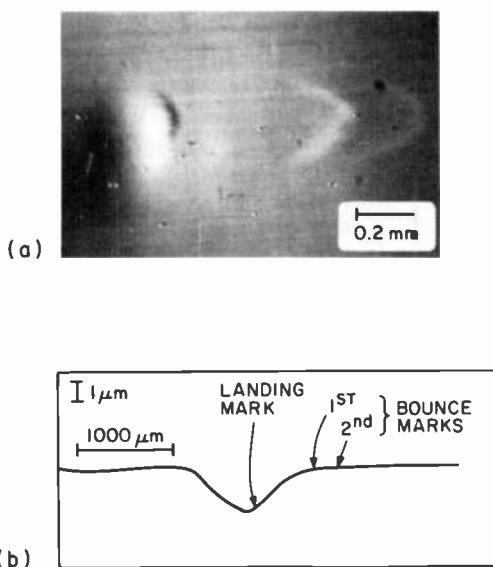


Fig. 9—Photomicrograph (a) shows an actual dent defect found on a disc. The initial landing and later bounce marks are visible to the right of the dent. The profile of the dent is plotted in (b). The horizontal scales of (a) and (b) are equal and aligned so that the location of the landing and bounce marks can be determined on the profile.

technique was used to highlight the contrast of this bump. This illumination also makes it possible to visualize the stylus landing areas, which are the dark V-shaped areas to the right of the bump. Fig. 8b is a photomicrograph image of the bump after one play. Note the visible cutting of the grooves. Inspection of the landing areas shows a similar distortion. This bump launched the stylus off the disc surface for more than 64  $\mu\text{sec}$  for 28 grooves in a row. The maximum dropout time was 109  $\mu\text{sec}$ . In all cases, the stylus landed in the same groove that it left. Subsequent plays of the same defect would result in shorter dropouts, because of the cutting taking place on the first play.

Dents can also be found on VideoDisc surfaces. An example of a dent plus the stylus landing marks is shown in Fig. 9a. Also included in Fig. 9a are the first and second stylus bounce marks. These bounce marks are created when the stylus rebounds from its first landing and is launched again due to the nearly elastic nature of the vinyl. About 10 successive bounce marks can be identified for this dent using the special illumination technique. The spacing between successive bounce marks gradually decreases as expected (Eq. [20]). The spacing of the first bounce initiated by a dent may be very different from the others,



because it is not launched from the plane of the surface, but rather from the recess of the dent. As can be seen from Fig. 9a, the first spacing between the landing marks in the dent and first bounce marks is larger than the spacing between the first and second bounce marks. This is analogous to a golfer's chip shot out of a sand trap. The chip shot must be long and high enough to get up and over the edge, but successive bounces will dribble along the green.

The stylus-dent interaction illustrated here resulted in launching the stylus into the air for 120 revolutions, and as in the example of the bump, the stylus always landed in the same groove from which it was launched. Fig. 9b is a Taylorsurf profilometer tracing of the dent. The arrows indicate the location of the initial stylus landing area, and the first and second bounce locations. Subsequent plays through a dent will not reduce the stylus interaction significantly, because the stylus does not seriously deform the defect. Fifty additional plays of the dent shown in Fig. 9 produced no further changes.

### 3.3 Dropout Correction

The VideoDisc player electronics contains a CCD 1-H delay line.<sup>1</sup> This component continuously stores the most recent horizontal line of video. Another circuit is designed to detect any loss of the video signal. When a signal loss is detected, the lost signal is replaced by the signal stored in the CCD delay line. This same signal is fed back into CCD storage, ready to be called again if needed. Therefore, even bumps and dents causing signal loss of more than one horizontal line of video are compensated. This dropout compensation scheme makes the signal loss, due to the bumps and dents discussed here, undetectable by the viewer. Larger bumps can induce a tracking error in addition to the signal dropout. This category of defects is described in the following section.

## 4. Tracking Errors

### 4.1 Stylus Interaction

As described in Sec. 2, the stylus cannot mistrack due to long-term interactions, such as ordinary horizontal runout, vertical warp, or side-bias settings of the stylus. When mistracking events do occur, they are normally the result of collision with sudden imperfections on the disc. After such collisions, described in Sec. 3, the stylus bounces on the disc. If, during the time-of-flight, the stylus moves over by at least half a groove dimension ( $2.6/2 = 1.3 \mu\text{m}$ ) and flies high enough to clear the

top of the groove wall ( $0.4 \mu\text{m}$ ), the stylus can get into the next groove.

One cause of mistracking might be a combination of bump-induced flight with a radial movement due to horizontal runout. The radial position in normal tracking (Sec. 2) is  $R + r_o \sin 2\pi f_o n t$ , where  $r_o$  (max)  $\sim 0.1 \text{ mm}$  at the fundamental frequency ( $n = 1$ ). The maximum effect occurs when the stylus is kicked up at  $2\pi f_o t = 0^\circ$ ; when the stylus lands again at  $(t + dt)$ , the disc will be at a new position  $R + r_o 2\pi f_o dt$ . This gives a maximum relative displacement of  $0.47 \mu\text{m}$ , which is not enough to cause mistracking. As the stylus bounces, it will be recentered in the groove each time it strikes the disc. As noted in Sec. 2, the product  $[r_o(\text{max})n]$  should diminish rapidly for  $n > 1$ . This effect could cause mistracking for bounces of duration greater than about  $270 \mu\text{sec}$ , but a disc with such an enormous defect would be unlikely to slip through quality control.

Another cause of mistracking might be a radial drift, during flight, due to stylus side bias. In Fig. 5a,  $k_r r_o$  is the bias force and  $f_{dr} = 0$ , since the stylus is in flight. The equation of motion is

$$k_r r_o = m_{\text{eff}} \frac{d^2 r}{dt^2}, \quad [22]$$

which gives a radial movement of

$$r_{f1} = \frac{k_r r_o}{2m_{\text{eff}}} t_{f1}^2, \quad [23]$$

where ( $f1$ ) refers to the first flight. If we take  $k_r r_o$  (max) =  $3.4 \text{ dynes}$  from Sec. 2 and  $t_{f1} = 100 \mu\text{sec}$  from Sec. 3, then  $r_{f1} = 850 \text{ \AA}$  for  $m_{\text{eff}} = 2 \text{ mg}$ . Mistracking is therefore very unlikely from this cause also.

The principal cause of mistracking is the radial impulsive force imparted to the stylus during a collision. In Fig. 5a, we now apply an impulsive  $f_{dr} = F_{ri}$ , and ignore  $k_r r_o$  as insignificant. We assume the stylus impacts the same idealized defect (Fig. 7) analyzed for vertical impulse in Sec. 3. Idealized impacts with this defect will have no radial force component. Since the defect is not as high as the keel of the stylus, there is no overlap of removed material as the stylus proceeds from one groove to the next. The material that is removed from the path of the stylus certainly must appear somewhere, but we have assumed for simplicity that each pass of the stylus is independent of what has happened before and is the same as a single idealized impact. In reality, there are a wide range of circumstances that evolve as a defect is distorted by the stylus and, of course, real defects do not have ideal shapes to begin with. To get an estimate of  $F_{ri}$ , we assume the stylus impacts the  $2\text{-}\mu\text{m}$  high defect of Fig. 7 on *one* front face only.

The projected area of contact on that face in the radial direction is (cf. Fig. 3)

$$A_r = \frac{hw}{2 \tan 22.7^\circ} = 4.8(\mu m)^2. \quad [24]$$

Therefore

$$F_{r1} = \bar{p}A_r = 145 \text{ dynes.} \quad [25]$$

The equation of motion from Fig. 5a is

$$F_{r1} = -m_{eff} \frac{d^2r}{dt^2}, \quad [26]$$

which integrates to give

$$r_{f1} = \frac{2F_{r1}F_t\tau_i^2}{m_{eff}(k_y y_o + w)} \quad [27]$$

using Eq. (16). The radial drift is  $0.71 \mu m$  for the idealized defect, using  $m_{eff} = 2 \text{ mg}$ , and mistracking will not occur. Larger defects can have substantially greater effects. A defect that is twice as tall and twice as long as Fig. 7 will have a radial drift  $(2)^4$  times greater. (The effect can be even greater than this because a  $4\text{-}\mu m$  tall defect is above the keel of the stylus, so the projected area of contact (Eq. [24]) can begin to grow as  $h^2$ .) It is partly because of this effect that very strict quality control standards have been set.

#### 4.2 Tracking Error Example

An example of a bump-type defect which caused the stylus to skip forward by one groove is shown in Fig. 10. This forward skip was detected and recorded by a player designed particularly for location of tracking errors. One can also determine that a forward skip took place by examining the groove damage. The arrow in Fig. 10a points to the groove left uncut by the first play of this disc. The defect is  $3.8 \mu m$  high and  $44 \mu m$  long. The maximum stylus flight time was  $117 \mu sec$ . The calculations of the previous section established that the most probable cause of mistracking is the generation of a radial impulse to the stylus during cutting. Examination of the SEM micrograph of Fig. 10a reveals that the groove in which the forward skip was generated is the first groove in which a substantial chunk of the defect was broken away. This material may have been broken away because the height of this part of the defect exceeded the height of the stylus keel. The

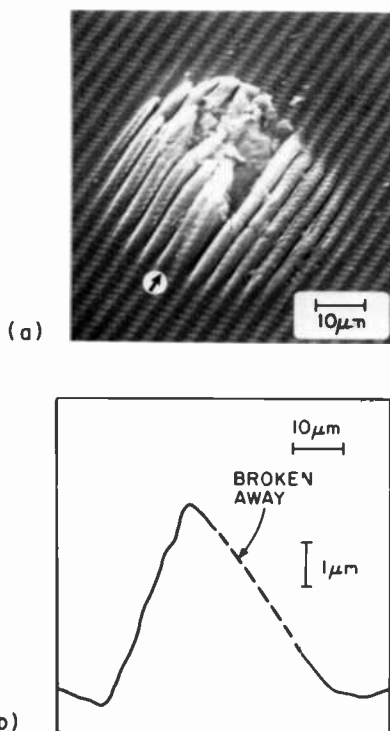


Fig. 10—SEM micrograph (a) shows a bump defect that caused the stylus to skip forward by one groove. The stylus cutting of the defect is evident. The arrow points to the groove left uncut when the stylus skipped forward. The material missing from the top of the defect was broken away and removed by the stylus. The profile of the bump is shown in (b).

breaking of this chunk may have generated unsymmetrical forces on the stylus, causing the radial impulse responsible for the forward skip. Reverse skips are automatically corrected by an electromechanical system incorporated in the player.<sup>1</sup>

## 5. Conclusions

We have shown that, as a result of a low-mass stylus design and tight system specifications on stylus alignment and on gross disc movements (such as horizontal runout, and vertical warp and acceleration), the stylus is easily able to track the signal grooves. The same low-mass design, however, makes the stylus vulnerable to abrupt changes, such as bumps and dents, in the disc surface contour. We have seen that defects such as those shown in Figs. 8, 9, and 10 cause the stylus to go

through a series of bounces, each of duration ca. 100  $\mu$ sec. For these defects, the stylus flies about as high as the groove is deep, so any substantial radial asymmetry may cause the stylus to move into an adjacent groove. Dropout compensation and tracking correction systems are included in the player to make such defects unobtrusive.

### Acknowledgments

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# Capacitive-Pickup Circuitry for VideoDiscs

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**Abstract** Circuits for capacitive pickup from a VideoDisc were designed using the concept of transmission lines printed on circuit boards. Circuits of the printed-board type have achieved an accuracy required in microwave design and a reproducibility needed in mass production. A theoretical analysis has revealed that the pickup sensitivity increases with operating frequency, which gives an advantage to the design with the microwave transmission-line circuit over an earlier design using a 250-MHz lumped-element circuit. The pickup circuit operating at 915 MHz has generated an output of 10 mV peak-to-peak from a signal capacitance as small as  $10^{-4}$  pF, and a ratio of carrier-to-circuit noise as high as 68 dB measured in a 30-kHz bandwidth.

## 1. Introduction

The key to the operation of the RCA CED VideoDisc system is a capacitive pickup that detects a capacitance as small as  $10^{-4}$  pF to transverse slots engraved in the grooves of the VideoDisc. To meet the system performance target, a carrier-to-noise ratio near 50 dB measured in a 30-kHz bandwidth is required, necessitating a pickup system with internal circuit noise about 10 dB below disc noise.

In this paper, we first describe the development as it progressed from an early design of a lumped-element circuit operating near 250 MHz to a current design of a transmission-line circuit operating at 915 MHz. The main body of the paper is a design theory of the 915 MHz

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pickup circuit. Circuits of a printed-board type have been used throughout the design to achieve an accuracy required in microwave design and a reproducibility needed in mass production. The paper discusses the design theory of a microwave resonator consisting of stripline, fly lead, stylus-to-disc capacitance, and varactor diode. Since the body of the VideoDisc is a part of the microwave resonator, the paper discusses the effect of disc electrical resistance on the pickup sensitivity. The design includes some detail of the stylus-to-disc interacting region. The paper includes descriptions of a stable oscillator, an automatic frequency control (AFC), and a preamplifier, all of which have been assembled with the resonator.

## 2. Lumped-Element Circuit

Capacitive pickup used in the RCA CED VideoDisc system employs a form of slope detector, in which the change in stylus-to-disc capacitance modulates the center frequency of a resonant circuit. The resonant circuit in early designs was made of lumped circuit elements,<sup>1</sup> as shown in Fig. 1. Response of the resonant circuit to a fixed drive signal that is removed from the center frequency is determined by a simple diode detector; variation of the stylus-to-disc capacitance shifts the resonant frequency so that the drive signal in effect moves up and down the flank of the tuning curve, and the detected signal thus varies with the signal capacitance. Several features of the behavior of this simple capacitance-detection system are of interest and served to point the directions for improvement in succeeding developments.

Pickup sensitivity, which is defined as the rate of change in diode voltage  $v$  with respect to the change in the stylus-to-disc capacitance  $C_{SD}$ , is of main concern in the pickup circuit design. The sensitivity is expressed by

$$\frac{\Delta v}{\Delta C_{SD}} = \frac{dv}{df} \cdot \frac{df}{dC_{SD}}, \quad [1]$$

where  $f$  is the center frequency of the resonant circuit. For a bellshaped resonant curve, in which  $v = V_p / \sqrt{1 + [2(f_o - f)/B]^2}$ , it can be shown

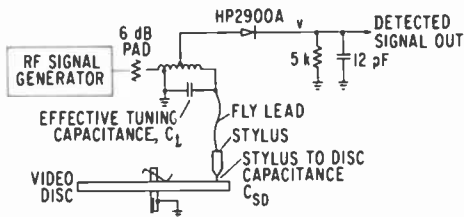


Fig. 1—Lumped-element pickup circuit used at 250 MHz.

that

$$dv/df = \alpha(V_p B) \quad [2]$$

where  $V_p$  is the detected diode voltage at the peak of the resonant curve,  $f$  the resonant frequency,  $f_o$  the drive frequency, and  $B$  the  $-3$  dB bandwidth. The constant of proportionality  $\alpha$  is equal to  $\sqrt{3}/4$  when the drive frequency is at a point 6 dB down from the peak of the tuning curve.

Frequency sensitivity, which is the change in resonant frequency with respect to the change in stylus-to-disc capacitance, is expressed by

$$\frac{df}{dC_{SD}} = \frac{df}{dC} = \gamma \frac{f}{C}, \quad [3]$$

where  $C = C_t + C_{SD}$ ,  $C_t$  is a tuning capacitance that is a constant value and much larger than  $C_{SD}$ , and  $\gamma$  is a coefficient of frequency sensitivity. For a single tuned  $LC$  circuit, it can be shown that  $\gamma = -1/2$ . The pickup sensitivity of Eq. [1] therefore is

$$\frac{\Delta v}{\Delta C_{SD}} = \alpha \frac{\gamma}{C} \frac{V_p f}{B}. \quad [4]$$

Eq. [4] shows that a high operating frequency, high drive voltage, and low tuning (predominantly stray) capacitance are desirable for greatest sensitivity in the capacitance detector. For reasons of convenience, early circuits were operated at a frequency near 250 MHz, where modest liberties could be taken with lead length and adjustments could be made simply on small wound coils. Such circuits showed stray capacitances in the range of 1 to 1.5 pF. A bandwidth in the range of 15 to 20 MHz was sufficient for recovery of the signal components used in the RCA CED VideoDisc system. Maximum peak voltages were limited to about 5 volts at the stylus tip to avoid breakdown between stylus and disc. At the level of 2-volts dc developed by the diode and for a signal capacitance  $\Delta C_{SD}$  of  $10^{-4}$  pF, Eq. [4] predicts that the signal output  $\Delta v$  will be 1 mV peak-to-peak. This is in good agreement with experiments in which a carrier signal of about 1 mV peak-to-peak has been detected when playing a VideoDisc. Since the degree of amplitude modulation at the diode is very small, sufficient output-signal bandwidth is obtained even with the high diode load resistance needed to minimize loading on the resonant circuit. This small degree of modulation also imposes the requirement that noise content in the rf drive source be very small. Since the frequency of the rf drive does not coincide with the resonant frequency of the tuned circuit, reactive



components are presented to the rf source. Effects of this mismatch in early circuits were minimized by the simple expedient of inserting an attenuator pad in the rf drive path.

### 3. Design Theory of Transmission-Line Circuit

The lumped-element circuit operating at 250 MHz generated a carrier output of 1 mV peak-to-peak. To minimize the level of noise relative to the carrier level in the detector output, it was desired to increase the pickup sensitivity. The carrier-to-noise ratio may be expressed by

$$\text{CNR} = \frac{\Delta v}{\sqrt{n_D^2 + n_c^2}} = \frac{\Delta v}{n_D} / \sqrt{1 + \left(\frac{n_c}{n_D}\right)^2}, \quad [5]$$

where  $\Delta v$  is the output carrier level,  $n_D$  represents the noise originating in the disc, and  $n_c$  represents the noise generated in the pickup circuit. When the sensitivity is increased, both carrier  $\Delta v$  and disc noise  $n_D$  increase; but the ratio  $\Delta v/n_D$ , which is a carrier-to-noise ratio intrinsic to disc properties, stays unchanged. The principal cause of the circuit noise  $n_c$  is frequency instability of the driving oscillator. The  $(dc/df)$  term of Eq. [1] cannot be increased because the bandwidth of the resonant circuit must be held at about 20 MHz to pass sidebands of the signal, and peak drive voltage is limited by stylus-to-disc breakdown. Increased sensitivity may be realized by increasing the term  $(df/dC_{SD})$  in Eq. [1], which does not affect the circuit noise. The CNR is therefore increased through the reduction of  $n_c/n_D$ . As was seen in Sec. 2, the frequency sensitivity of the lumped-element circuit increases with operating frequency. Operation at frequencies substantially higher than 250 MHz requires design with the concept of distributed circuits. It will be shown later that the sensitivity increases with operating frequency regardless of the choice between the lumped-element circuit and the transmission-line circuit.

The choice of operating frequency has been made in view of the requirements of FCC regulations. To avoid interference with television UHF channels, current FCC regulation<sup>2</sup> calls for the radiation at UHF bands from television-type devices to be less than 15  $\mu\text{V}/\text{m}$  measured at a distance of 1 m from the radiation source. The FCC assigns a band from 902 to 928 MHz for Industrial, Scientific, and Medical use (known as ISM band), within which radiation is permitted up to 50,000  $\mu\text{V}/\text{m}$  at a distance of 30 m. For reasons of economical design, we have chosen the 915 MHz band as the operating frequency for the VideoDisc pickup.

### 3.1 Mechanism of Operation

Fig. 2 illustrates the mechanism of operation for a transmission-line pickup circuit operating at 915 MHz. The circuit consists of three transmission lines that are coupled with each other. A fly lead connecting the stripline resonator to the stylus is a thin flexible metal strip that can accommodate small movements of pickup stylus relative to the transmission-line circuit. The stylus is composed of a main body of diamond shaped to fit the groove and a thin metal electrode sputtered on a surface perpendicular to the groove. The disc has an electrical resistance that is determined by its resistivity and the field pattern in the area around the stylus. The length of a stylus shoe is  $3.5 \mu\text{m}$  in the rotational direction, and one cycle of the relief pattern is typically  $1 \mu\text{m}$ . Because of its physical dimensions and mechanical resonant frequency, the stylus rides on the tops of the relief pattern. The stylus-to-disc capacitance between the electrode tip and the disc surface varies as the VideoDisc is moved relative to the stylus. The stylus-to-disc capacitance is a part of the resonant circuit, which consists of the center transmission line, fly lead, stylus electrode, stylus-to-disc capacitance, disc resistance, circuit housing, varactor diode, and coupling capacitor.

The center frequency of the resonant circuit varies slightly with changes in  $C_{SD}$  as the disc is rotated. A 915-MHz signal from an oscillator is coupled through the resonator transmission line to a

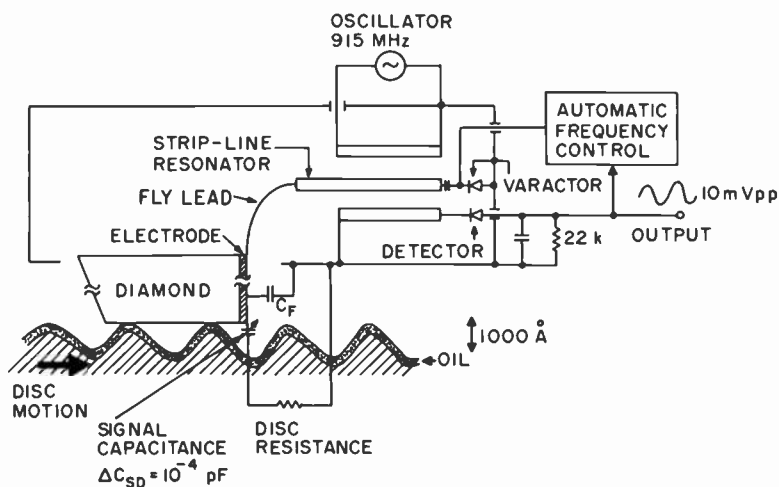


Fig. 2.—Schematic diagram showing how the relief pattern is replicated as an electrical signal in a transmission-line pickup circuit.

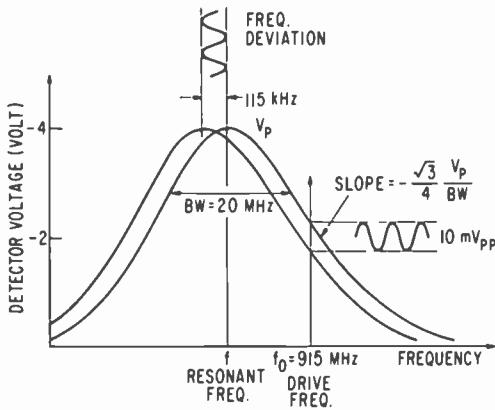


Fig. 3.—The response of detector output as a function of driving frequency illustrating how the shift in resonant frequency is converted into an output voltage.

detector transmission line. The frequency response curve of the detector output is bell shaped as shown in Fig. 3. The frequency of resonance is adjusted such that the 915-MHz signal is at a point 6 dB down from the resonant peak. Corresponding to the change in resonant frequency, the resonant curve in Fig. 3 moves horizontally. The detector output, which is a voltage at 915 MHz on the resonant curve, varies as the stylus rides on the relief pattern. Therefore, the detector output becomes an electrical replication of the relief pattern engraved on the surface of the VideoDisc.

### 3.2 Circuit Parameters

The circuit parameters are important considerations in designing the pickup circuit. In particular, the signal capacitance  $\Delta C_{SD}$  and the characteristic impedance of the transmission line  $Z_0$  directly affect the sensitivity and the carrier-to-noise ratio. Fig. 4 is an equivalent circuit for the resonant loop in the pickup assembly. The transmission line has a characteristic impedance of  $Z_0$ , and its physical length is  $l_0$ . The fly lead is considered to behave as a transmission line having characteristic impedance  $Z_F$  and length  $l_F$ . The varactor diode has a capacitance  $C_V$  that can be varied from 6 to 18 pF.

In the design, it is important to know how the tip of the electrode interacts with the signal element on the disc surface. Fig. 5 illustrates a pattern of electrical field lines around the tip of the stylus electrode. It is seen that a portion of the field lines originating from the stylus directly reaches the surface of the VideoDisc. This component of field

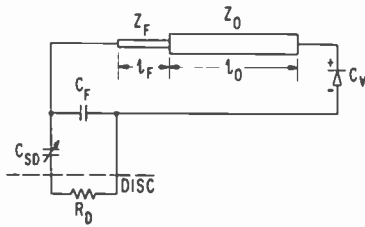


Fig. 4.—Equivalent circuit of a transmission-line resonator.

lines is represented by a capacitor  $C_{SD}$  in Fig. 4. Note that the field lines that go through a signal element right underneath the stylus electrode are only a fraction of the stylus-to-disc field lines. This component corresponds to the signal capacitance  $\Delta C_{SD}$  to be detected by the pickup circuit. Moving the electrode position from peak to valley of the relief pattern, the stylus-to-disc capacitance varies only by  $10^{-4}$  pF. The disc is conductive on its surface and has a finite resistance  $R_D$ . The field lines that are bridging the disc to the bottom of the circuit housing provide a return path for the electrical current in the disc. The disc-to-housing capacitance has been calculated to be much higher than the stylus-to-disc capacitance; thus the return path is assumed in Fig. 4 to be short-circuited. Fig. 5 indicates that a portion of the field lines from the stylus directly reaches the housing without touching the surface of the VideoDisc. This fringing field is represented by a capacitor  $C_F$  in Fig. 4. The total stylus capacitance ( $C_{SD} + C_F$ ) has been estimated to be approximately 0.1 pF.

Assuming that the characteristic impedance of the transmission line is equal to that of the fly lead and the disc resistance is much smaller

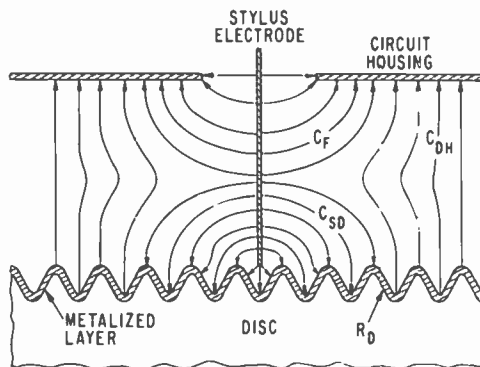


Fig. 5.—A sketch of electrical field lines in the vicinity of the stylus electrode.

than the impedance of other circuit components, we can analytically calculate the frequency sensitivity of the resonant circuit of Fig. 4. The circuit is in resonance when

$$\frac{1}{j\omega C} + Z_0 \frac{\frac{1}{j\omega C_V} \cos \beta l + jZ_0 \sin \beta l}{Z_0 \cos \beta l + \frac{1}{\omega C_V} \sin \beta l} = 0 \quad [6]$$

where  $C = C_{SD} + C_F$ ,  $l = l_o + l_F$ ,  $\beta = \omega/v_p$ ,  $\omega$  is the angular frequency, and  $v_p$  the velocity of propagation in the transmission line. The first term in Eq. [6] represents an impedance seen from the stylus electrode toward the disc and the second term an impedance seen from the electrode toward the transmission line. Solving Eq. [6], the frequency of resonance is given by

$$\tan \beta l = \frac{\omega Z_0 (C_V + C)}{CC_V \omega^2 Z_0^2 - 1}. \quad [7]$$

The value of  $\beta l$  required for the circuit to resonate at 915 MHz has been calculated as a function of  $C_V$  and is shown in Fig. 6. The calculation has been done assuming  $C = 0.1$  pF and with  $Z_0$  as a parameter varying from 100 to 300  $\Omega$ . The frequency sensitivity of the transmission-line circuit is given by [3], which was given in Sec. 2 for the lumped-element circuit. As shown in the Appendix, the coefficient of frequency sensitivity  $\gamma$  is expressed by

$$\gamma = \frac{1 - \frac{1}{\omega C_V Z_0 \tan \beta l}}{2 + \left( \frac{1}{C_V} + \frac{1}{C} \right) \frac{1}{\omega Z_0 \tan \beta l} [\beta l (\tan \beta l + \cot \beta l) - 1]} \quad [8]$$

The value of  $\gamma$  has been calculated as a function of  $\beta l$ , and is shown in Fig. 6.

It can be seen in Fig. 6 that the coefficient of frequency sensitivity  $\gamma$  increases almost proportionally with the characteristic impedance. The varactor capacitance required for resonance at 915 MHz increases with a decreasing length of transmission line. Assuming that a characteristic impedance of 300  $\Omega$  has been obtained, the angular length  $\beta l$  must be larger than 80.20° for the circuit to be resonant at 915 MHz. The optimum value for  $\beta l$  will be 84° when the varactor voltage is approximately in the middle of its adjustable range. The 84° angular length corresponds to 7.7 cm if the resonant line is surrounded by air

medium and, as shown by Fig. 6,  $\gamma = 0.1$ . The frequency sensitivity therefore is

$$\frac{df}{dC(\text{pF})} = \frac{\gamma}{C(\text{pF})} f = 1.0 \times f. \quad [3a]$$

Assuming that the operating point is 6 dB down from the resonant peak,  $V_p = -4$  volts, and the bandwidth is 20 MHz, the detector output has been calculated to be 8 mV peak-to-peak. This detector output is much larger than the 1 mV p-p obtained from the lumped-element circuit. Experimentally, a pickup circuit of transmission-line type has achieved a detector output as large as 10 mV p-p.

It is interesting to consider the contribution of the individual terms of Eq. [3a] to the increase in sensitivity afforded by the transmission-line design over the lumped-constant circuit. The capacitance  $C$  for the lumped-element design includes distributed capacitance of the tuning coil together with the stylus (stylus-to-disc and stylus-to-hous-

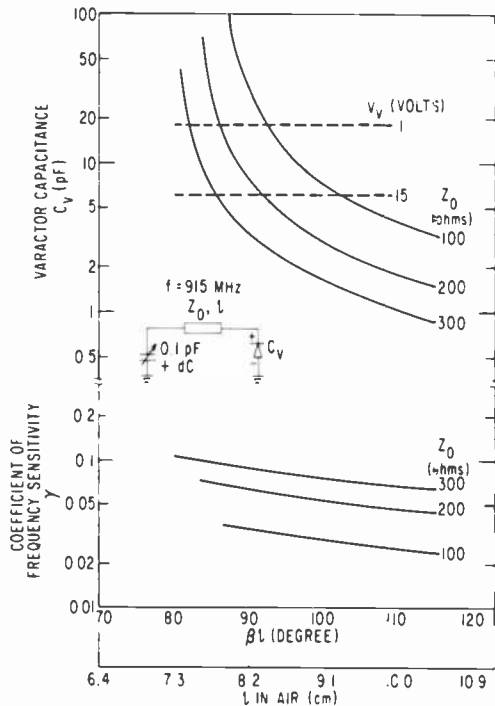


Fig. 6.—The frequency sensitivity coefficient  $\gamma$  and varactor capacitance  $C_V$  as a function of angular length  $\beta l$  for a resonant frequency of 915 MHz.

ing) capacitance and is 1 pF, whereas  $C$  for the transmission-line consists only of the stylus capacitance, which is 0.1 pF. According to the above computations, the coefficient of frequency sensitivity  $\gamma$  for the lumped element circuit is 0.5, while that for the transmission-line circuit ranges from 0.05 to 0.1 depending on the length of the line and choice of characteristic impedance. The term  $\gamma/C$  appears to be a parameter representing the effect of distributed capacitance on the sensitivity and stays in the narrow range from 0.5/pF for the lumped-constant design to 1/pF for the 300 ohm transmission-line design. This term therefore accounts for a factor of two improvement in sensitivity if the best 300-ohm transmission-line design is adopted. However, the term  $f$  in Eq. [3a] directly improves sensitivity by a factor of four when the operating frequency is moved from 250 MHz to 915 MHz. It can thus be said that operating frequency is the parameter that has contributed most to the increase in sensitivity of the transmission-line circuit over the lumped-constant circuit.

### 3.3 Disc Resistance

In the foregoing discussion of the effect of circuit parameters on the pickup sensitivity, the disc resistance has been assumed negligibly small compared with the impedance of other circuit parameters. The disc is a part of the microwave resonant circuit; hence the disc resistance is an important parameter in the design of the pickup circuit. Since the stylus-to-disc capacitance  $C_{SD}$  is a very small fraction of the total tuning capacitance ( $C_V + C$ ), it is expected that the resistance  $R_D$  in series with  $C_{SD}$  does not affect the  $Q$  of the resonator nor the peak detected voltage and thus does not change the  $(dv/df)$  term in Eq. [1]. Experiment has verified that playing a disc having high resistance does not change the  $Q$  of the resonator nor the peak detected voltage but does significantly degrade the pickup sensitivity. Therefore, the disc resistance has an effect only on the  $(df/dc)$  term in Eq. [1].

A digital computer has been used to simulate the effect of disc resistance on the frequency sensitivity  $(df/dc)$ . The circuit parameters used in the simulation are:

$$\text{Transmission-line impedance} = Z_o = 275 \Omega$$

$$\text{Transmission-line length} = l_o = 5.95 \text{ cm}$$

$$\text{Fly lead impedance} = Z_F = 300 \Omega$$

$$\text{Fly lead length} = l_F = 2.25 \text{ cm}$$

$$\text{Total stylus capacitance} = C_{SD} + C_F = 0.1 \text{ pF}$$

$$\text{Signal capacitance} = \Delta C_{SD} = 10^{-4} \text{ pF}$$

$$\text{Varactor capacitance in series with coupling capacitance} = 1/ \\ (1/C_V + 1/C_C) = 4.78 \text{ pF}$$

In the computation, the stylus-to-disc capacitance  $C_{SD}$  was used as a parameter, while the total stylus capacitance ( $C_{SD} + C_F$ ) is held at 0.1 pF. Fig. 7 shows the frequency deviation  $\Delta f$  and the resonant frequency  $f$  as a function of disc resistance. It can be seen that the resonant frequency stays at 915 MHz when the disc resistance is small and shifts to a higher value when the disc resistance becomes larger than a critical value. The shift in frequency occurs at a point where

$$R_D = 1/\omega C_{SD}. \quad [9]$$

This can be understood because when the disc resistance is much less than the capacitor impedance, the transmission-line directly sees the stylus-to-disc capacitor; whereas, when the disc impedance is much larger than that of the capacitor, the transmission-line does not see the stylus-to-disc capacitor. The amount of frequency shift is seen to be proportional to the value of  $C_{SD}$ . Fig. 7 also shows that the frequency deviation  $\Delta f$  corresponding to  $\Delta C_{SD}$  of  $10^{-4}$  pF stays constant until the disc resistance reaches approximately  $1/3\omega C_{SD}$ , at which point it declines with a slope of the square of disc resistance.

The effect of disc resistance has been investigated using a number of discs having sheet resistance ranging from  $23 \Omega/\square$  to  $5 \text{ M}\Omega/\square$ . The result shown in Fig. 8 verifies the characteristics predicted by the computer simulation of Fig. 7. It is seen that the frequency starts shifting when the sheet resistance is  $10 \text{ k}\Omega/\square$ . Fitting the theory to the experiment, we have found that the value of  $C_{SD}$  is 0.011 pF and the

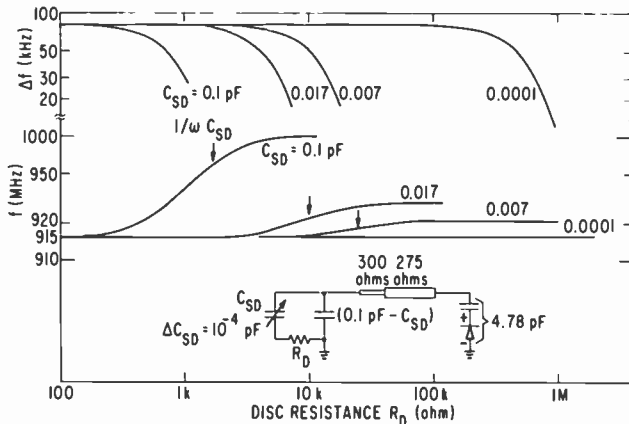


Fig. 7.—Computer simulation of resonant frequency  $f$  and its deviation  $\Delta f$  for  $\Delta C_{SD} = 10^{-4}$  pF as a function of disc resistance  $R_D$ .



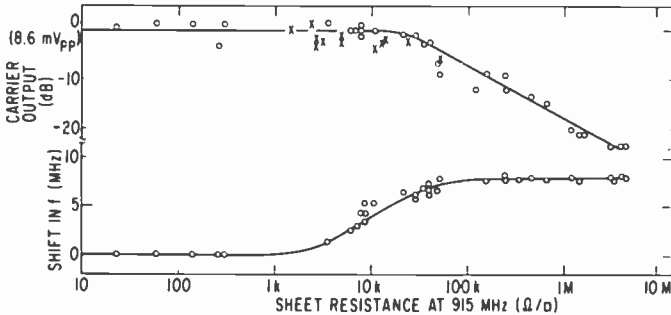


Fig. 8.—Experimentally obtained carrier output and resonant frequency as a function of disc sheet resistance.

critical disc resistance is  $16 \text{ k}\Omega$ . Assuming that the disc resistance is in the form of a spreading resistance of a ring-shaped resistor with inner radius  $a$  and outer radius  $b$ , the disc resistance is given by  $R_D = R_{\square} \frac{1}{2} \pi \ln b/a$ . The results of  $R_{\square} = 10 \text{ k}\Omega/\square$  when  $R_D = 16 \text{ k}\Omega$ , for instance, corresponds to a ring of  $a = 1 \mu\text{m}$  and  $b = 2 \text{ cm}$ .

Experiment has shown that the pickup sensitivity will not be affected when the disc resistance is less than  $36 \text{ k}\Omega/\square$  and that the resonant frequency stays at  $915 \text{ MHz}$  when the disc resistance is less than  $10 \text{ k}\Omega/\square$ . A sheet resistance of  $200 \Omega/\square$  was routinely obtained with the disc coating technique<sup>3</sup> developed at RCA; this value is well below the critical sheet resistances. Because the sheet resistance can be as high as  $36 \text{ k}\Omega/\square$ , we have developed<sup>4</sup> a bulk conductive disc made of carbon-loaded PVC. In the carbon-loaded PVC disc, the sensitivity is expressed as a function of bulk resistivity; it has been found that the resistivity must be less than  $5 \Omega\text{-cm}$  to achieve a carrier-to-noise ratio near  $50 \text{ dB}$  measured in a  $30\text{-kHz}$  bandwidth.

#### 4. Construction of Transmission-line Circuit on Printed Board

In a prior design of a transmission-line circuit,<sup>5</sup> a metal arm that supported the stylus was also used as an electrical transmission line. Since the stylus and arm were held in position by the disc and the arm moved according to groove displacements when the disc was played, the reproduction of exact arm position was difficult to achieve in mass production. As a result, the design value for the pickup sensitivity had to be sacrificed in favor of margins needed in production. In the design currently in use, the transmission line is a separate unit from the

supporting arm and is printed on a circuit board.<sup>6</sup> Circuit-board construction has been used throughout the design of the oscillator and the AFC-preamplifier circuit, as well as in the resonator circuit. The printed-circuit-board approach offers the accuracy required in microwave design as well as the efficiency and reproducibility needed in mass production.

#### 4.1 Resonator for 915 MHz Operation

A photograph of a prototype 915-MHz pickup circuit is shown at the bottom half of Fig. 9. The circuit has been fabricated on copper-clad fiberglass boards ( $\epsilon_r \approx 2.4$ ) with copper cladding removed from the bottom surface of the board. The stripline etched on the top surface and a metal housing behave as a rectangular transmission line. A coupling loop placed on the oscillator side is made of a metal wire. The metal-wire loop can be lifted for the purpose of adjusting the level of oscillator driving power. The detector diode is an HP 5082-2900 Schottky barrier diode, and the varactor diode is a Siemens BB105B silicon double-diffused epitaxial planar diode. The circuit components are placed on the bottom side of the circuit board. Fig. 10 is a typical resonant curve obtained from 915 MHz transmission-line circuit and shows that the  $Q$  of resonant circuit is 45.

#### 4.2 Oscillator for 915 MHz Operation

A 915-MHz oscillator fabricated on fiberglass circuit board is shown at the top half of Fig. 9. Fig. 11 illustrates a circuit diagram of the oscillator.

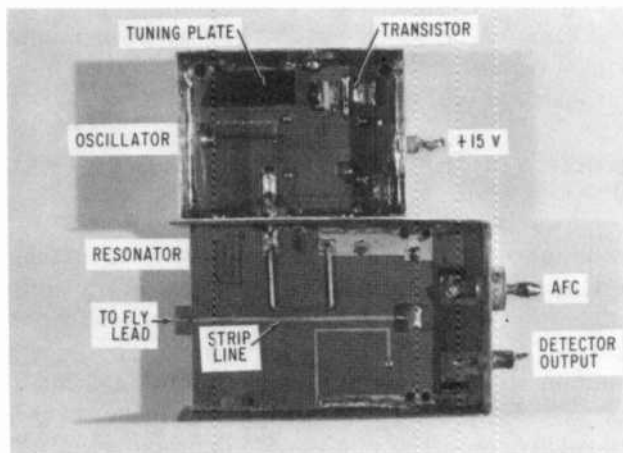


Fig. 9.—Prototype 915 MHz oscillator (top) and resonator (bottom).

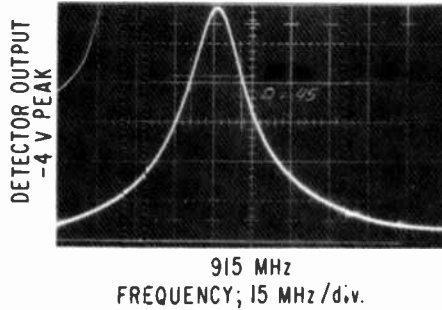


Fig.10.—Resonant curve for the 915-MHz resonator showing that its Q is approximately 45.

It has been found that the instability of the oscillator is one of the principal causes of the noise generated in the pickup circuit. For better stability, the oscillator design has to be such that the power reactively circulating in the oscillator is much larger than the power actually delivered to the resonator circuit. The oscillator used in the pickup design is capable of delivering 50 mW power if a matched load is connected to the oscillator, while the power actually delivered to the resonator is estimated to be less than 1 mW. Under this condition, the oscillator is very lightly loaded, and operates by itself without being disturbed by fluctuations in loading. It has also been found that the noise level relative to the carrier level at the detector output decreases as the coupling between the oscillator and the resonator is loosened. Since the coupling in this circuit is of a nondirectional type, the noise in the resonator box transmits to the oscillator box and modulates the oscillator. The oscillator modulation adds an additional contribution to the originally existing instability. Loosening the coupling reduces the noise fed to the oscillator, hence reducing the degree of oscillator modulation. The oscillator designed for the signal pickup has achieved a noise as small as 1  $\mu$ V rms measured at 5 MHz in a 30 kHz bandwidth at the detector output.

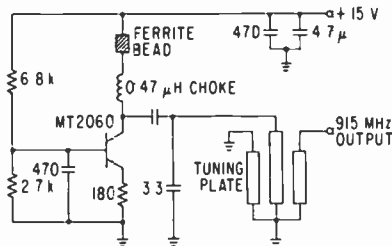


Fig.11.—Circuit diagram for the 915-MHz oscillator.

### 4.3 AFC and Preampifier Circuit

Fig. 12 shows a circuit diagram of the automatic frequency control used in the pickup design. The AFC circuit is designed hold the dc level of the detector output at the  $-2$  volt point, which is 6 dB down from the resonant peak. If the detector voltage increases to a level higher than  $-2$  volts because of, for instance, the increase in fringing capacitance  $C_F$ , the following events take place in order. The voltage at the base of transistor T2 rises, the current through transistor T3 decreases, the voltage across capacitor C1 increases, the varactor capacitance decreases and the resonant frequency increases. As a result, the detector voltage returns to the original  $-2$  volts. If the fringing capacitance changed beyond the range of AFC, the voltage across C1 charges to 10 volts. At this point, the unijunction transistor is fired, and the voltage across C1 is pulled down to zero. The capacitor starts charging again until it reaches the 10-volt threshold voltage. The capacitor repeats charging and discharging in search of a stable point until conditions for stable operation are re-established.

A preamplifier used with this pickup design has a gain of 44 dB at 5 MHz and a pass-band of 10 MHz. Equivalent input noise of the preamplifier has been measured to be  $0.8 \mu\text{V}$  rms at the detector output.

### 4.4 Assembly of 915 MHz Circuits

Fig. 13 shows the arrangement of resonator, oscillator, and AFC-preamplifier circuit in their housing. Also shown in Fig. 13 are the fly lead, a stylus supporting arm, and an arm stretcher<sup>7</sup> that compensates

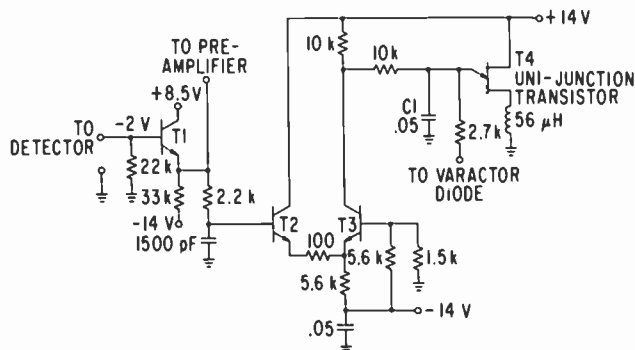


Fig. 12.—Automatic frequency control circuit connected to the pickup resonator.

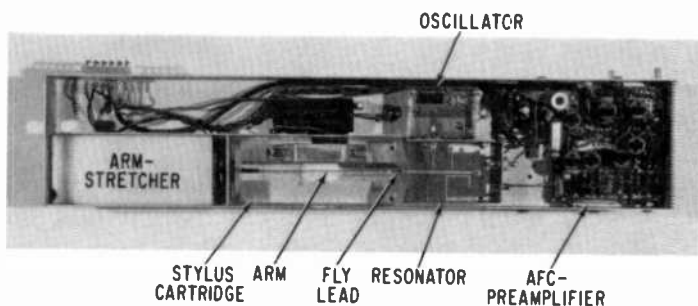


Fig.13.—Assembly of pickup circuits.

the speed error caused by eccentricity of the disc. The 915-MHz pickup has generated a carrier level as high as 10 mV peak-to-peak. The total system noise originating in the oscillator, detector, and preamplifier has been measured to be  $1.4 \mu\text{V}$  rms at the detector output. The pickup circuit has achieved a ratio of carrier-to-internal-circuit noise measured in a 30-kHz bandwidth of 68 dB, thus affording a substantial margin between disc and circuit noise.

## 5. Conclusions

The capacitance pickup circuit for the RCA VideoDisc system has been designed based upon the concept of transmission lines printed on a circuit board. A printed-board type of circuit assures the dimensional accuracy required in microwave design and the reproducibility needed in mass production.

Analysis of the transmission line circuit has revealed that the pickup sensitivity increases with the characteristic impedance of the transmission line, and with the operating frequency. The pickup sensitivity has been shown to increase from 1 mV peak-to-peak for an early design of a 250-MHz lumped-element circuit to 10 mV peak-to-peak for the current design of a 915-MHz transmission-line circuit. When a disc of the metal-coated type is played, the pickup circuit operates with a disc sheet resistance up to  $36 \text{ k}\Omega/\square$  without degradation in pickup sensitivity. When a disc of the carbon-loaded PVC type is played, the disc's bulk resistivity must be less than  $5 \Omega\text{-cm}$  to achieve a commercially-acceptable carrier-to-noise ratio.

The 915 MHz pickup circuit has achieved a ratio of carrier-to-internal-circuit noise measured in a 30-kHz bandwidth as high as 68 dB, assuring that performance is not limited by the capacitance detector.

## Acknowledgments

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## Appendix

From Eq. [6],

$$\omega Z_o(C_V + C) = (\omega^2 C_V C Z_o^2 - 1) \tan \beta l.$$

Taking a total differential with respect to  $C$  and  $\omega$ , we obtain

$$\begin{aligned} d\omega \cdot Z_o(C_V + C) + dc \cdot \omega Z_o &= d\omega \cdot 2\omega C_V C Z_o^2 \tan \beta l \\ &+ dC \cdot \omega^2 C_V Z_o^2 \tan \beta l + d\omega \cdot \frac{\beta l}{\omega} (\omega^2 C_V C Z_o^2 - 1)(1 + \tan^2 \beta l), \\ \frac{d\omega}{\omega} &= -\frac{dc}{C} \frac{\omega C_V Z_o \tan \beta l - 1}{2\omega C_V Z_o \tan \beta l + \beta l \left( \omega C_V Z_o - \frac{1}{\omega C Z_o} \right)} \\ &\quad \cdot (1 - \tan^2 \beta l) - \left( 1 + \frac{C_V}{C} \right) \\ &= -\frac{dc}{C} \frac{1 - \frac{1}{\omega C_V Z_o \tan \beta l}}{2 + \beta l \left( 1 - \frac{1}{\omega^2 C_V C Z_o^2} \right) (\cos \beta l + \tan \beta l)} \\ &\quad \cdot - \left( \frac{1}{C_V} + \frac{1}{C} \right) \frac{1}{\omega Z_o \tan \beta l} \end{aligned} \tag{10}$$

From Eq. [7],

$$\begin{aligned} 1 - \frac{1}{\omega^2 C_V C Z_o^2} &= \frac{\omega Z_o(C_V + C)}{\omega^2 C_V C Z_o^2 \tan \beta l} \\ &= \frac{1}{\omega Z_o \tan \beta l} \left( \frac{1}{C_V} + \frac{1}{C} \right). \end{aligned} \tag{11}$$

Substituting Eq. [11] into [10]

$$\frac{d\omega}{\omega} = -\frac{dc}{C} \frac{1 - \frac{1}{\omega C_V Z_o \tan \beta l}}{2 + \left(\frac{1}{C_V} + \frac{1}{C}\right) \frac{1}{\omega Z_o \tan \beta l} \cdot [\beta l (\tan \beta l + \cos \beta l) - 1]}$$

Therefore,  $\gamma$  in the expression  $d\omega/\omega = -\gamma dc/C$  is given by Eq. [8].

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- <sup>2</sup> Rules and Regulations; Part 15, Radio Frequency Devices, Federal Communications Commission.
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# Electrical and Physical Properties of Carbon-Filled PVC for Capacitance Pickup VideoDiscs

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**Abstract**—Carbon-filled PVC has been successfully used as a molding material for a capacitive-pickup VideoDisc. The high loading of carbon gives the electrical conductivity necessary for the operation of the capacitive pickup. To achieve a picture quality equivalent to that which a home television receiver is capable of delivering, the resistivity of the disc must be less than  $5 \Omega\text{-cm}$  measured at 915 MHz and the carbon particles should be less than  $300 \text{ \AA}$  in diameter. The shear modulus of the disc must be of the order of  $2 \times 10^{10} \text{ dynes/cm}^2$  to withstand stylus forces as large as 14,000 psi. The carbon-filled molding compound has been formulated with adequate plasticizers and the use of a low molecular weight PVC to achieve the low melt viscosity necessary for replicating a relief pattern as small as  $0.25 \mu\text{m}$ .

## 1. Introduction

Conductive plastics containing carbon black have been widely used in power-transmission cables, anti-static sheets, belts, hoses, and automobile tires. We have developed polyvinylchloride (PVC) formulations containing Ketjen black† EC (KB) carbon and used these materials

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† A product of Akzo Chemie, The Netherlands.



for molding RCA's capacitive pickup VideoDiscs.<sup>1</sup> The VideoDisc is a 12-inch black disc similar to an ordinary audio record. The disc utilizes a spiral groove of V-shaped cross-section with a width of  $2.66 \mu\text{m}$  (a pitch of 9541 grooves per inch). The encoded color video and stereo audio signals are recorded as transverse slots of varying width and separation engraved in the bottom of the grooves. The slot size is typically  $0.1 \mu\text{m}$  in depth and  $2.5 \mu\text{m}$  long in the transverse direction. The size of the narrowest slot is as short as  $0.25 \mu\text{m}$  in the rotational direction. The information is detected by a stylus which rides in the groove as the disc is rotated. The stylus is composed of a main body of diamond shaped to fit the groove and a thin metal electrode perpendicular to the groove. The stylus detects the relief pattern by sensing the changes in capacitance between the tip of the electrode and the surface of the conductive vinyl. The signal detected from the relief pattern is translated in a player into a standard NTSC color signal and, after being converted to a VHF signal, is fed to a commercial television receiver. The disc rotates at a constant speed of 450 revolutions per minute. The system generates color picture and stereo sound for two hours from the two sides of the VideoDisc.

The quality of the picture and sound produced on a television receiver is a function of the properties of the disc material. We will define in this paper some of the electrical, mechanical, and rheological properties pertaining to the operation of the capacitive VideoDisc.

## 2. Electrical Property

### 2.1 Mechanism of Signal Pickup

Fig. 1 illustrates how the capacitive pickup detects the relief pattern embossed into the surface of the VideoDisc. Because of the physical dimensions of the stylus and its mechanical resonant frequency, the stylus rides on the tops of the relief pattern. The capacitance between the tip of the stylus electrode and the disc surface changes as the disc is moved relative to the stylus position. Electrically, the stylus-to-disc capacitance is a part of a resonator circuit that consists of a loop of strip-line, stylus electrode, stylus-to-disc capacitor, disc resistor, capacitor, pickup arm housing, and varactor diode. As the signal capacitance changes, the resonant frequency of the loop changes. To sense the change in the resonant frequency, an oscillator operating at 915 MHz is coupled through the resonator to a detector circuit. In this configuration, the change in the resonant frequency causes modulation of the signal coupled from the oscillator to the detector. The modulated 915-MHz signal is detected at a diode and fed to an output terminal.

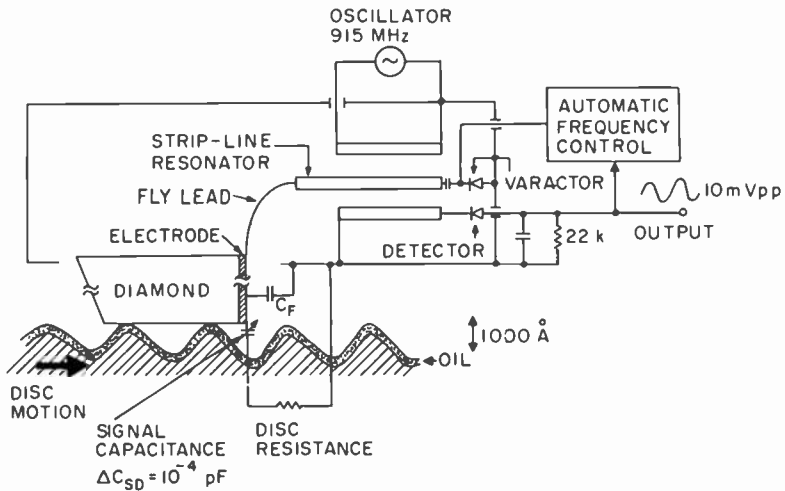


Fig. 1—Schematic diagram illustrating how the relief pattern on the disc is replicated as an electrical signal output.

As a result, the output signal becomes an electrical reproduction of the physical relief pattern embossed into the surface of the disc.

## 2.2 Electrical Resistivity

As seen in Fig. 1, the resistance of the disc material is a part of the electrically resonant circuit. Since the pickup system operates at a frequency of 915 MHz, the electrical conductivity at that frequency determines important playback characteristics of the VideoDisc. The measurement of disc resistivity was performed at 915 MHz, and later has been extended to the frequency range from dc to 1300 MHz for the purpose of understanding the mechanism of electrical conduction in the carbon-PVC composite.

In the measurement, a button-shaped sample was cut out of the conductive disc. The sample was metallized on its two sides and connected to an automatic network analyzer interfaced with a desktop computer. The network analyzer measured the reflection coefficient which was immediately converted by the computer to the resistivity and dielectric constant.

The resistivity of carbon loaded PVC's has been found to exhibit a strong frequency dependence at high resistivities. For example, Fig. 2 illustrates the conductivity at the dielectric constant of a PVC-polyvinyl-acetate (PVA) copolymer loaded with Ketjen black EC carbon.

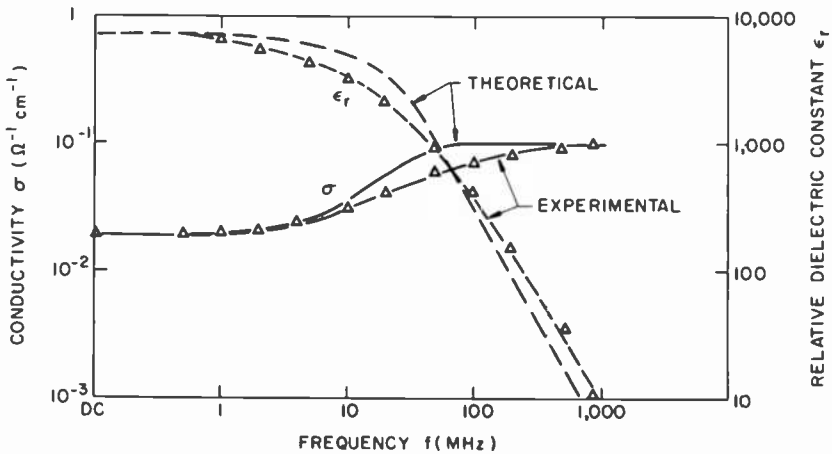


Fig. 2—Frequency dependence of the conductivity and dielectric constant of a Ketjen-black-loaded PVC-PVA copolymer.

The conductivity stays at  $2 \times 10^{-2} \Omega^{-1} \text{ cm}^{-1}$  at frequencies less than 2 MHz and shifts to  $10^{-1} \Omega^{-1} \text{ cm}^{-1}$  for frequencies higher than 915 MHz.

It has also been found that the frequency dependence becomes less pronounced as the level of loading is increased. The resistivity has been measured on PVC-polypropylene copolymers loaded at various levels with Ketjen black carbon. As can be seen in Fig. 3, the resistivity drops very rapidly as the loading density is increased; the resistivity at 915 MHz is as high as  $1.2 \times 10^3 \Omega\text{-cm}$  at a 5% loading level, whereas it drops to  $0.6 \Omega\text{-cm}$  at 22.5%. Note that the difference in resistivity from 0.5 MHz to 915 MHz is a factor of 400 at the 5% loading level, but no frequency dependence is observed at loading levels above 15%.

### 2.3 Mechanism of Electrical Conduction

The frequency and loading-level dependence of the electrical conductivity has been interpreted in terms of an effective medium theory for composite materials.<sup>2</sup> The present paper presents a simplified model based upon a microscopic view of the material (Fig. 4). Scanning electron photomicrography has shown that, in the carbon-PVC composite, the carbon grains are in the form of agglomerates dispersed in the medium of PVC. The carbon agglomerates are almost in contact with each other. The distance between the agglomerates is typically 100 Å and decreases with increasing loading density. Fig. 4 illustrates that there are two electrical current components competing with each other; one is a current through a resistance  $R_C$ , the other is ac current through the capacitance  $C_C$ . At low frequencies, the current is blocked

by the capacitance; thus, it flows through the resistance. The net resistance of the sample is  $(R_C + R_A)$ . At high frequencies, the current flows through the capacitance, since the impedance of the capacitor is much lower than the resistance. Furthermore, since the capacitor's impedance is much lower than the resistance  $R_C$ , the net resistance at the high frequencies is equal to  $R_A$ , which is lower than the net resistance  $(R_C + R_A)$  for the low frequencies. This parallel  $RC$  circuit model has been applied to the frequency dependence of the Ketjen black-loaded PVC-PVA. As is seen in Fig. 2, good agreement is obtained between the experiment and the above model.

That no frequency dependence was observed at high loading levels may be explained based upon the model shown in Fig. 4 in the following manner. As the loading density is increased, the agglomerates are more tightly packed and pressed against each other. This results in the reduction of resistance  $R_C$ ; hence, no frequency dependence exists at a high loading level.

## 2.4 The Effect of Disc Resistivity on Picture Quality

The resistivity of the disc determines the quality of the signal recovered from the VideoDisc. Fig. 5 shows that the level of the carrier signal,

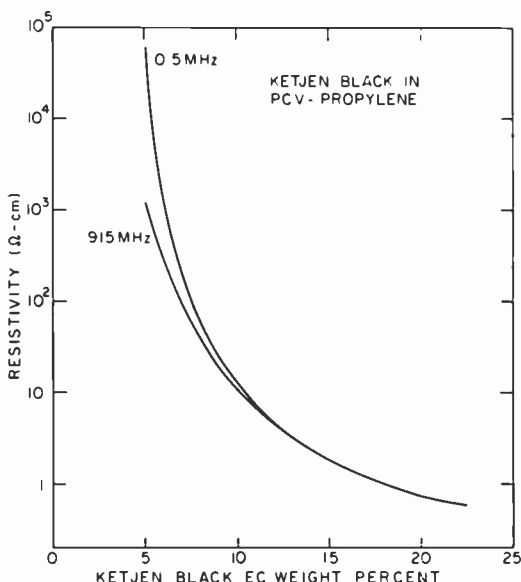


Fig. 3—The electrical resistivity of a Ketjen black EC-loaded vinyl chloride-propylene copolymer (PVC-propylene) as a function of carbon-loading level with frequency as a parameter.

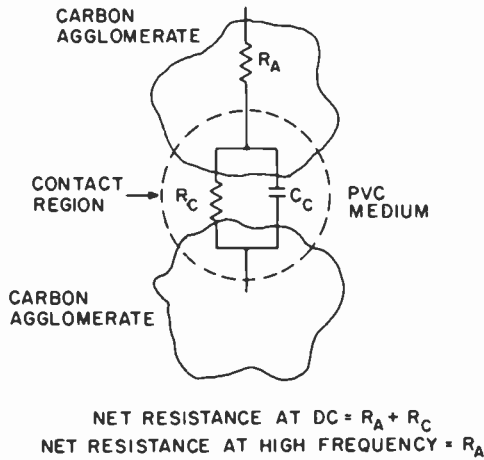


Fig. 4—Schematic microscopic structure of carbon-PVC composite illustrating that there are resistive and capacitive components in a contact region between carbon agglomerates.

which is the output of the pickup detector, increases as the disc resistivity is decreased. If the carrier level is very low, the player is unable to process the carrier signal, and no picture is produced. If the carrier level is high, electronic noise signals mixed in the carrier signal become an important factor in determining the picture quality. Fig. 6 shows the level of carrier relative to the level of noise mixed in the carrier output measured with a spectrum analyzer. The carrier-to-noise ratio (CNR) is expressed in units of dB, which is equal to  $20 \times \log_{10}(\text{carrier level}/\text{noise level})$ . It is seen that the carrier-to-noise ratio increases with reducing resistivity.

The electronic noise may originate from the fact that the conductivity of the composite material results from the carbon grains randomly dispersed in an otherwise uniform medium. The conductivity at localized points varies from position to position; hence, the conductivity seen by the stylus varies as the stylus moves relative to the disc. The random variation of the localized conductivity appears as an electrical noise in the output signal. When the material is heavily loaded and has a low resistivity, the separation between carbon grains is small, which will smooth out variations in the localized resistivity; therefore, the noise level becomes lower as the resistivity is decreased as seen in Fig. 6.

The discs made of KB-loaded polymers (white circles in Fig. 6) have achieved a CNR of 49 dB at the inside area of the VideoDisc, which satisfied the disc CNR specification. The most critical test area is the

innermost area of the disc because the wavelength is the shortest in that area. The disc exhibited an excellent picture quality. To obtain an acceptable picture quality, the disc resistivity must be less than 5  $\Omega$ -cm.

### 3. Dynamic Mechanical Properties

When the pickup stylus rides on the VideoDisc, the disc receives a pressure as high as  $10^6$  g/cm<sup>2</sup> (14,000 psi) from the stylus. The disc material has to withstand this pressure or the relief pattern would suffer deformation. To examine the behavior of the disc under moving styli, dynamic mechanical properties of the carbon-filled PVC compounds were determined<sup>3</sup> using a Rheometric mechanical spectrometer.<sup>4</sup> The measurement was performed at 3°C intervals from -130°C to +100°C at a frequency of 1 Hz, and also at a fixed temperature as a function of frequency in the range of 0.04 Hz to 10 Hz. Fig. 7 shows the shear modulus  $G'$  and loss tangent,  $\tan \delta = G''/G'$ , as a function of temperature at 1 Hz for a typical carbon-filled compound, where  $G'$

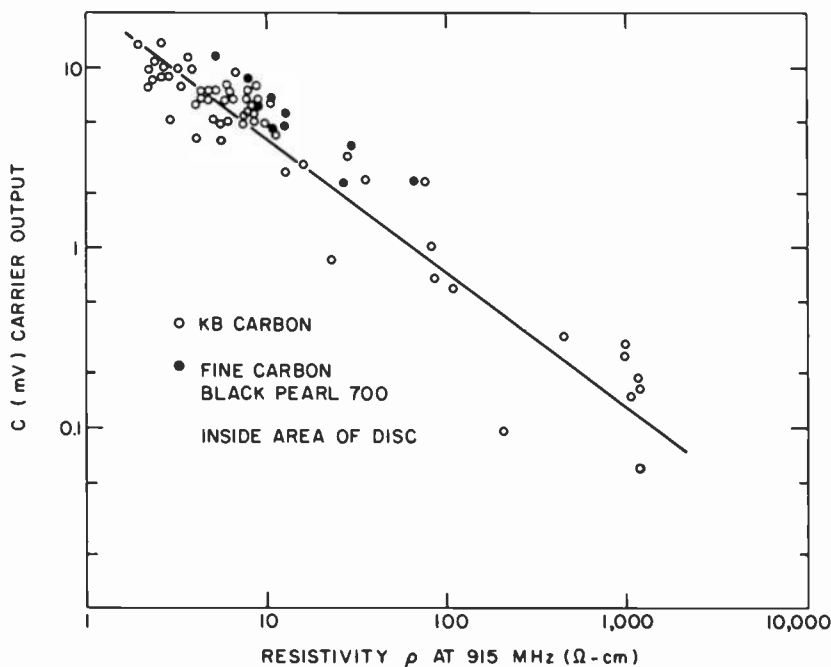


Fig. 5—The level of carrier output as a function of disc resistivity at 915 MHz. The data represent signals recovered from grooves at the innermost radius of the disc.

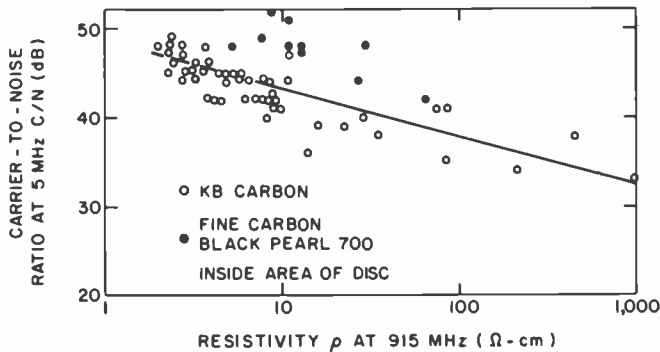


Fig. 6—The carrier-to-noise ratio as a function of disc resistivity at 915 MHz. The data represent signals recovered from grooves at the innermost radius of the disc.

is the loss modulus. A glass transition temperature for the carbon-filled PVC compound is found at approximately the same temperature as that for the unfilled compound; the glass transition temperature seems to be independent of the presence of the carbon black.

Fig. 8 shows  $G'$  and  $G''$  measured for a Ketjen black-filled PVC at 23°C on a three-decade frequency scan from 0.04 Hz to 10 Hz. Since the pickup stylus passes the relief pattern at the rate of  $10^6$  to  $10^7$  peaks/sec, the shear modulus of the compounds at these frequencies determines the mechanical performance of the VideoDiscs. The shear modulus  $G'$  is known to exhibit a linear relationship with frequency.<sup>5</sup> The shear modulus at 10 MHz has been estimated to be  $2 \times 10^{10}$  dynes/cm<sup>2</sup> by linearly extrapolating the experimental points in Fig. 8. This result agreed with a direct observation of shear modulus at the frequency of 10 MHz using an ultrasonic measurement technique.<sup>6</sup>

Discs made from carbon-loaded PVC having an estimated shear modulus of  $2 \times 10^{10}$  dynes/cm<sup>2</sup> have successfully operated as capacitive VideoDiscs. However, it has been found that a disc made from carbon-loaded polypropylene having shear modulus much lower than  $2 \times 10^{10}$  dynes/cm<sup>2</sup> produced no signal output, though it otherwise satisfied all property requirements for the conductive disc. A theoretical computation<sup>7</sup> (static case) has shown that deformation in the relief pattern is small when the Young's modulus is  $1 \times 10^{11}$  dynes/cm<sup>2</sup>; whereas, the relief pattern is almost squashed when the Young's modulus is  $3 \times 10^{10}$  dynes/cm<sup>2</sup>. Since the Young's modulus is approximately five times the shear modulus in an isotropic material,<sup>5</sup> it is reasonable to say that the shear modulus of the disc material must be at least of the order of  $10^{10}$  dynes/cm<sup>2</sup> when the stylus pressure is  $10^6$  g/cm<sup>2</sup>.

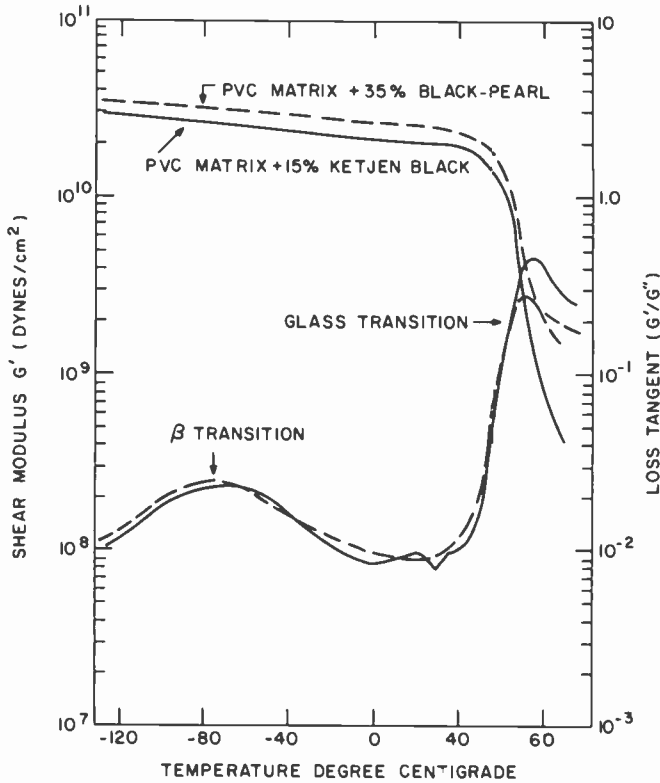


Fig. 7—Shear modulus and loss tangent of carbon-loaded PVC's.  $G''$  is the loss modulus.

#### 4. Melt Rheology

To achieve a satisfactory picture quality, it is important to replicate exactly the submicron relief pattern on the metal stamper during the disc molding process. The quality of replication is a direct result of the melt viscosity of carbon-PVC formulations. To understand the interfacial interactions between carbon filler and plastic and their relation to rheological properties, viscosity of carbon-filled PVC compounds was determined using an Instron capillary rheometer. The melt rheology was measured in the temperature range of 180°C to 200°C and in the range of shear rates from 3 to  $10^3 \text{ sec}^{-1}$ . In all cases, the melt flow curves of the carbon-filled materials exhibited higher shear stresses at a given shear rate than observed for the unfilled materials. The melt flow curves of these filled materials, over three decades of shear rate,



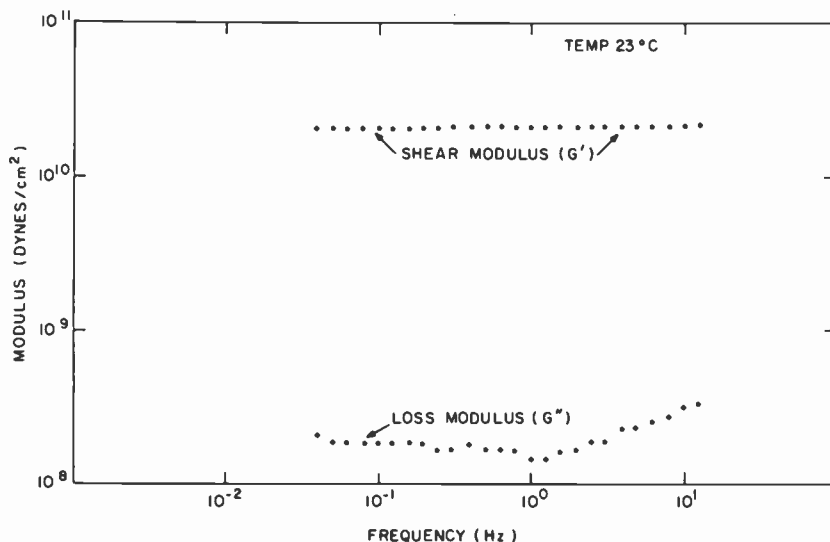


Fig. 8—Shear modulus and loss modulus of a Ketjen black-loaded PVC as a function of stress frequency.

can be represented by a power-law relation of the form

$$\log \tau = C_0 + C_1 \log \dot{\gamma}$$

where  $\tau$  and  $\dot{\gamma}$  are the shear stress and shear rate, respectively, and  $C_0$  and  $C_1$  are material constants.

The apparent melt viscosity  $\eta_a$  versus shear rate  $\dot{\gamma}$  at 200°C for typical Ketjen-black-filled and corresponding unfilled compounds is shown in Fig. 9. At the intermediate shear rate of 1 to 100  $\text{sec}^{-1}$  and at temperatures of 180 to 200°C, the melt viscosities of the carbon-filled materials are one order of magnitude higher than those of the unfilled compounds. In the melt, the carbon particles in the polymer matrix act as dispersed deformable spheres in a non-Newtonian viscoelastic liquid, and experimentally observed melt viscosity phenomena can be explained in terms of the general micro-rheology of dispersions.<sup>9</sup> The melt viscosities ( $\eta$ ) of carbon-filled polyisobutylenes follow an empirical relationship<sup>10</sup>

$$\frac{\eta - \eta_0}{\eta_0} = A(\dot{\gamma}) \left( \frac{\Phi \kappa}{d_p} \right) + B(\dot{\gamma}^2) \left( \frac{\Phi \kappa}{d_p} \right)^2.$$

Here  $\kappa$  is a constant that is characteristic of the filler,  $A$  and  $B$  are functions that depend on shear rate  $\dot{\gamma}$ ,  $d_p$  is the average particle diameter,  $\eta_0$  the viscosity of unfilled polyisobutylene, and  $\Phi$  the volume fraction of the fillers. The melt flow behavior of the carbon-filled PVC is found to follow a similar relationship.

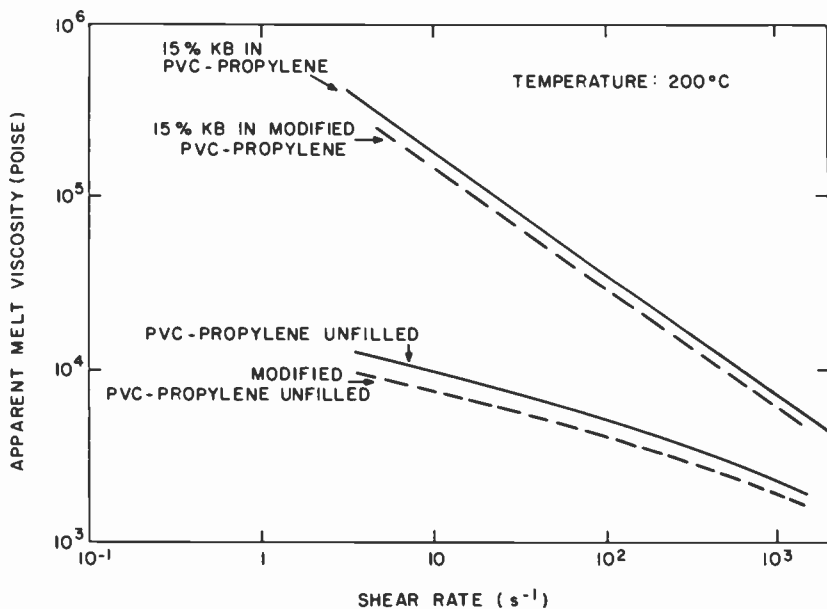


Fig. 9—Apparent melt viscosity of unloaded and Ketjen-black-loaded molding compounds as a function of shear rate. The compounds were modified with special additives.

The addition of carbon particles produces a sharp increase in the viscosity of a polymer melt.<sup>11</sup> In general, a satisfactory reproduction of signal elements requires a carbon-filled compound with a low viscosity at intermediate shear rates encountered in conventional plastic molding. We offset the increase of melt viscosity by adding flow modifiers and by choosing an appropriate PVC matrix as shown with the dashed lines in Fig. 9. The modified PVC formulation having 15% Ketjen black carbon has achieved a melt viscosity of  $5 \times 10^4$  poise at a shear rate of  $45 \text{ sec}^{-1}$  at  $200^\circ\text{C}$ . This material has been found to be acceptable in molding VideoDiscs.

## 5. Conclusions

We have defined the physical properties of disc material required for the operation of a capacitive pickup VideoDisc system. The resistivity measured at 915 MHz determines the playback characteristics such as the pickup sensitivity and the carrier-to-noise ratio. The resistivity of discs made with the use of Ketjen black carbon must be held to below  $5 \Omega\text{-cm}$  to achieve an acceptable picture quality. The present experiments suggest that the shear modulus of the material must be of the

order of  $2 \times 10^{10}$  dynes/cm<sup>2</sup> or higher to withstand stylus pressures as high as 14,000 psi.

To achieve a satisfactory replication of submicron relief patterns, the melt viscosity of the carbon-PVC formulation has been reduced with flow modifiers and with the use of an appropriate PVC matrix. An apparent melt-viscosity as low as  $5 \times 10^4$  poise at 200°C has been obtained at a shear rate of 45 sec<sup>-1</sup>.

## Acknowledgments

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# Capillary Behavior and Lubricating Properties of the RCA VideoDisc

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**Abstract**—The RCA VideoDisc is lubricated by a thin layer of oil on the surface. In the fine grooves of the disc the oil is subjected to strong capillary forces. These determine its flow properties on the surface. We have measured the capillary flow as a function of time and find it to be a useful guide to the lubricating properties of an oil.

## Introduction

The RCA VideoDisc is lubricated by a thin layer of oil on the surface. This layer is about 200 Å thick and is used to reduce stylus and disc wear. As the stylus moves, the oil under it is disturbed and then recovers after some time. The behavior of the oil is controlled, in part, by capillary forces. An understanding of these forces is needed to interpret oil behavior.

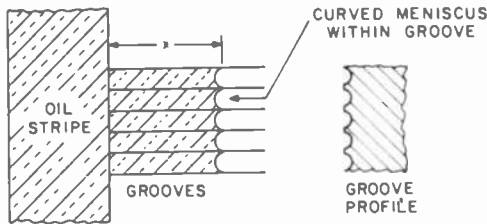
The groove pattern on a VideoDisc is remarkable in that a regular coherent structure on a very fine scale covers a large area. A pattern of parallel grooves, each 2.6 micron in diameter and several tenths of a micron deep, covers a total area of about 500 cm<sup>2</sup>. In such fine grooves a liquid is subjected to strong capillary forces and moves in response to them. Because of the regularity of the groove structure over large areas these movements are visible to the unaided eye.

We note that the VideoDisc surface is unique in having a carefully controlled morphology of regular grooves over a large area. The oil spreading experiments described below illustrate this property and

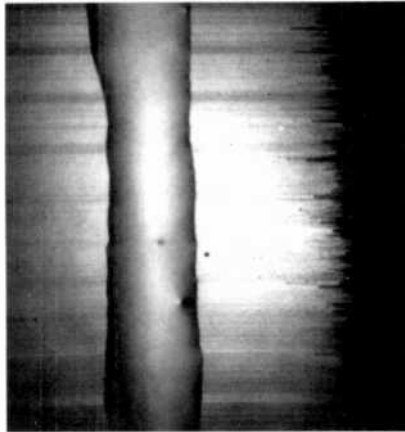
give us a useful method to explore the behavior of lubricants in a capillary environment.

### Oil Migration Along the Grooves

We can understand the capillary effect of the grooves from the schematic drawing of Fig. 1. To follow the movement of oil we start with an uncoiled disc and, with a small brush, paint on a stripe of oil about 1-mm wide, 0.5-mm thick, and several cm long, running perpendicular to the grooves. The grooves behave like small horizontal capillary tubes. The oil is drawn into them as it would be drawn into a capillary tube. The liquid surface makes a small contact angle of a few degrees



(a)



(b)

Fig. 1—(a) Schematic illustration of the capillary flow of oil in the grooves of a VideoDisc. At the left are shown the oil stripe and the capillary flow into the grooves. The transverse cross section of the grooves is shown schematically at the right. (b) Photograph of spreading oil. Diameter of oil stripe is 1.3 mm. The advance of the oil front is blocked by dust particles in several places.

with the surface of the disc and so, to a good approximation, is tangent to the solid surface where they meet. The effect of this is to give a curved meniscus. The surface of the liquid would like to be planar to minimize its surface energy, but the condition that it must be tangent to the walls of the grooves requires that it be curved. As the surface tries to become planar it pulls liquid into the tube giving the well-known capillary rise effect. In a vertical tube, the liquid rises until the weight of the column of liquid balances the surface tension force and then stops. In a horizontal tube there is no gravity force to balance the capillary force and the liquid will continue to move into the tube indefinitely. However, the viscous force acting on the column of liquid that has to be pulled along gets larger in proportion to its length, making the motion slower and slower as time goes on. This is a problem in fluid flow and the solution is known.<sup>1</sup> One finds that the length,  $x$ , of the column of liquid in the tube is related to the radius,  $R$ , of the tube, the surface tension,  $\gamma$ , and the viscosity,  $\eta$ , of the liquid, and the time,  $t$ , by

$$x^2 = \frac{(\gamma R)}{2\eta} t. \quad [1]$$

It is convenient to express this in the form

$$x = (Dt)^{1/2}. \quad [2]$$

where  $D = \gamma R / (2\eta)$ . We refer to  $D$  as a spreading mobility. Eq. [2] resembles a diffusion equation, although the actual physics of the oil migration in the grooves has nothing to do with diffusion.

These equations refer to flow in capillary tubes. They give the correct general form for the dependence of  $x$  on  $t$  that we observe for the flow of oil on a VideoDisc, but to apply them to the video disc problem, the quantitative coefficient must be modified to take account of difference between a groove and a tube. Some discs have grooves that are nearly sinusoidal in transverse cross-section. The coefficient can be calculated for this case and agrees with experiment to within a factor of two for most oils. Some oils depart quite far from theory and we believe that this indicates strong specific interactions between oil and surface. The groove shape in our present discs is not sinusoidal, and we have not calculated the quantitative mobility for this case.

The progress of the liquid front moving in the grooves is easily followed visually, and we have measured  $x$  as a function of time for many different oils. Some representative data for two oils of widely differing viscosity are shown in Fig. 2 where  $x$  is plotted against  $t^{1/2}$ .

<sup>1</sup> W.E. Brittin, *J. Appl. Phys.*, 17, p. 37 (1946).

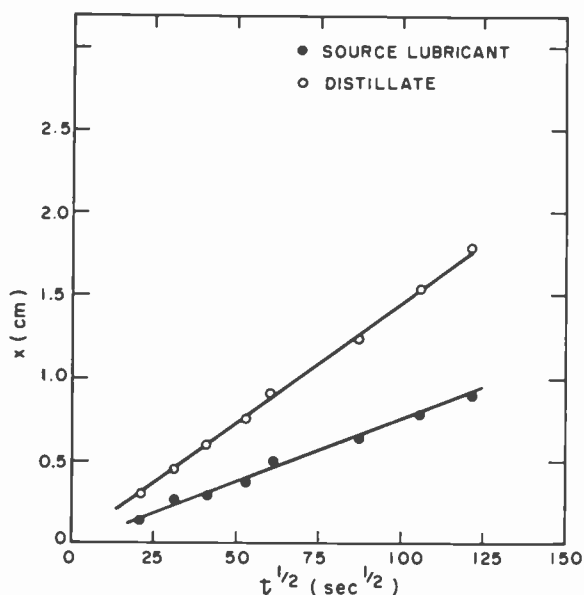


Fig. 2—The distance,  $x$ , as a function of  $t^{1/2}$  for two different oil fractions. A more detailed description of the oil is given in the text and in Table 1.

Table 1—Relevant Properties of Silicon Oils Employed in This Study

	Oil 1	Oil 2
Density (g/ml)	0.868	0.874
Surface Tension (dyne/cm)	26	26
Viscosity (centipoise) @25°C	40 ± 10	14 ± 1
Molecular Weight		
$\bar{M}_w$ (weight average)	1200 ± 100	660 ± 60
$D$ (dispersity) (from GPC Chromatography)	<1.3	<1.1
Spreading Mobility, $D$ (cm <sup>2</sup> /sec)	0.55 × 10 <sup>-4</sup>	2.1 × 10 <sup>-4</sup>

The square root relation between  $x$  and  $t$  is maintained quite accurately over periods as long as several days.

One of the oils was a silicone oil and the other was a distillate fraction of the original oil, obtained from molecular distillation. Physical properties of the oils are shown in Table 1. They are very similar, except for molecular weight and viscosity. These differences are reflected in the different values for the spreading mobility,  $D$ .

# VideoDisc Testing at RCA Laboratories

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**Abstract**—The objectives of VideoDisc testing at RCA Laboratories are to evaluate new experimental research developments. These objectives are quite distinct from those of the manufacturing facility which employs large-scale repetitive testing of standard products (e.g., styli, discs, players) to assure that the products meet consumer quality requirements. The Laboratories also needs a high quantity and quality testing facility. However, the changing nature of research programs also demands flexible test systems and procedures. This paper describes the Laboratories' testing philosophies; the overall test facility; the measurement systems; the data collection and report generation software; the statistical and mathematical techniques used to design tests and analyze data; and approaches to assuring control and minimization of the effects of unknown sources of variability throughout research testing procedures.

## 1. Why Test?

The market introduction of the RCA VideoDisc system marked the fruition of many years of research and development at RCA laboratories. Present programs are directed toward advances in system features, improved system performance and reliability, improved manufacturing technologies, and cost reduction. Since the objective of VideoDisc testing at RCA Laboratories is now directed toward advances in an established system, we are generally engaged in comparative testing.

There are two major modes of comparison. The first is to confirm that some new concept results in system improvements. The new concept may involve experimental materials (disc, stylus), processes, electronic subsystems, mechanical designs (e.g., stylus geometries), etc. System improvements may include performance, reliability, and quality. The other major comparative testing mode is to ascertain that



a proposed technique for cost reduction does not result in system degradation.

These objectives are quite distinct from those of the RCA VideoDisc manufacturing facility, where large scale repetitive testing of standard manufactured product (styli, discs, players) is employed to assure that outgoing product meets consumer quality requirements. RCA Laboratories research programs also require a high quantity and quality testing facility. However, the changing nature of research demands flexible test systems and procedures. Standard, repetitive test conditions are not sufficient.

This paper provides an overview of how these R&D test requirements have been addressed. It briefly describes the testing philosophies, the overall test facility, the measurement systems, the data collection and report generation software, the application of statistical and mathematical techniques to design tests and analyze data, and approaches to assuring control and minimization of the effects of unknown sources of variability throughout our test procedures.

These systems and statistical techniques constitute a major effort to ensure that research for the product division not only will be acceptable for some small sample of experimental discs, styli and/or players but also operate for large production quantities. This is an extremely important screening step. Once a development leaves RCA Laboratories, it goes to the product engineering department for a whole new program of extensive evaluation and testing.

## 2. What To Look For?

Research testing evaluates performance-related properties in three different domains of the VideoDisc playback system: physical factors affecting the stylus-disc interface; measurements of the signals generated by the player; and measurements of the quality of the resulting picture and sound program produced for the home viewer (Fig. 1).

Inaccuracies in picture and/or sound reproduction can originate in any of these domains, but tend to propagate through to the consumer

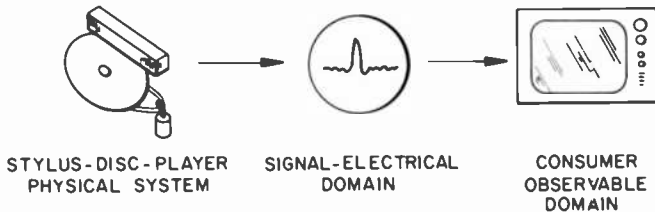


Fig. 1—Three domains for measuring VideoDisc system performance.

observable domain. For example, surface roughness on the VideoDisc may propagate to the signal domain as a poor  $S/N$  ratio, which will, in turn, result in a picture with poor clarity.

We make measurements in each of these domains—stylus track force, sound beat, and viewer perception of skips are examples. The relative ease of designing quantitative performance measures for the signal domain has greatly influenced testing methods and equipment. Some of these measures are peculiar to the VideoDisc system; Table 1 describes a few of these. Typically, the signal domain measures serve only as proxies for events occurring in the other two domains. VideoDisc scientists and engineers seek to understand the underlying physical phenomena affecting performance, to see if proposed changes improve performance in the ways expected, and to know the effects of proposed changes on consumer perceptions of program quality.

In addition to designing valid and reliable signal domain measurements, we must also assess their relations to underlying physical phenomena and to viewer perceptions of program quality. Fig. 2 shows a partial list of measures in each domain along with some of the relations among measures in different domains.

Recent studies at the Laboratories have investigated these relations. These have included physical analysis of defects located by signal domain measures and viewer tests to correlate signal domain measures with viewer response. The results have contributed to refinements in measurement techniques for tracking errors and carrier distress and to improvements in frequency response and defect-locator clustering algorithms.

Current testing facilities do not investigate all aspects of the VideoDisc system (e.g., analysis of stamper plating baths), nor even all

Table 1—Signal Domain Measurements Unique to the VideoDisc System

Arm Output (mv)	Peak-to-peak amplitude of the FM carrier at the player-arm output
Carrier Distress Time (seconds)	Time during which the arm output falls below a specified threshold
Defect Gate Open Time (seconds)	Time during which a production player's defect substitution circuit would be active
Sound Beat (dB)	Undesired modulation of the video carrier by the audio carrier(s) during playback of the disc
Skips	Improper movement of the stylus as detected by reading the digital codes recorded in each vertical interval (out of sequence program frames)

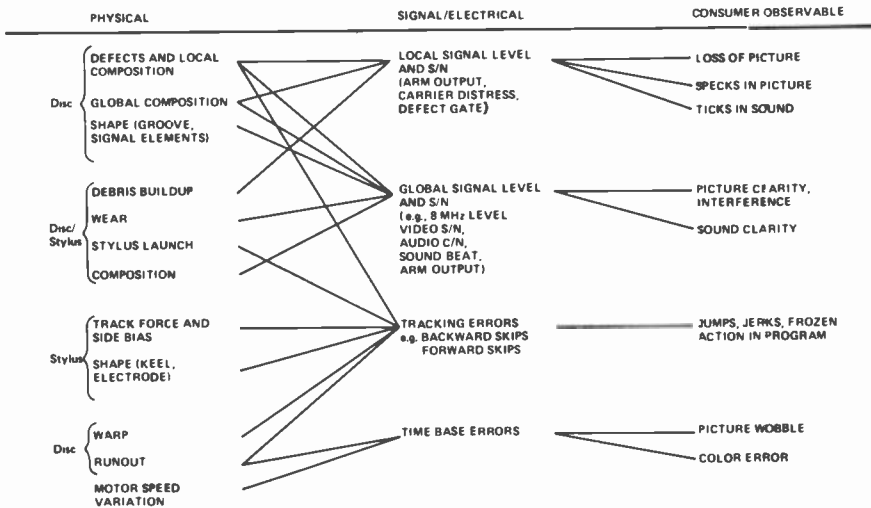


Fig. 2—Sample of VideoDisc performance measures in three domains, and some of the links between them.

aspects shown in Fig. 2. Such an effort would be impractical and an inefficient use of resources. The specific areas of emphasis depend on the needs of the VideoDisc research staff.

### 3. Overview of Research Testing Facilities

#### 3.1 Background

During the development of the VideoDisc system at RCA Laboratories, an ad hoc testing center evolved to meet the needs of the scientists and engineers. The center's functions and associated equipment are described below.

Carrier distress measurement (carousel tester) was typically used for disc testing. The carousel could play six discs simultaneously. The arms could be made to rotate from one disc position to another (a capability not frequently used). Play performance was monitored by special hardware and a Data General NOVA minicomputer.

The micro-defect locator was used for locating angle and groove at which dropout and/or tracking errors occur. The hardware also was able to identify and locate the start/stop of long carrier distress type events. Off-line software had been written to process the raw data in various ways, e.g., consolidate dropout and tracking events into defects.

The wear-test stations were employed for wearing styli and/or discs. No electrical measurements were taken and the stations generated no

data, but they did generate testing requirements on other equipment. The equipment consisted of three in-line wear testers (5, 5, and 6 positions) and 8 individual players.

Frequency response measurements (spectrum analyzer) were made on styli and discs. The equipment consisted of a player, an HP3585 spectrum analyzer and an HP9825 calculator controller. The measurements taken depended on the particular signals recorded on a disc and the control program being run, but generally included things like 8, 5, and 2 MHz carrier signals, audio carrier amplitude and  $C/N$ , sound-beat, etc.

Once the decision to manufacture the VideoDisc system was made, it became clear that the test system as it originally evolved could no longer serve RCA's research needs. Despite periodic upgradings, many problems still existed:

- Several generations of research and development VideoDisc systems (arms, player electronics, and mechanics, etc.) were in use, resulting in:
  - uncertain relation of test results to modern players
  - difficulty of repair and maintenance.
- Test equipment was difficult to maintain, calibrate, control and enhance.
- Many measurements required an operator to read a display and manually record the data; the data were often then typed into a computer system for further analysis.
- Flexibility of the testing hardware was limited:
  - The 24 wear-test positions were completely noninstrumented
  - Only 6 play positions were available for carrier distress measurements
  - The 1 micro-defect locator position could only locate certain pre-defined types of defects
  - Most measurements were made with fixed (hardware) parameters, e.g., carrier distress threshold, minimum time for a micro-defect, etc.
- None of the test spindles used caddy loading of discs, requiring the playing, handling and storage of unprotected discs.

### 3.2 Objectives of Testing Center Design

To address the issues described above and to provide an effective means of continued testing of new research and development concepts, a new testing center system was designed to provide:

- Effective means of using up-to-date standard player, stylus and disc systems

- Flexibility to meet changing test requirements
- Avoidance of manual data collection
- Easy generation of a multitude of user reports
- Ability to archive and access test results
- Easy application of statistical packages to analyze data
- More detailed and comprehensive measurements
- Capability for expansion of measurements and players
- Improved operator efficiency and throughput
- Automatic monitoring of test system status
- Easy maintenance and serviceability
- Maximal control of variability

### 3.3 System Design

The overall system approach to meeting the design goals is illustrated in Fig. 3. It is a modular system, consisting of three main subsystems: a player bank, an instrument bank, and a computer bank.

The player bank is an expandable set of standard production players, each having an attached interface (Fig. 4). The interface consists of a digital portion (for player control) and an analog portion (for buffer-

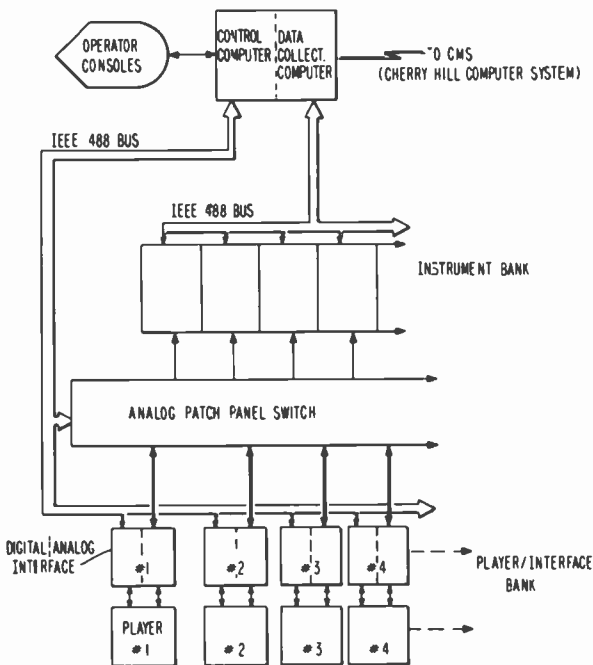


Fig. 3—VideoDisc testing system design.

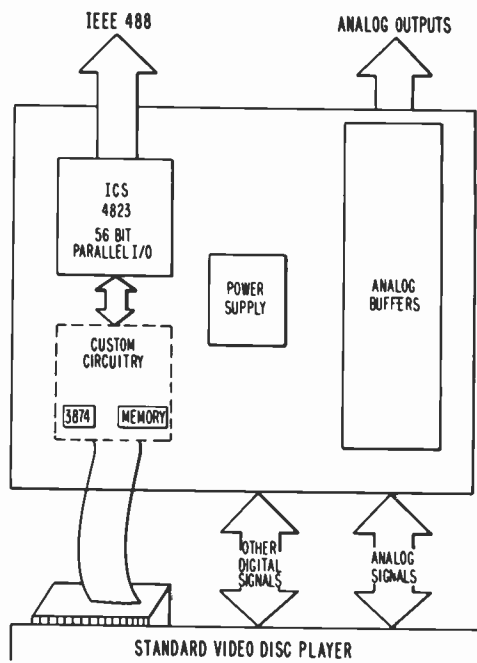


Fig. 4—Player interface.

ing and isolation of analog player signals to be used for performance measurements). The digital interface provides a means of remotely controlling the functions of the player microprocessor. This is accomplished by communications from the computer bank via an IEEE-488 Interface Bus, which also provides for data collection (e.g., skips) from the player microprocessor. As an alternative, the player can be used for any test function without remote computer control by inserting an appropriate read-only card (ROM) in the interface board. This general approach:

- Provides flexibility. Through the use of remote computer control or plug-in ROM's, any player can be used for any testing function
- Takes advantage of the player's microprocessor for control of player functions (e.g., kicking) and monitoring of stylus tracking
- Provides for easy, relatively inexpensive upgrading to next generation players (replace production players)
- Eliminates the requirement to correlate measurements made through special test-player electronics and mechanics to the real world players
- Allows for automatic monitoring of player status, e.g., avoids problems such as running wear tests with styli not properly set down on the disc

The analog signals from each player are routed through a switching matrix to an expandable bank of instruments. This switching matrix could eventually be a solid-state computer-controlled analog switch. However, initially a simple, manually operated patch panel was used. The important feature is that any player can easily be connected to any measurement device, making possible important new capabilities. For example, wear tests can be monitored without physically removing the discs or stylus cartridges from the life test players.

The instrument bank contains the equipment necessary to perform all the various types of measurements. Design of these instruments was based upon RCA's experience during many years of research and development. Special emphasis was placed upon the need of exploratory research programs for flexible and detailed analysis of test data (diagnostic tools as well as performance measures).

To eliminate errors and the burden of manual data recording, all new measurement instruments provide computer-readable outputs. In addition, to provide maximum flexibility, any combination of measurement instruments can be connected to any single player. Also, because of the flexible patch panel approach of connecting instruments to players, newly developed instrumentation can be easily incorporated into the system.

The computer subsystem of the new testing center is implemented at three physical levels. At the lowest level, a microprocessor is in each player. It performs standard player control functions. However, these functions are altered for the particular test function that player is performing (e.g., recycle for life testing). In addition, the microprocessor serves as a tracking monitoring system to report out-of-sequence program frames (skips).

At the next level are two Data General NOVA 4 computers for control and data collection computers. The control function (1) monitors player status, (2) provides computer aids to operators for scheduling of tests and players, (3) provides signals to the individual player microprocessors as to what test function they should be performing; and (4) supplies operators with system status, alarms, etc.

The data collection function receives data from all of the test instruments and players, aggregates data by test, locally stores the data and ships test results to a large timesharing system for report generation and data analysis.

Test data is transmitted via a data communications interface from the NOVAs to a central timesharing system. At this highest level the data are stored, statistical data analysis is performed, and test reports are generated. Performance of the tasks on this central computer facility enables the use of sophisticated software for statistical analysis, data archival and retrieval, and report generation.

The system is inherently protected against the following system failures:

- Microprocessor failure—remove player and replace with spare
- NOVA failure—either install back-up NOVA, or run with single NOVA in degraded mode, or run without NOVA and insert ROMs for player control and/or record data manually off instruments
- Timesharing system failure—record all test data locally on mass storage devices, and ship to timesharing system when it is operational.

Thus, under most conditions, the test center will continue to operate.

#### **4. The Player Testing Interface**

The player testing interface was conceived as a key element in the new VideoDisc testing center. It employs standard production players that are both more cost effective and more realistic in providing the spindles needed for testing than specially designed turntables are; production players are readily available and should have a satisfactory lifetime. Furthermore, this approach has the added advantage that future players with enhanced features (e.g., stereo audio) can be utilized as soon as they are available.

There is also the advantage that all spindles are identical; no spindles need be dedicated to any particular mode of testing (e.g., wear-testing or tracking-error measurements). All spindles can serve any function at any time, and the set of spindles can be configured entirely by computer control. The center, therefore, gains the ability to respond rapidly to changing test requirements.

Central to the interface's design is the replacement of the player's microcomputer, a Mostek 3870, with a Mostek 3874 relocated into the interface and re-programmed as necessary. The 3874 accepts an external piggyback EPROM whereas the 3870 contains an internal mask-programmed ROM. The interface contains a connection to the IEEE-488 Interface Bus so that control of the cpu can be achieved by any computer or calculator capable of driving the bus. This permits multiple players to be easily controlled by a single computer.

A second major function of the interface is to provide the dozen or so analog signals from the player that are needed for testing or research. Each such signal passes through a buffer amplifier capable of driving reasonable cable lengths with minimum distortion, minimum cross-contamination, and negligible interference with the player itself. Five "video" signals are provided: arm output, FM demodulator output, composite video, the 1.53 MHz clock output, and the defect gate. Four "logic level" signals are supplied: serial DAXI bits out, two DAXI error flags (forward and reverse skip), and a squelch signal derived



from video muting (DAXI, which stands for digital auxiliary information, is the digital control information recorded in each vertical interval). There are two audio buffers with balanced 600-ohm outputs and two dc signals—AFT voltage and time-base error (arm-stretcher).

Physically, the interface is a box,  $13 \times 17 \times 2\frac{1}{2}$  inches, attached to the bottom of the SFT-100 player (Fig. 5). Internally, the box is divided into two halves; one is the digital circuit board and the other the analog circuit board and the power supplies (Fig. 6). All cable connections are made at the rear of the box. The front contains several LED indicators and a plug-in module. This module is either the IEEE-488 bus communication circuit or it is a manual control plug-in (for stand-alone applications). The sides of the box have chassis slides for mounting in a rack.

Five complete player/interfaces are mounted in a 5-foot enclosure (Fig. 7). Each player can be drawn out for access to the cartridge and to the cable connections on the rear. A malfunctioning player can be replaced in the rack in less than 5 minutes. The racks also provide shielding to keep interference between players to a negligible level, both for all measurements and for viewing on a TV set. The racks are set up on a 6-inch high wooden base to provide easier access to the lowest player (Fig. 7). All cabling emerges vertically from the top of each rack and is carried to the instrumentation racks on an overhead cable trough. This provides a very uncluttered arrangement with good access to the whole system (Fig. 8).



Fig. 5—Videodisc player on top of interface box.

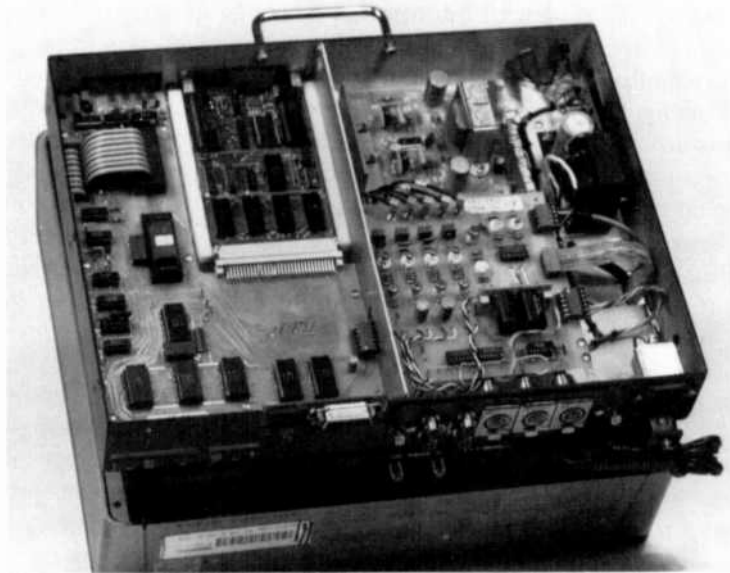


Fig. 6—Interface box showing digital and analog halves.

A single 40-wire, flat ribbon cable with a male plug on each end plugs into a socket installed on the player's control board where its 3870 microcomputer has been removed. This cable passes through a slot in the interface box and plugs into a 40-pin socket on the digital circuit board. The analog-signal cable passes through another slot and terminates in connectors on the analog board. The player's original case can remain in place (for physical protection of the player) and requires no modifications. Two shallow recesses are cut in the plastic baseplate of the player for the cables to emerge. In addition to the analog connections, one jumper is installed on the player control board. No other changes are required on the player.

Communication between the player/interface and a control computer (or calculator) consists of strings of ASCII characters transmitted over the IEEE-488 Interface Bus. Each player/interface is assigned a unique 5-bit binary address. The messages sent to the interface contain from 2 to 8 characters. The first 2 characters constitute a command code and the remaining characters represent parameters. For example, the string "05024750" means "put the player in the wear-test mode (code 05) starting each play at minute 02, ending at minute 47, and play the disc 50 times."

The string "06" means "tell me (the control computer) what play number you are currently doing." A message such as the last example



Fig. 7—Players and interfaces mounted in racks.

requires an answer from the player/interface. In such a case, the interface always sends a 6-character string back to the control computer. The first 2 characters are the identification code of the particular interface (not its address, but a unique internal hard-wired value). The remaining characters convey the data requested by the control computer. A large and expandable repertoire of commands is available. In adding a new command to the repertoire (to meet future needs) the source code for the 3874 is edited, assembled, debugged, and a new EPROM is burned and installed on the 3874.

The manual plug-in module operates much the same as the 488 bus communications. The desired command code and any required parameters are set via eight small rotary switches and are sent to the interface by push-button. Data from the interface are displayed on the LEDs on the front of the manual plug-in unit.

## 5. Measurement Instrumentation Systems

The new VideoDisc integrated testing center has a number of measuring and test instruments (Fig. 9) for making the actual measurements.

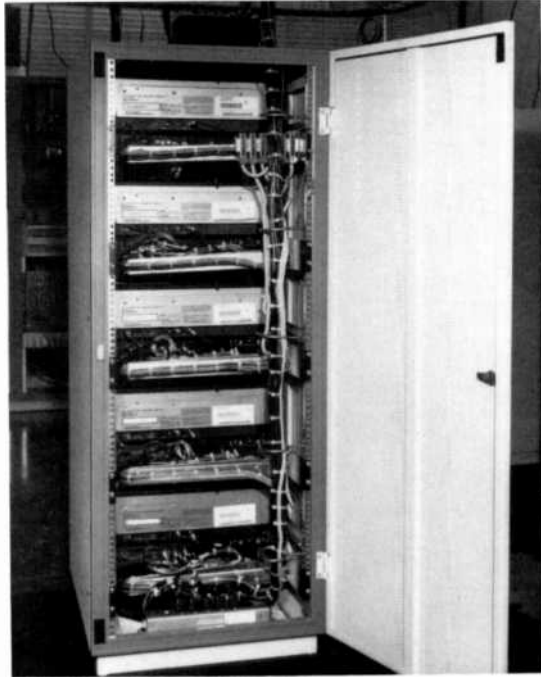


Fig. 8—Back of testing player rack.

These instruments can be connected in patched, switched, or matrix fashion to provide all the signal sources required for each measurement.

### 5.1 Measurement Entities and Instruments

Amplitude measures are characterizations of the instantaneous or long-term amplitudes and noises of various signal sources and processes. They may also include time correlations of disorders in the above parameters.

Carrier distress instruments (Fig. 10) measure recovered carrier amplitudes and their disorders. Each instrument is self-contained on a group of circuit cards, and groups can be bussed together for communication with, and control by, a computer or calculator via the IEEE-488 instrument interface bus. Each fundamental group contains a display and controls. The testing center utilizes an instrument consisting of 12 fundamental groups with one 488 interface.

The carrier distress instrument consists of three portions. The first is a video amplitude detector. Research indicated this detector should

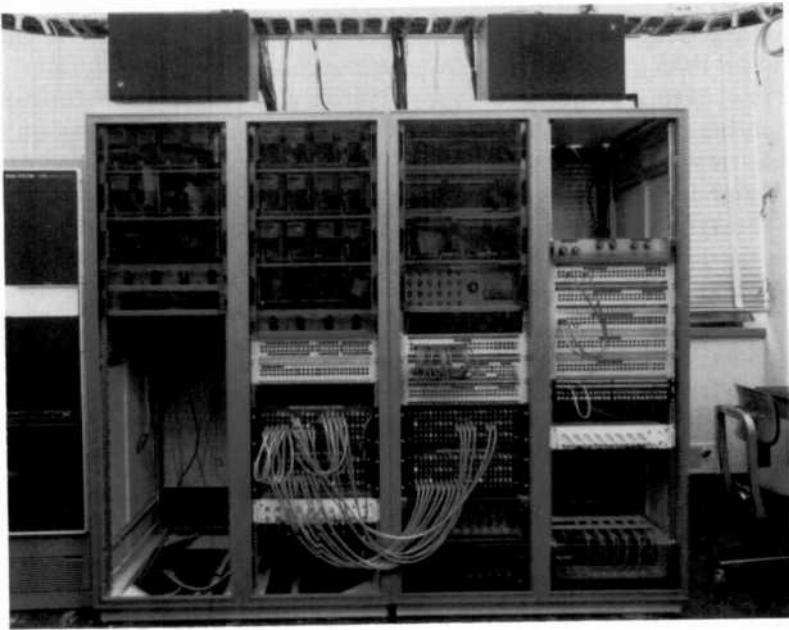


Fig. 9—Measuring and test instruments.

be an average-responding circuit with an input bandwidth of at least 500 kHz to 10 MHz and a time constant of  $2 \mu\text{sec}$ .

The circuit's most important characteristic is a linear response to the amplitude of incoming signals. The detector responds down to an input of 20 mV and to at least 2 volts maximum. This enables direct generation and measurement of comparison thresholds and obviates the need to individually calibrate detectors.

The second portion is a discriminator circuit that compares the output of the detector and an externally applied threshold voltage. The discriminator's output is a single digital level indicating whether the signal is above or below the external reference based on criteria adjusted by the operator. These criteria may be externally programmed in the future.

Two threshold voltages, V1 and V2, are applied to the discriminator. Two times, T1 and T2, are set on switches, or optionally applied as digital levels. If the input signal stays below V1 for T1, the input is considered to be below threshold, or above threshold if the input signal returns above V2 for longer than T2.

The resolution of the detector is better than 20 mV. The resolution of T is  $0.25 \mu\text{sec}$ , with a maximum of  $63.5 \mu\text{sec}$ . The T clock can be

changed over a range of powers of 2 so that the maximum  $T$  can be greater than 2 sec with a corresponding coarseness of resolution.

The third portion is the accumulator, a microprocessor-controlled counting device which, aided by external circuitry, measures on any time-varying digital level:

- Total duration of experiment
- Total time duration of events (e.g., an event might be a detection of a low level)
- Total number of events
- A histogram of event duration with 10 bins for catching low (bad) times, from durations of less than  $10 \mu\text{sec}$  to 1000 sec and longer in decades.
- A histogram of event duration with ten bins for catching high (good) times, from durations of less than  $10 \mu\text{sec}$  to 1000 sec and longer in decades.

One 12-digit LED display on the front of the circuit card has the counter on it. This display may be switched to display total time, distress time, or number of events. It may also be driven via the IEEE-488 bus to display arbitrary numbers.

The program in the microprocessor will, when requested, dump the contents of all 23 accumulators to an external display or to a bus that can be connected, via a commercial interface, to the IEEE-488 bus. The bus controller can start, stop, and clear any instrument, and can also request an identification datum from it.

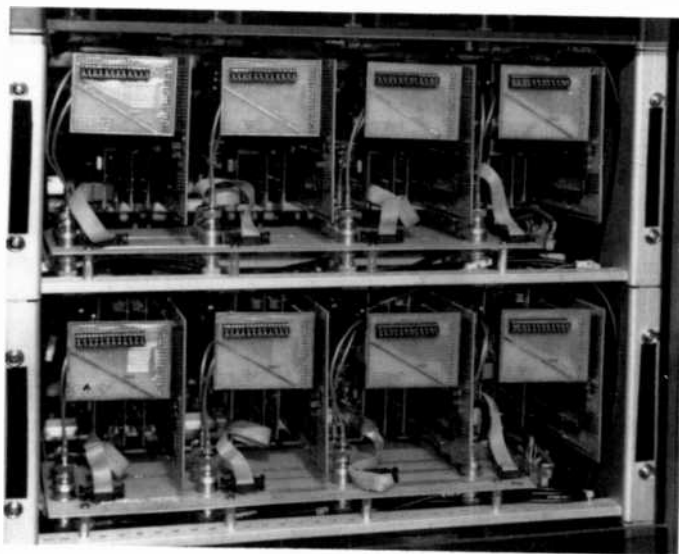


Fig. 10—Carrier distress instruments.

This card group may, therefore, be used in collections in a chassis or stand alone for individual experimenters with displays provided in some mounting box.

The carrier distress instrument has an arm gain control mounted externally, but properly part of the same functional system. This gain control allows the average arm output to be set to some known level so that drops in carrier amplitude may be referred to the local, relative reference rather than to an absolute.

The defect gate monitor detects the standard production player signal that indicates delayed video is being substituted for new program (defect gate "open"). Its construction is almost identical to the carrier distress instrument, and its output data is the same, i.e., it measures total time, event time, event count, and 20 bins of histogram. The difference is that a low event is now defined as the time during which the defect gate is open.

The testing center has a defect gate monitor consisting of six fundamental groups connected to one IEEE-488 interface.

Frequency measures are characterizations of the instantaneous carrier and modulating frequencies of the various signal sources and processes. They are traditionally used to characterize styli and to measure system performance.

Time-base error is measured by capturing the burst frequency recovered from the playing disc and comparing it with the correct frequency. This may be done implicitly by the player or by external circuitry. The arm stretcher can be *on* or *off*, but the results are different. At this writing, the center has no time-base instrumentation.

Spectrum analyses are normally used for electrical characterization of styli. Spectrum analysis of the playback amplitudes of modulated and unmodulated signals permits sensitive measures of stylus and arm performance. Spectrum analyzers may also be used for measurement of audio and video carrier-to-noise or signal-to-noise ratios. The spectrum analyzers are inside shielded rooms to reduce the possibility of outside interference.

Measurement of the modulated and unmodulated signals with the spectrum analyzer requires considerable sophistication. The analyzer is fully programmable via the IEEE-488 bus and is connected to a desktop calculator that controls the measurement sequences and analyzes the output data.

A series of algorithms has been developed for amplitude measurements of these single-frequency test signals in the presence of considerable FM. The algorithms require the dynamic interaction of the analyzer, the calculator, and the data to first determine, and then to execute, the best way of measuring each test signal. The algorithm

finds the carrier center frequency in the presence of the modulation and then makes sophisticated measurements of the amplitude of the recovered signal at that frequency.

Geometric measures relate disorders (amplitude, time or whatever) to the physical location on a disc where the disorder took place. This information is then used to find evidence of physical phenomena that caused the disorder. This process is called micro-defect location.

Keyed locators keep track of the physical location on a disc from which the video program is being recovered. An angular resolution of 0.2 degrees is provided, as is a radial resolution of 1 groove. In response to an external key signal, the locator puts the then current radius and angle into a buffer memory (FIFO).

Another datum—to indicate the nature of the event causing the key—is stored in memory, along with the key, by external logic. With the keyed locator, micro-defect location can be appended to any disorder measurement (for example carrier distress with the programmable threshold mentioned above). This is a very powerful tool for general purpose diagnosis of the correlations between the physical disc world and the program signal world. The locator's buffer memory is emptied by a computer whenever time is available at that computer. This allows the collection of many data without significant refractory time, yet without requiring the constant attention of a fast controller or data processor. The testing center has 6 locators, each with a 488 interface. The 488 interfaces are connected to the FIFO buffers, and when a buffer is half full the SRQ interrupt line of the 488 bus is exercised. This indicates to the controlling computer that the data are ready and overflow is imminent.

As indicated above, keys from carrier distress, or whatever measure, can directly operate the locator. Nevertheless, there are many experiments not having key signals routinely available. Six special key generators, consisting mostly of delay elements, logic gates, and signal shapers, allow an experimenter to specify combinations of conditions of both time and threshold that taken together will key a locator.

Time domain measures look upon the signal recovered from the disc as a series of single field presentations having an inherent order. Another view, with finer resolution, sees the recovered signal as a video waveform. There are facilities to measure both.

Program sequence disorder monitors keep track of the order of the video fields recovered from the play to monitor tracking performance, i.e., whether the stylus stays in the groove or skips forward or backwards. Since the microprocessor in each player must keep track of this same function for its own operation, the core of this function is left intact there, and a keyed locator records the position of these errors.



As part of the modification to the player, the microprocessor outputs a key indicating the existence and nature of a program sequence disorder. This implies that the function is available in any player.

The keyed locator has no memory for recent history. Therefore the field (DAXI) number recovered upon receipt of a program disorder key shows the new current field number, but no information on the magnitude or direction of the disorder. The player microprocessor has been modified so that the least significant portion of the last good DAXI before the disorder may be produced as a 10-bit number. This number is transmitted from the player and replaces the angle information which is usually sent from the keyed locator to its buffer memory. The result is that a record is made without angle information but with both the current field number and the previous field number. In any case, when monitoring program order, this angle information becomes irrelevant, because tracking can only be checked once per field when the digital control information (DAXI) is read off the disc.

Video amplitudes and timing are monitored by a TV waveform monitor (a special purpose oscilloscope). Information about the color content of a signal, its differential phase, hue, and saturation are monitored with a vectorscope. For conventional measurements of video signal-to-noise and for selective viewing of lines in the vertical interval, a noise measuring set is employed.

## 5.2 Patchbay

Signals from the players and from various auxiliary signal sources (such as the building antennaplex system) are all terminated in a large patchbay. The signals are then routed to the test instruments and monitors according to the needs of the experimenter and test center operator.

The patched signals include:

- Player arm output
- Player squelch (a dc signal indicating the presence of recovered signals)
- Player NTSC video output
- Player audio output (two channels available)
- Player 1.53-MHz clock
- Player defect-gate output (open or closed)
- Two bits of tracking error key for forward or reverse skip
- Player arm-stretcher-servo output for time base measurements
- AFT voltage for arm-cavity tuning measurements
- Player FM demodulator output

- Player DAXI serial data
- Player antenna output

All the rf connections are carried on 75-ohm cable and terminated at the patch panel. The panel has automatic terminating plugs that remove the termination when a plug is inserted to take the signal to an instrument input. Each instrument input is looped through to another terminating plug so that the signals may be cascaded and sent to several (high impedance) instrument inputs, yet the last connection on the panel is always terminated correctly.

The patchbay, in addition to player outputs and instrument inputs, has many instrument outputs available. The carrier distress instrument, for example, has a low frequency carrier amplitude output that can be patched to a chart recorder or to an analog-to-digital converter. This converter is also equipped to be read via the IEEE-488 bus, and the control computer reads long-term average carrier levels in this fashion.

The great flexibility provided by the general-purpose uncommitted players and instruments makes possible quick responses that are suitable to the varying requirements of VideoDisc research testing.

## 6. Computer Systems

Testing center computerization was desired for three tasks: (1) player control, (2) data collection (from instruments), and (3) report generation. Because of flexibility and storage requirements, report generation was allotted to a mainframe timesharing system. The other two tasks required on-site minicomputers.

Although a natural partition might have been to create a player control computer and a data collection computer (since sizing constraints pointed in the direction of two minicomputers), this approach entails drawbacks. Failure of either minicomputer could disable the entire system, and the whole system would have to be brought into operation at one time during the system integration stage. Instead, the system was partitioned with two minicomputers, each of which controlled players in one ground and collected data in the other. Failure of either minicomputer would then reduce capacity by 50% instead of disabling the system.

Structured analysis was employed to allot subtasks to minimize data flow (and interdependence) among tasks. A simple system of files was created to provide data paths among asynchronous tasks to eliminate the need for scheduling such exchanges. A test was broken down into events (example: measure carrier distress on 12 discs for 30 minutes). The data collection computer manages events and periodically sends the results from a number of such events to the report generator.

The report generation system (Fig. 11), upon receiving results from the data collection system, stacks them in a pending file while maintaining a list of pending tests in a queue file by examining the incoming results. The report generator determines what types of reports are needed as well as whether an event is the final one for a test. It sets flags for these conditions in the queue file. The generator then splits the results for each completed test into a series of temporary files for the different report types. The generator then produces reports by reformatting the information in the intermediate files. The intermediate files are deleted, the pending and queue files are pruned of completed tests, and the most recent results are compressed into a save file for archiving.

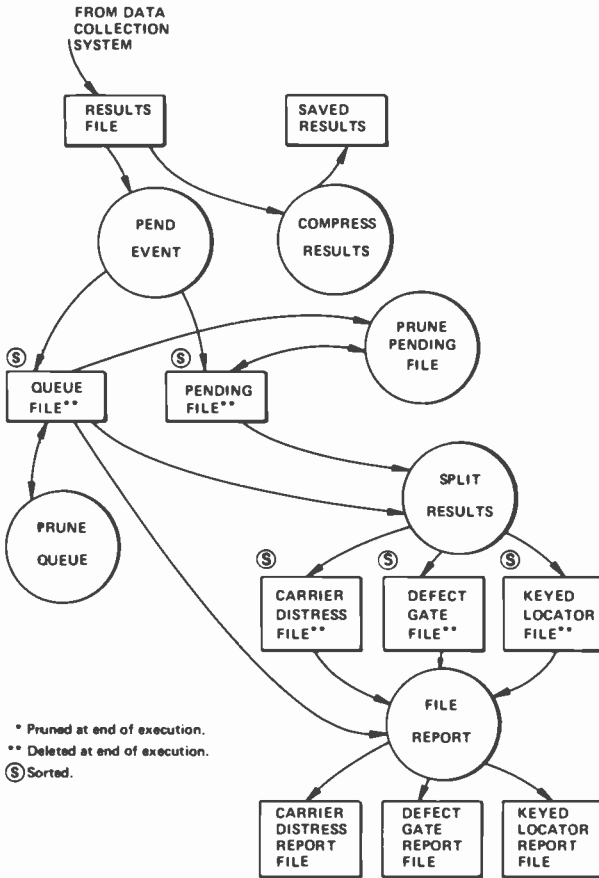


Fig. 11—Report generation system.

Sample reports include:

- (1) The carrier distress report—Player, stylus, and disc identities, experimental group, play number and stressing (for discs), temperature, humidity, duration of event, carrier distress time, number of carrier distress events, the operator's initials and comments, and collection time and date. It also includes the contents of each of the bad and good bins of the carrier distress histograms. An interface to the statistical packages in the time-sharing computer is also provided.
- (2) The format for a defect gate report is the same as that for carrier distress.
- (3) The keyed locator report includes disc identity and a table of position reports with groove, angle, what happened, and skip size for each. It interfaces directly with cluster analysis and consolidation programs in the time-sharing computers.

## **7. Mathematical and Statistical Test Design and Analyses**

### **7.1 Test Design and Standard Analyses**

We have applied mathematics and statistics to several areas in designing experiments and testing results: (1) testing with controls, blocking, and randomization to insure the data are good (i.e., they lack systematic error and are representative) and (2) experimental design techniques (complete factorial designs and fractional factorial designs) to maximize the information from experiments. The appropriate analytical techniques, statistical or mathematical, were chosen to evaluate the experimental results. Since most tests are designed, the center has powerful tools to analyze the data. Finally the current data are employed to plan new experiments—to determine the sample size, the number of variables, and so on.

Controls, blocking, and randomization minimize bias and spurious noise, and also provide a basis for valid comparisons. Experiments always have controls that usually represent current production. All the experimental groups are compared to the control. Available measures of standard material provide a baseline for comparison with the experimental groups. Whenever possible a control is chosen from the same production lot (material, production conditions, operator, and so on) as the experimental material. This ensures that any differences uncovered are due to the treatments or stresses applied and not from some unusual production condition. Furthermore, with a rapidly developing product, information on last month's production may no longer be valid.

Even though controls provide a powerful method to protect against faulty conclusions, this alone is not sufficient. Guards are needed against any systematic error or bias in the results. Sources of systematic error could be two pieces of equipment that measure differently, effects due to time of day, shifts in temperature or relative humidity, different players, stress chambers, position in stress chamber, and so on. If it is suspected that a factor (time, tester, position) influences the result, we block across all time periods, testers, or positions. For instance, if two groups are tested, i.e., the control and an experimental compound, the procedure is not to test all the controls and then all the experimentals. They are split half and half, to be stressed and tested under the same conditions. If test equipment is limited and there is a need to test in batches, each batch assigned has equal numbers from the control and experimental groups. Blocking applies not only to testing but also to choosing the test materials. For two production facilities (presses, assembly lines, etc.) an attempt is made to have equal numbers from the production conditions in the test groups.

If the effect of a factor (e.g., the order tests are performed in or the effect of various players) is not known, the control and experimental units are randomly assigned to the players. Using players 1 to 5 for controls and 6 to 10 for experiment might introduce some player effect into the difference seen between the experimental and the control groups.

Controls, blocking, and randomization are employed extensively in the testing. Since the standard material and processes frequently change, testing always is against a current production control. To insure that the data are representative, the tests are blocked across press runs or production lots. For instance, in testing 40 discs or styli, 10 units are chosen from 4 production lots. During testing, there are blocks across time (both test time and stress time), position in the stress chamber (surface up or down), test discs, test players, and which disc side is played first. Test order and assignment of discs to test groups are randomized.

Two types of experimental designs are employed to maximize the information from each experiment. If only two or three variables (e.g., types of carbons, types of lubricants, and types of presses) are being tested, all combinations of all of the variable levels (a full factorial) are usually tested. If there are four or more variables, a small subset of all possible combinations are tested to estimate the effects and interactions of the variables (a fractional factorial). An example of a full factorial is two carbons and four oils: to test all combinations eight experimental groups are needed. An example of a fractional factorial

experiment is evaluating pressing discs to investigate press temperature, press closing speed, extruder speed, extruder temperature, viscosity of the material, resins, and carbons. If each of the seven variables has two categories, very useful information can be gained with 16 experiments, rather than the 128 experiments needed to cover all possible combinations.

The analytical techniques employed fall into three categories: (1) robust or nonparametric methods that are very good for small samples, (2) powerful statistical methods such as analysis of variance (chosen to match the design mentioned above), and (3) standard techniques modified for the special behavior of VideoDisc parameters.

Robust methods are not sensitive to anomalies in the data. Nonparametric methods do not depend on strong assumptions of normality in the data. With small samples, it is hard to spot anomalies and to test whether data follow a certain distribution. It is very useful to have techniques that are not sensitive to strange points and/or are not sensitive to assumptions about the data. In exploratory investigations, there frequently are small samples and the underlying phenomena are not yet understood. One of the most useful techniques for these investigations is the Wilcoxon Rank-sum test (also called the Mann-Whitney test). This test compares two groups to see if their medians (50% center points) differ. It is generalized for one-way analysis of variance in the Kruskal-Wallis test. A similar test by Wilson is available for two- and three-way designs.

Analysis of variance is applied to complete factorial designs. This powerful technique provides estimates of unexplained variability (error), the magnitude and statistical significance for each variable and all interactions, the explanatory power of the equation involving the variables and their interactions, and the amount of variability each category (oil, carbon, press, etc.) has. Standard analysis of variance techniques can also be applied to fractional factorial designs to determine the significant variables and interactions.

The most commonly asked question is "How many discs, styli, or components do I need to test?" The number depends on the inherent variability of the parameter to be measured, the type of difference sought, the parameter being measured (mean, variance, or proportion), and the error in the decision that can be tolerated (such as testing at 5% or 1%).

The information from exploratory experiments is used to estimate the variance and the differences commonly seen. This information is employed in designing confirmatory experiments. Frequently, normality (or approximate normality) is assumed to get a ballpark estimate of the sample size.

Much of the early experimentation on any new VideoDisc process compares means (or averages), since tests on means require the smallest sample size. Statistically significant differences in play quality (e.g., carrier distress) can frequently be seen with samples of ten in each group. To compare variances requires a similar amount of testing, with 10 to 20 in a group yielding a fairly sensitive test. Testing for proportions (does this sample have a better yield?), however, is costly in terms of experimentation, requiring a minimum of 50 to 100 units in each group.

The results of the designed experiments are employed to focus further research. Planned experimentation makes possible the assessment of the effects of variables, estimation of the error in measurement or variability in projections, and the collection of useful information on what to investigate further.

## 7.2 Analysis of Carrier Distress Data

Carrier distress is a valuable measurement for the evaluation of the quality of discs. Unfortunately, it is difficult to analyze because it has a skewed distribution. Most carrier distress values are small. However, in experimental work a few values that are large or very large are produced, generally in evaluating new formulations of disc compounds, lubricants, etc.

Since the most powerful statistical techniques assume a symmetric bell-shaped distribution, the following transformations on carrier distress (CD) were tested: logarithm ( $\log CD$ ), square root ( $\sqrt{CD}$ ), reciprocal ( $1/CD$ ), and reciprocal square root ( $1/\sqrt{CD}$ ). None removed the skewness. We also tried fitting alternative probability distributions to the data: log normal, Poisson, negative exponential, and beta. None were successful. A final attempt—turning carrier distress into a probability, then into odds, and then taking the logarithm—works most, but not all of the time. (Technically for small carrier distress values, there is not uniform variance with increasing means.)

Because the standard parametric techniques provide only partial success and the samples to be tested are small, nonparametric techniques are also employed to test the difference in carrier distress across test groups.

Tests are made for differences in the medians, differences in the mean of the transformed variable, which is more sensitive to large values, and differences in yields against a specification. For the median, the Wilcoxon rank-sum test is used for two-group comparisons; the generalized Wilcoxon (i.e., the Kruskal-Wallis test), for  $k$ -group comparisons; and Wilson's two and three-way nonparametric analysis of

variance routines for more complicated designs. To test the differences in the transformed mean, we choose the comparisons to be made and perform tests on the appropriate pairs. The proportion of discs that pass a certain specification and the binomial confidence intervals for each proportion are calculated. This combination of tests provides good information on whether different groups of discs differ on carrier distress.

### 7.3 Microdefect Location

One analysis performed by the test center is the location of disc defects that affect the program signal. Unfortunately, a single 1-mm-diameter defect spans 370 grooves, and so can give rise to hundreds of signal dropouts. A test disc with more than a few defects can produce many hundreds or thousands of individual error reports, keyed by groove number and angle.

Using information from scientists investigating the underlying defects, we have developed a clustering scheme that can reduce a set of thousands of dropouts to a relatively few consolidated defect locations. This scheme uses a binning approach to lump defect reports together when their groove and angle are sufficiently similar. Much larger data sets can be quickly consolidated than with conventional clustering algorithms because the scheme takes advantage of the ordering of the raw data and the physical nature of the underlying defects.

Material impurities and stamper damage can both lead to disc defects, but their nature makes it possible to identify them separately. Since stamper damage produces a defect in the same location on every disc, a consolidation of dropout reports from several discs can be used to identify stamper damage. A different clustering algorithm is used for this pattern defect search, to take advantage of the data structure of the 2 or more (up to 50) discs that are to be compared. The pattern defect analysis yields a table showing which consolidated defects occur on which discs, as well as summaries of pattern versus random defects.

## 8. Variability Control Mechanisms

### 8.1 Statistical

Statistical techniques answer three questions for measurement variability and control. The first question is "How large is our measurement variability or how repeatable is our measurement?" The second is "What parts of our system are affecting our measurement?" For instance: "Do stylus measurements depend on the disc used? Does carrier distress depend on the position in the stress chamber? Do the



tracking defects found depend on the stylus employed?" For all these effects, both the magnitude and the statistical significance must be known. The third question is, "Is our system in control or calibration? Has anything happened that will bias our measurements or increase our noise?" Experimental design and statistical control help us to answer these questions.

Experiments are designed to answer questions on both measurement variability and the effects of different system components. For example, in testing styli, the measurement variability is sought as well as the effects of discs, test player, and different algorithms (i.e., is a new algorithm less variable, how much do discs differ, and so on). An experiment is designed to take a random sample of styli, say 5 discs, 3 test players, and 3 algorithms. To check all interactions, all combinations of styli, discs, players, and algorithms (45 experiments) are run. To estimate replication or measurement error, the test is conducted three times (135 experiments). While this is a lot of testing, it does make possible estimates of:

- The measurement error for the overall system, as well as the measurement error for each algorithm, each test player, each stylus, and each disc
- The amount of variability in the measurement due to changing algorithms, test players, styli, and discs
- The effects of each category: disc-to-disc differences, player-to-player differences, stylus-to-stylus differences, and algorithm-to-algorithm differences
- The statistical significance of each effect (is it larger than the measurement noise)
- The interaction terms for all components (does the measurement shift depending on a disc-stylus pair, stylus-player pair, algorithm-player pair, and so on). Since interactions cause problems in interpreting measurements, significant interaction terms are regarded as problems to be eliminated whenever possible.

To answer the questions, a lot of testing was done and it provided a tremendous amount of useful information. In such experiments, both randomization and blocking are used. We block across time and randomize the order of the disc, stylus, player, algorithm combination. For instance, the first five experiments might be

Disc	Stylus	Player	Algorithm
1	5	2	C
2	3	1	B
1	4	1	A
3	2	2	A
2	1	1	B

Randomization and blocking protect against confusing noise or bias with real system effects.

Such studies indicated that frequency-response measurements have minimal disc-to-disc variation, statistically distinguishable stylus-to-stylus variation, player-to-player offsets, and algorithm differences. In the location of microdefects, sensitivities to the track force of the stylus were discovered. For carrier distress, dependencies on position in stress chamber and which side is tested first were unearthed. This information makes it possible to define better, more reliable test procedures.

The final question answered statistically concerns system calibration and control. On all systems, the equipment is measured daily with discs and styli. These measurements are plotted, and statistical quality control procedures determine when the equipment is out of control (broken) or when a stylus or disc should be replaced. All these procedures provide accurate and reliable information about the VideoDisc testing system.

## 8.2 Physical Effects

All experiments requiring a finite, as opposed to infinitesimal, amount of time to complete immediately introduce variability due to time-varying sources. Materials aging, electronic systems drift, and equipment failures are a few examples of time dependent events. Sources of time variability can be complex, interactive, and very difficult to detect concurrently with testing. Since all the sources of variability due to time cannot definitely be eliminated, the effects can be minimized by testing a sample from each experimental material group at the same time.

For each experimental test performed, all relevant differences in the test materials are identified, usually by the experimenter. These materials differences might include disc press runs, oil types, disc compounds, surface treatments, stylus electrode metalizations, stylus materials or geometric designs, to name a few. These materials differences are translated into group designations; one group for each combination of materials factors. When simultaneous testing of samples from each group is not possible, due to insufficient equipment capability, samples from each of the designated groups are tested consecutively. These two approaches distribute the time varying effects across all groups in a particular test, provided that no changes due to time have occurred in the interval needed to play a sample from all groups.

To further reduce the effects of random failures, which may or may not be detected, or the effects of the time drift of one piece of test

equipment out of many pieces of test equipment, all material groups are blocked across test stations. This means that samples from a particular material group are played on many test stations rather than playing one material group on one test station.

Ideally every material group in a test would see the same variety and number of test stations. For this to happen, each material group must contain the number of items to be tested equal to a multiple of the number of groups in the test. This approach distributes test station differences uniformly across groups, thereby reducing test-station-to-test-station variability effects on the results. Sample size for each group becomes important because small sample size can seriously hinder any attempts to block across test stations. It is also desirable to play more than one sample from a particular group on a particular test station. This improves the chances of identifying equipment or materials failures on a given play by looking for data that are far different from the average data collected for a particular group in that test station.

Control materials are tested along with experimental materials whenever possible. Control materials are, by definition, materials that behave in a known fashion. These controls are given a group designation and blocked as though they were one of the experimental groups. The controls are thereby intermixed with the experimentals throughout the test. Each particular test play should contain at least one control. By playing controls intermixed with experimentals, experimentals can be compared with a known under similar test circumstances.

Restricting comparisons to items contained in a blocked single test eliminates variability caused by test-to-test differences. This can include, but is not restricted to, equipment drift or modifications, the use of different equipment for different tests, subtle changes in test procedures, different atmospheric conditions at the time of testing, or any possible changes (often not known by the experimenter) that can occur between two separate tests.

The addition of control materials to a test also provides insight into the performance of the test vehicle. Since the performance of the controls is known, any deviations indicate a problem with the test vehicle. This helps identify equipment malfunctions or trends that would otherwise be interpreted as valid test results on experimental materials.

Another technique for locating and controlling variability as well as equipment malfunctions is control charting. A set of materials is tested daily. The results are plotted and compared with the history established for the materials. Each test station has its own particular control

chart procedure. The measurements are manipulated with software packages using statistical control techniques. A plot for each measurement is made with boundaries for normal behavior indicated. Excursions beyond the normal limits can then be investigated.

Disc-to-disc and stylus-to-stylus differences can introduce variability or erroneous conclusions depending upon the test being performed. Tests are blocked such that these effects are spread across all groups in the test. Each test must be individually reviewed before testing to insure that the effects of all known variabilities have been minimized.

Stress-chamber conditions also influence the results of carrier-distress testing. The face-up side of each disc in the stress chamber exhibits higher carrier distress than the face down side. Another factor is that the side played first after stress exhibits higher carrier distress than the side played second. To balance these effects, discs from each group are placed half with a particular side face up and half with that side down during stressing. When both sides are being played, half of the plays are started with side A and then side B and half of the plays are started with side B and then side A. These blocking techniques spread the effects across groups uniformly.

## Patents Issued to RCA Inventors—Fourth Quarter 1981

### October

- A. A. Ahmed Amplifier With Cross-Over Current Control (4,297,644)  
C. B. Carroll and H. G. Scheible Method for Preparing Stylus Lapping Discs (4,297,312)  
D. R. Carter, C. E. Doner, F. G. Hammersand, and J. R. Tomcavage Circumferentially Apertured Cylindrical Grid for Electron Tube (4,295,077)  
A. G. Chressanthis, B. P. Gaffney, and H. M. Halpern Digital CFAR Signal Processor for Phase Coded Radars (4,293,856)  
R. B. Comizzoli and R. D. Vibronek Method of Detecting a Thin Insulating Film Over a Conductor (4,296,370)  
A. T. Crowley Digitally Adjustable Phase Shifting Circuit (4,295,098)  
R. J. D'Amato Color Picture Tube Having Improved Corrugated Apertured Mask (4,293,791)  
R. Denning, M. A. Spak, and B. Polhemus Method of Applying Thin Metal Deposits to a Substrate (4,297,393)  
D. L. Dodds Television Display Error Correction (4,296,359)  
W. V. Fitzgerald, Jr. Vertical Deflection Circuit (4,293,803)  
J. Hettiger Keyed Noise Filter in a Television Receiver (4,295,161)  
J. Hettiger Keying Signal Generator Responsive to Plural Input Signals (4,295,163)  
M. V. Hoover Class AB Push-Pull FET Amplifiers (4,296,382)  
P. K. Hsieh and R. M. Vaccarella Level Shift Circuit (4,295,065)  
S. T. Hsu Method of Manufacturing Bulk CMOS Integrated Circuits (4,295,266)  
S. T. Hsu Electrically Programmable Control Gate Injected Floating Gate Solid State Memory Transistor and Method of Making Same (4,297,719)  
E. O. Keizer and G. A. Alphonse System for Measuring Stylus Shoe Length (4,296,371)  
H. G. Kiess and B. K. Binggeli Readout of Electrostatically Stored Information (4,296,478)  
P. R. Koons and J. M. Neilson Method of Treating SIPOS Passivated High Voltage Semiconductor Device (4,297,149)  
H. W. Kuzminski Color Picture Tube Having Improved Slit Type Shadow Mask and Method of Making Same (4,296,189)  
W. A. Lagoni Signal Processing Circuit Having a Non-Linear Transfer Function (4,295,160)  
A. J. Leidich Class AB Push-Pull Quasi-Linear Amplifiers (4,295,101)  
E. W. Maby, H. Kawamoto, and P. V. Valembos Ion Implanted Stylus (4,296, 144)  
M. E. Malchow Temperature-Sensitive Voltage Divider (4,295,088)  
J. J. Matta and A. Skalina Feed System for a Circularly Polarized Tetra-Coil Antenna (4,295,144)  
J. E. Nicholson and P. C. Wilmarth Television Receiver Chassis Adapted to be Compatible With Different Tuner and Cabinet Configurations (4,297,726)  
N. Nikolayuk Circularly Polarized Slotted Pylon Antenna (4,297,706)  
P. Nyul and F. R. Hughes Method of Bonding Two Parts Together and Article Produced Thereby (4,295,151)  
R. W. Paglione Apparatus and Method for Application of Radioactive and Microwave Energy to the Body (4,292,960)  
S. M. Perlow Impedance Transformation Network (4,295,107)  
F. R. Ragland, Jr. Mercury Arc Lamp Having Communicating Mercury Reservoir (4,295,074)  
D. L. Roberts Color Picture Tube Having Improved Slit Type Shadow Mask (4,293,792)  
R. L. Schelhorn Composite Substrate (4,296,272)  
R. L. Shanley, 2nd and J. Hettiger Failure Compensated Automatic Kinescope Beam Current Limiter (4,295,166)  
D. R. Silcox and J. L. Doster Filament Winding Apparatus (4,297,095)  
B. W. Siryj, C. R. Horton, and R. D. Scott Thermal Processor in an Apparatus for Developing Photographic Film (4,293,212)  
B. W. Siryj Solar Tracking Apparatus (4,295,621)  
S. A. Steckler and A. R. Balaban Circuit Arrangement for Multiplexing an Input Function and an Output Function at a Single Terminal (4,293,870)  
F. Sterzer Serrrodyning System Employing an Adjustable Phase Shifting Circuit (4,297,641)

J. Thornhill, Jr. and R. B. Elder Earth Self-Orienting Apparatus (4,292,861)  
R. L. Truesdell and M. D. Ross Apparatus for Measuring the Characteristics of a Wideband Electromechanical Recording System Having a Transformer (4,295,216)  
H. R. Warren Magnetic Recording With Reduced Cross-Talk and Interchannel Time Displacement (4,296,430)  
P. C. Wilmarth Color Television Receiver Degaussing Circuit (4,295,078)  
H. A. Wittlinger and C. P. Salerno Position Sensing and Display Means (4,294,321)  
G. S. Zorbalas Motor Speed Control Circuit (4,296,446)

#### November

V. Auerbach Fault-Tolerant Interface Circuit for Parallel Digital Bus (4,298,982)  
J. Y. Avins Incremental Encoder (4,300,039)  
W. E. Barnette and E. C. Fox Compensation Apparatus for a Servo System With Periodic Command Signals (4,300,226)  
A. E. Bell, A. Bloom, R. A. Bartolini, and W. J. Burke Thin Protective Overcoat Layer for Optical Video Disc (4,300,143)  
A. E. Bell Replicable Optical Recording Medium (4,300,227)  
T. L. Credelle and R. A. Gange Beam Clean Up Structure for Flat Panel Display Devices (4,298,819)  
P. Datta Conductive Molding Composition and Discs Therefrom (4,299,736)  
W. F. Dietz Horizontal Deflection Circuit and Power Supply With Regulation By Horizontal Output Transistor Turn-Off Delay Control (4,301,394)  
M. Ettenberg and C. J. Nuese III-V Direct-Bandgap Semiconductor Optical Filter (4,300,811)  
T. J. Faith, Jr. Laminated Conducting Film on an Integrated Circuit Substrate and Method of Forming the Laminate (4,302,498)  
R. H. Godfrey and J. O. Peck Cathode-Ray Tube Screen Border Improvement (4,300,070)  
L. A. Harwood Transistor Protection Circuit (4,302,792)  
R. Herman Printed Circuit Board Support Structure (4,301,495)  
T. B. Howard, Jr. Etching Tank in Which the Solution Circulates By Convection (4,302,273)  
L. K. Hung and A. Bloom Water-Based Photoresists Using Stilbene Compounds as Crosslinking Agents (4,299,910)  
M. R. Johns Antenna Array With Impedance Matching Using Mutual Coupling (4,301,458)  
P. R. Knight Horizontal Deflection Generator and Driver Circuit (4,298,830)  
D. W. Luz Power Supply and Deflection Circuit With Raster Size Compensation (4,298,829)  
G. A. Mattson Tape Cartridge (4,301,976)  
H. E. McCandless Electron Gun (4,298,818)  
M. L. McNeely Apparatus for Molding Recorded Discs (4,302,175)  
R. A. Nolan Color Picture Tube Having Improved Slit Type Shadow Mask and Method of Making Same (4,300,069)  
J. I. Nubani Method for Testing Panel-To-Funnel Sealing Layer of a Cathode-Ray Tube (4,302,725)  
W. G. Rudy Method for Vaporizing Getter Material in a Vacuum Electron Tube (4,302,063)  
O. H. Schade, Jr. Current Regulating Circuitry (4,300,091)  
O. H. Schade, Jr. Reference Potential Generating Circuits (4,302,718)  
H. M. Scott Switching Regulator With Independent Feedback Path Filter (4,298,892)  
V. Stachejko U-Shaped IRIS Design Exhibiting Capacitive Reactance in Heavily Loaded Rectangular Waveguide (4,301,430)

#### December

J. Y. Avins Incremental Encoder for Measuring Positions of Objects Such as Rotating Shafts (4,308,500)  
T. A. Bridgewater Continuous Tuning Arrangement for a Multiband Television Receiver (4,307,467)  
J. E. Carnes and M. H. Woods Nonvolatile Semiconductor Memory Device and Method of Its Manufacture (4,307,411)  
C. B. Carroll and R. E. Schneller Frontplate and Shadow Mask Assemblies for a Modular Flat Panel Display Device (4,308,484)

- T. J. Christopher Preemphasis and Clipping Apparatus for Reducing Distortions (4,306,256)
- J. A. Clanton Skylight Cover (4,307,549)
- J. F. Clark Self-Heated Solenoid (4,306,704)
- C. B. Dieterich VideoDisc System (4,308,557)
- R. D. Faulkner and R. E. McHose Focusing Structure for Photomultiplier Tubes (4,306,171)
- R. A. Gange Line Cathode Structure Having Recessed Geometry (4,308,486)
- E. A. Goldberg Frequency Synthesizer Incorporating Digital Frequency Translator (4,303,893)
- N. F. Gubitose and M. J. Zelinka Method of and Apparatus for Outgassing Raw Material Used to Grow Crystals (4,305,725)
- L. M. Hughes and K. L. George Spindle Retracting Mechanism for Disc Record Player (4,305,145)
- L. M. Hughes and F. R. Stave Disc Player Having Disc Stabilizing Apparatus (4,305,146)
- J. L. Ibaugh Photomultiplier Tube Having a Photocurrent Collector (4,306,188)
- H. C. Johnson Ranging Radar Including a Modulating Reflector (4,306,236)
- H. Khajezadeh MNOS Memory Device and Method of Manufacture (4,305,086)
- H. P. Kleinknecht and W. A. Bosenberg Optically Testing the Lateral Dimensions of a Pattern (4,303,341)
- N. Kucharewski IC Clamping Circuit (4,307,306)
- A. J. Leidich Amplifier Circuit Having Controllable Gain (4,305,044)
- J. A. Madajewski and T. S. Mickowski Kelvin Test Fixture for Electrically Contacting Miniature, Two Terminal, Leadless, Electrical Components (4,308,498)
- T. A. Marett, Jr. Television Display System Incorporating a Coma Corrected Deflection Yoke (4,305,055)
- J. R. Matey and C. R. Corson Video Disc Signal Surface Imaging Apparatus (4,307,419)
- A. F. McDonie Method for Expeditiously Processing a Sodium-Potassium-Cesium-Antimony Photocathode (4,305,972)
- K. W. McGlashan Permeable Corrector for Deflection Yokes (4,307,363)
- M. J. Mindel and J. C. Rustman Video Disc Player System for Correlating Stylus Position With Information Previously Detected From Disc (4,307,418)
- J. R. Nelson Gas Adsorption Apparatus for Determining the Gaseous Surface Area of a Material (4,305,291)
- E. J. Nossen Symbols Communication System (4,306,308)
- A. J. Pierfederici Plasma Etching Device and Process (4,304,983)
- W. R. Roach and W. C. Henderson Asymmetrical Radiation Exposure of Spin Coated Photoresist to Obtain Uniform Thickness Coating Used to Replicate Spiral Grooves in Plastic Substrate (4,306,013)
- W. R. Roach and D. Meyerhofer Uniform Light Exposure of Positive Photoresist for Replicating Spiral Groove in Plastic Substrate (4,308,337)
- F. W. Spong Multilayer Record Blank for Use in Optical Recording (4,305,081)
- J. W. Stephens and K. Yang Horizontal Stability Measurement Apparatus (4,303,939)
- D. N. Thomson Envelope Detector Using Balanced Mixer (4,307,347)
- C. A. Weaver Method for the Manufacture of Stamps (4,305,795)
- M. L. Whitehurst Method for the Manufacture of Capacitive Electronic Discs (4,305,791)
- D. H. Willis Raster Distortion Corrected Deflection Circuit (4,305,023)
- R. E. Wilson Low Power Switch Closure Sensing Circuit (4,303,907)

## AUTHORS

**Gerard A. Alphonse** attended New York University where he obtained the B.S.E.E. degree in 1958 and the M.S.E.E. degree in 1959. In 1963, he attended the Polytechnic Institute of Brooklyn under a grant from RCA Laboratories and received his Ph.D. in Electrophysics in 1967. Dr. Alphonse has been a member of the technical staff at the RCA Laboratories since June 1959, and a faculty member at LaSalle since 1967. His work at RCA has included the development of superconductive memories, for which he received an "Outstanding Research Award" from RCA. His other research activities have included photochromic memories, acoustooptics, holography, electrooptics, and ultrasonic imaging. He is currently doing research on videodisc recording.



Dr. Alphonse holds 16 U.S. patents, and is a faculty member in the Evening Division of LaSalle College in Philadelphia, where he is at present serving as Chairman of the Electronic Physics Department. In October 1975 he was appointed as a consultant to the Engineering Science and Analysis Section of the Engineering Division of NSF for a period of two years. He is a senior member of the IEEE, a member of the American Institute of Physics, the Optical Society of America, Eta Kappa Nu, Tau Beta Pi, Sigma Xi, and the Franklin Institute.

**William E. Barnette** received a B.S. Degree in Electrical Engineering from the University of Delaware in 1953. Between 1953 and 1961, he attended graduate courses in Princeton University and the University of Pennsylvania. In 1953 he joined the Technical Staff of the RCA Laboratories, Princeton, NJ, where his initial work was in color television circuitry and the development of wide band-width linear and logarithmic amplifiers for a high resolution radar. This work was followed by research in the field of microminature decoding devices for selective communications. For this work he received a Laboratories' Achievement Award. Between 1960 and 1974 Mr. Barnette was involved with work on submarine communications, Project Pangloss, which later become Project Sanguine. Also during this time period he became part of the Project Lightning team where he contributed to the development of a-c powered tunnel-diode computer circuitry operating at frequencies up to 450 MHz. More recent assignments have included CATV systems development and camera development for the Holotape Selectavision project. In the latter part of the 1970's, Mr. Barnette was involved in developing an optical video disc for the Broadcast Division. Also, he was part of a team which received a Laboratories' Achievement Award for the development of the TK 47 automatic camera. The recent work on the Optical Disc Reader was done as a member of the Manufacturing Systems and Technology Research Laboratory.



Mr. Barnette is a member of the IEEE and Sigma Xi.



**Donald P. Barton** received an M.S. Degree in Operations Research from Rutgers in 1977. He worked as a technician on BMEWS in 1961 and 1962, was a field engineer on flight simulators from 1963 to 1971, and worked as a digital design engineer from 1974 to 1980 (1978-1979 with GSD). His current interest is in information systems design and he is presently a member of the technical staff in the VideoDisc Systems Evaluation Research Group at RCA Laboratories.



**Russell R. Barton** studied at Princeton University under an RCA Merit Scholarship, receiving a B.S.E.E. with honors in 1973. While an undergraduate, he studied the feasibility of electric cars powered by conventional lead-acid batteries, and conducted electric vehicle tests for ESB. He received Masters and Ph.D. degrees in Operations Research from Cornell University in 1975 and 1978, respectively. From 1975 to 1978 he worked as a consultant on operations research problems for the Departments of Justice, Transportation, Labor, and the Army. His doctoral thesis was a study of statistical failure rate techniques applied to the analysis of exoffender behavior. In 1978, he joined RCA Laboratories where he has worked on a variety of projects, including VideoDisc testing, satellite reliability analysis, organizational effectiveness, and decomposition solutions for large network problems.



Dr. Barton is a member of Eta Kappa Nu, Sigma Xi, the Operations Research Society of America, and the American Statistical Association.

**Marvin Blecker** received the B.S. and M.S. degrees in Mathematics (1967) and an M.S. degree in Electrical Engineering-Systems Science (1970) from the Polytechnic Institute of Brooklyn. In 1967, Mr. Blecker began his career as a systems engineer with the Space Division of the General Electric Company. He joined the Federal Reserve Bank of N.Y. in 1971 as a systems analyst and, in 1973, was employed as a Member of the Technical Staff of RCA Laboratories. In these three positions, his accomplishments included problem analysis and solution through the application of mathematical modeling, simulation, optimization and systems design techniques. Application areas included electronic consumer products, communication satellites, econometrics, air and marine traffic systems, and ground data handling systems. He was appointed Manager, Management Information Systems at RCA Laboratories in February 1976 and became Head, Systems Analysis Research in April 1978. In 1979, he became Head, Systems Evaluation Research in the VideoDisc Systems Research Laboratory, his current position. In this role, he has formulated and directed research and development programs in test and process control systems for the VideoDisc product. He has managed the design, implementation and operation of the RCA Laboratories' VideoDisc research testing center. Mr. Blecker is a member of the Institute of Management Sciences, IEEE, Pi Mu Epsilon, and Sigma Xi.



**Pabitra Datta** received a B.S. degree in Physics and Chemistry from Gauhati University, Assam, India in June 1960, a M.S. degree in Physical Chemistry from Drexel University, Philadelphia, PA in 1962, and a Ph.D. degree in Physical Chemistry from Case-Western Reserve University in 1965. He spent two years of post doctoral work at New York State University at Stony Brook, NY. He joined Addressograph Multigraph Corporation as senior chemist and was promoted to staff scientist within two years. He joined RCA Laboratories as Member of the Technical Staff in 1974. His research interests are surface chemistry, photochemistry, plasma deposition, and physical properties of plastics. He has 15 issued U.S. patents and 12 publications in these areas. He is one of the principal inventors of RCA conductive capacitance discs.



He received three RCA Laboratories' Outstanding Achievement Awards and an RCA Corporation David Sarnoff Award for Outstanding Technical Achievement.

**Edgar J. Denlinger** received the BS degree in Engineering Science from Pennsylvania State University, University Park, in 1961 and the MS and PhD degrees in Electrical Engineering from the University of Pennsylvania, Philadelphia, in 1964 and 1969, respectively. From 1961 to 1963 he was in the RCA Graduate Study Program while working in the RCA Applied Research Department, Camden, NJ. Until 1965, he was engaged in research on solid-state traveling-wave masers, superconducting magnets, and experimental transistors. From 1965 to 1967 he held a University of Pennsylvania Research Assistantship during which he did research on a bulk-effect oscillator. From 1967 to 1973 he was a Staff Member at Lincoln Laboratories, Massachusetts Institute of Technology, Lexington, working in the areas of microwave integrated circuits, phased-array antennas, and air traffic control. Since April 1973, he has been a Member of Technical Staff at RCA Laboratories, Princeton, NJ, engaged in research on millimeter-wave avalanche diodes, microwave integrated circuits, PIN and mixer diodes, low-noise receivers, and avalanche diode amplifiers. For his work on solid-state airborne weather radar, he received an RCA Laboratories Outstanding Achievement Award in 1979. He holds five patents.



Dr. Denlinger is a member of IEEE, Sigma Xi, Tau Beta Pi, Sigma Tau, and Phi Kappa Phi. He is Chairman of the Princeton Chapter of the IEEE MTT/ED Group.

**K. F. Etzold** received his B.S. in Physics from the City College of New York in 1963, the M.S. from New York University in 1965 and the Ph.D. in Solid State Physics, also from New York University, in 1973. He has done research on ultrasonic imaging for medical diagnostic applications and has recently investigated the properties of piezoelectric transducers for VideoDisc mastering. He was involved in both the design of new devices and optical techniques for their evaluation. The article describes the hardware designed in support of his analytical activities and he received an achievement award in 1981 for this work. He also received achievement awards in 1974 and 1978 for research in medical



imaging and for improved silicon wafer cutting technology, respectively. He is a member of the American Physical Society.

**David A. Furst** received his B.S. degree in Physics from the State University of New York at Stony Brook in 1971 and his M.S. degree in Physics from Rutgers University in 1973. He did research in thermal conductivity of superconducting materials in pursuing his graduate degree. He taught physics at Rutgers University, Hunter College of CUNY, and Middlesex County College prior to joining RCA Laboratories in 1975. From 1975 to 1979 he was involved in materials research concerned with improvements in the electron guns of television kinescopes. Concurrently with the project, he began his involvement in materials research concerned with the development of an electrode for the VideoDisc stylus. In 1980 he was awarded an RCA Laboratories Outstanding Achievement Award "For contributions to a team effort in the development of a mass produced, durable VideoDisc stylus electrode." Mr. Furst is a member of the American Physical Society and the American Vacuum Society.



**Istvan Gorog** is Head of the Manufacturing Research Group in the Manufacturing Systems and Technology Research Laboratory of RCA Laboratories, Princeton, NJ. In this capacity he directs and carries out research and development primarily in the areas of instrumentation, process control, and applied physics relevant to color kinescope and VideoDisc manufacturing. He received the BSc (1961), MSc (1962), and PhD (1964) degrees in Electrical Engineering from the University of California at Berkeley. Dr. Gorog joined RCA Laboratories, Princeton, NJ, in 1964, as a Member of Technical Staff. His main area of interest has been electro-optical systems. His research activities at RCA have included lasers and their applications; holography; optical communications; the investigation of prerecorded-video recording and playback techniques; laser deflection and modulations; photochromic, cathodochromic, and electrochromic devices; and a wide variety of display systems. He has also been interested in the analysis of image transmission and display in terms of the quantitative descriptors of human visual perception. This work included the initiation of an experimental psychophysics program at RCA Laboratories. He initiated and has been responsible for all optical reading, recording, and instrumentation efforts related to the RCA VideoDisc program. During 1968 he was on leave from RCA as a National Science Foundation Postdoctoral Fellow at the Laboratori Nazionali di Frascati and the European Space Research Institute in Frascati, Italy. There he worked on the problems of production of high-temperature plasmas by laser irradiation of solid targets and scattering of laser radiation by collective plasma fluctuations.



Dr. Gorog has been granted 15 U.S. patents, and has several patent applications pending both in this country and abroad. He is a member of the American Physical Society and of Eta Kappa Nu.

**Joseph Guarracini** received a BS in ME in 1948, an MS in Physics in 1954, and has done subsequent graduate work at the University of Pennsylvania. His early work was done at the National Bureau of Standards and the Harry Diamond Laboratories in Washington, DC. He joined RCA in 1956, working first on airborne fire control and later on the Tiros I satellite. In 1962, he joined RCA Laboratories, Princeton, NJ, where his activities have ranged from computer memory design to magnetic disc drives and, for the past eleven years, various projects connected with the VideoDisc system.



Mr. Guarracini is a member of the American Physical Society and the American Society of Mechanical Engineers.

**Robert W. Jebens** received a BS with Distinction in Physics from Worcester Polytechnic Institute in 1960. He started his graduate work in physical metallurgy at Cornell University and finished at Rutgers University, receiving an MS in Physics in 1963. Mr. Jeben's first year in industry was at Melpar, Inc., where he was involved in research in integrated circuits and the transport properties of semiconductors. He joined RCA Laboratories late in 1963 and worked for the first two years on thin-film transistors, integrated circuits, and the use of synchronous detection techniques. From 1965 to 1973 Mr. Jebens was deeply involved with the RCA SelectaVision VideoDisc effort. He had project leader responsibility for the development of the precision master groove-cutting machine, the electron-beam recorder, and master processing and replication. Since 1973, Mr. Jebens has been working on a high-density optical recording project for TV-broadcast applications. Most of Mr. Jeben's career at RCA has been involved with interdisciplinary systems work, usually with a mechanical system that includes optics, materials, and electronics.



Mr. Jebens received an RCA Laboratories Award for Outstanding Achievement in 1967 for ingenuity and versatility in the development of techniques for the generation of precision-masking and high-density-recording apparatus, and another in 1970 for contribution to a team effort in the development and use of sophisticated techniques and apparatus for high-resolution electron-beam recording and electromechanical recording. He also received a Special Award in 1973 in recognition of outstanding research leading toward the development of the RCA SelectaVision VideoDisc. Mr. Jebens is the holder of three patents, one of which is the electron-beam-recorder mechanism used in the VideoDisc project. He is a member of Sigma Xi and the American Institute of Physics.

**Hiro Kawamoto** received his BS in Electronics in 1961 from Kyoto University in Kyoto, Japan. He received his Masters in 1966 and Ph.D. in 1970, both in Electrical Engineering and Computer Sciences from the University of California, Berkeley. From 1964 to 1966 he was a Fulbright Exchange Visitor from Japan to the United States. In 1970, he was an Acting Assistant Professor at the Department of Electrical Engineering and Computer Sciences of the University of California, Berkeley. In 1970, he joined RCA Laboratories at Princeton, NJ,



where he worked on microwave TRAPATT devices and the CED Videodisc System. In 1980, he joined Sony Corporation of America as a General Manager of Marketing Development and Product Planning. In November 1981, he was appointed General Manager of the Sony Consumer Electronics Laboratories, newly established in Paramus, New Jersey.

Dr. Kawamoto is a contributor to "Carbon-Polymer Composites", a book which will be published by Marcel Dekker in 1982. He holds 20 US and Japanese patents, including three patents that are implemented in the CED Videodisc System. He is a member of Sigma Xi and Eta Kappa Nu. He is a member of the Administration Committee of the Consumer Electronics group of the IEEE and served as Vice Chairman for the Electro shows held in New York in 1979 and 1981. He is also Founder and Chairman of the Board of Trustees of Princeton Community Japanese Language School.

**B. T. Khuri-Yakub** was born in Beirut, Lebanon in 1948. He received the B. E. from the American University of Beirut in 1970, the M.S. from Dartmouth College in 1972, and the Ph.D. from Stanford University in 1975, all in Electrical Engineering. Since receiving his Ph.D. he has been at the E. L. Ginzton Lab of Stanford University where he is presently a Senior Research Associate. In 1980 he co-founded KYS, Inc., a consulting company dealing with custom design of specialized acoustic transducers.



**Michael Luri** received a B.S. in physics from Brooklyn College in 1959, an M.S. in physics from Rutgers University in 1961, and a Dr. Eng. Sci. from Newark College of Engineering in 1967. His thesis concerned the preparation of pure, high density samples of inert gases for NMR studies. In 1961 he joined Gulton Industries, Inc., to work on high temperature dielectric and ceramic materials, and aerospace power systems, particularly storage batteries and associated electronics. He left in 1963 to teach electrical engineering at the New Jersey Institute of Technology (Newark College) and to work for a doctorate. During his four years teaching there, he was an outside consultant in the field of vibration analysis of machinery, and held summer positions, first with Gulton Industries, then with RCA Astro-Electronics where he worked on TV circuits for the TOS weather satellite. He left his teaching position to take a post as Senior Research Fellow at the National Physical Laboratory in England, working on spatial filtering and the measurement of small motions by holography and interferometry. In 1968 he joined RCA Laboratories doing research on noise in holographic systems, and applications of holography to video recording. He has contributed to the development of several optical, electronic, and computer-controlled systems. He was Project Leader for the development of a laser player system for testing RCA VideoDiscs. Recently, he worked on the architecture and design of a computer-controlled broadcast TV camera. His present interest is robotics and automation.



Dr. Lurie has received three RCA Outstanding Achievement Awards, the David Sarnoff Award in Science, and the Journal Award of the Society of Motion Picture and Television Engineers. The computer-controlled TV camera to which he contributed won an Emmy award for technical excellence. He is

on the patent review board for Applied Optics, and is a member of the Optical Society of America, the Institute of Electrical and Electronics Engineers, Eta Kappa Nu, Tau Beta Pi, and Sigma Xi.

**Paul W. Lyons** received a B.S. Degree in Electronic Engineering from Monmouth College. He joined RCA Laboratories Systems Design Research activity in 1972 working primarily on color television research projects including accelerated life testing, power supply and deflection systems, and projection television systems. He joined the VideoDisc Systems Research Laboratory in 1979 to work on VideoDisc calibration systems. He has been Manager, VideoDisc Testing Center in Princeton since August, 1980.

Mr. Lyons is a member of Eta Kappa Nu.



**Dennis Matthies** received a B.S. degree (cum laude) from the Rensselaer Polytechnic Institute Department of Physics in 1968. His graduate education at Princeton University concentrated on device physics. He earned a M.A. degree in 1969, a M.S. degree in 1970, and a Ph.D. degree in 1973. Dr. Matthies joined RCA Laboratories in 1968 and began work on the VideoDisc project at that time. He has made contributions in the areas of conception and development of coated and carbon filled VideoDiscs, surface lubrication, stylus fabrication, product testing, and quality control. Dr. Matthies' work has been recognized by awards for outstanding achievement in 1979 for a team effort which developed "analytical techniques and preparative procedures leading to superior surface quality of VideoDiscs" and in 1970 for contributions to a team effort in "devising and improving storage media processes for high density recording." Dr. Matthies has also made contributions to the technologies of liquid crystals, holography, electron-beam lithography, x-ray lithography, radiation damage in electronic devices, and plasma chemistry.

Dr. Matthies is a member of the Sigma Xi Honor Society, the Sigma Pi Sigma Physics Honor Society, and the Eta Kappa Nu Electrical Engineering Honor Society. He holds five United States patents.



**Herbert I. Moss** received his BS degree with honors in Chemistry in 1953, from the University of Louisville, KY, and his PhD degree from Indiana University, Bloomington, IN, in 1960. His thesis was on "The Vapor Pressures of the Binary Molten Salt Systems; Potassium Chloride-Cadmium Chloride, and Potassium Chloride-Zinc Chloride." From 1953 to 1956 he served as a Teaching Assistant in chemistry and from 1956 to 1959 as a Research Assistant in chemistry at Indiana University. In 1959 he joined RCA Laboratories, Princeton, NJ, where he worked on thin-film and large-area photovoltaic research until 1963. Dr. Moss has made significant contributions in the field of II-VI compound film photovoltaics. Since 1963 he has been engaged in work on the pressure



sintering (hot pressing) of electronic, magnetic, and optically active materials. This work has been concerned with such materials as ferrites and magnetic alloys for video magnetic record/playback heads, III-V and II-VI compound semiconductors, photochromic materials such as  $\text{CaF}_2$ , chalcogenide spinels, lead telluride alloys for thermoelectric applications, lanthanum hexaboride for electron-emitting cathodes, and lead zirconate-lead titanate piezoelectric materials for VideoDisc recordings. The pressure-sintering work has led to a patented design for a die that permits operation with graphite at pressures ten times greater than can be withstood by previous graphite dies. Recently, Dr. Moss has been involved in the growth of single-crystal ferrite for video magnetic recording/playback heads, the pressure sintering of  $\text{Si}_3\text{N}_4$ , and projects concerned with sapphire and diamond styli for VideoDisc recording and playback.

Dr. Moss is a member of the American Chemical Society, Electrochemical Society, American Ceramic Society, American Powder Metallurgy Institute, and Sigma Xi, and is listed in *American Men and Women of Science*. He received an RCA Laboratories Outstanding Achievement Award in 1969 for his work on video magnetic heads.

**Richard W. Nosker** joined RCA in Camden as a freshman co-op in 1961. He moved to RCA Laboratories in 1964, and received the BSEE from the University of Cincinnati in 1965. He received the Ph.D. from Princeton University in EE (solid state) in 1970, with the support of a David Sarnoff Fellowship. Since 1966, he has worked on VideoDisc. In the early years, he worked in a variety of areas such as master preparation and electroforming, and analytical studies of electron beam scattering in photoresist. For nearly a decade, he has concentrated on the mechanics and chemistry of the stylus—disc interface. These studies have involved the friction, lubrication, and wear of the sliding components, the mechanical deformations at the interface and the resulting effects on signal recovery, and stylus dynamics and resultant disc deformations. During the 1978–79 academic year, Dr. Nosker was at Imperial College of Science and Technology in London, England, where he studied the bulk deformation and yield of polymers at very high strain rates. He has received three RCA Laboratories Outstanding Achievement Awards, and is a member of the American Physical Society.



**Richard C. Palmer** received the BEE degree from the University of Virginia in 1943 and did subsequent graduate work in Physics at the Stevens Institute of Technology. After one year with the General Electric Co., Schenectady, NY and two years with the Tennessee-Eastman Corp., Oak Ridge, Tenn., he joined the Allen B. DuMont Laboratories where he worked in the fields of television studio equipment, television cameras, color television, phototubes, and television display devices. He joined the RCA Laboratories as a Member of the Technical Staff in 1960, and has pursued research in the fields of television displays and VideoDisc systems.



Mr. Palmer served on Panel 12 of the National Television Systems Commit-

tee and on various committees of the IRE and has been granted over 20 patents. He has received three RCA Laboratories Outstanding Achievement Awards and is a member of IEEE, Sigma Xi, and Tau Beta Pi Societies.

**Harry L. Pinch** earned the B.S. degree in 1951 from the City College of New York and the Ph.D. in 1955 from the Pennsylvania State University, both in chemistry. He has been a member of the technical staff at RCA Laboratories, Princeton, N. J. since 1957. He has done materials research on phosphor films, magnetic films, solid state laser host crystals, magnetic semiconductors, garnet "bubble" films and high resistance cermet films. His present areas of concern are the deposition and metallurgy of the VideoDisc stylus electrode.



He is a member of the American Vacuum Society and the American Chemical Society.

**Karen Pitts'** background is in applied mathematics and statistics. She holds a B.S. in mathematics from St. Olaf College in Minnesota and an M.S. in Operations Research and Systems Analysis from the University of North Carolina at Chapel Hill. Since 1976, she has been involved in statistical experimental design, data analysis, mathematical modeling, and systems analysis for RCA Laboratories. Ms. Pitts has worked on projects for the Solid State, Americom, SelectaVision, and consumer Electronics Divisions of RCA. She is a member of the American Statistical Association, the Society for Women Engineers, and writes a column for the Caucus for Women in Statistics.



**John H. Reisner, Jr.**, received a B.S. in Physics, Summa Cum Laude, from Davidson College in 1939. He pursued his graduate study in Physics at the University of Virginia, receiving an M.S. in 1941 and a Ph.D. in 1943. In 1943, he joined RCA, Camden, NJ, where he worked on crystallography and quartz resonators. In 1945, he transferred to the Scientific Instruments Section of RCA to work on electron optical instrumentation, and in 1948 he was appointed leader of the research and advanced development group. In this position, he supervised and actively participated in the development of five generations of electron microscope prototypes, which were the forerunners of over 1300 commercial instruments. In 1941, he transferred to RCA Laboratories at Princeton, NJ, to work on electron-beam recording of VideoDisc masters. This project was brought to a successful conclusion with real-time recording and one-hour playing time in 1977. He then turned to the development of improved electro-mechanical recording devices and techniques for recording, which has continued to the present. For contributions to the VideoDisc program, he has received three RCA Achievement Awards.



In 1980, he was appointed a Fellow of the Technical Staff. He is a Fellow of



the American Physical Society and of the AAAS. He is a past president of the Electron Microscopy Society of America and a member of Phi Beta Kappa, Sigma Xi, Sigma Pi Sigma, Omicron Delta Kappa, and the Raven Society of the University of Virginia.

**Rabah Shahbender** received the B.E.E. from Cairo University, Cairo, Egypt, the M.S.E.E. from Washington University, St. Louis, Missouri, and the Ph.D. from the University of Illinois. From 1946 to 1948, he worked for the Anglo-Egyptian Oilfields Ltd. in seismic exploration. From 1951 to 1955, he was on the staff of Honeywell Controls Division where he conducted research in the behavior of nonlinear closed loop systems. He joined RCA in Camden, New Jersey, in 1955 and worked in the areas of adaptive systems, nonlinear filters, electron beam devices, ultrasonic devices, and airborne fire control systems. He transferred to RCA Laboratories, Princeton, NJ, in 1959, and has been active in the area of digital devices and systems. In 1961, he was appointed Head, Digital Research. Dr. Shahbender received the SFIPS Best Paper Award in 1963, IR-100 Awards in 1964 and 1969, and RCA Laboratories' Achievement Awards in 1960 and 1963. From 1960 to 1966, he was Chairman of the Department of Electronic Physics at La Salle College, Evening Division.



Dr. Shahbender is a Fellow of IEEE, a member of AAAS, Sigma Xi and Eta Kappa Nu, and a Fellow of the University of Illinois.

**Robert E. Simms** entered the US Army in 1965. He served as a Radar instructor at Fort Monmouth, NJ, and later was responsible for the operation of a forward air navigation radar system in Vietnam. In 1968, he worked for the General Electric Company and in 1969 for General Instruments. From 1970 to June 1972, he attended Pennsylvania State University, majoring in Electrical Engineering. He received the degree of Associate in Engineering in 1975. He joined RCA Laboratories in 1972, working first on the electron-beam disc recorder. When the decision was made to master VideoDiscs electromechanically, he was responsible for converting the electron-beam recorder to a scanning electron microscope that could be used to nondestructively examine the surface of VideoDisc masters. Beginning in 1978, he worked on VideoDisc cutterheads, including manufacturing techniques and specialized fixtures. He was responsible for training production personnel and for setting up an operating cutterhead production area. He is presently working on optimizing cutterheads and is responsible for the resharping of the diamond cutter used in the VideoDisc cutterhead.



He has received two RCA Laboratories outstanding achievement awards and is a member of the Tau Alpha Pi national honorary society.

**Ronald T. Smith** joined RCA Laboratories as a Research Technician in 1963 after receiving a BS in Physics from Moravian College of Bethlehem, Pa. He has studied as a part-time graduate student in the Department of Materials Science of the University of Pennsylvania completing three courses and the basis for a Masters Thesis. The Masters Thesis work has involved the solving of the crystal structure of  $YWO_2Cl$ . He is presently a member of the Materials Characterization Group specializing in single-crystal x-ray diffraction studies. This area includes Laue, Weissenberg, pole-figure, and diffractometry techniques as well as computerrelated data reduction programming. He has recently concentrated on the means for the characterization and qualitative comparison of thin films.



**Philip Stein** holds a Bachelor of Arts degree in Physics from Columbia College and a Master of Science degree in Measurement Science from George Washington University. He is a member of the technical staff assigned to the Manufacturing and Product Assurance group, Advanced Systems Laboratory at RCA Laboratories, Princeton, New Jersey. He specializes in the use of measurement science and statistics for making high quality measurements both in the laboratory setting and in manufacturing. He has wide experience in the use of small computers for measurements, including fifteen years with the National Bureau of Standards, and he consulted extensively in that field before joining RCA.



**Raymond L. Truesdell** received a B.S. degree in Electrical Engineering from Pratt Institute in June 1954 and has been associated with RCA since that time. From 1954 to 1968 he worked at RCA facilities in Camden, NJ and was primarily involved in the design of AM/FM stimulus equipment and magnetic recording. He joined RCA Laboratories in 1969 to work on VideoDisc systems research. This work involved development of the research model VideoDisc player and presently involves VideoDisc cutterhead testing techniques. He received an RCA Laboratories Outstanding Achievement Award in 1978 for "a team effort on tracking performance of the VideoDisc pickup."



**John Valachovic** joined RCA Astro-Electronics in 1959 working on the Tiros, Nimbus, and other weather spacecraft. In 1967, he transferred to RCA Laboratories, Princeton, NJ, to work for the Material Research Group. In 1971, he started work on the VideoDisc program, in particular, the electron-beam recorder and applications of the scanning electron microscope. He also headed a development area working on the improvement and manufacturing of mechanical cutterheads. Mr. Valachovic has received several Achievement Awards.



**John A. van Raalte** received his BS and MS degree from the Massachusetts Institute of Technology in 1960. Subsequently, he carried out his doctoral research under Professor A. R. von Hippel, Director of the Laboratory for Insulation Research at M.I.T. He was awarded the Engineer's Degree in 1962 and received his Ph.D. in 1964. Dr. van Raalte joined the RCA Laboratories, Princeton, N. J. in July 1964. He has conducted research in the areas of electro-optical materials, lasers, holography, and liquid crystals and their applications to display and recording functions. He was awarded a 1969 RCA Laboratories Achievement Award for the development of a novel television projection system. He was appointed Head of Displays and Device Concepts Research in 1970 and directed research in areas of new displays, television RF/IF circuitry, acoustic surface-wave devices, TV camera tubes and large-screen television displays. In 1979 Dr. van Raalte was appointed Head of VideoDisc Recording and Playback Research. In this position he has directed efforts to support the development and market introduction of the RCA VideoDisc system.



He is a member of Tau Beta Pi, Eta Kappa Nu, Sigma Xi, the American Physical Society, a fellow of SID, and a Senior Member of the IEEE. He holds eleven issued patents.

**Krishma S. Vanguri** received his B.E. in Electrical Engineering from Andhra University in 1959, his M.E. in Power Systems from the Indian Institute of Science, Bangalore, India; and his Ph.D. in Electrical Engineering from Brown University, Providence, R.I. From 1961 to 1966, he worked in the Electronics Div. of the Atomic Energy Establishment in India. From 1966 to 1971 he was a research assistant in the Division of Engineering and the Center for Dynamical Systems at Brown University, where he was engaged in research in the areas of systems theory, adaptive control and optimization algorithms. From 1971 to 1973, as a scientist at ARCON Corp, Wakefield, Mass, he worked in the analysis and simulations in H.F. propagation and communication. In 1973, Dr. Vanguri joined RCA Americom and worked in systems analysis, satellite/terrestrial communications network optimization, traffic and switching systems studies. He joined the RCA Laboratories, Princeton, N.J., in 1977 and worked in computer control and energy management systems research and was involved in the design of the CEMS system at Cherry Hill. He is currently engaged in the VideoDisc systems research.



Dr. Vanguri is a member of Sigma Xi, IEEE and ISA.

**Joseph Walentine** graduated from the School of Industrial Arts, Trenton, New Jersey, in 1937. After short periods of work with local industries, he spent four years at The Brewster Aircraft Company. In 1945, he joined the David Sarnoff Research Center. In his thirty seven years with RCA, starting as a model maker and retiring on March 31, 1982 as an associate member of the Technical Staff, his career was wide and varied. Among the projects to which he has contributed are flat-panel television, computer memories, computer peripherals, laser readers, laser defect detectors, and numerous programs related to the VideoDisc.



**Chin-Chun Wang** received his B.S. degree (1955) in Chemical Engineering from the National Taiwan University, Taiwan, China, the M.S. degree (1959) in Chemical Engineering from Kansas State University, and Ph.D. degree (1962) in Physical Chemistry from Colorado State University. From 1962 to 1963 he received post-doctoral training in physical chemistry at the University of Kansas. In 1963 Dr. Wang joined the research staff of RCA Laboratories where he has been engaged in research on synthesis and characterization of a wide variety of electronic materials, including wide-bandgap III-V semiconductors, ferromagnetic transition-metal oxides, refractory dielectrics, thin-film polymers, and thin-film photoconductors. Many of these studies have led to the realization of practical devices in the areas of photoemission, electro-optics, video systems, and integrated electronics. Dr. Wang's specialized research interest and experience are in the fields of (1) crystal growth and vapor-phase deposition of electronic materials, (2) thermodynamics and kinetics of thin-film systems, (3) physics and chemistry of surfaces and thin films, and (4) vacuum science and technology. Dr. Wang received five RCA Laboratories Achievement Awards and was appointed a Fellow of the Technical Staff in 1973.



Dr. Wang is a member of the American Chemical Society, American Physical Society, American Vacuum Society, The Electrochemical Society, Sigma Xi, Sigma Pi Sigma, and Phi Lambda Upsilon. He is listed in American Men of Science, Leading Men in the United States of America, Who's Who in the East, and International Biography of Contemporary Achievement.

**C. A. Whybark** joined RCA Service Co. in 1955. He served as an electronics instructor, a technical writer and editor, and a field engineer on projects Boresight, Pangloss, and Sanguine. He was a design engineer for NASA on the Houston Solar Simulator Project, and later worked on SelectaVision Holotape and VideoDisc Projects. He transferred to RCA Laboratories, Princeton, NJ, in 1973, where he has contributed to the design and building of three generations of VideoDisc recorders. He presently has responsibility for operation of the Laboratories' electromechanical recorder lathe.



He received a Meritorious Service Award as an instructor and two for contributions to the VideoDisc program.

**Richard Williams** received the AB in Chemistry from Miami University and his PhD in Physical Chemistry from Harvard University. He joined RCA Laboratories in Princeton, New Jersey, in 1958, and is now a Fellow of the Laboratories. Dr. Williams has worked in the fields of liquid crystals, semiconductor-electrolyte interfaces, internal photoemission, properties of electrons on the surface of liquid helium, and crystallized suspensions of polystyrene microspheres. He discovered the domain structure produced in nematic liquid crystals by application of an electric field, a structure that was subsequently named "Williams domains." He demonstrated that most compound semiconductors, in contact with an electrolyte solution, decompose on illumination and formulated the currently accepted model to explain this. In addition, this work showed that the semiconductor-electrolyte system is often a close approximation to an



ideal blocking contact and can be used to establish extraordinarily high electric fields in semiconductors. Thus it became possible to make the first observation of the Franz-Keldysh electro-optic effect and to elucidate the mechanism of dielectric breakdown in CdS and ZnO. Dr. Williams also pioneered in the use of internal photoemission as a tool for determining the properties of metal-semiconductor and metal-insulator interfaces, and demonstrated both electron and hole photoemission. This was used to establish the energy-band relations at the silicon-SiO<sub>2</sub> interface and to determine the concentration and properties of electron traps in the oxide. Together with a colleague, he developed the corona charge method for observing effects of very high electric fields in SiO<sub>2</sub>. This was used to determine the dielectric breakdown field strength of oxide and to observe the motion of impurity ions in the oxide at room temperature. Scanning photoemission measurements were used to show that there are often lateral inhomogeneities in the distribution of impurity ions in the oxide and to relate this to device failure.

Dr. Williams has received several achievement awards at RCA Laboratories and shared in the David Sarnoff Team Award in Science in 1969. He was a visiting scientist at the RCA Zurich Laboratory in 1963, a Fulbright Lecturer in São Carlos, Brazil, a summer school lecturer at Instituto Politécnico Nacional in Mexico, and a visiting lecturer at Princeton University. He is a Fellow of the American Physical Society and a Corresponding Member of the Brazilian Academy of Sciences. Dr. Williams is now working on methods for energy storage and applications of solar energy.

**J. Rogers Woolston** received the BSE degree from Princeton University in 1955, in a combined program of electrical engineering and physics. He spent the summers of 1952 and 1953 at RCA Laboratories, and the following summer at Bell Telephone Laboratories, working primarily on semiconductor devices. Since 1955 he has been with RCA Laboratories, working initially on materials research in both thermoelectrics and intermetallic compound semiconductors. He received a U.S. Patent on a power transistor design, and designed and developed the first successful Czochralski growth apparatus for GaAs. In 1958 he became a member of the Materials Characterization Research Laboratory where he specialized on various aspects of solids mass spectrography and on computer processing of analytical data. This experience included the design, development and improvement of equipment and techniques for thermal vaporization analysis and rf spark-source analysis. In addition, he developed many programs for the RCA 601 and Spectra 70 computers as aids to both analysis and research with the MS7 mass spectrograph, and for xray diffractometry. He designed special-purpose interfaces for RCA's time-sharing system to automate the collection of data for analytical instrumentation. In 1973 he helped found the Laboratory Automation Activity. In 1978, Mr. Woolston joined the Manufacturing Systems and Technology Laboratory where he designed automation systems for a wide range of manufacturing applications. In 1979 he was selected to be part of the newly-formed Systems Evaluation Research Laboratory where he is currently involved in the design of automation systems for the manufacturing and testing of VideoDisc discs and styli. He was one of the designers of the VideoDisc Test Center at RCA Laboratories.



In 1973 he received an RCA Outstanding Achievement Award for his work on computerized data acquisition of analytical data. Mr. Woolston is a member of the American Society for Mass Spectrometry and has served on several of its sub-committees.



